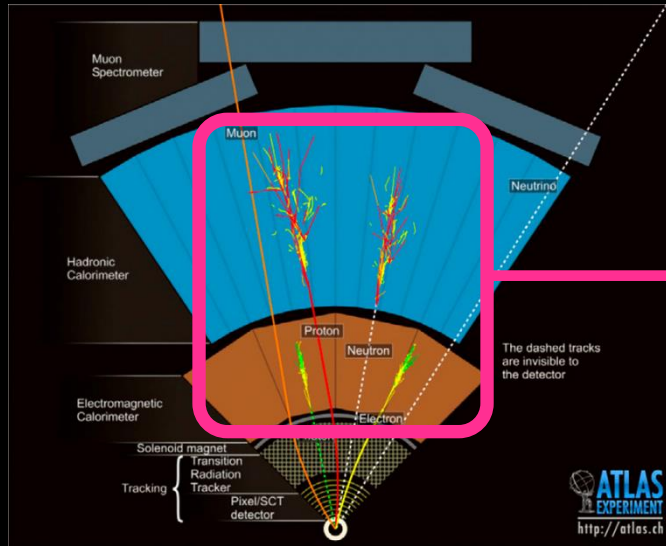


Towards Calorimeter Data Generation with Quantum Variational Autoencoders

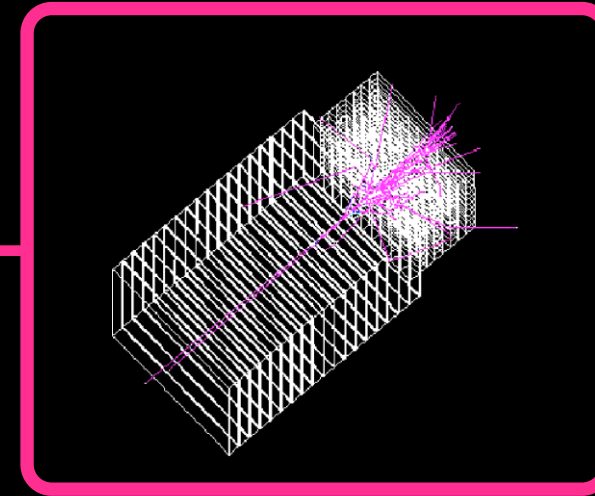
Abhishek Abhishek, Eric Drechsler, Wojtek Fedorko

