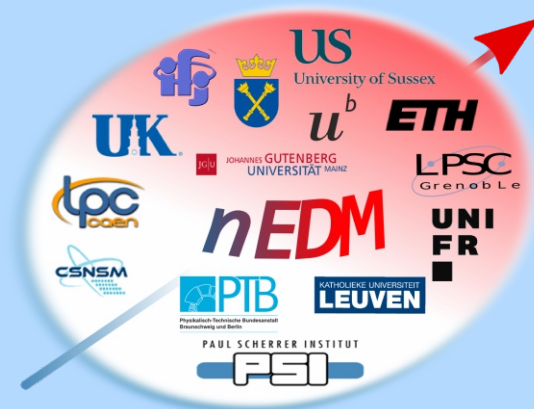


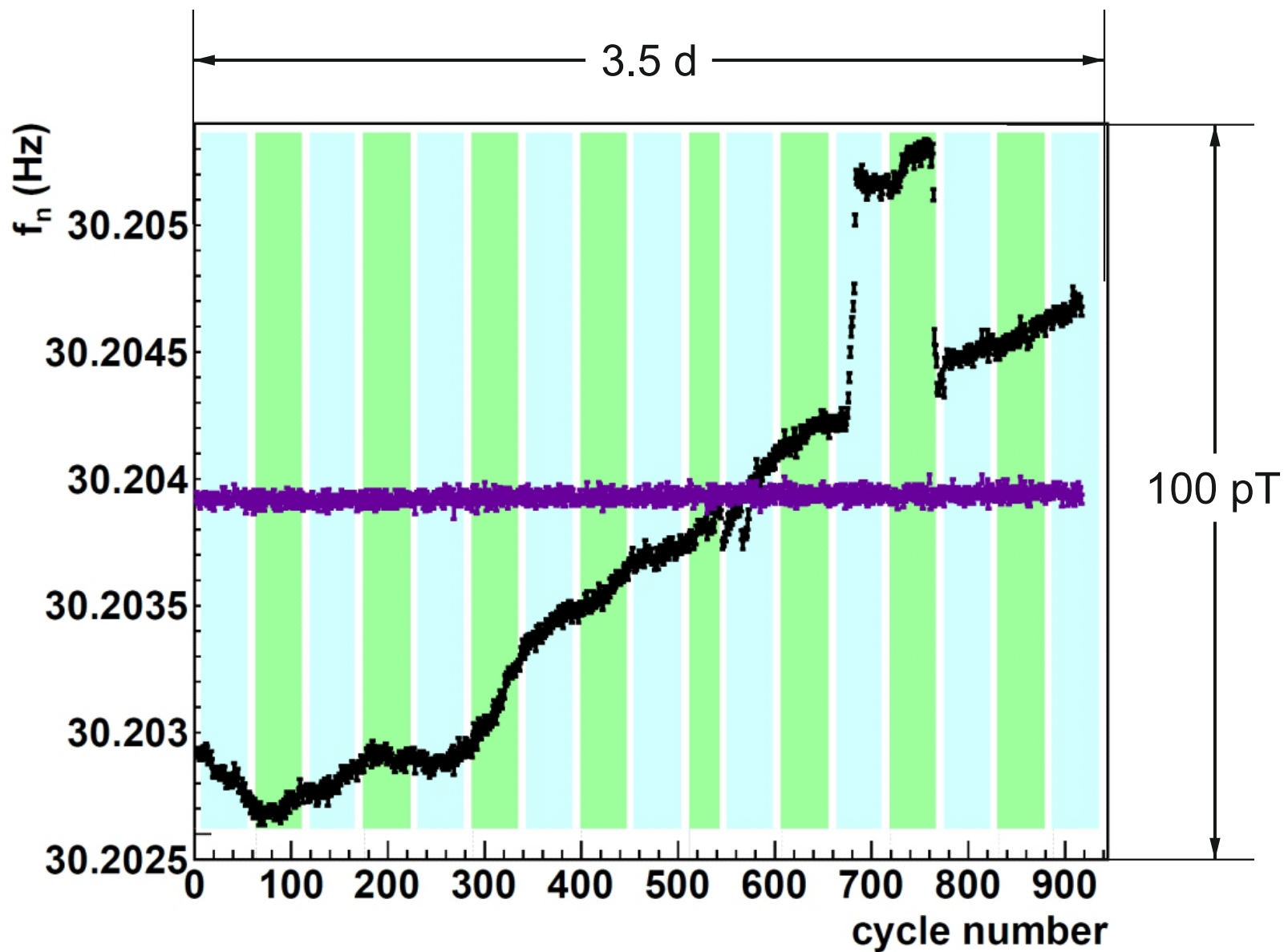


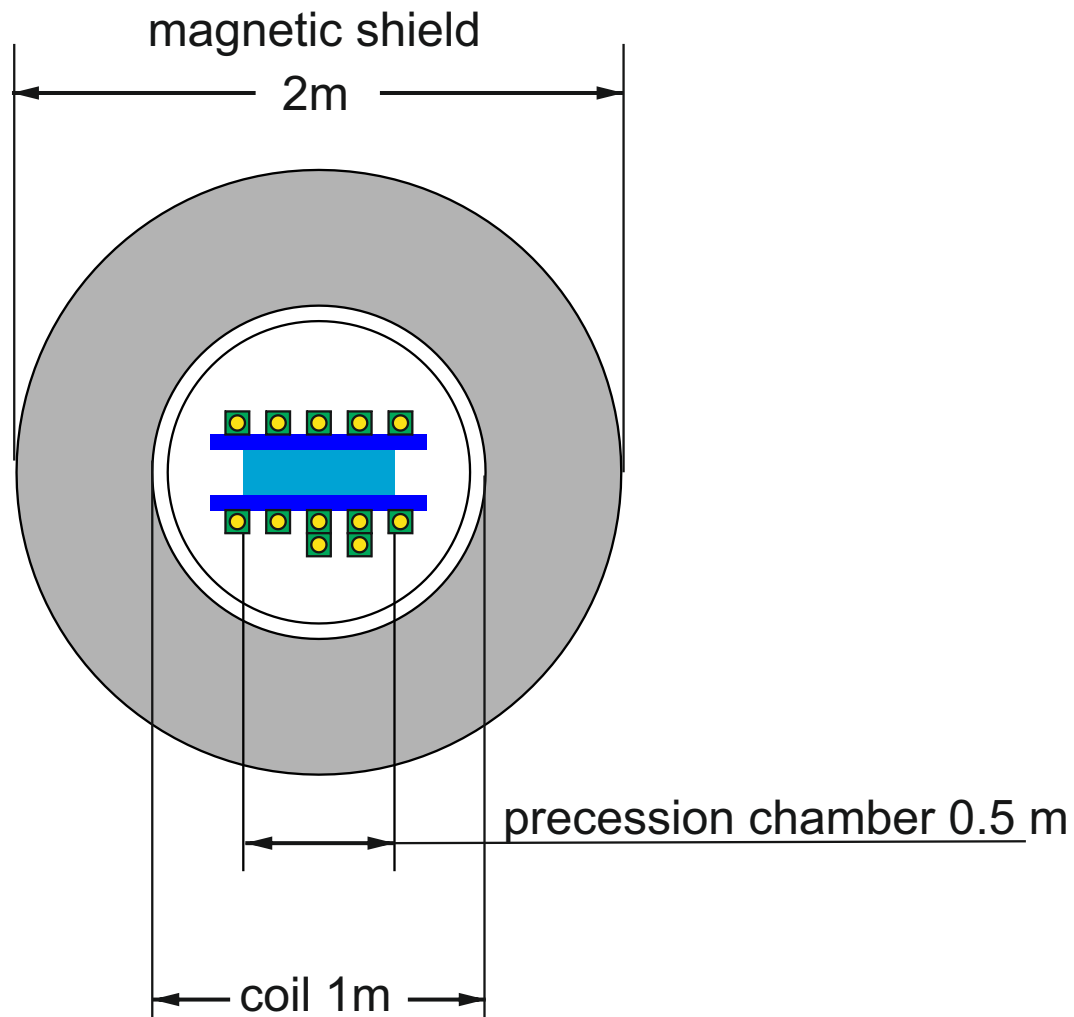
## Paul Scherrer Institut

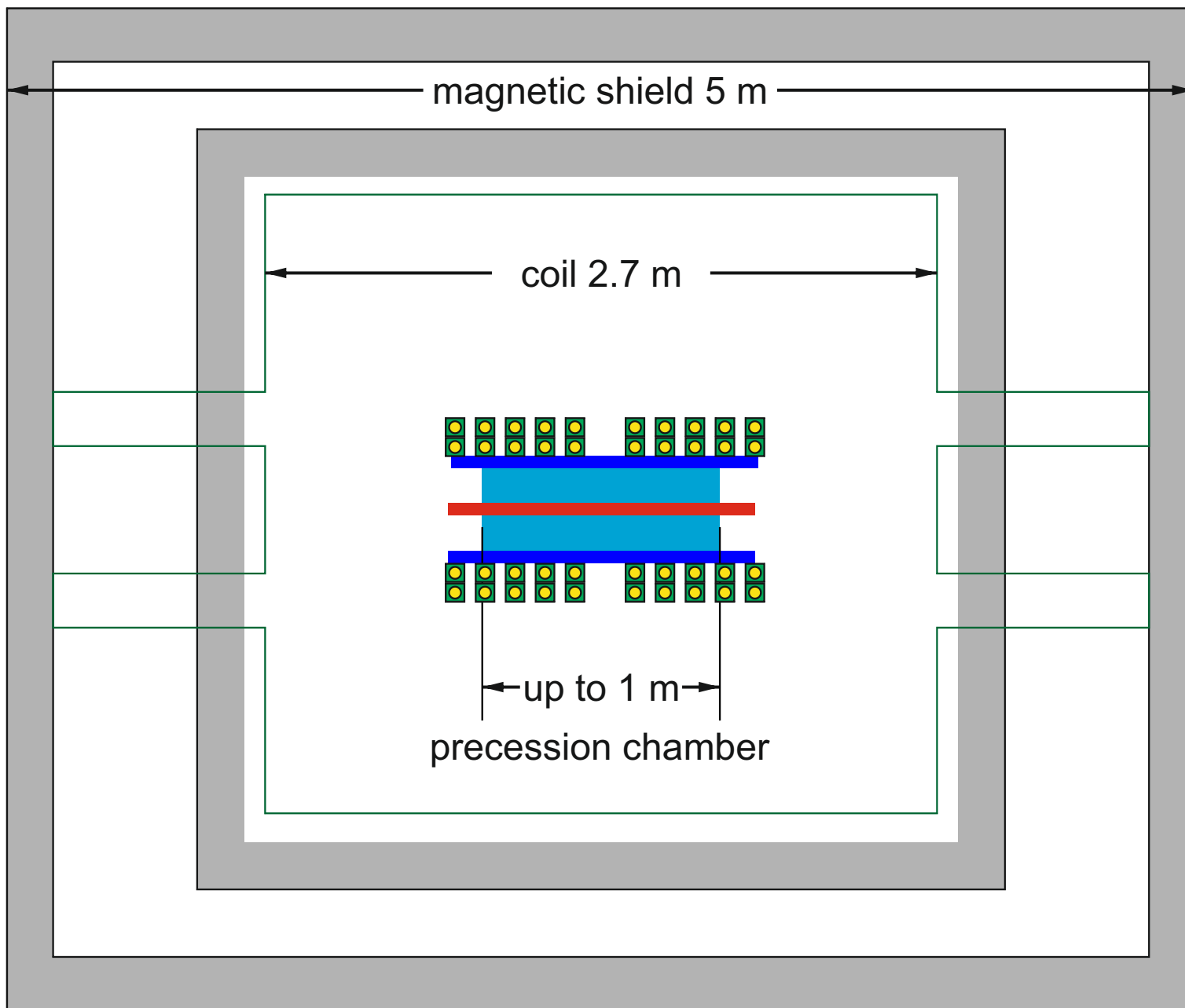
G. Bison for the nEDM collaboration

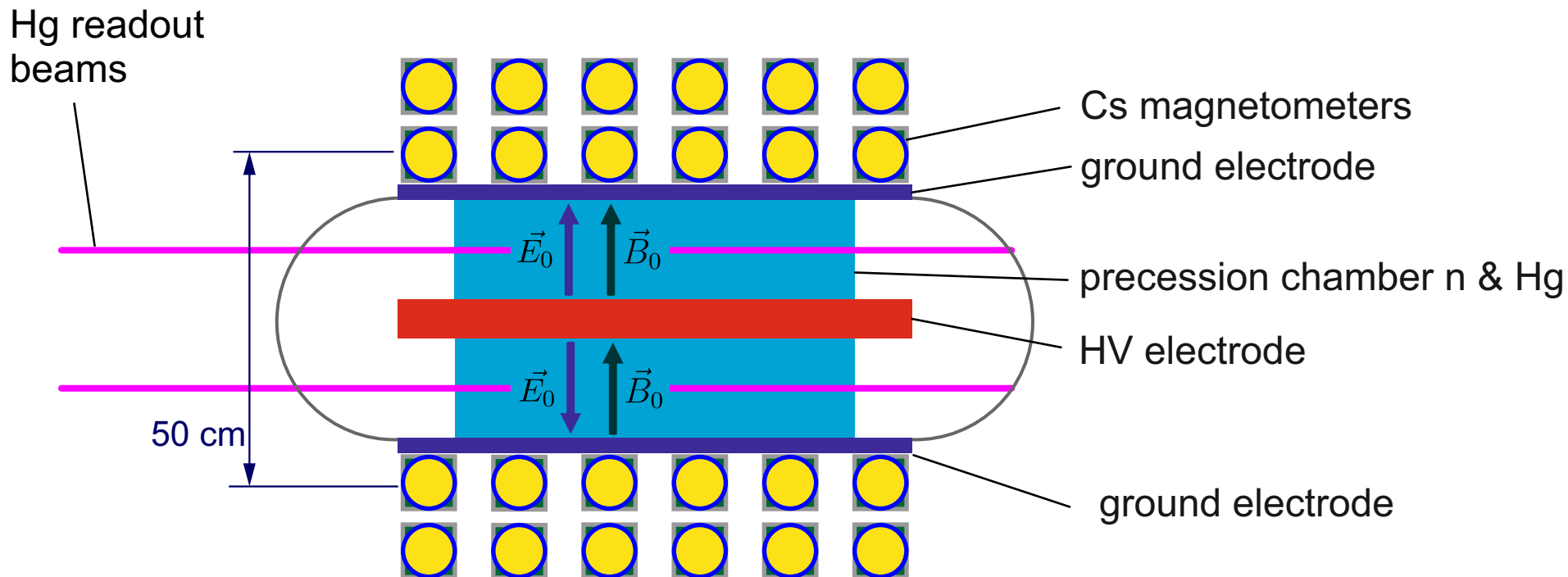
## Magnetometry for next generation neutron EDM experiments











### Hg comagnetometer

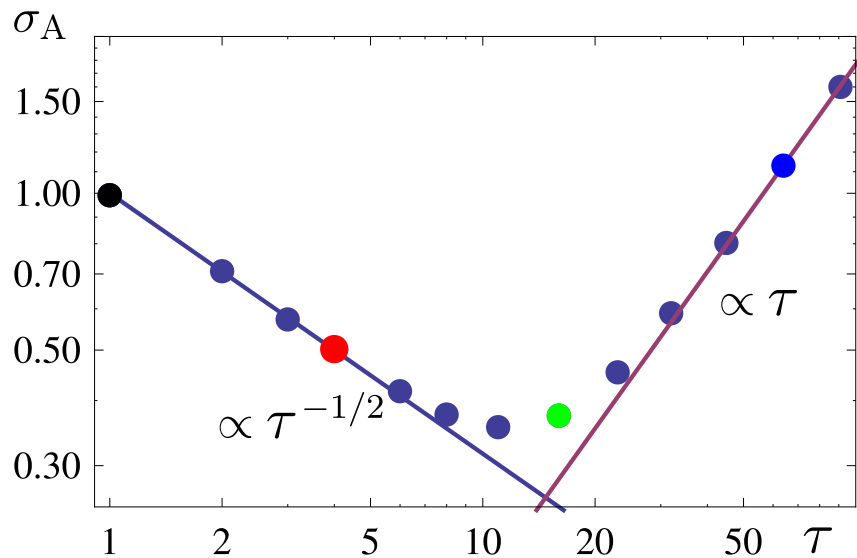
- Primary magnetic field reference

### Cs magnetometer array

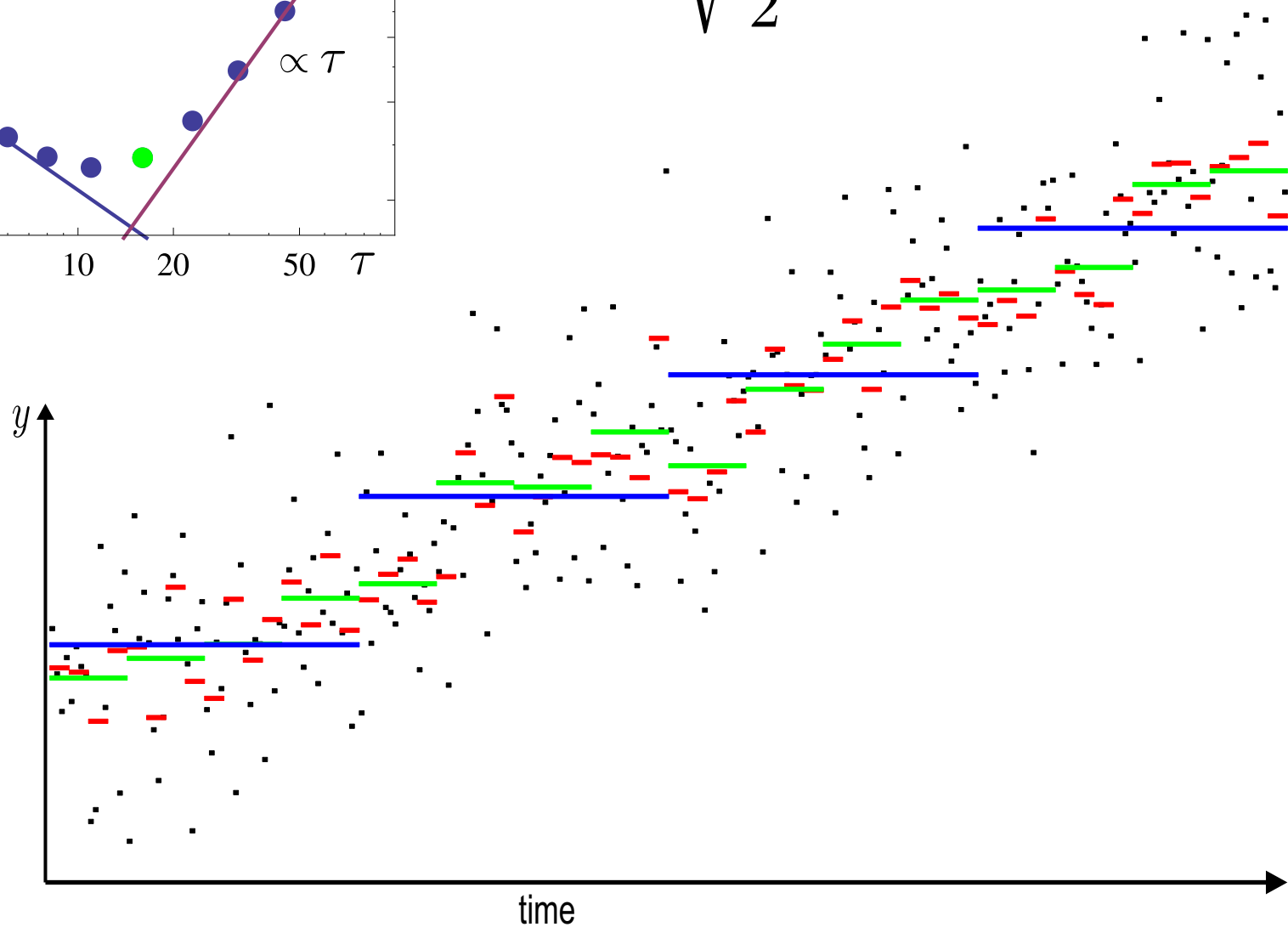
- Field homogenization
- Secondary magnetic field reference
- Monitor for fast field & gradient changes
- possible upgrade to vector readout