TRIUMF Science Week, 16. August 2021

HL-LHC Computing Bottleneck: Calorimeter Shower Simulation

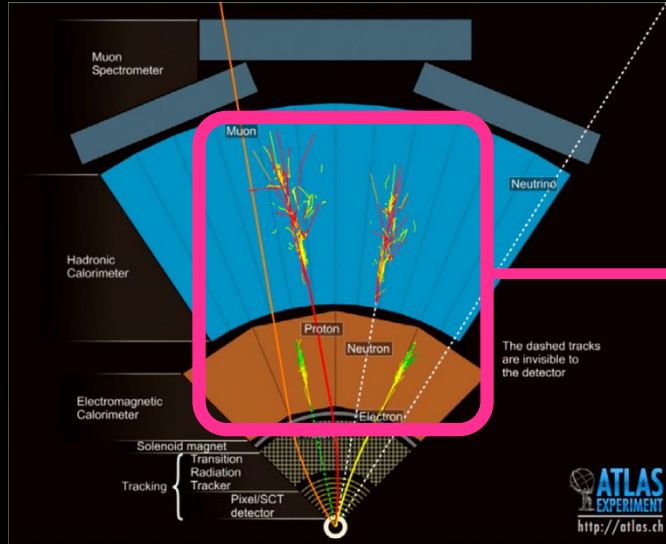


Cross-section ATLAS Detector

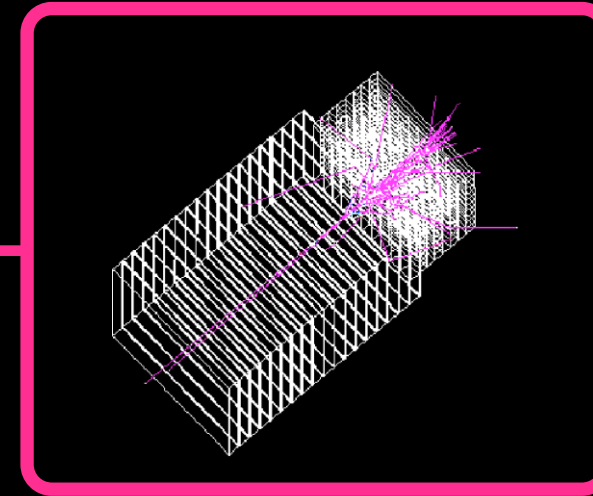


Representation of single
GEANT4 simulated EM shower

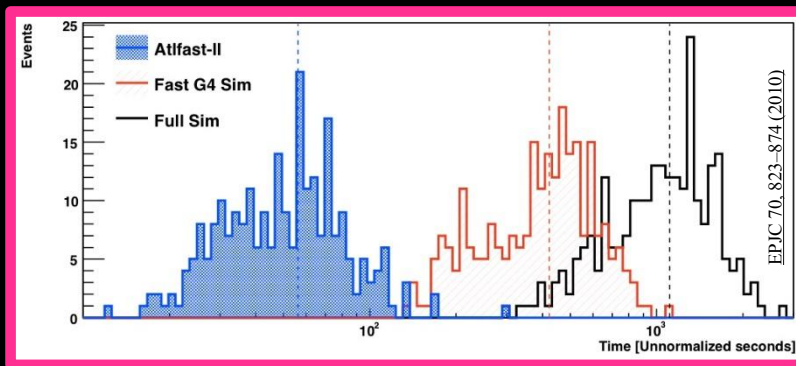
HL-LHC Computing Bottleneck: Calorimeter Shower Simulation