### $^3\text{He}$ magnetometer array (upgrade)

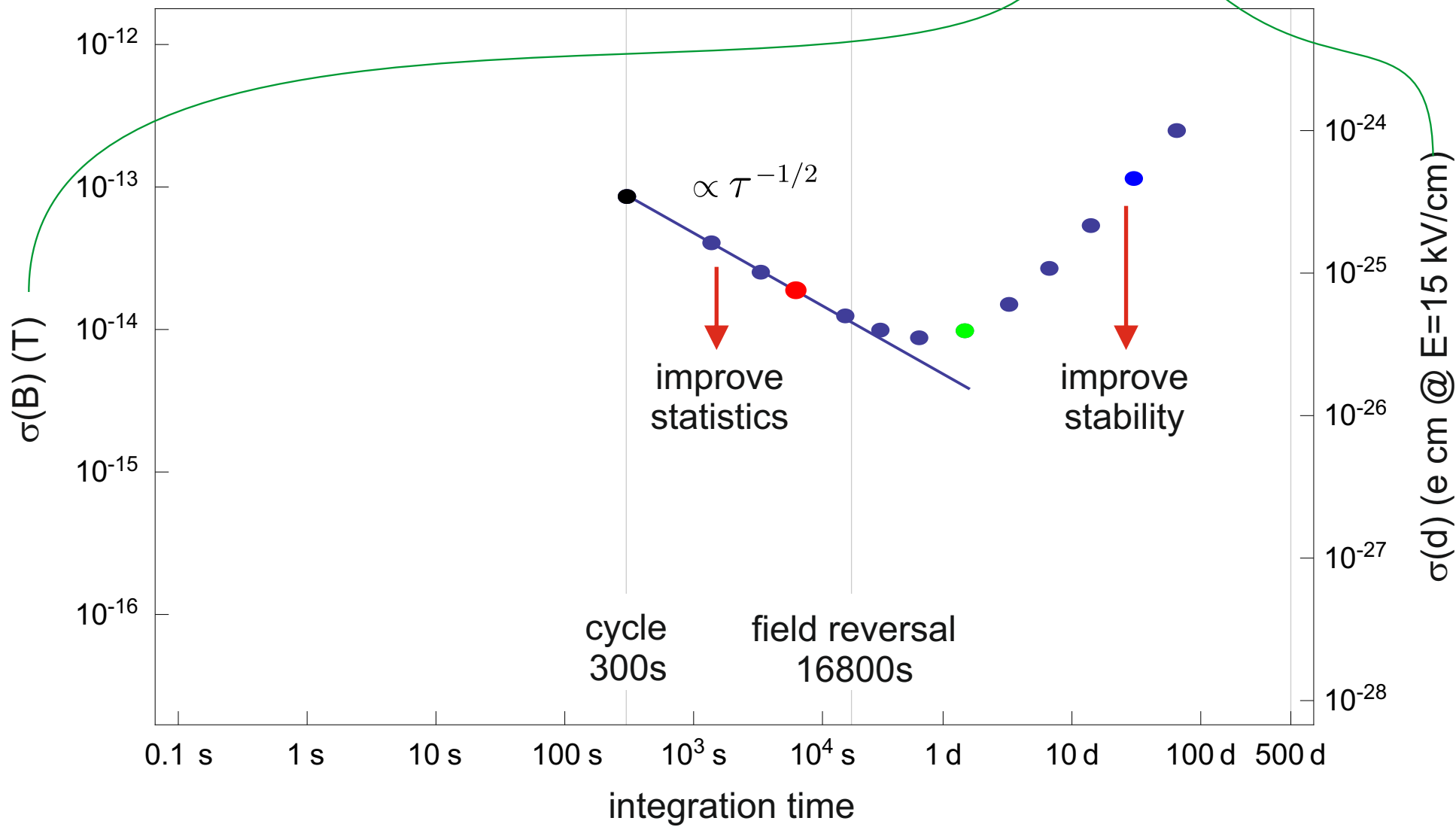
- Absolute magnetometer
- Field homogenization
- Secondary magnetic field reference



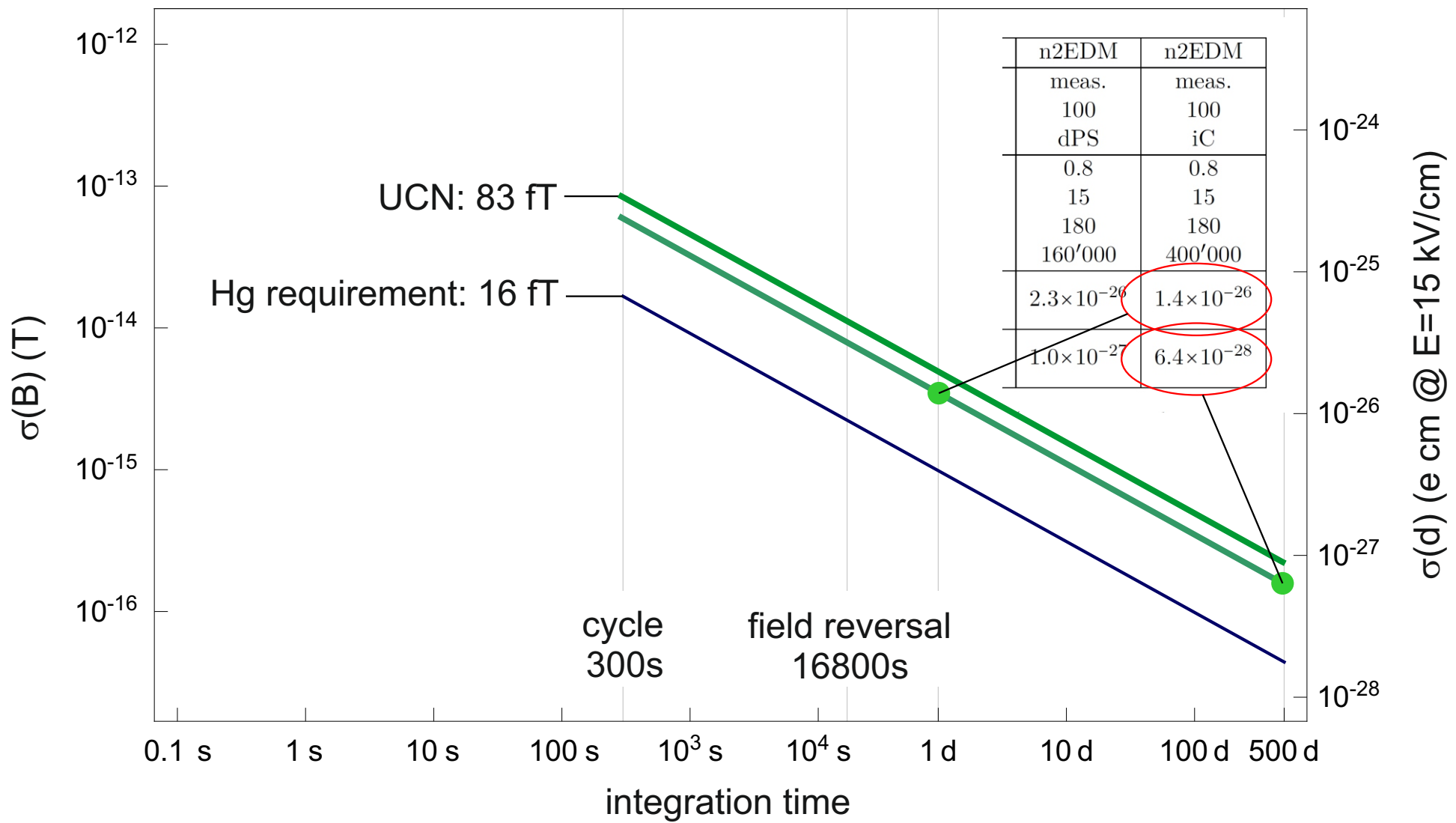
$$\sigma_A = \sqrt{\frac{1}{2} \langle (y_{n+1} - y_n)^2 \rangle}$$



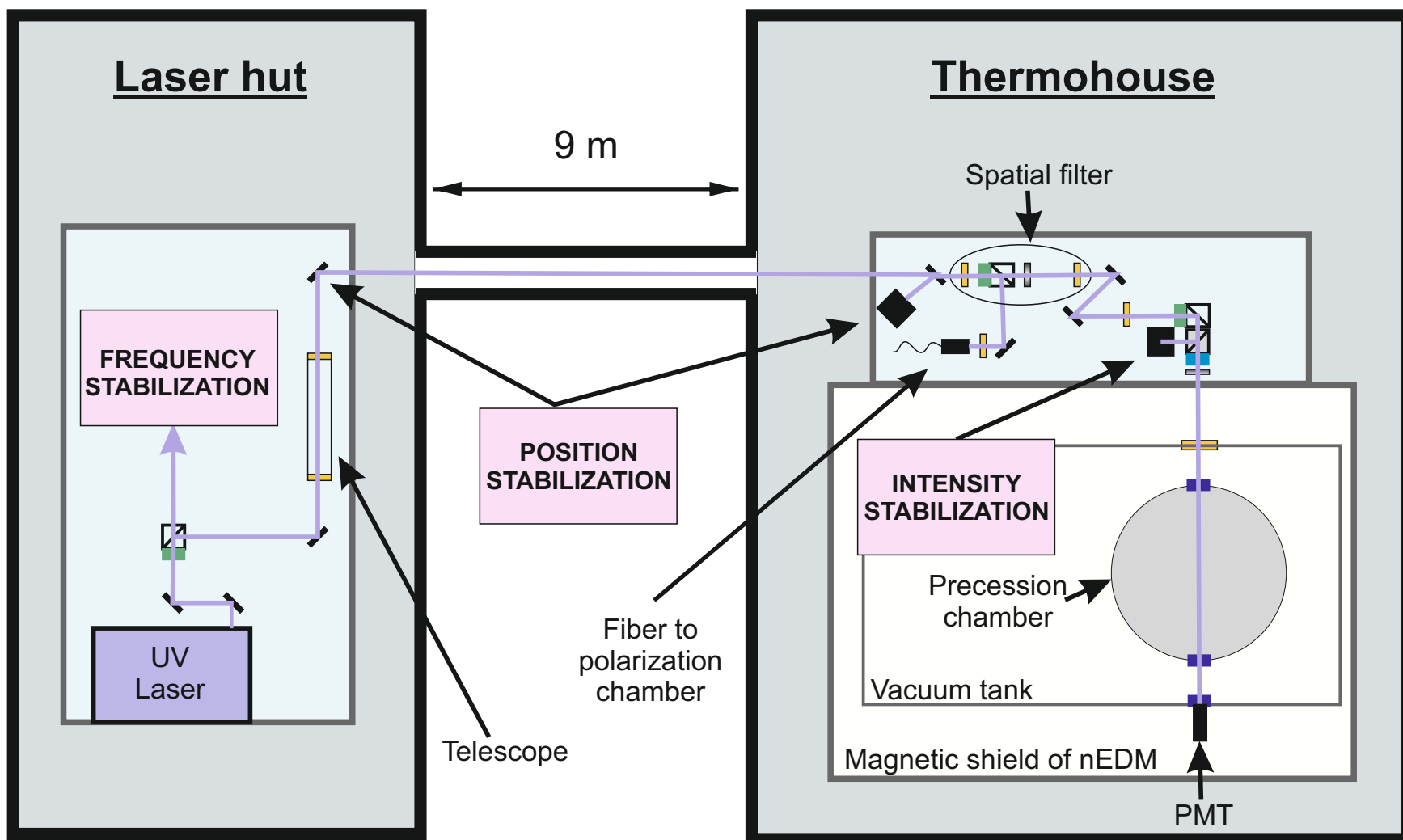
Neutron spin precession frequency  $h\nu_L = -2\mu B_0 \pm 2d E_0$



Neutron spin precession frequency  $h\nu_L = -2\mu B_0 \pm 2d E_0$



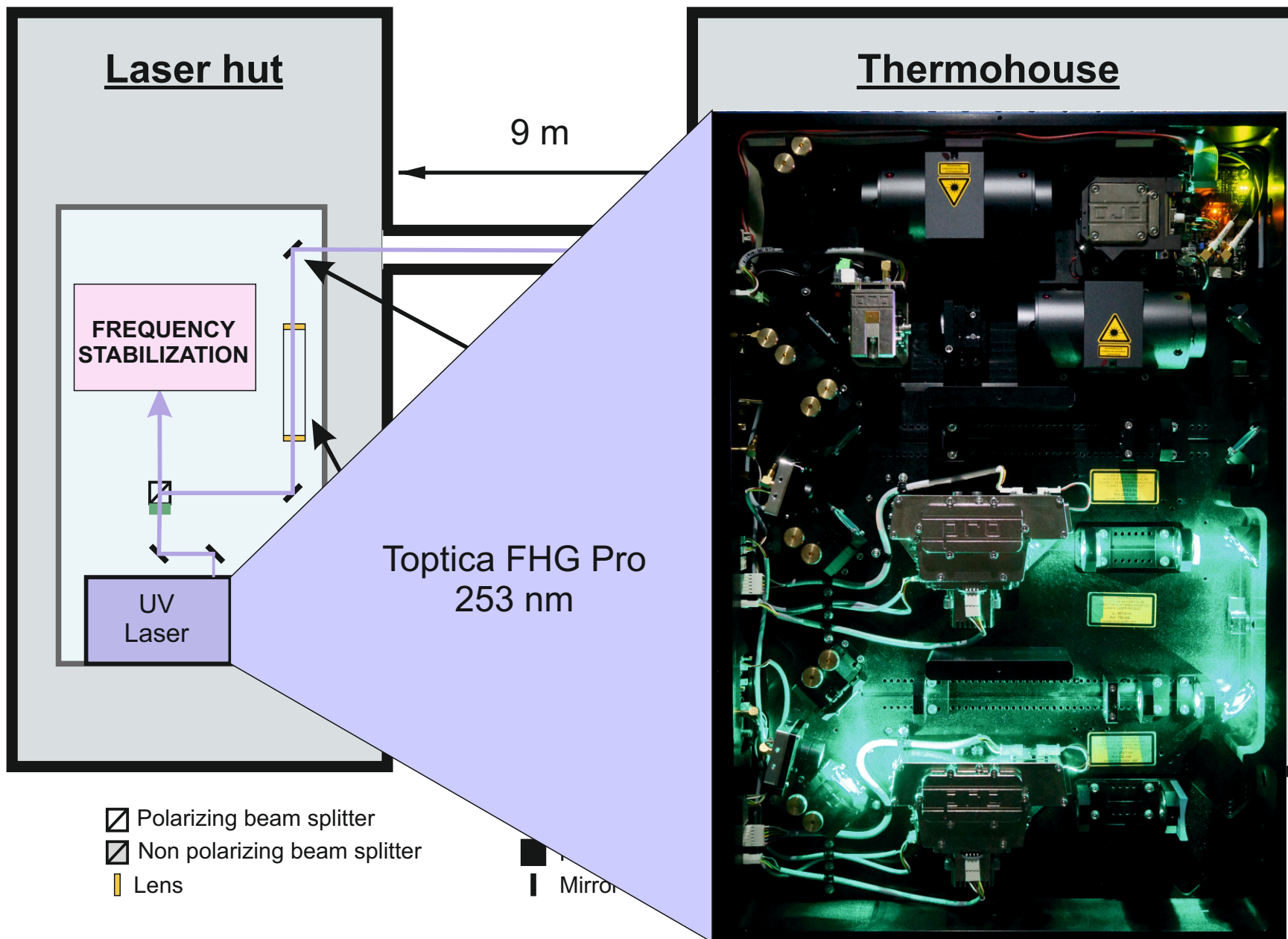


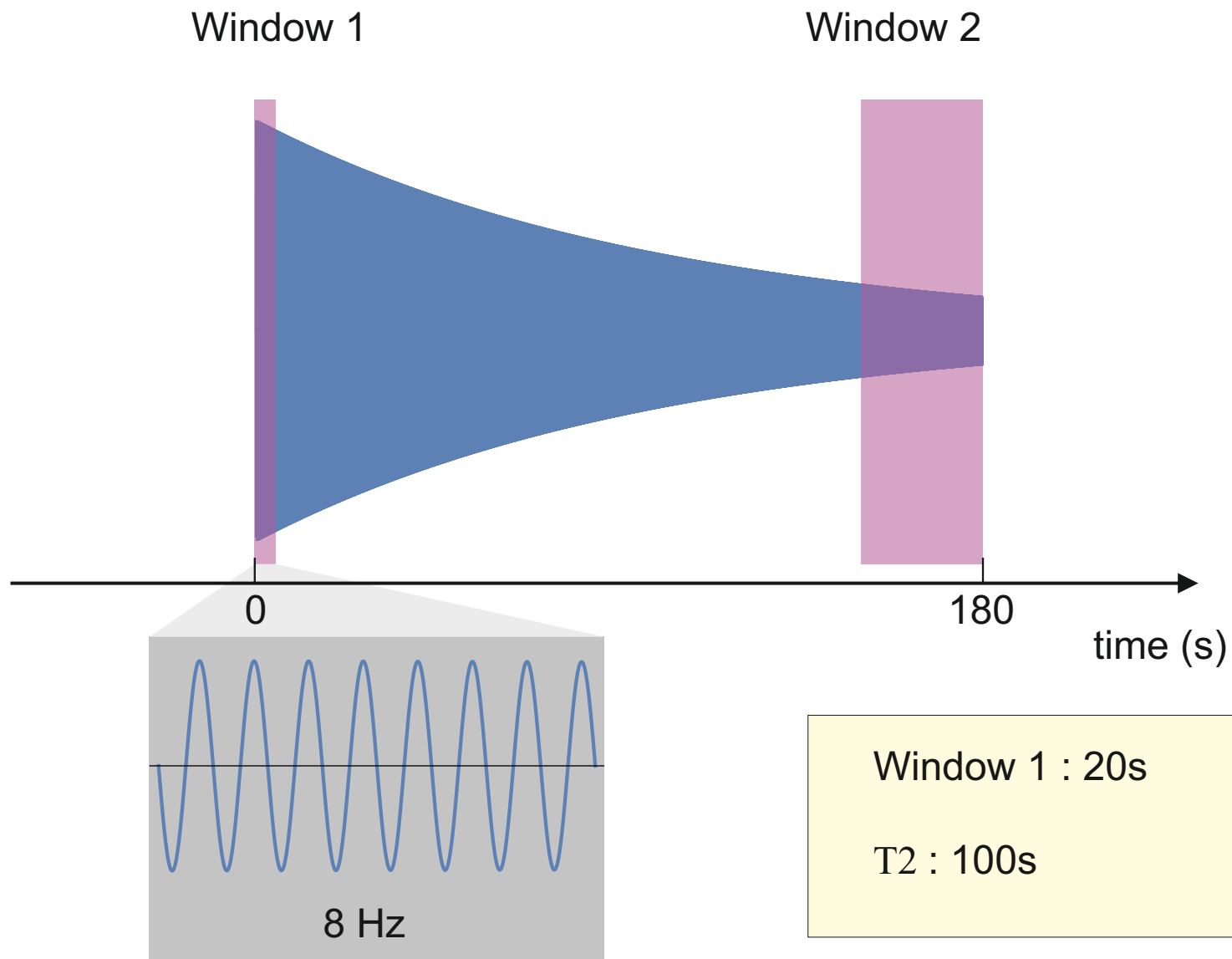


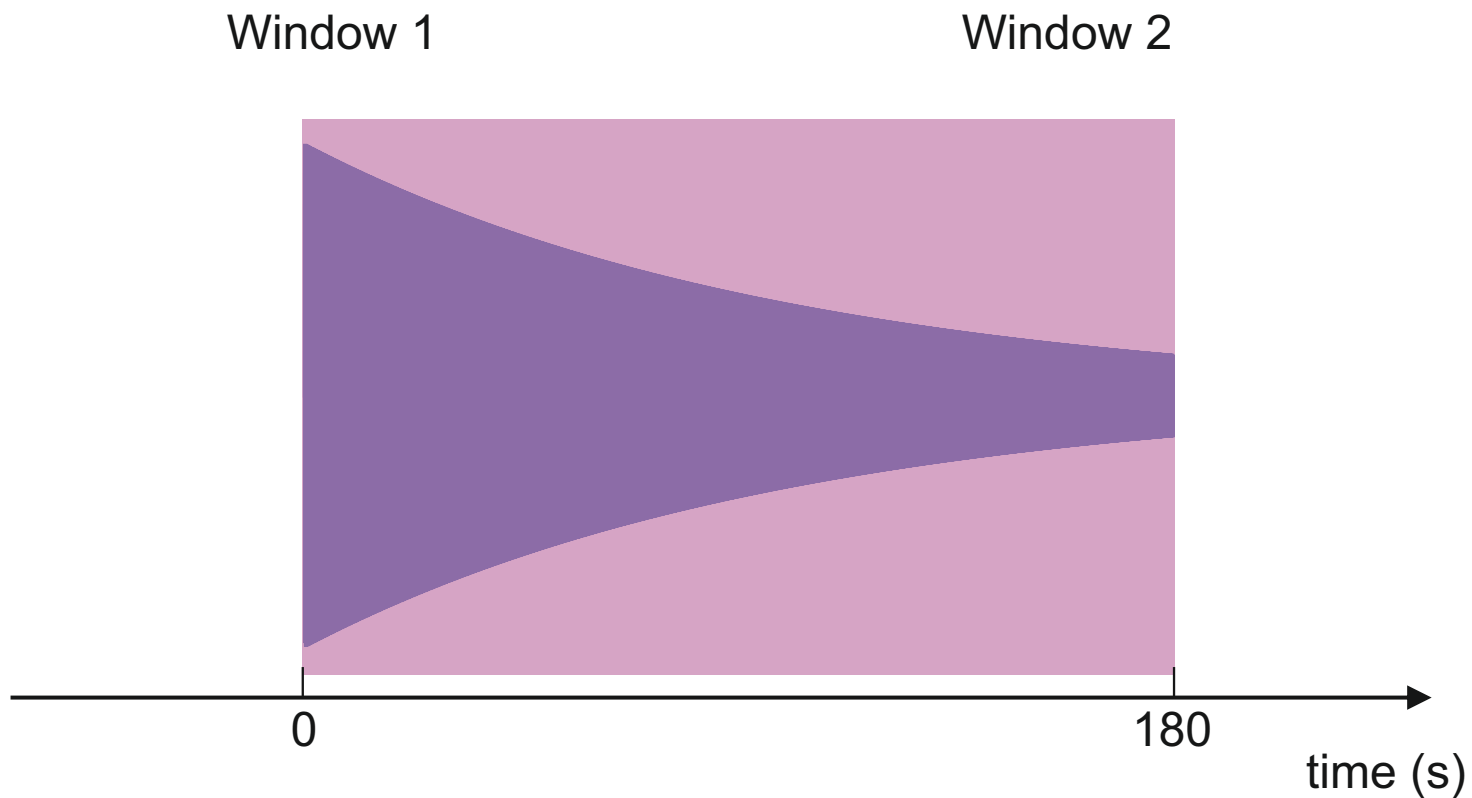
- Polarizing beam splitter
- Non polarizing beam splitter
- Lens