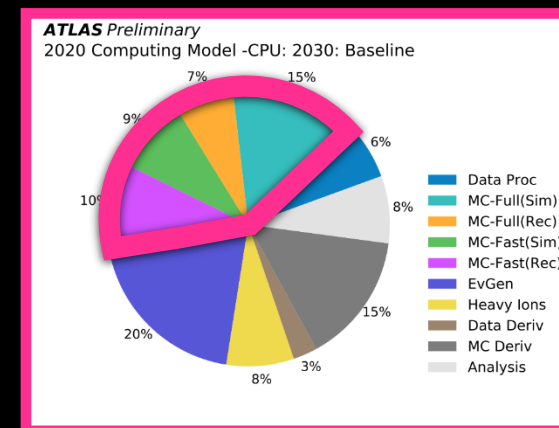
Cross-section ATLAS Detector



Representation of single GEANT4 simulated EM shower

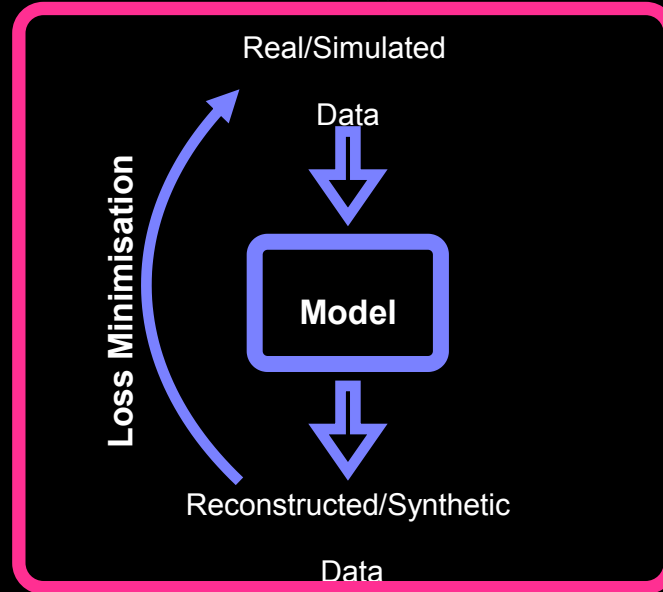


CPU time for simulating 250 tbar events



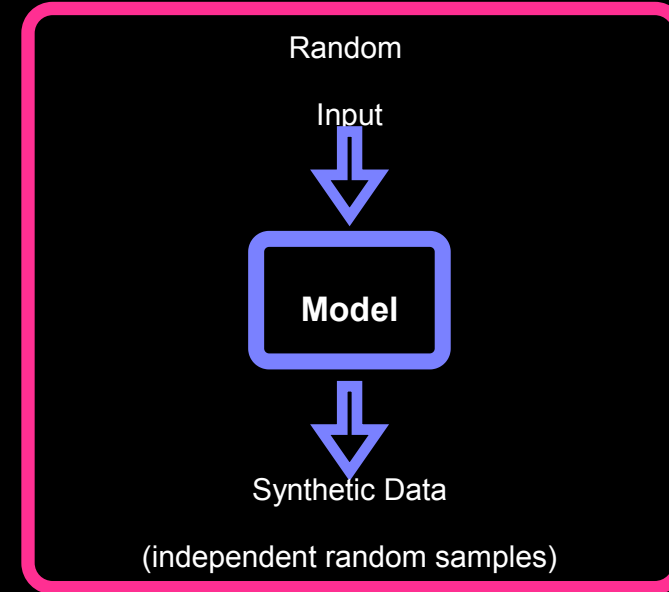
Generative Models for Synthetic Shower Generation

Step 1: Training the Model



~ hours

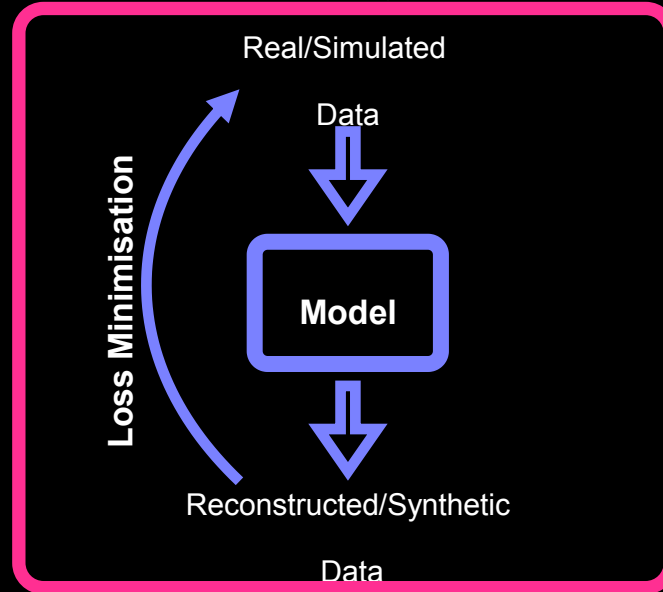
Step 2: Generating Synthetic Data



~ milliseconds

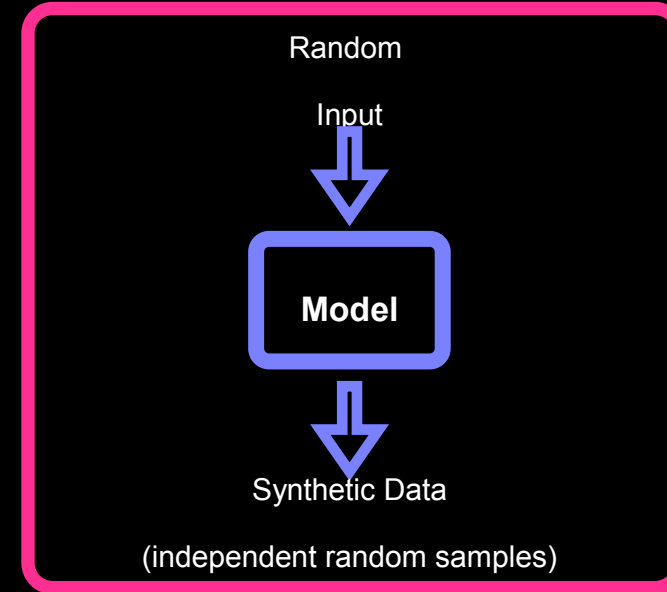
Generative Models for Synthetic Shower Generation