- UV transmitting window
- Photo detector
- Mirror

- λ/2 plate
- λ/4 plate
- Neutral density filter

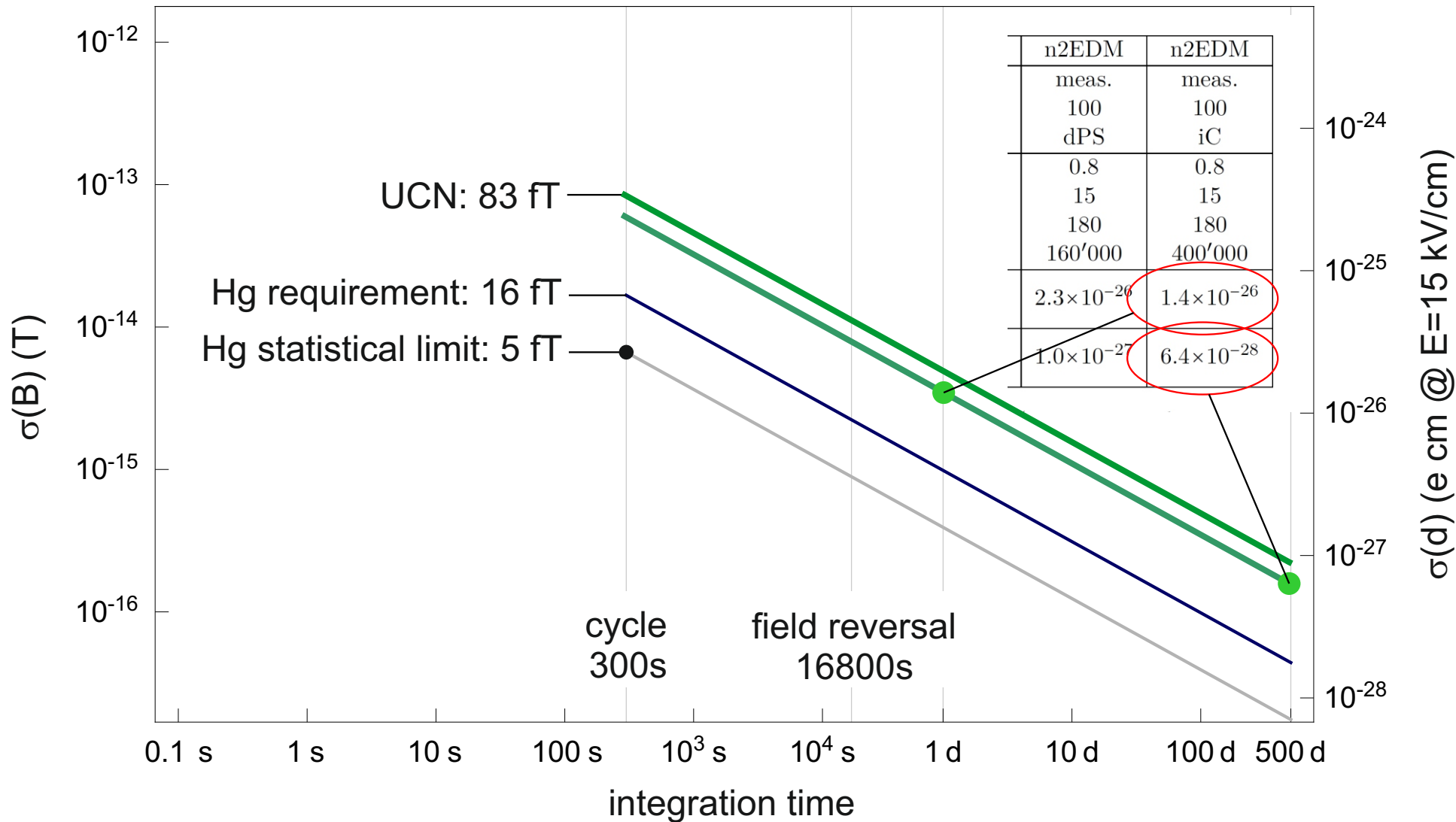


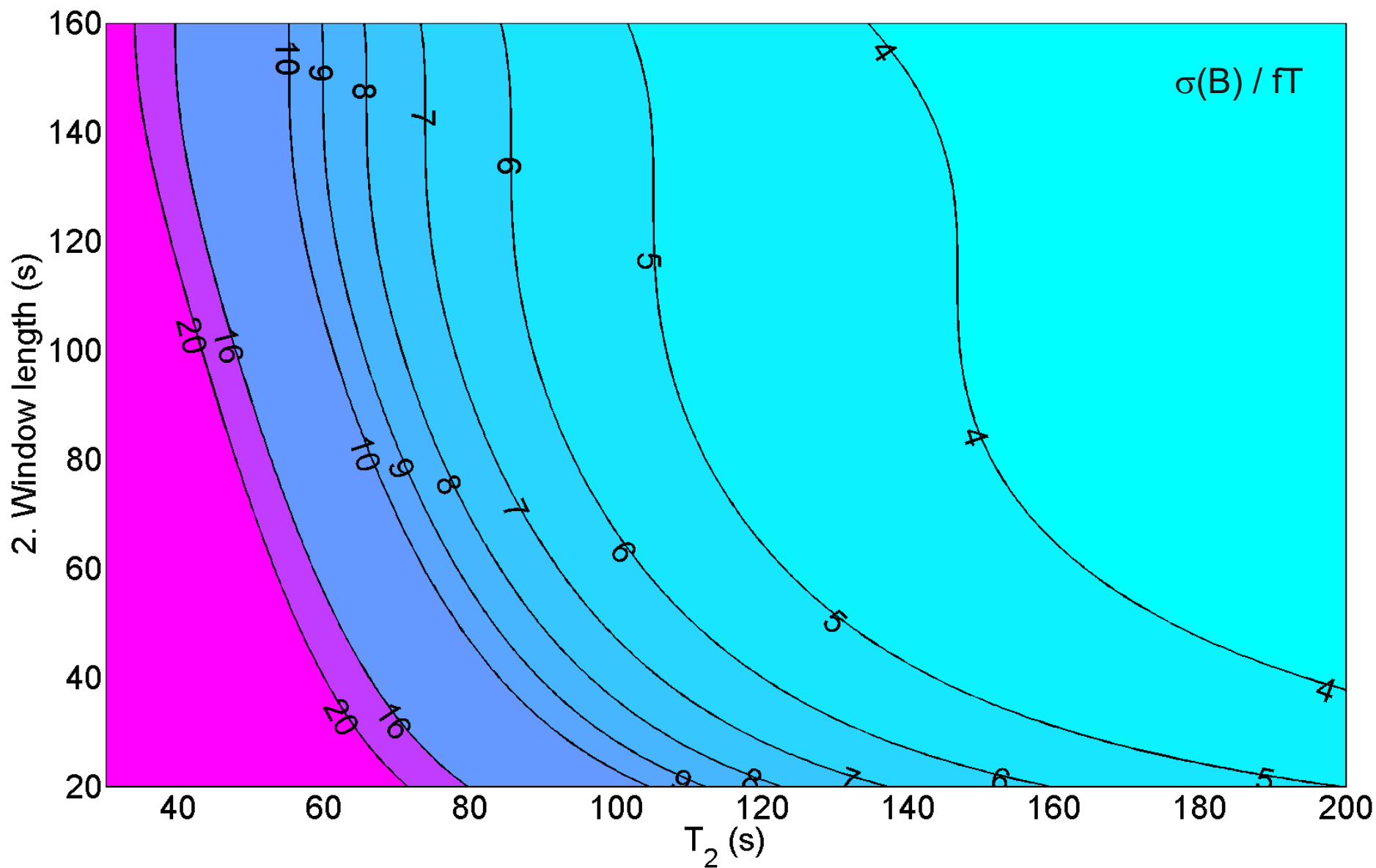




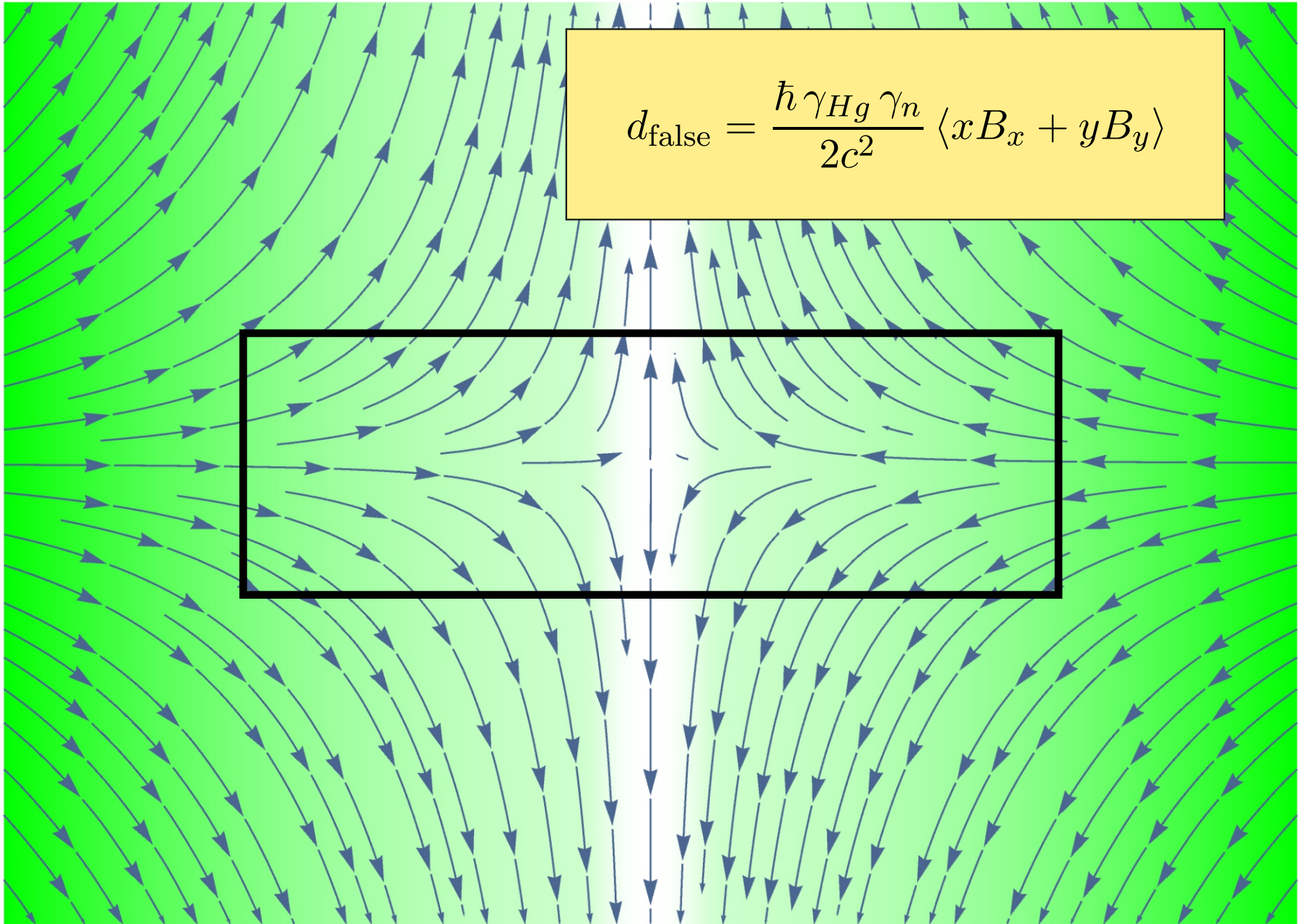
Window 1 : 20s  
Window 2 : 160s  
T2 : 100s

Neutron spin precession frequency  $h\nu_L = -2\mu B_0 \pm 2d E_0$

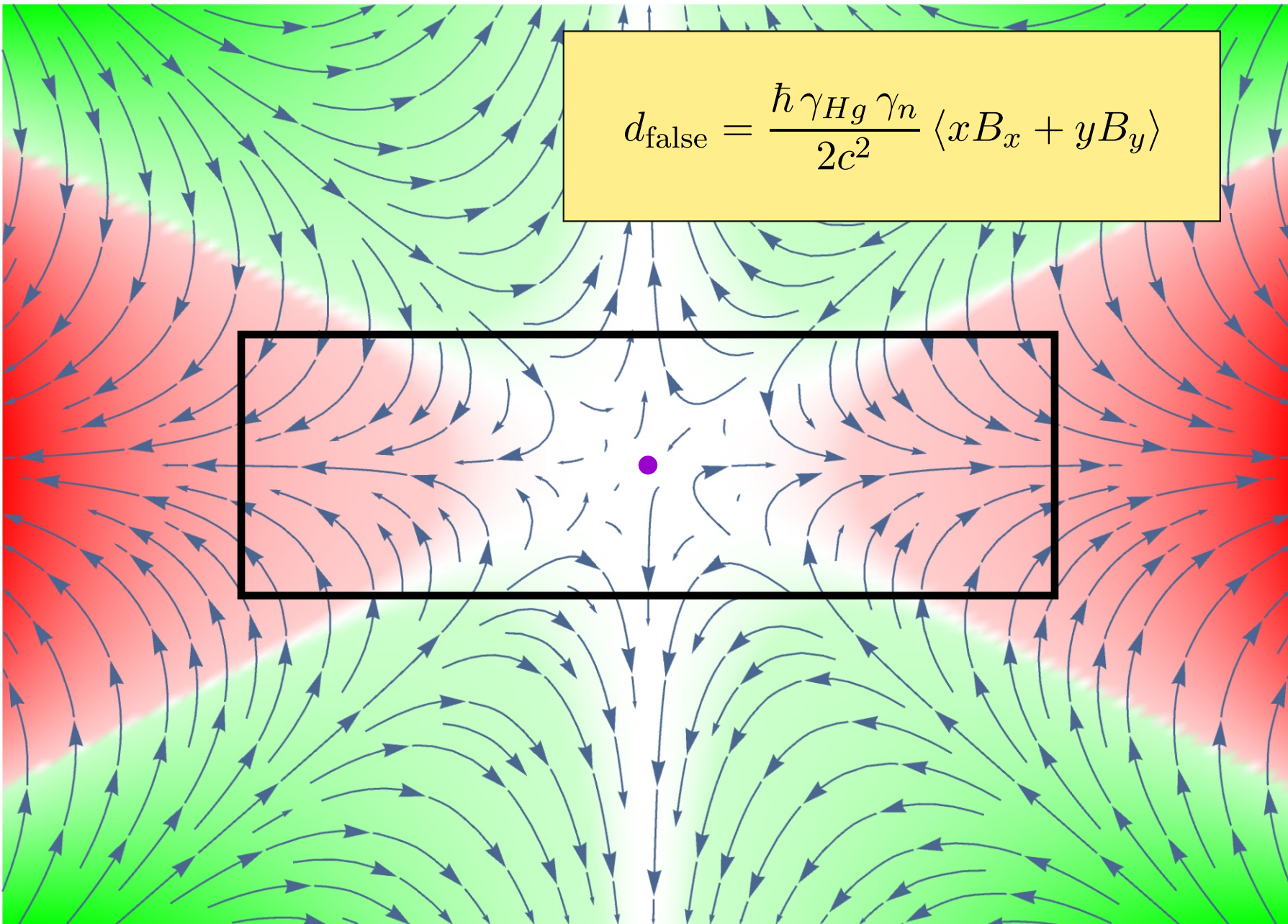




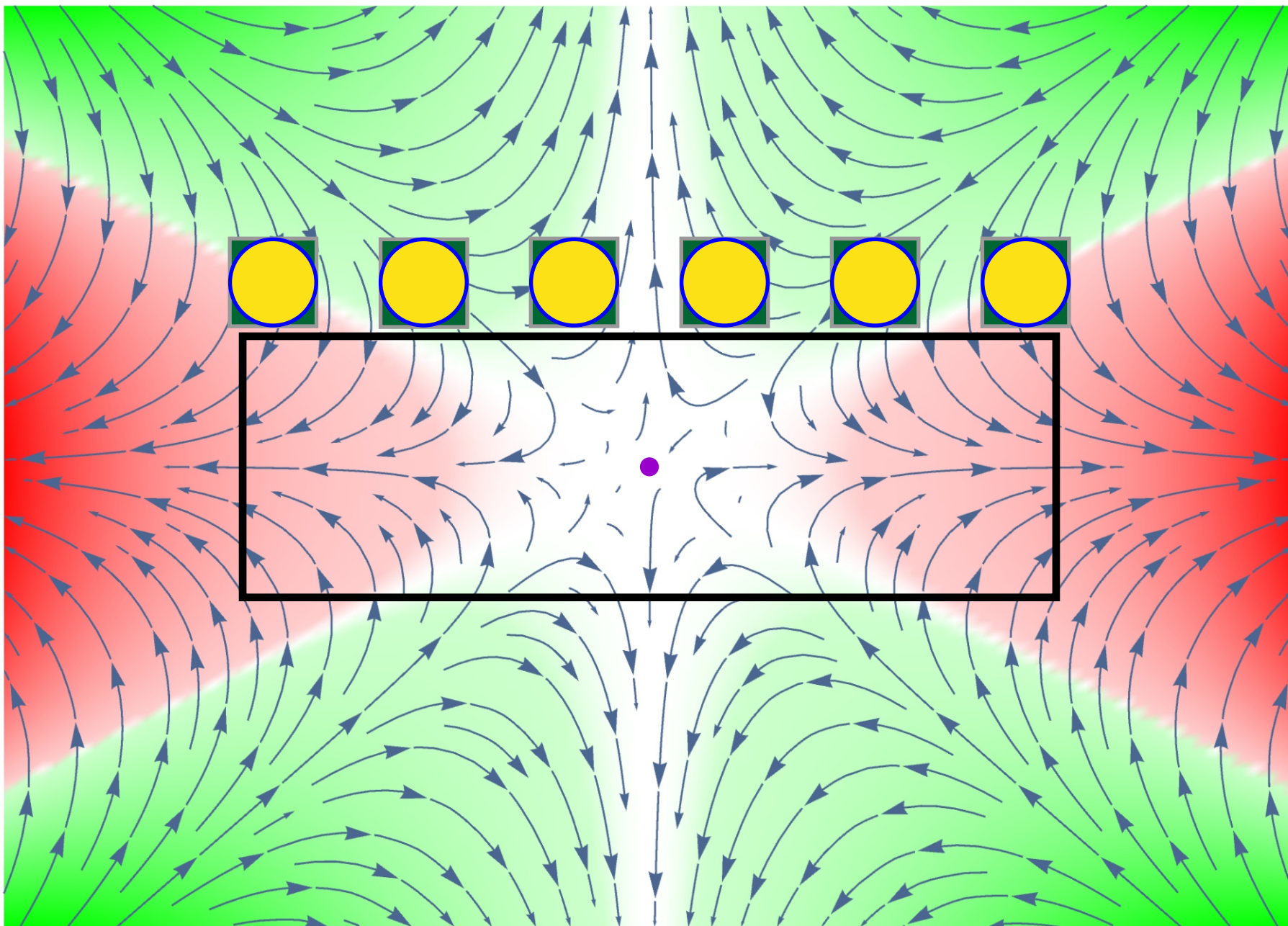
$$d_{\text{false}} = \frac{\hbar \gamma_{Hg} \gamma_n}{2c^2} \langle xB_x + yB_y \rangle$$

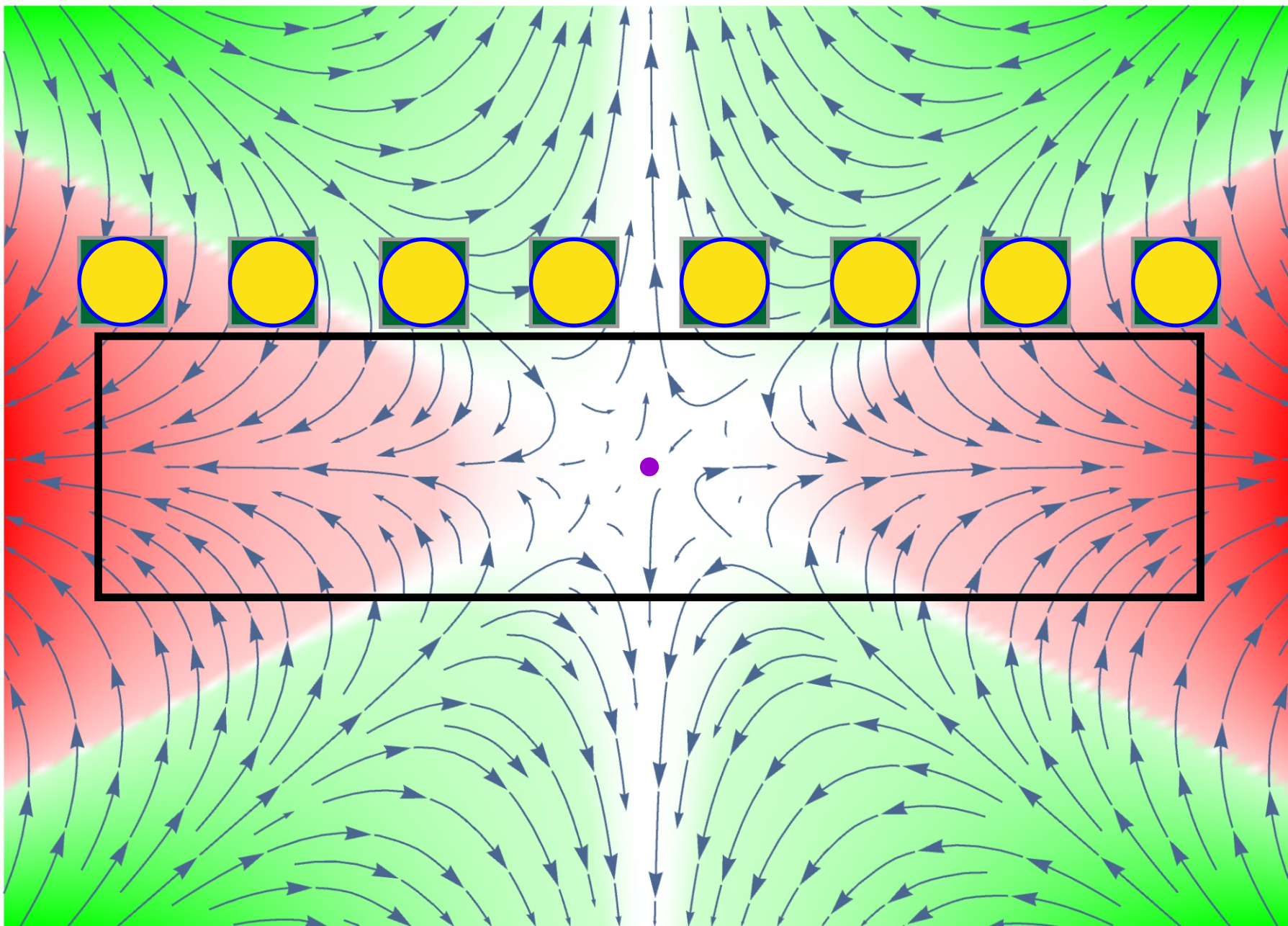


$$d_{\text{false}} = \frac{\hbar \gamma_{Hg} \gamma_n}{2c^2} \langle xB_x + yB_y \rangle$$

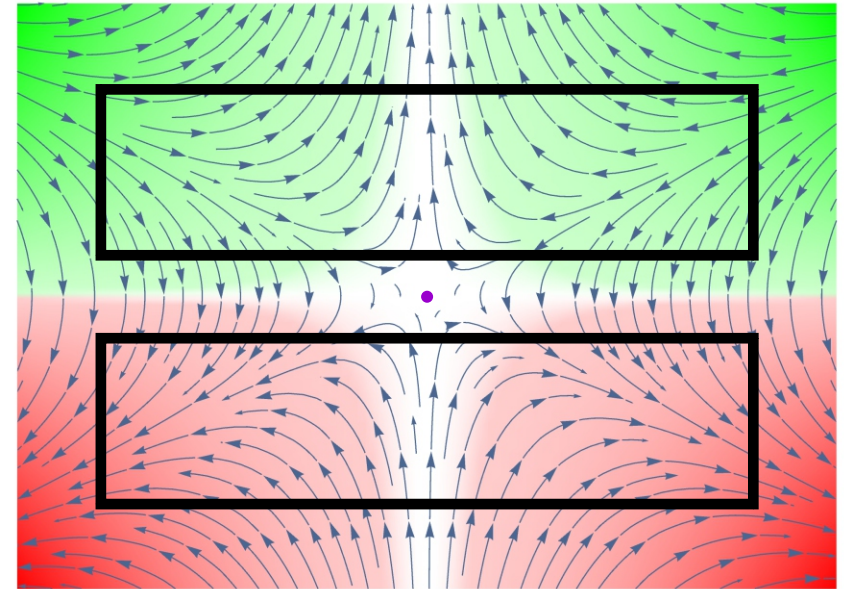




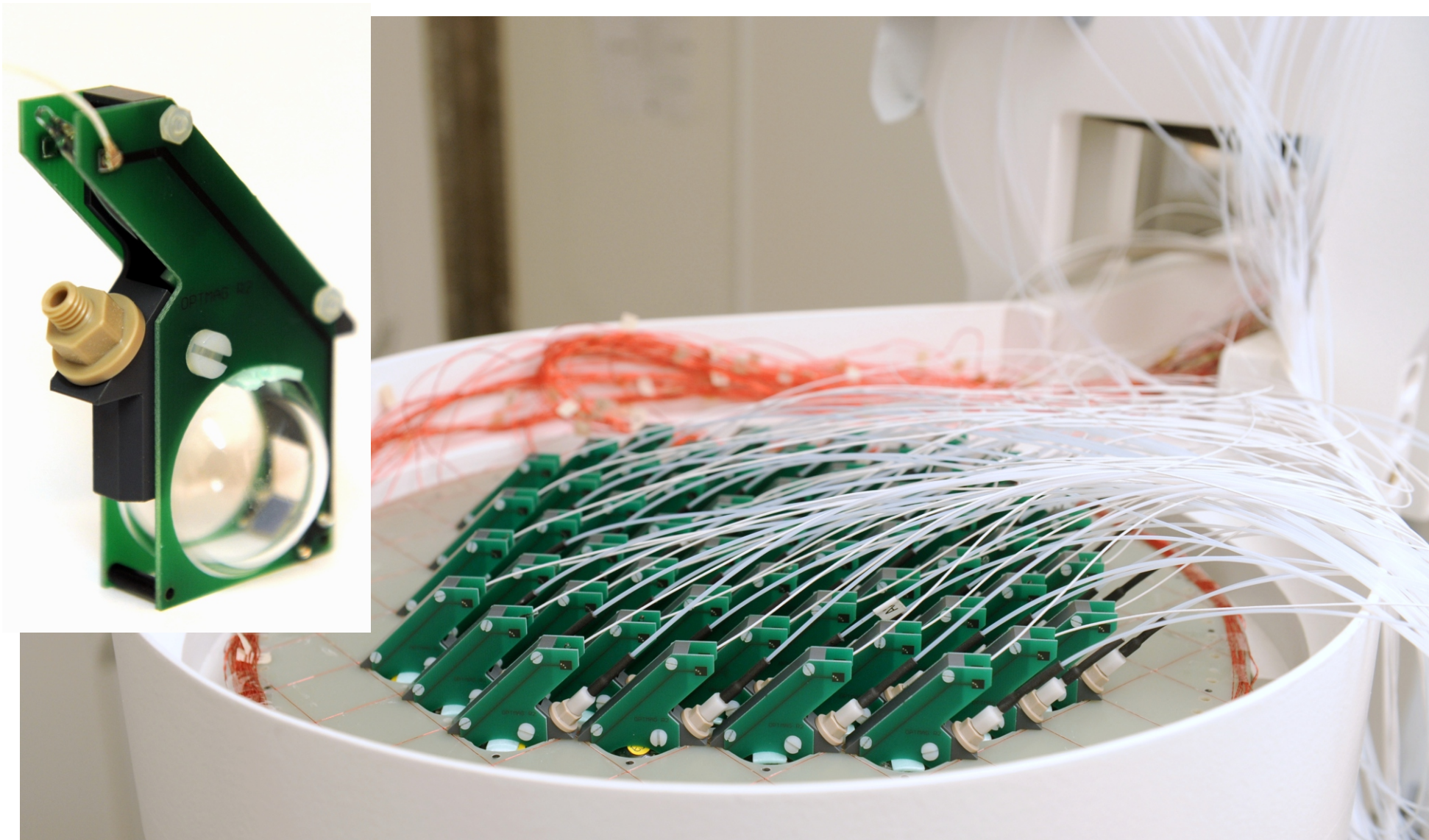




$$d_{n,f} = \frac{\hbar \gamma_{Hg} \gamma_n}{2c^2} \left[ \begin{array}{l} - g_{1,0} \frac{r^2}{4} \\ - g_{2,0} \frac{r^2 3H}{8} \\ - g_{3,0} \frac{r^2 (31H^2 - 8r^2)}{64} \\ - g_{4,0} \frac{r^2 3H (13H^2 - 8r^2)}{64} \\ - g_{5,0} \frac{r^2 (2343H^4 - 2480H^2 r^2 + 240r^4)}{3072} \\ - g_{6,0} \frac{r^2 3H (651H^4 - 1040H^2 r^2 + 240r^4)}{2048} \\ - g_{7,0} \frac{r^2 (19531H^6 - 43736H^4 r^2 + 17360H^2 r^4 - 896r^6)}{16384} \\ - g_{8,0} \frac{r^2 3H (4069H^6 - 12152H^4 r^2 + 7280H^2 r^4 - 896r^6)}{8192} \\ - g_{9,0} \frac{r^2 (488281H^8 - 1874976H^6 r^2 + 1574496H^4 r^4 - 333312H^2 r^6 + 10752r^8)}{262144} \end{array} \right]$$

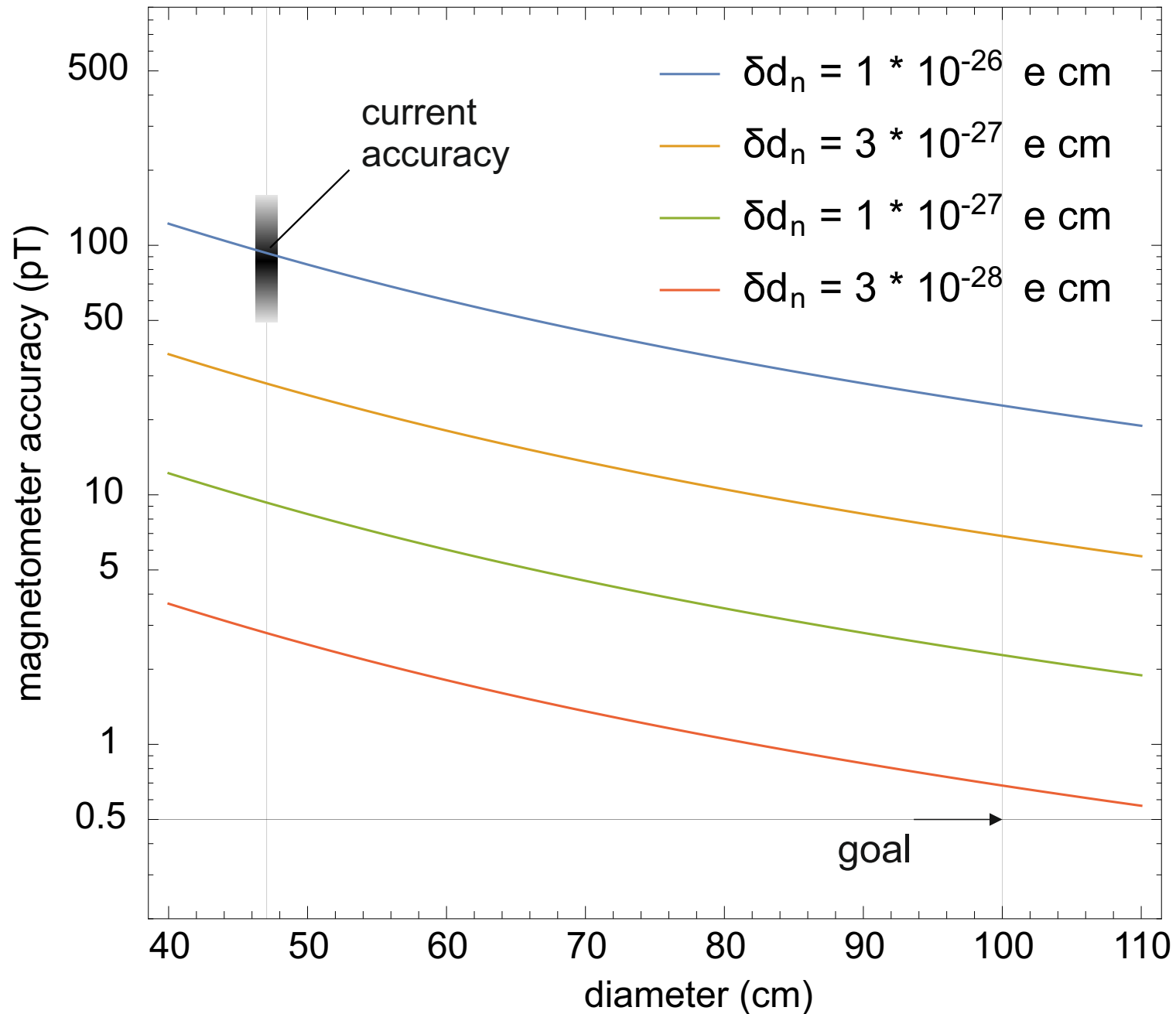


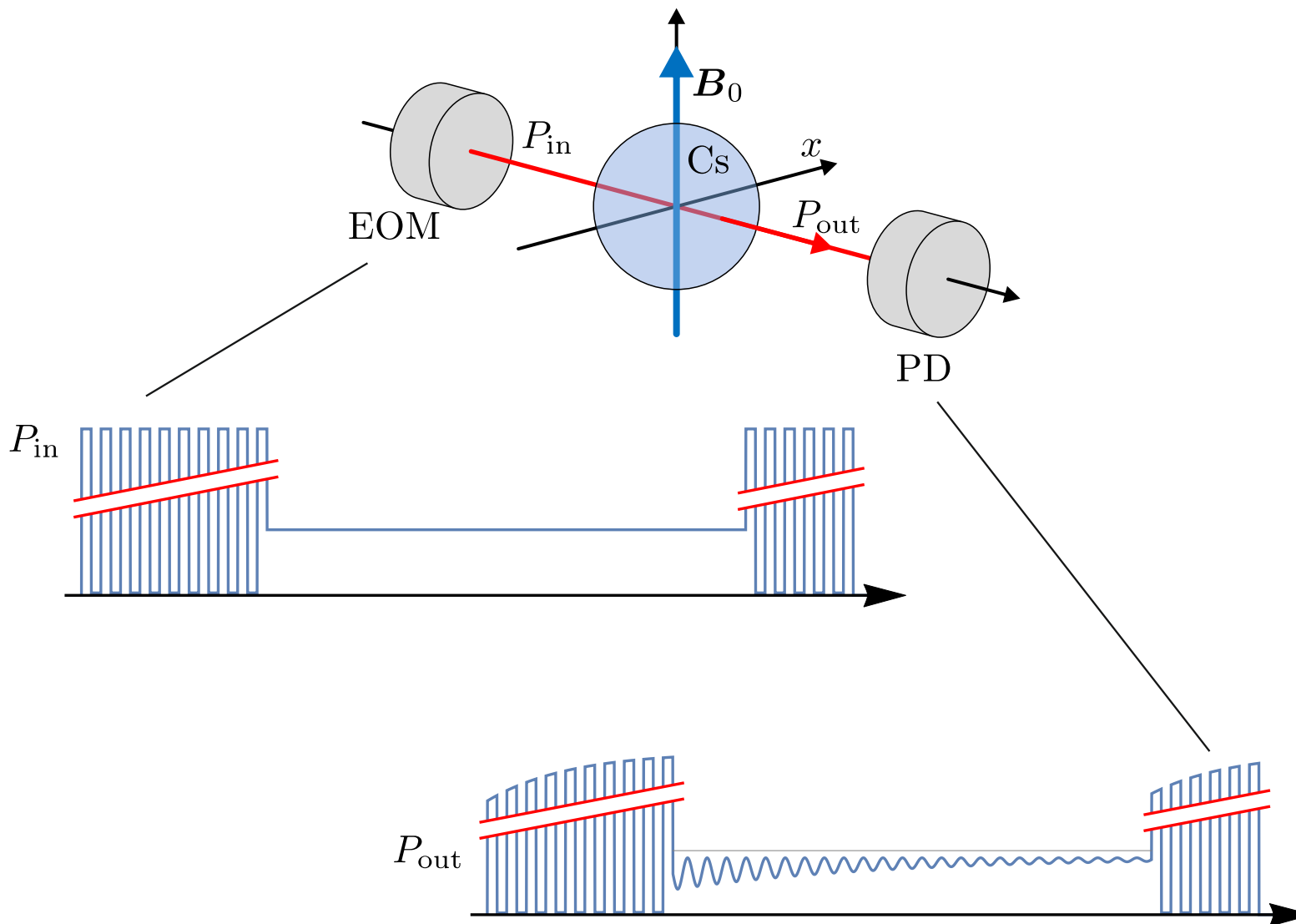
Gradient extraction: Order 5: 48 DOF, Order 7: 80 DOF, Order 9: 120DOF



Optical multichannel room temperature magnetic field imaging system for clinical application

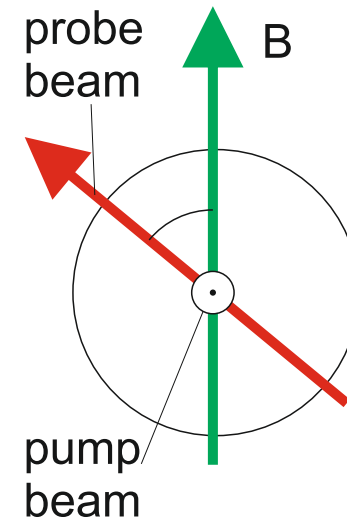
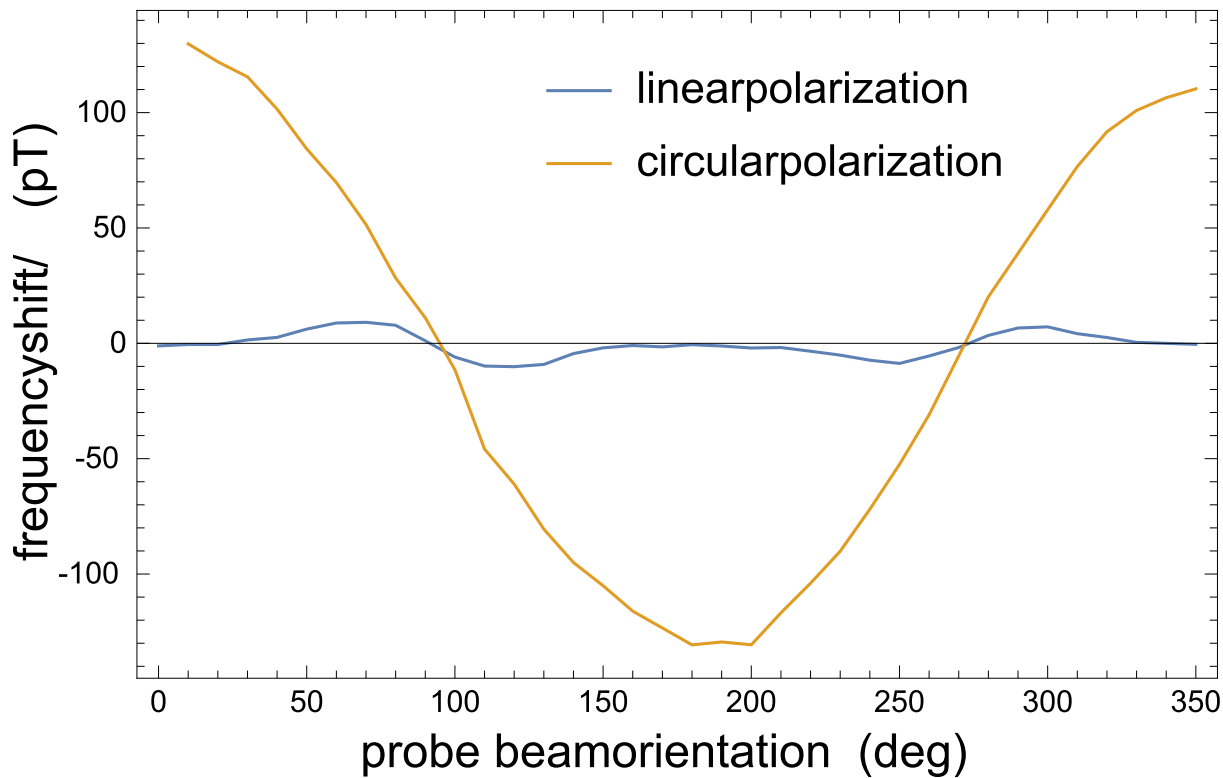
G. Lembke, S. N. Ern , H. Nowak, B. Menhorn, A. Pasquarelli, and G. B. Biomed. Opt. Express, 5(3):62–65, 2014.





A sensitive and accurate atomic magnetometer based on free spin precession.

Z. D. Grujic, P. A. Koss, G. B., and A. Weis. Eur. Phys. J. D, 69(5), 2015.

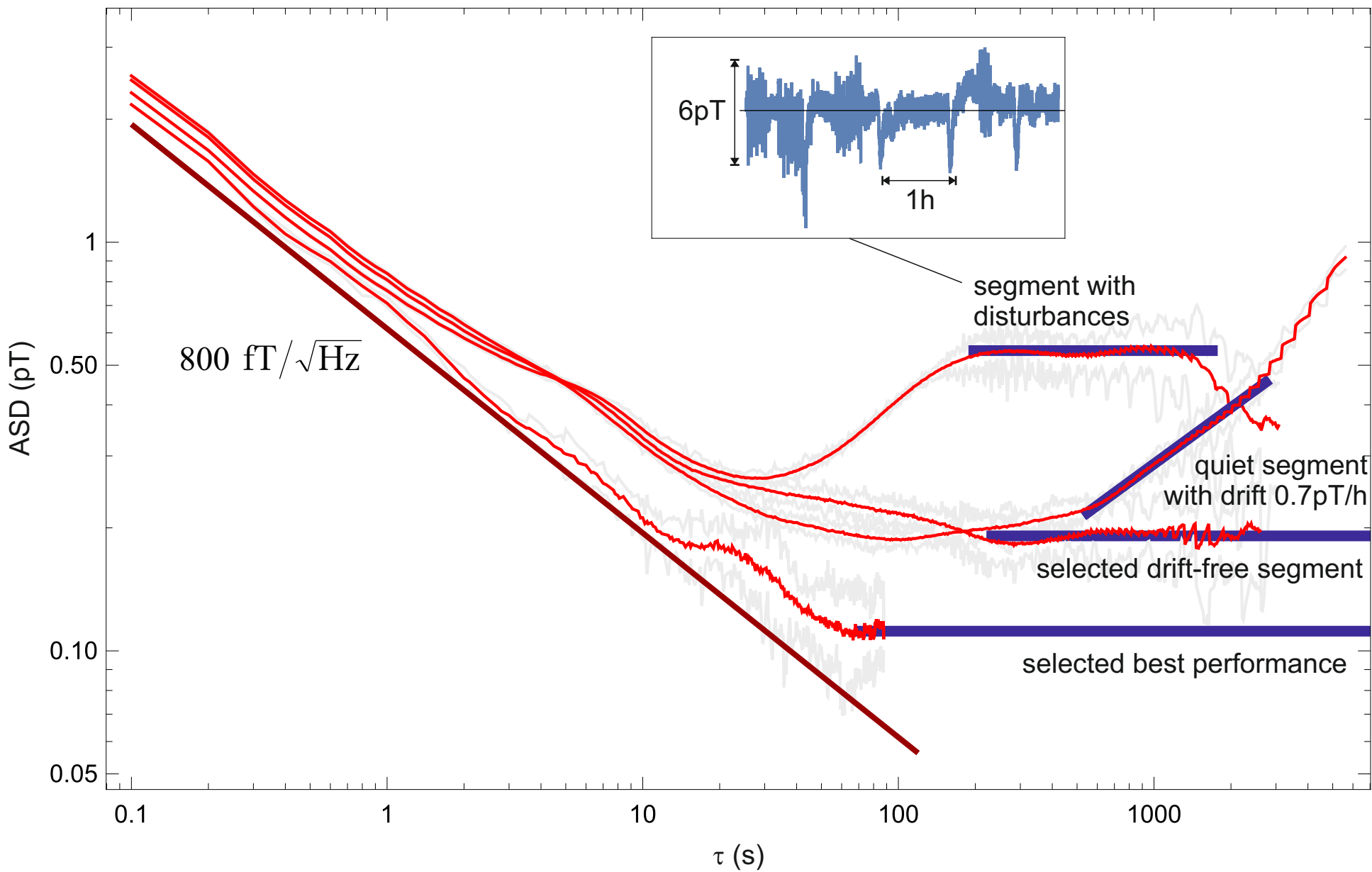


no light shift (?)

no magnetic cross-talk

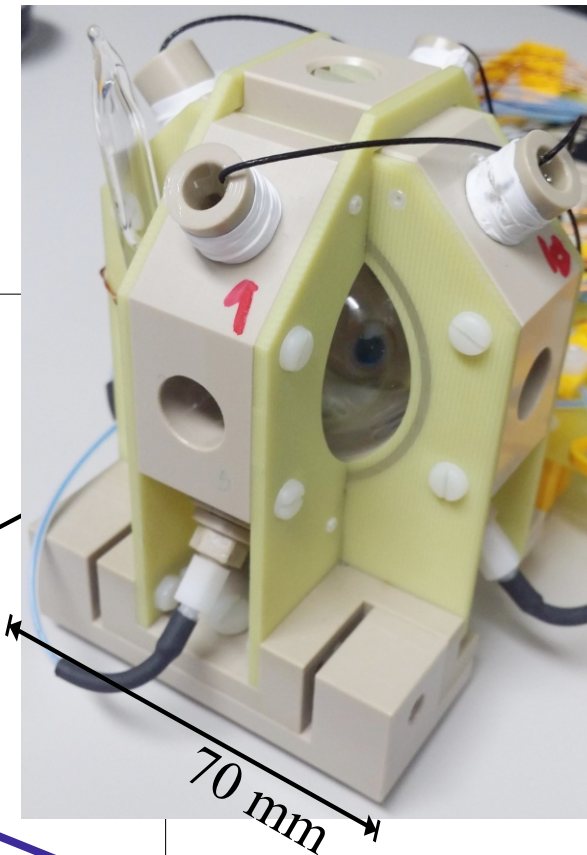
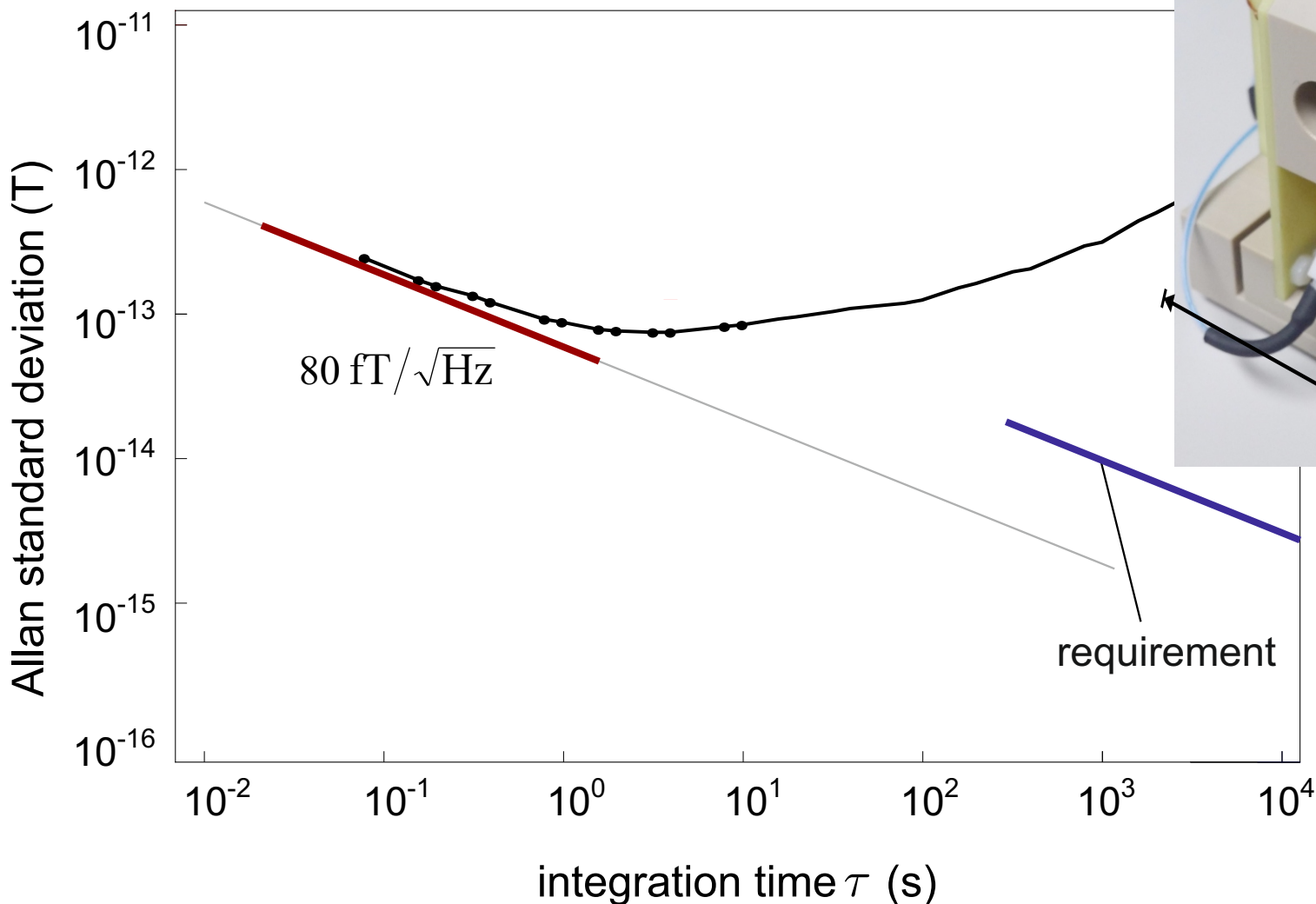
much less offset effect

less sensitive





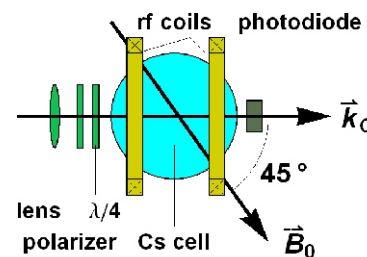
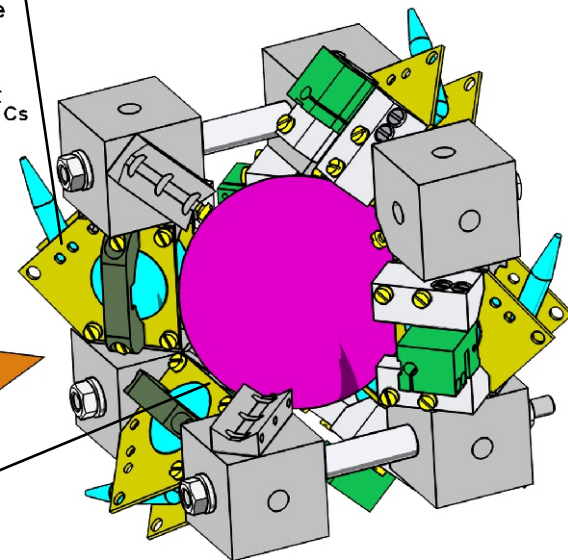
A highly stable atomic vector magnetometer based on free spin precession, S. Afach, G. Ban, G. B., K. Bodek, et al. Opt. Exp. 23(17):22108-22115 (2015)





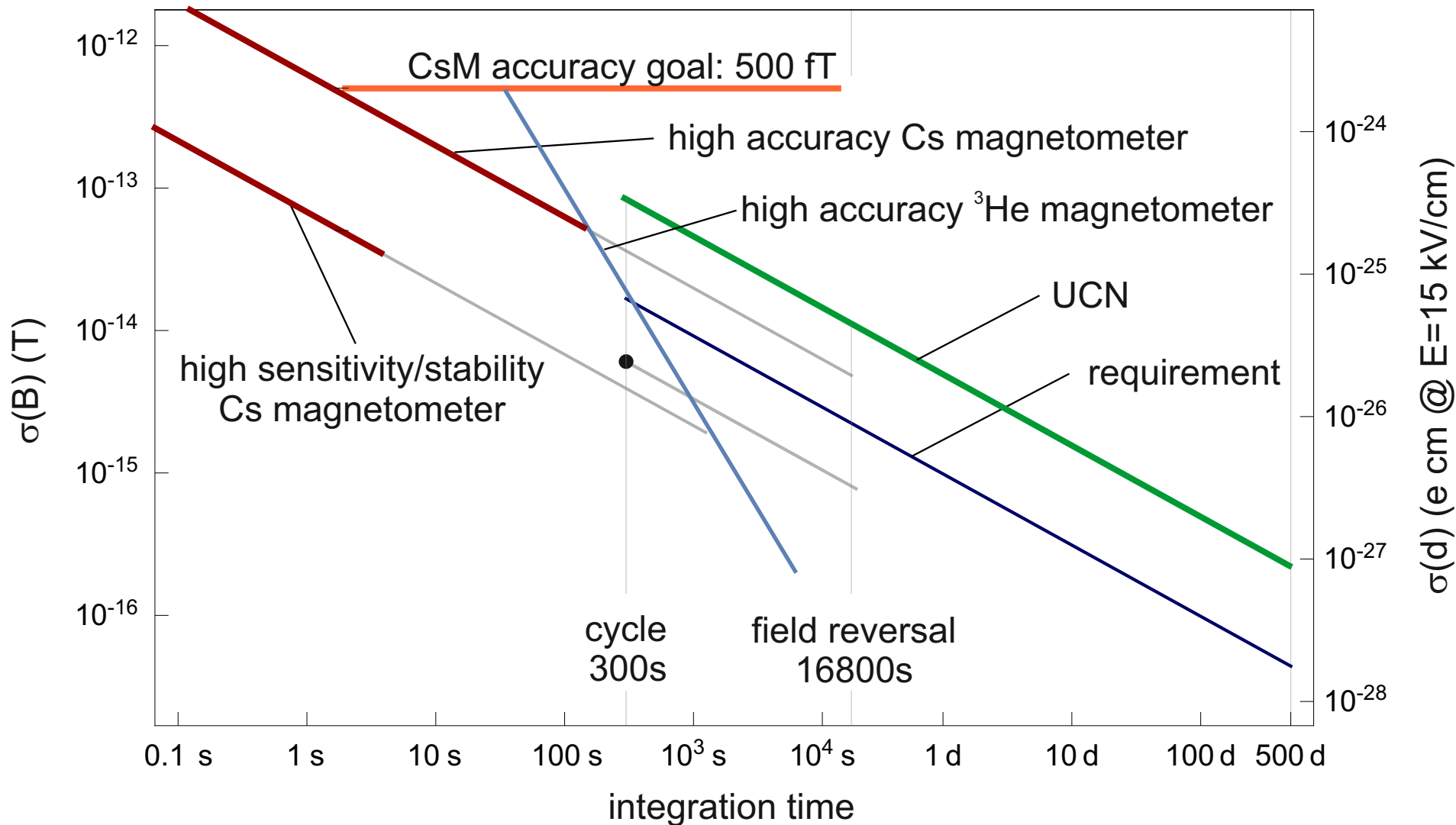
metastable exchange optical pumping

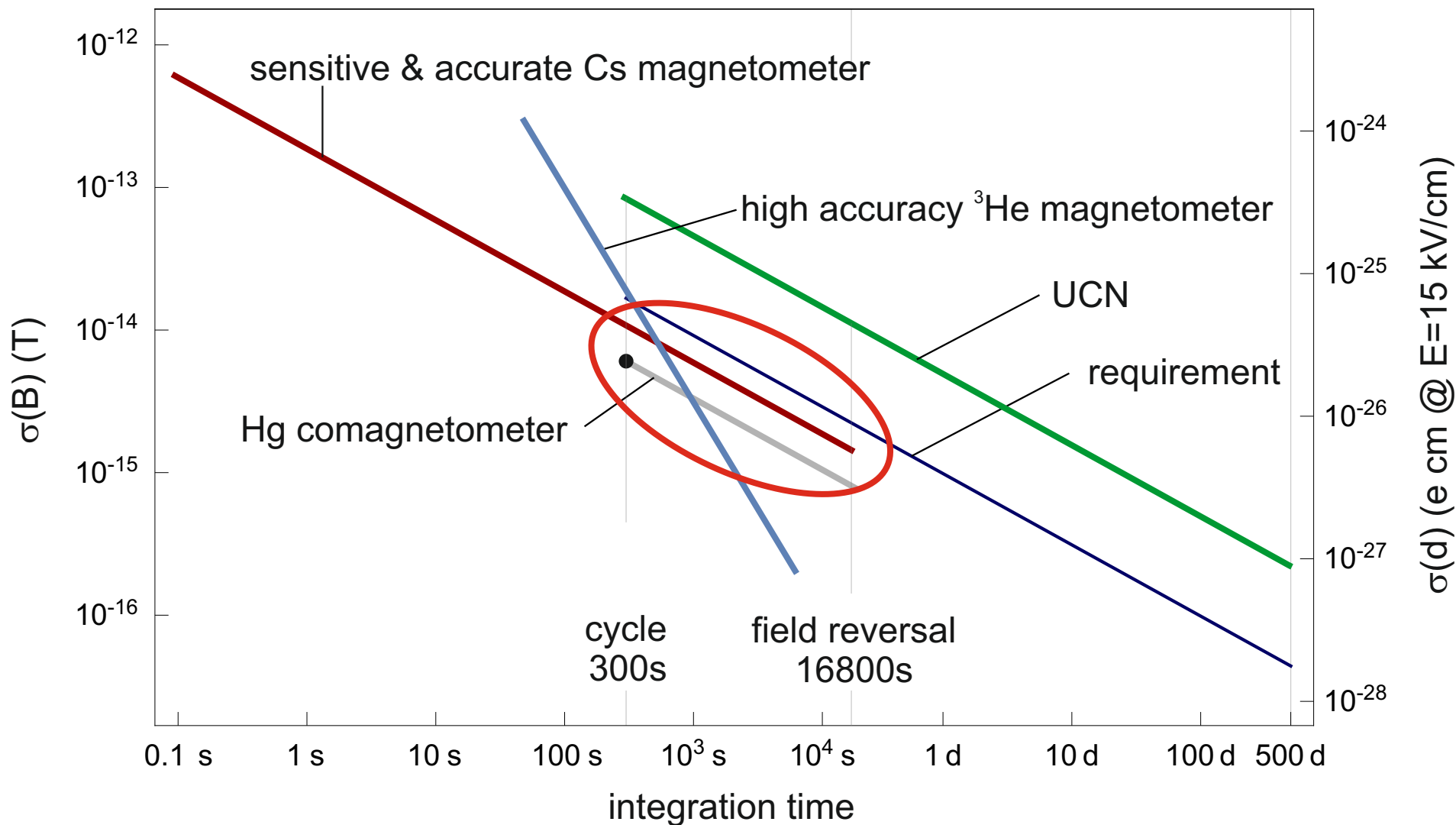
eight Cs magnetometers

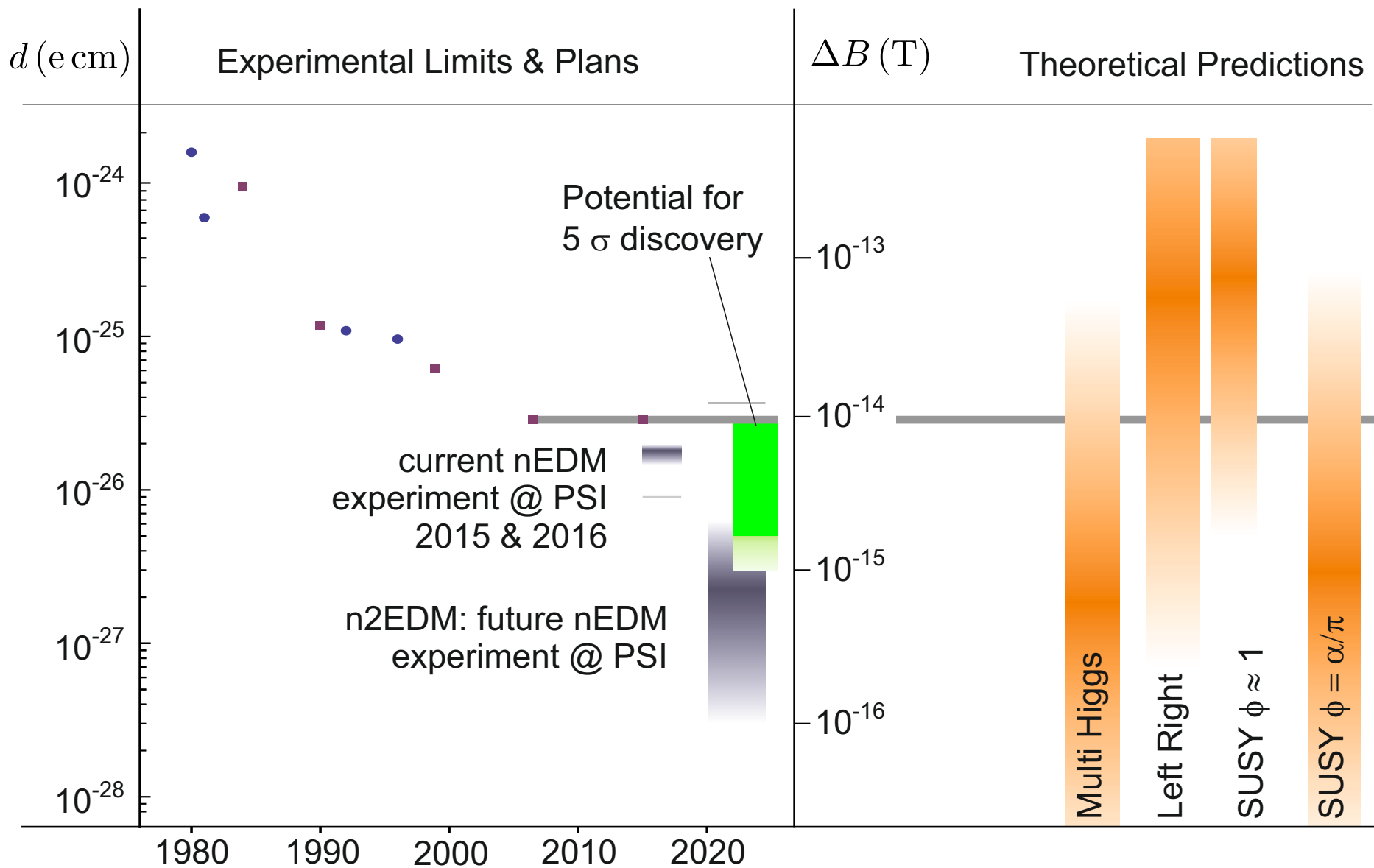
 $^3\text{He}$  cell

Design and performance of an absolute  $^3\text{He}/\text{Cs}$  magnetometer H.-C. Koch, G. Bison, Z. D. Grujić, W. Heil, M. Kasprzak, P. Knowles, A. Kraft, A. Pazgalev, A. Schnabel, J. Voigt, A. Weis. Eur. Phys. J. D 69:202 (2015)

Investigation of the intrinsic sensitivity of a  $^3\text{He}/\text{Cs}$  magnetometer. H.-C. Koch, G. Bison, Z. D. Grujić, W. Heil, M. Kasprzak, P. Knowles, A. Kraft, A. Pazgalev, A. Schnabel, J. Voigt, A. Weis. Eur. Phys. J. D 69: 262 (2015).

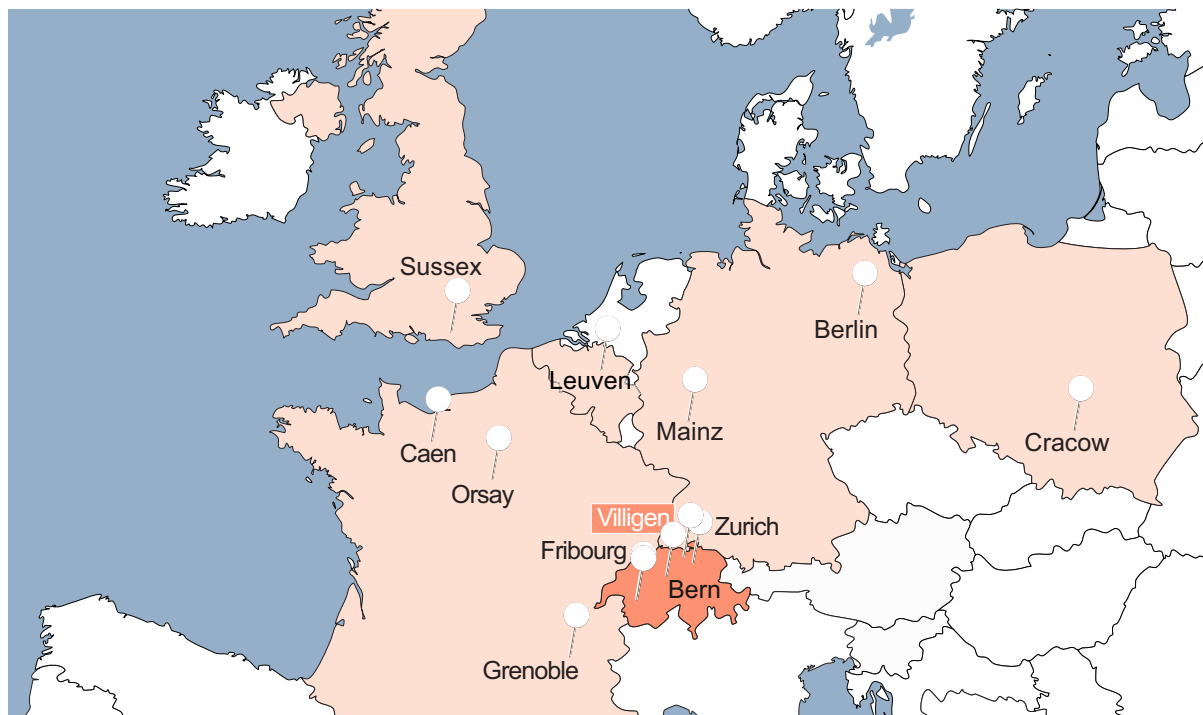






■ Sussex RAL ILL    ● LNPI/PNPI

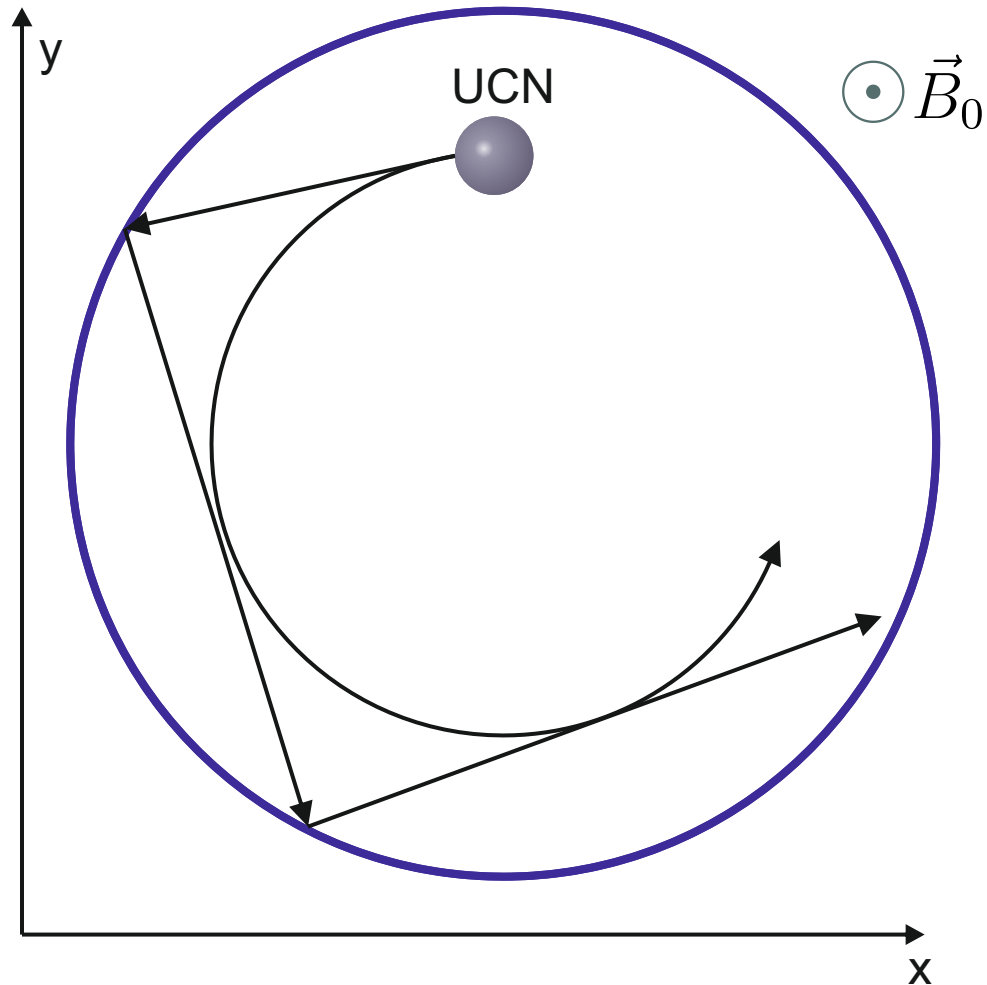
Theoretical data from «Particle electric dipole moments»  
 J.M. Pendlebury & E.A. Hinds, NIM A 440 (2000) 471

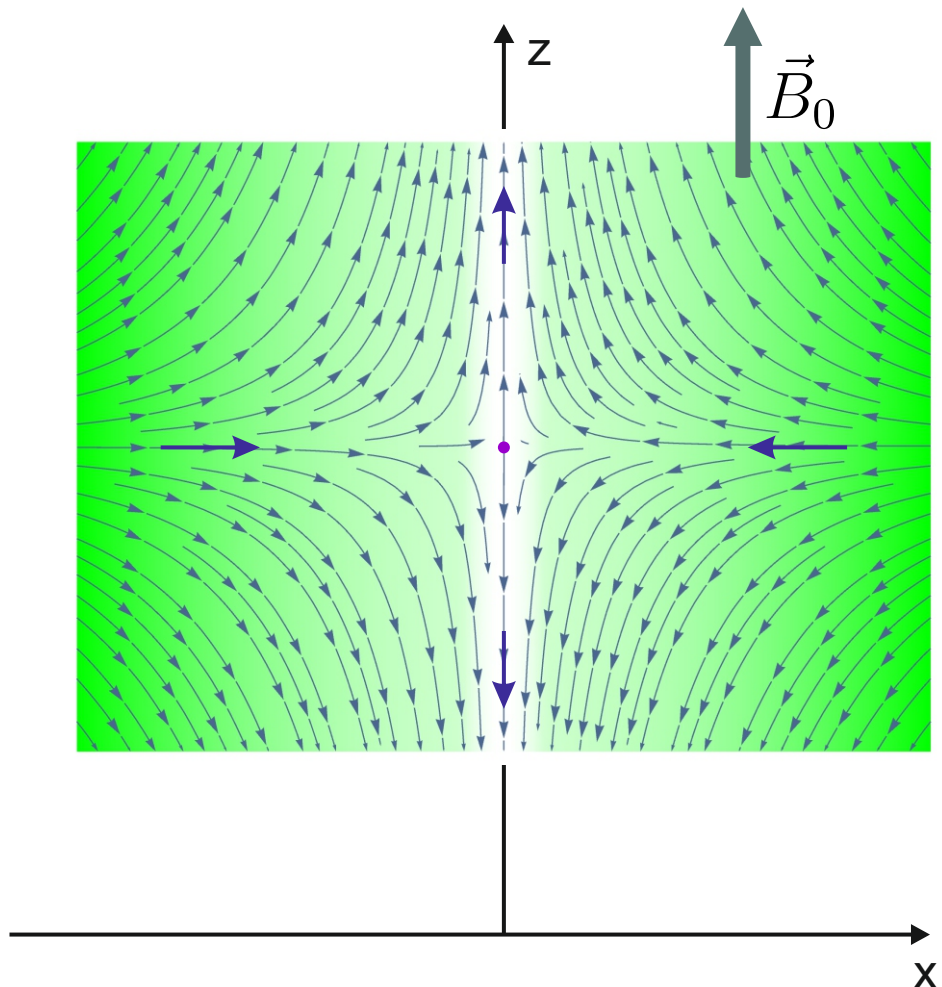
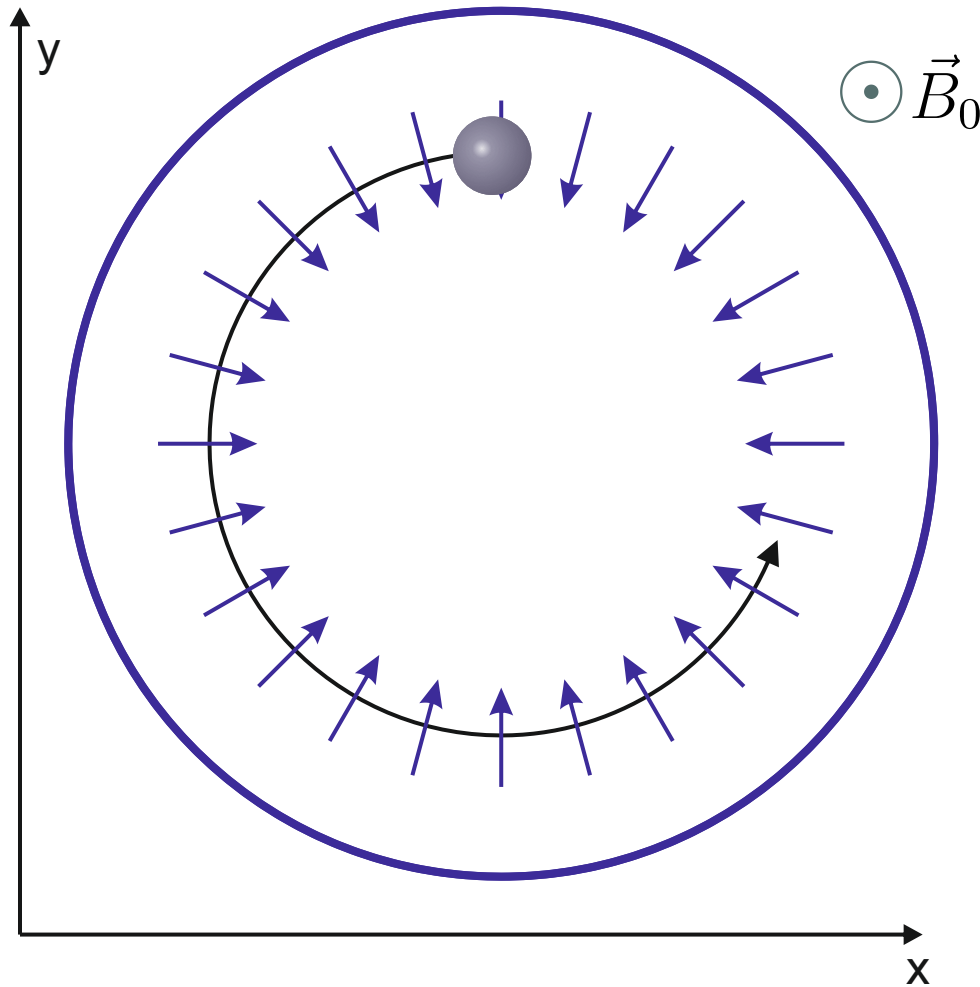


Backup



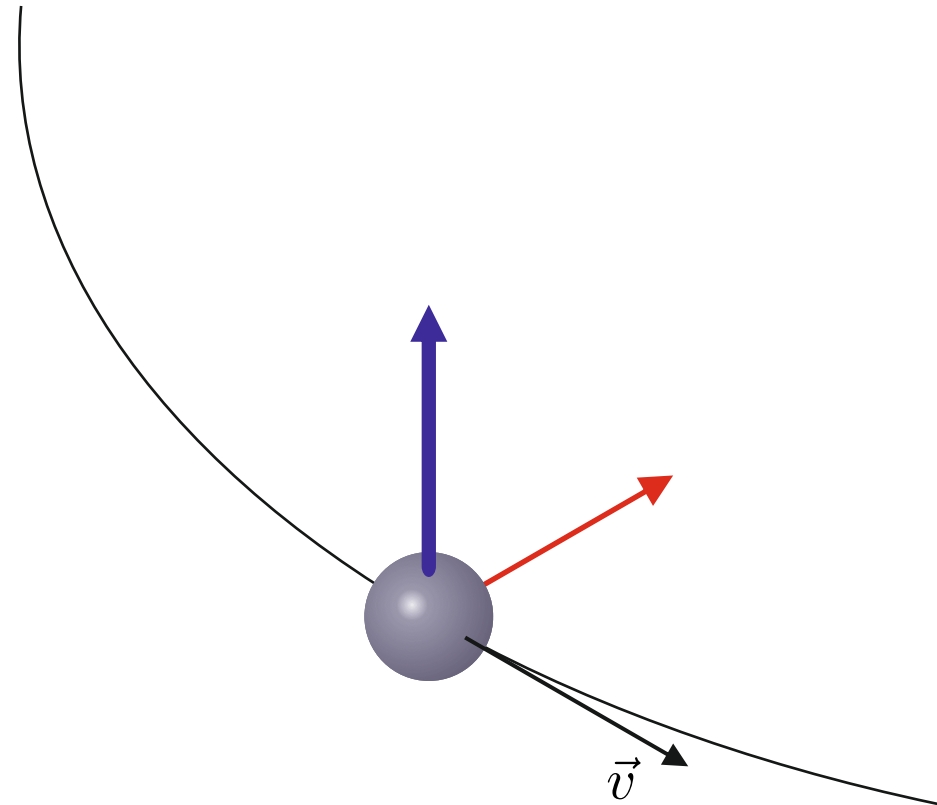
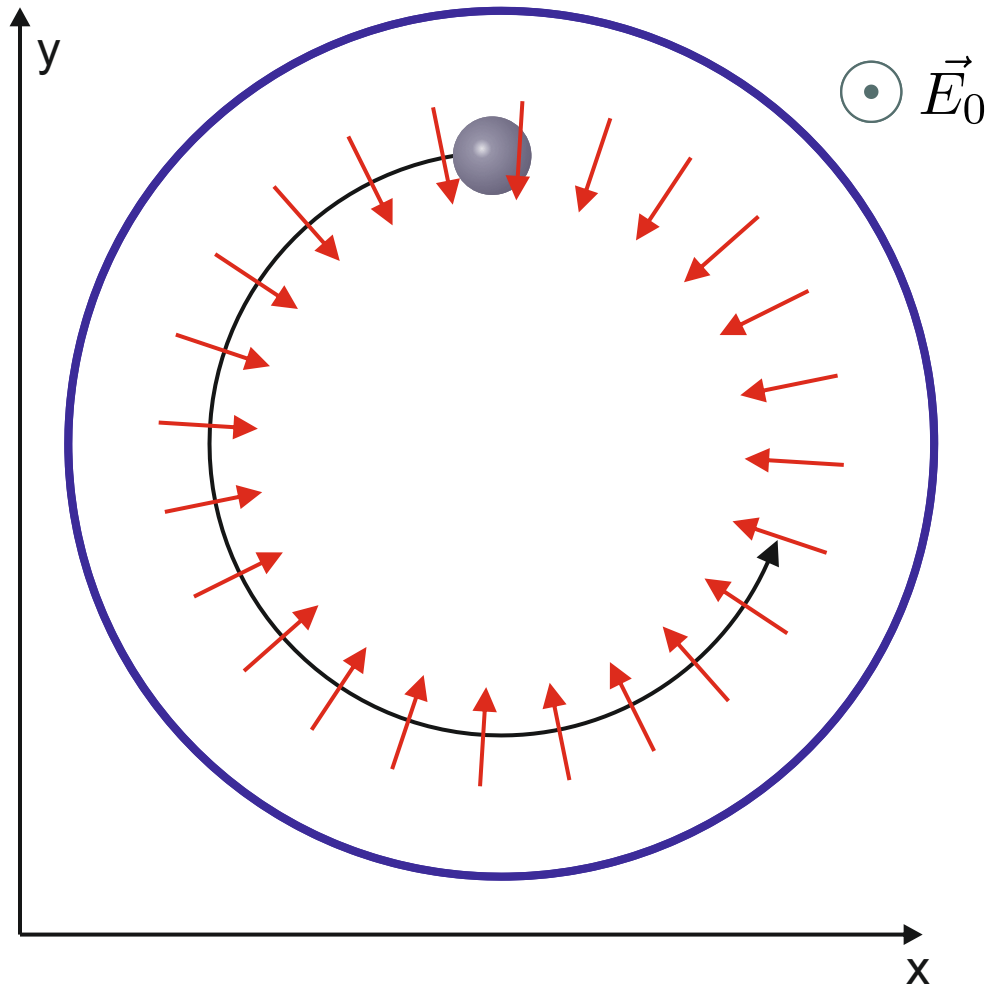






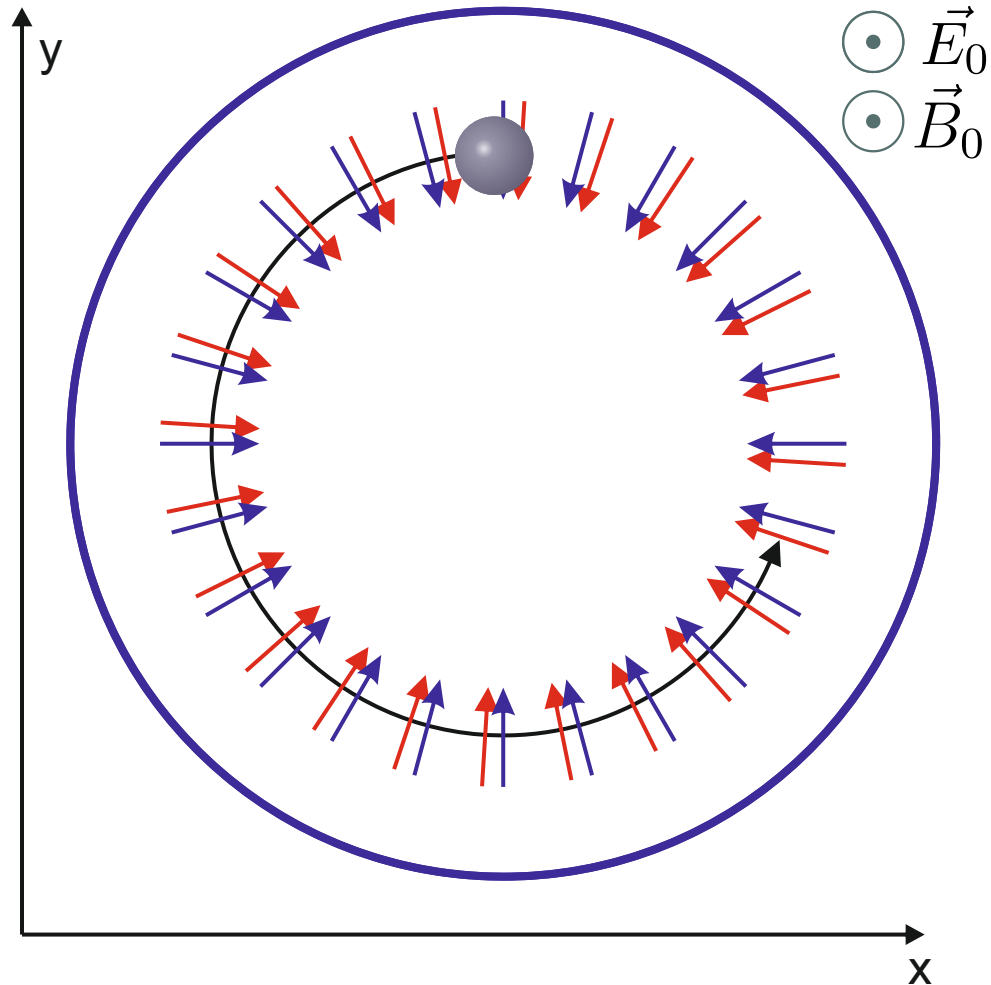
$$\Delta\omega = \frac{\gamma^2 B_{xy}^2}{2(\omega_L \pm \omega_r)}$$

$$\vec{B}_G = \frac{\partial B_z}{\partial z} \frac{\vec{r}}{2}$$



$$\Delta\omega = \frac{\gamma^2 B_{xy}^2}{2(\omega_L \pm \omega_r)}$$

$$\vec{B}_E = \frac{\vec{E}_0 \times \vec{v}}{c^2}$$



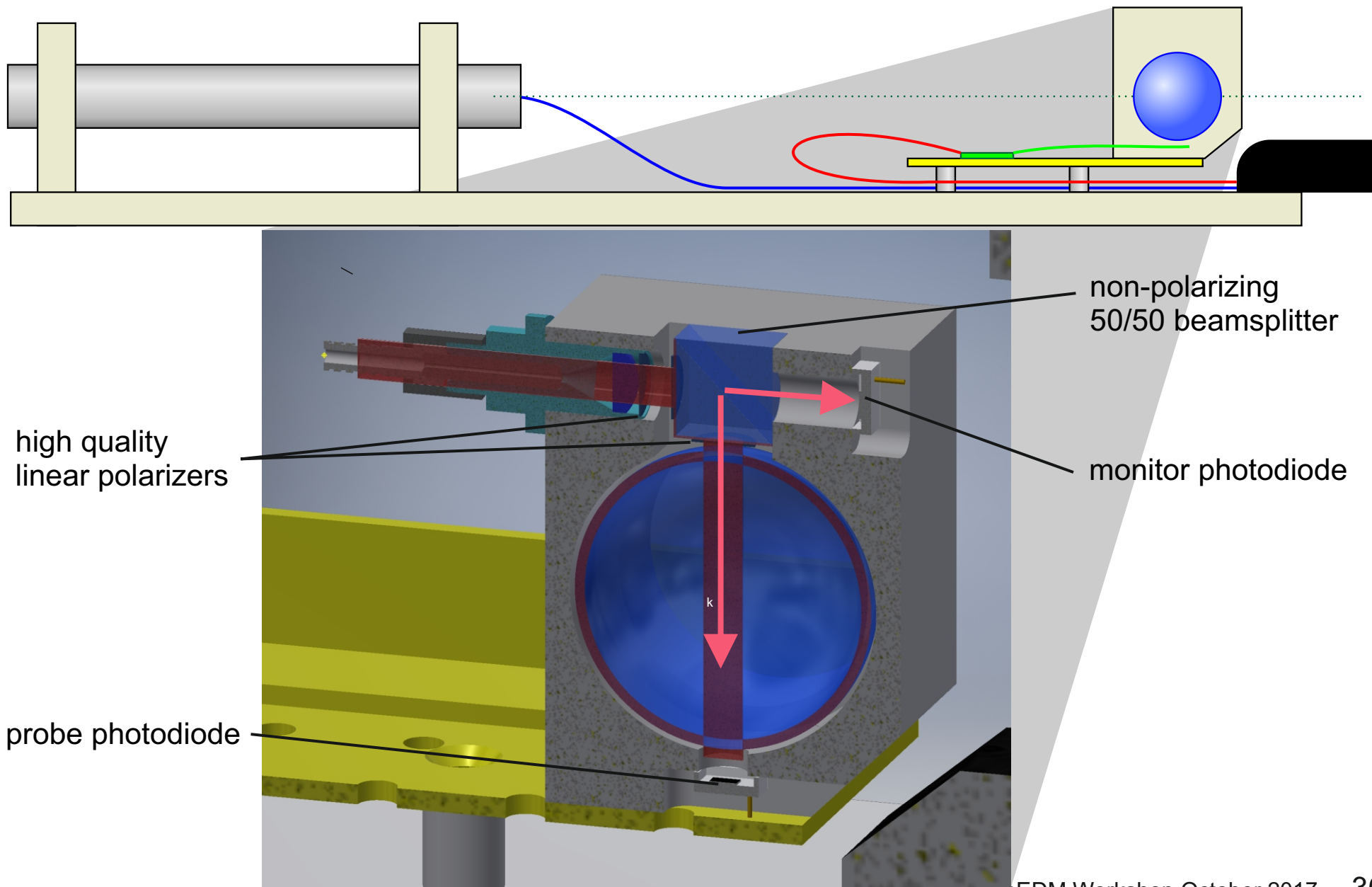
$$\Delta\omega = \frac{\gamma^2 B_{xy}^2}{2(\omega_L \pm \omega_r)}$$

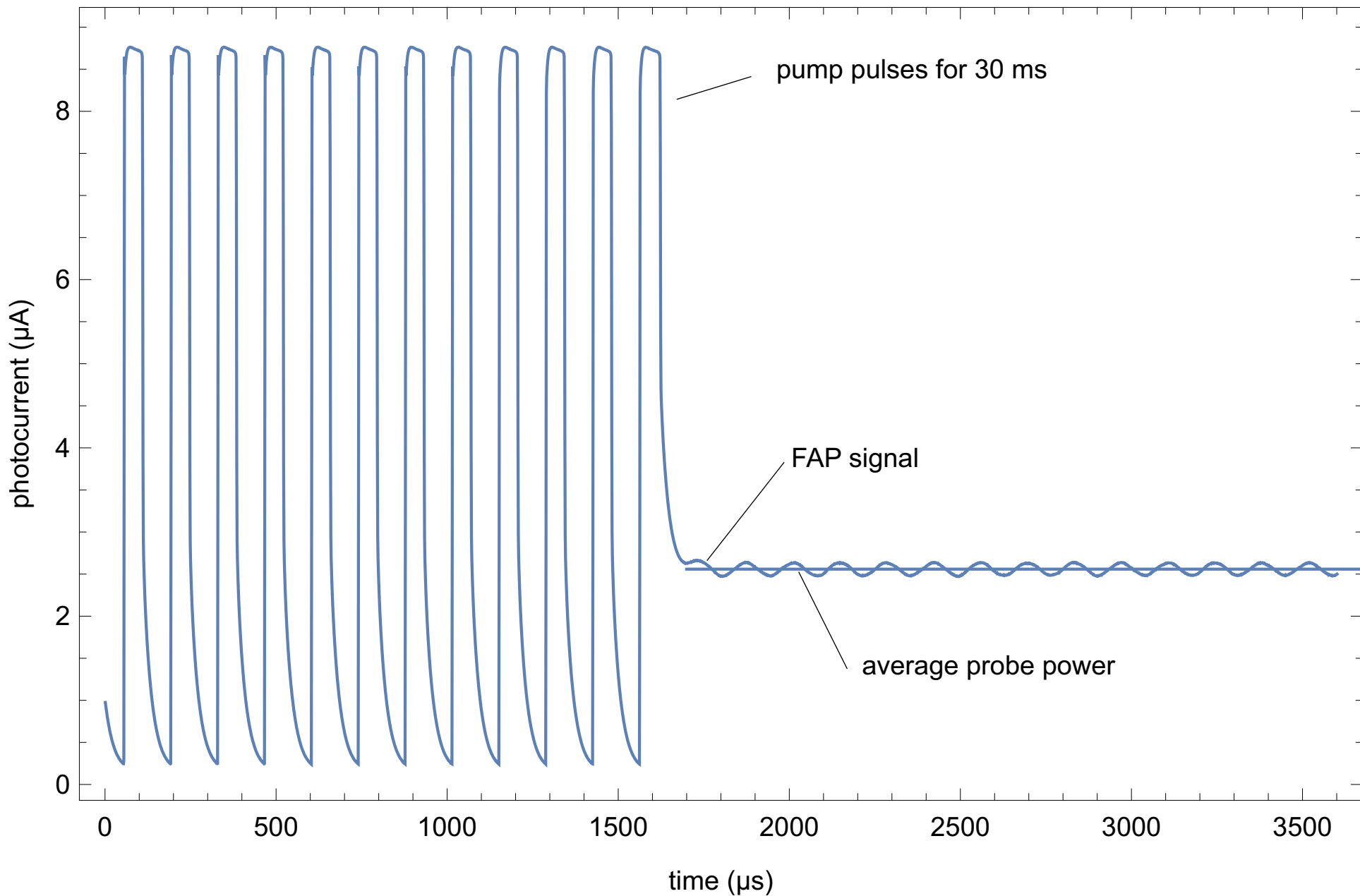
$$= \Delta\omega_{EE} + \Delta\omega_{GG} + \Delta\omega_{EG}$$

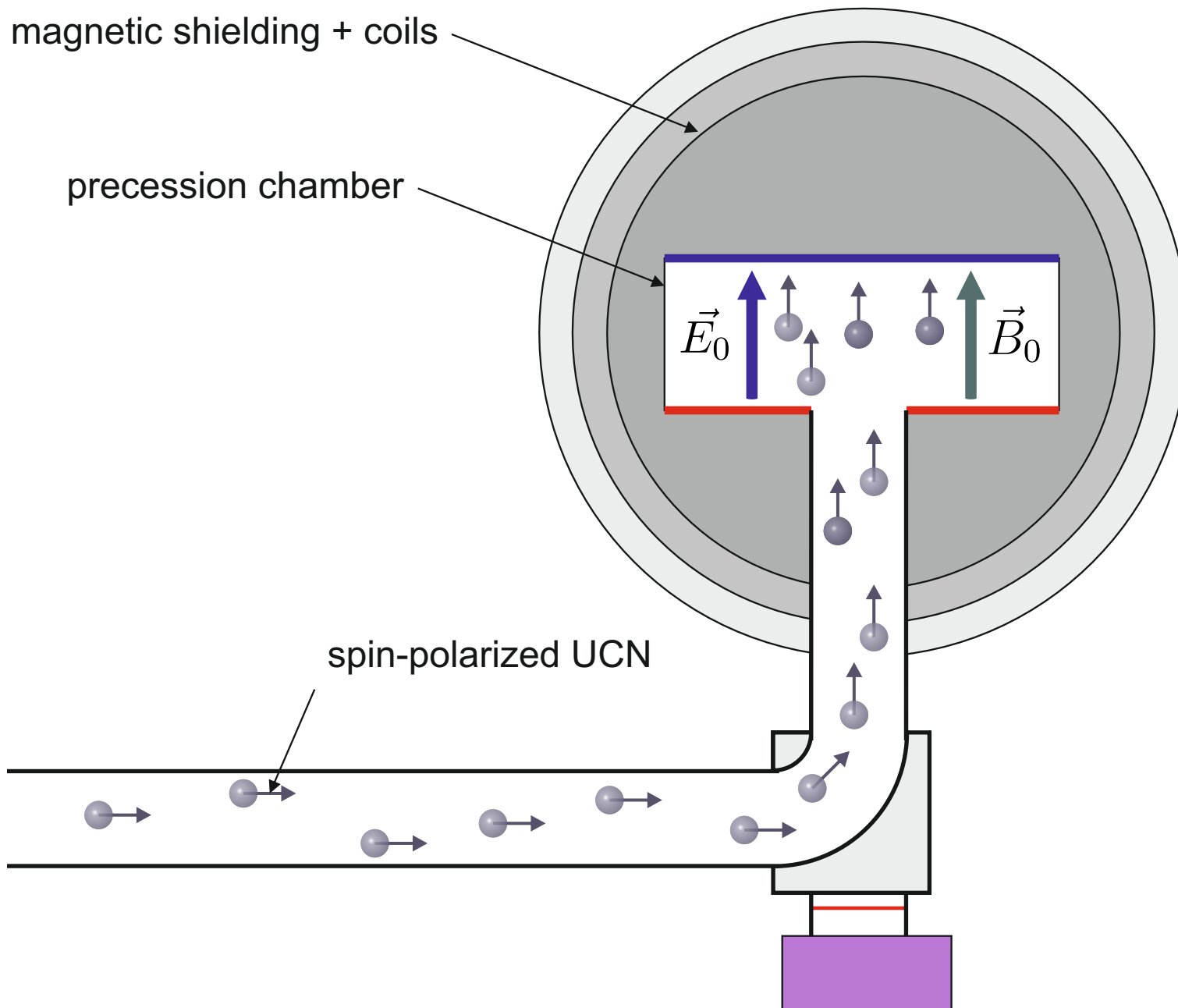
EDM-like signal: proportional to the E-field and the B-field gradient

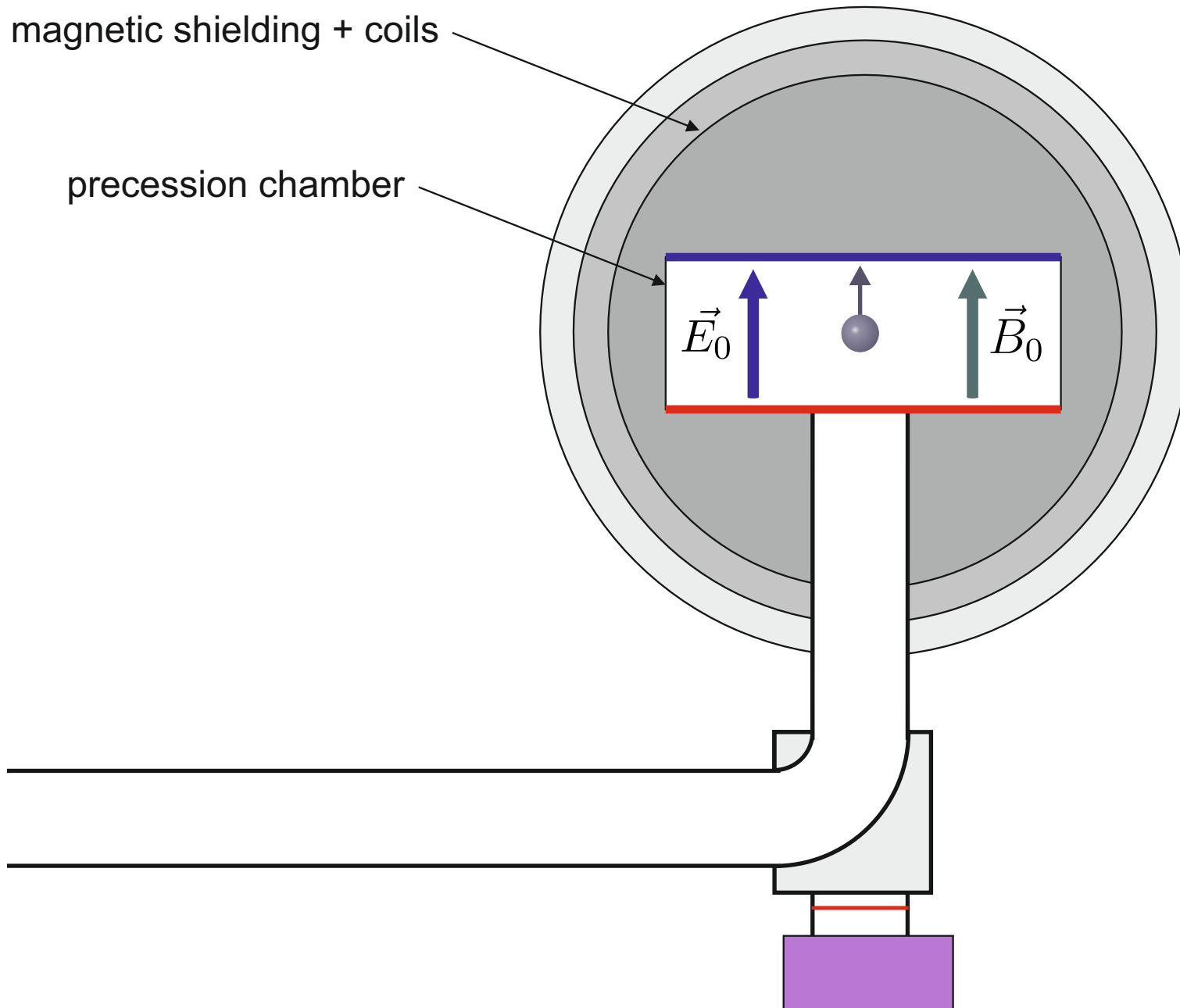
$$d_{\text{false}} = \frac{\hbar \gamma_{Hg} \gamma_n}{2c^2} \langle xB_x + yB_y \rangle$$

Pignol & Rocca, Phys. Rev. A 85, 042105 (2012)

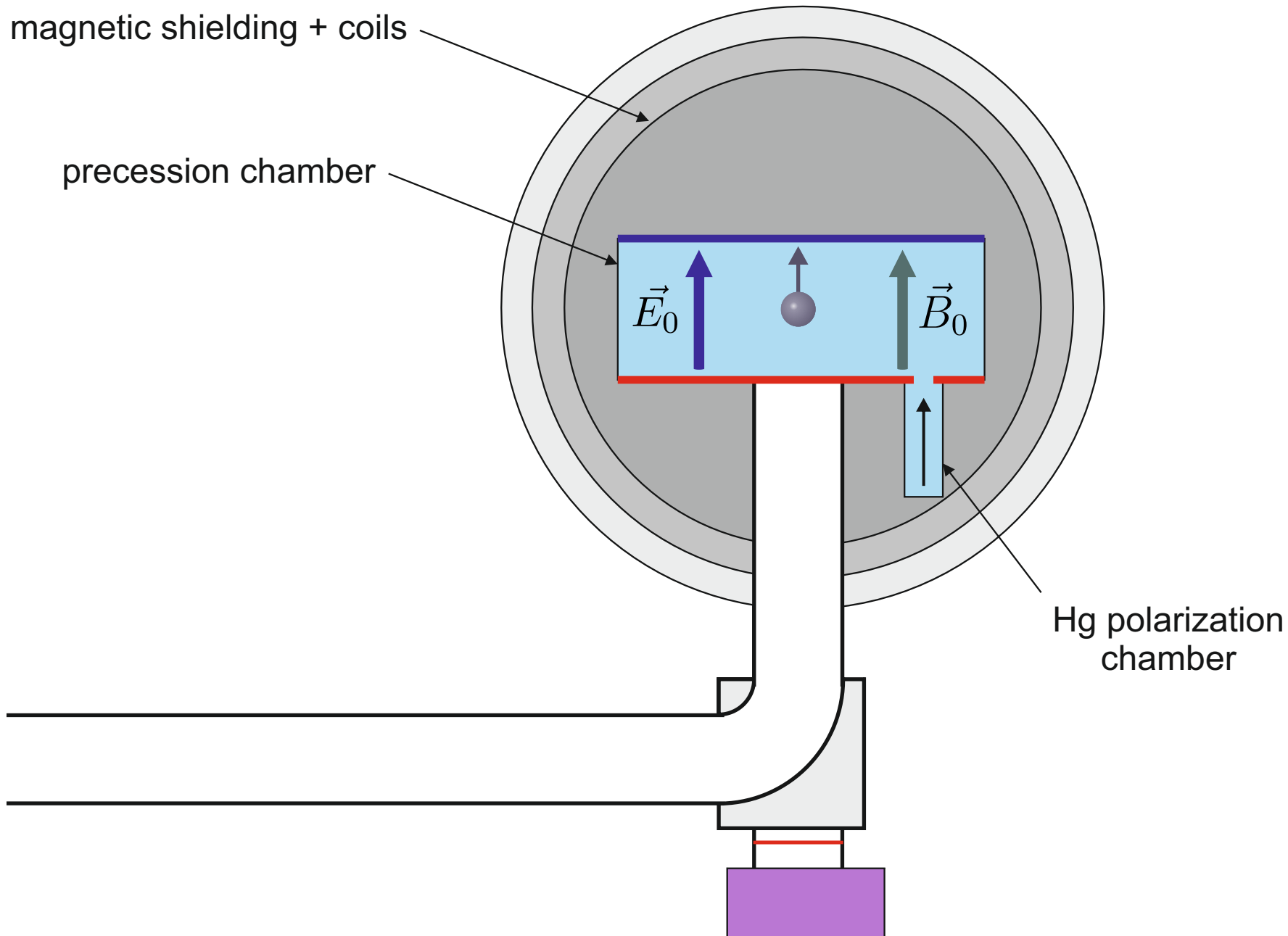


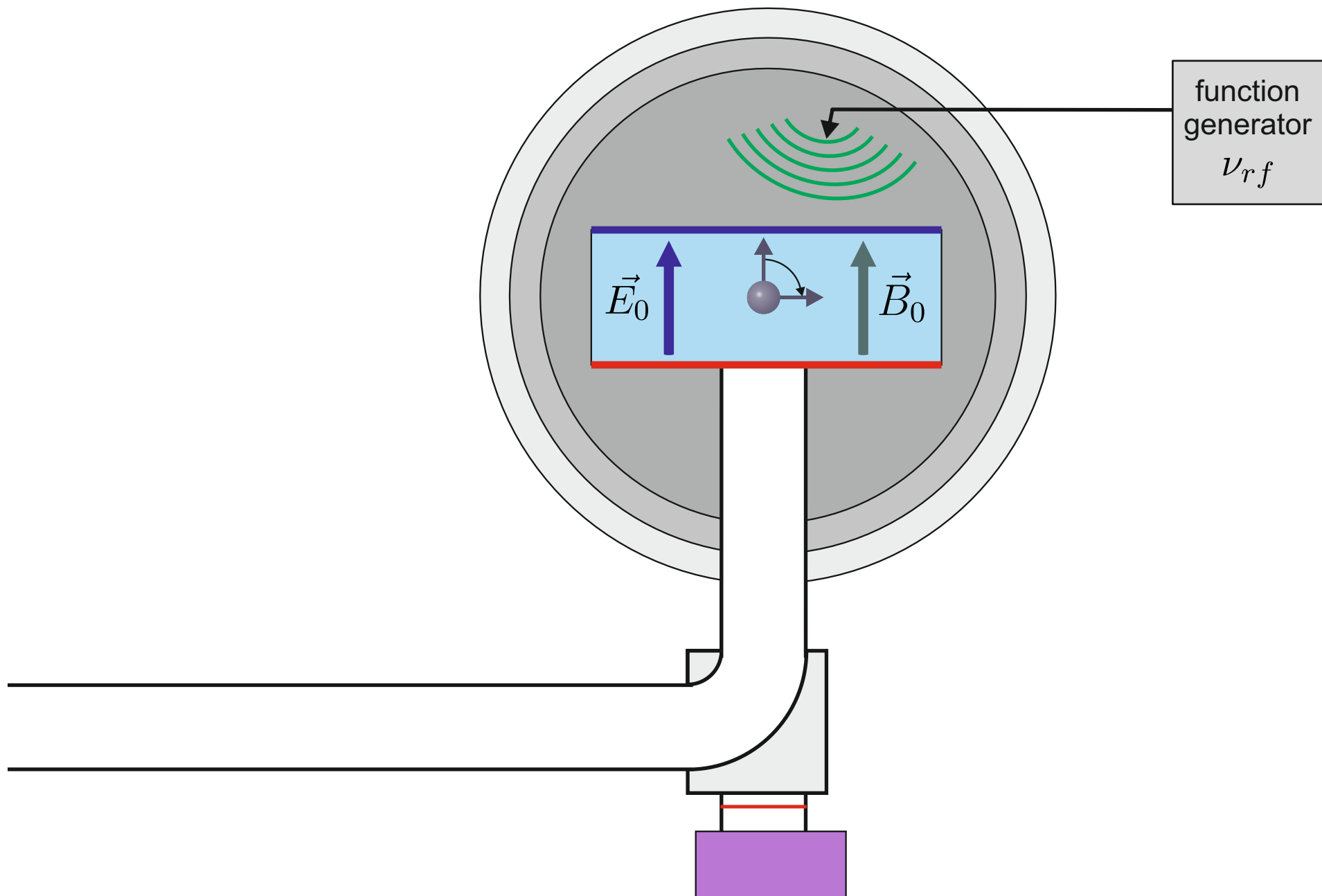


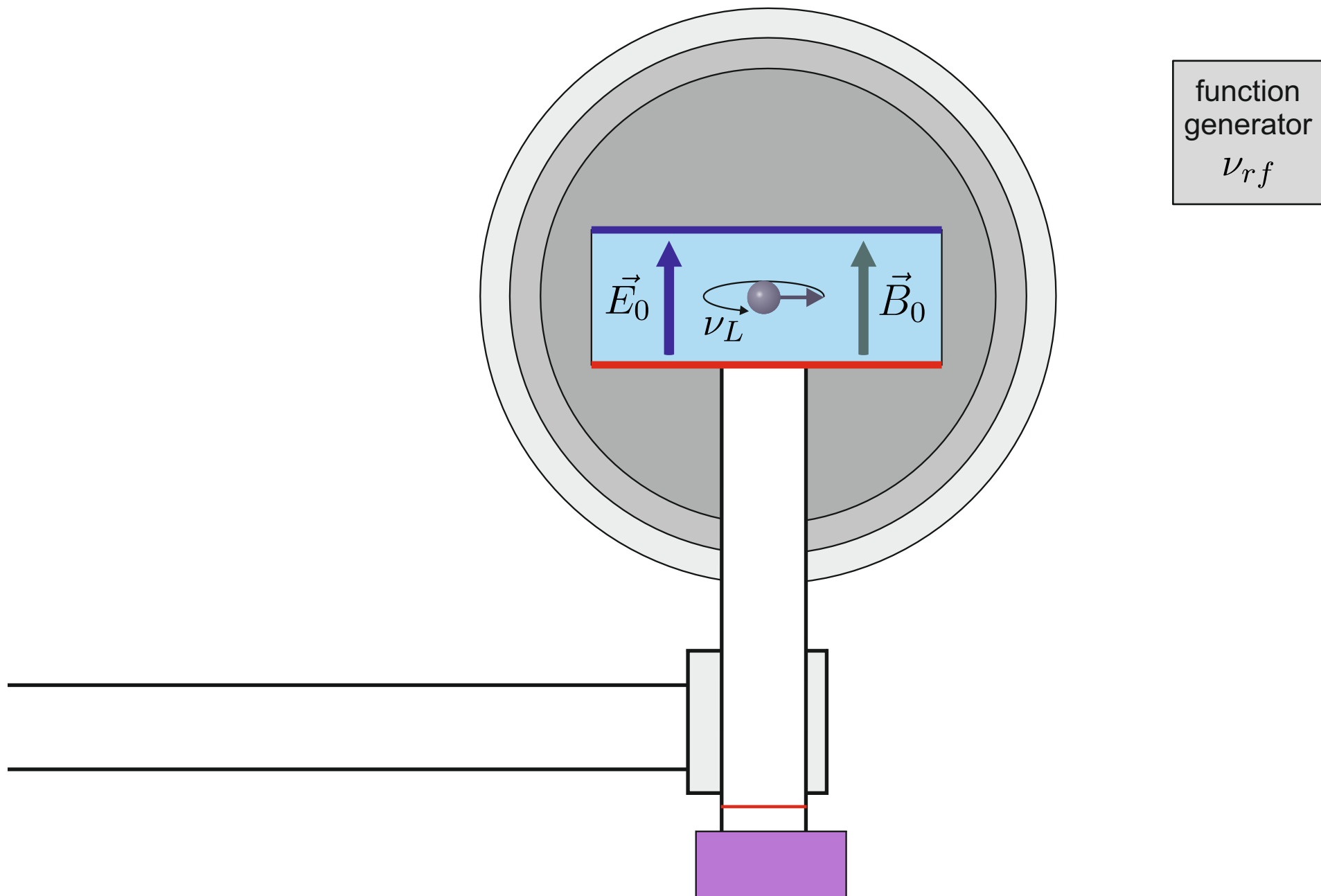


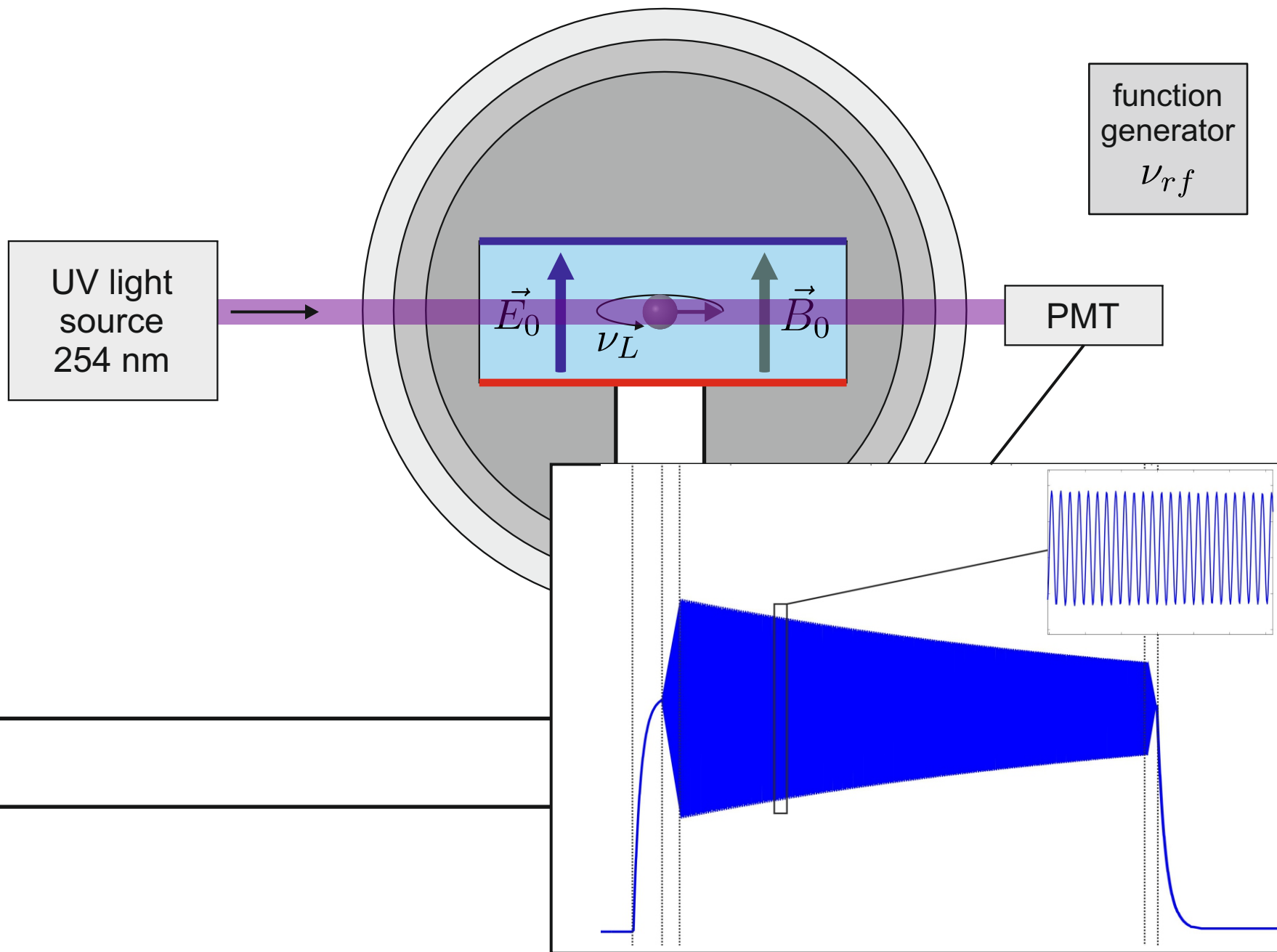


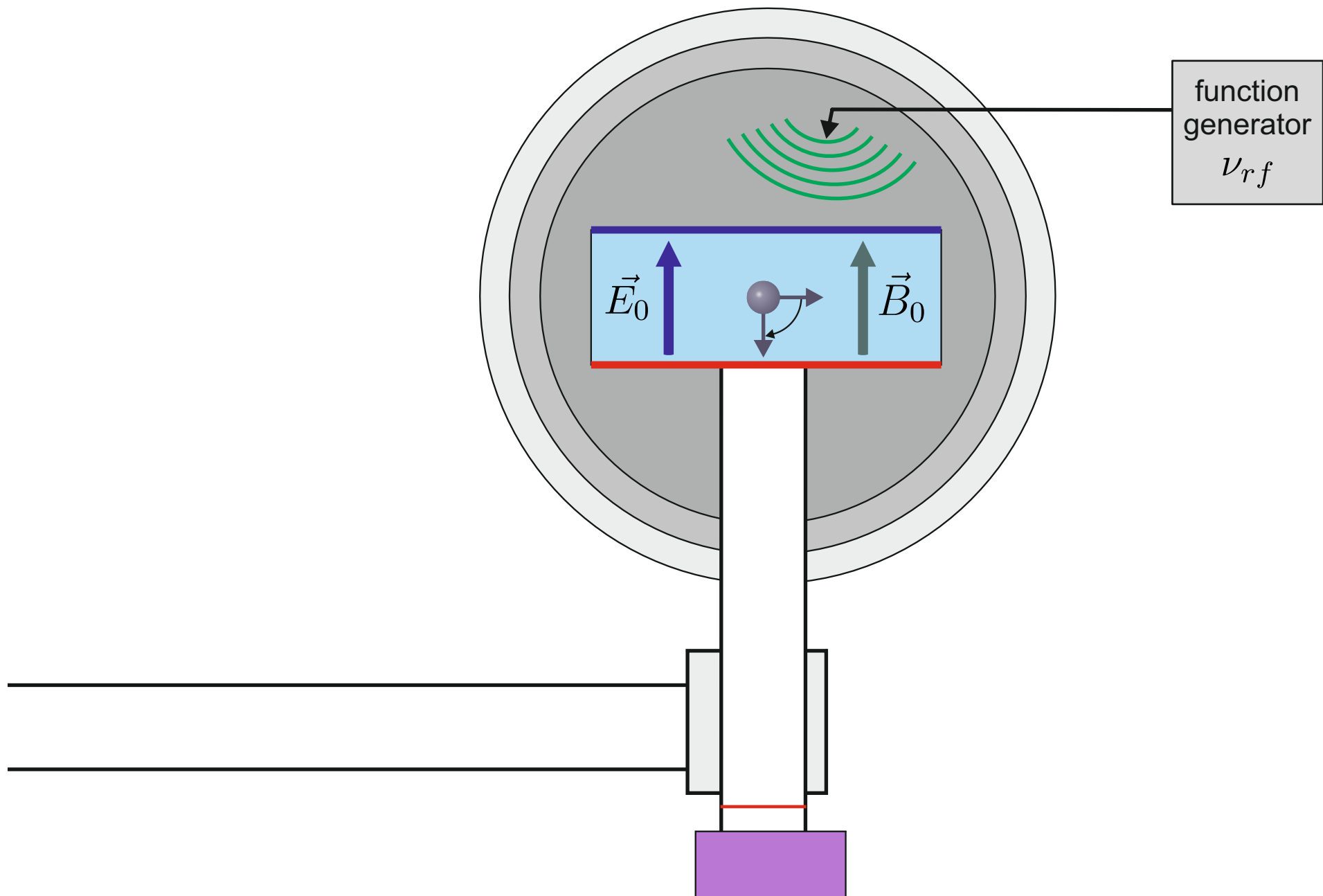


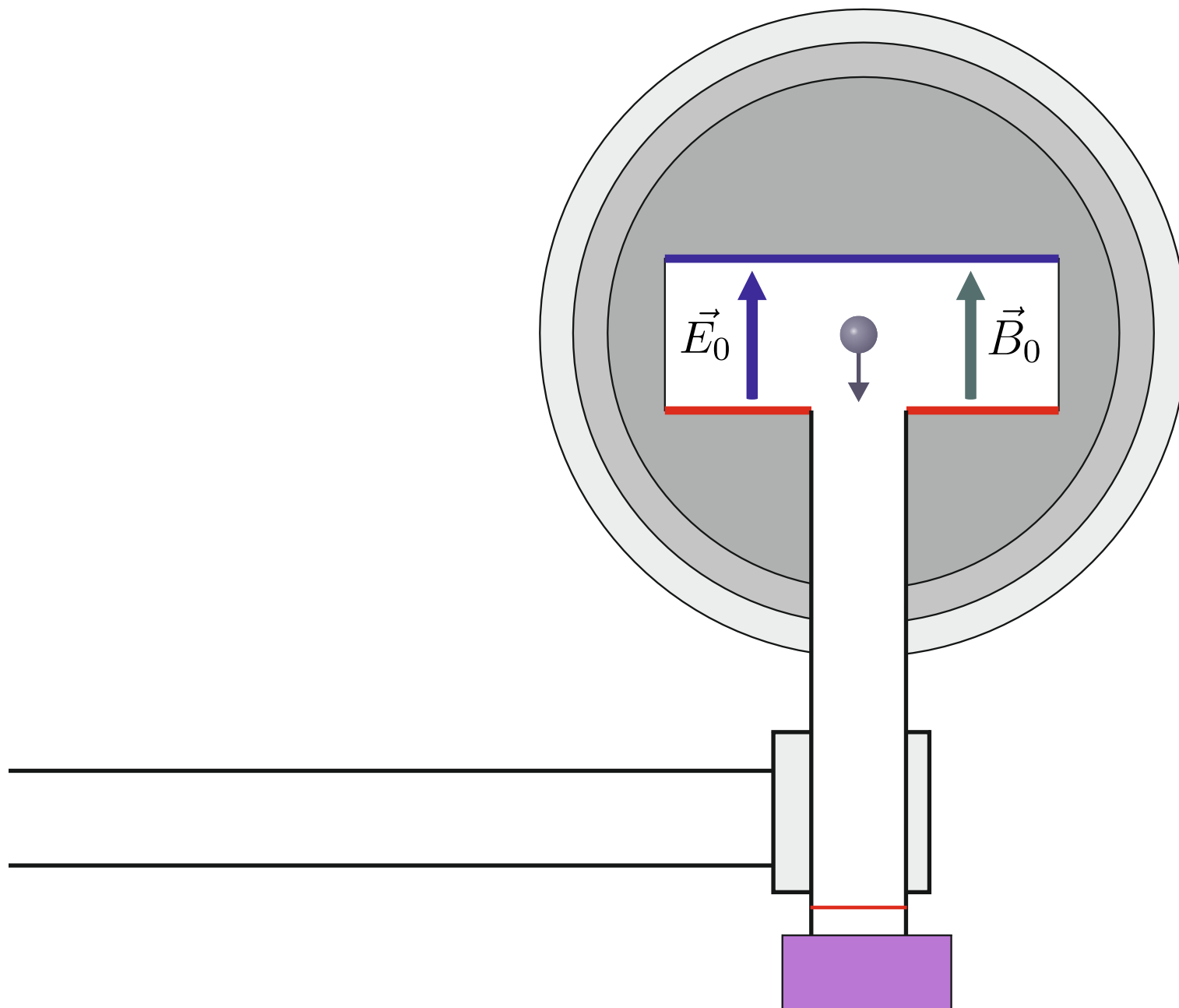












function  
generator

$\nu_{rf}$