Step 1: Training the Model



~ hours

Step 2: Generating Synthetic Data



~ milliseconds

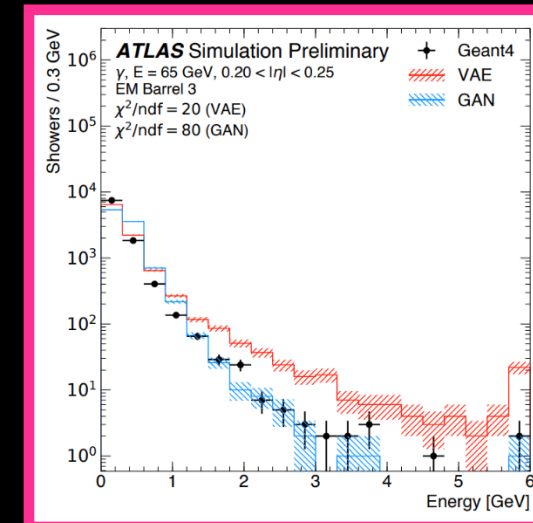
Example: Variational Autoencoder trained with modified loss

$$\mathcal{L}(x, x'; \theta, \phi) = w_{\text{reco}} \mathbb{E}_{\zeta \sim q_{\phi}(\zeta|x)} [\log p_{\theta}(x|\zeta)] - w_{\text{KL}} D_{\text{KL}}[q_{\phi}(\zeta|x) || p_{\theta}(\zeta)]$$

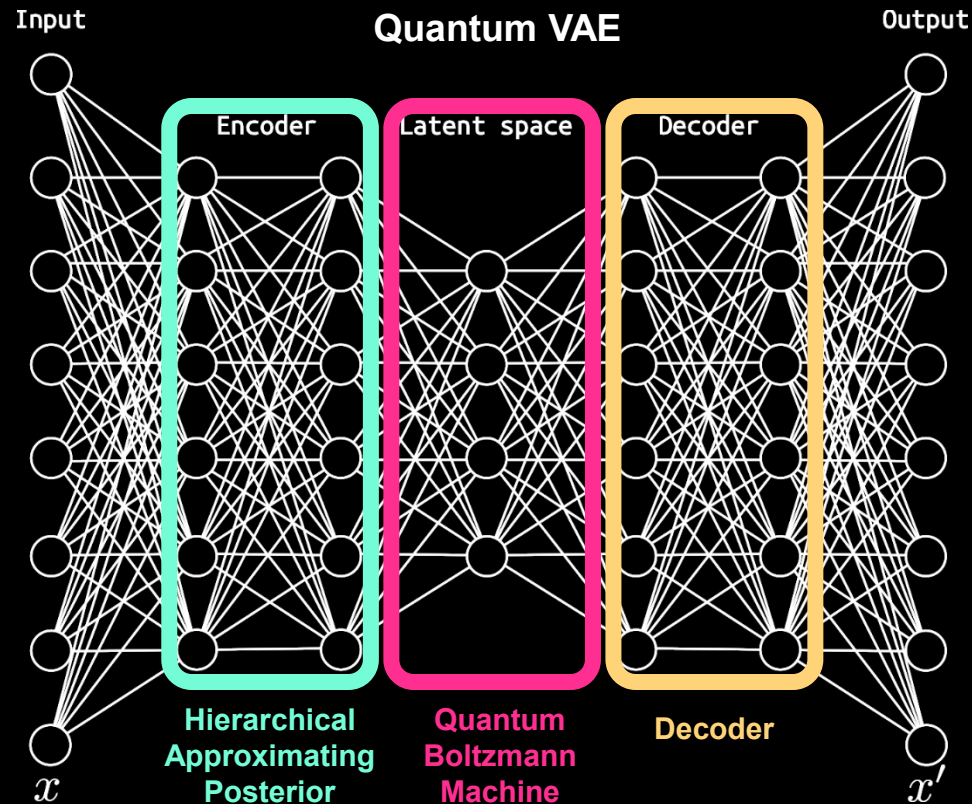
$$- w_{E_{\text{tot}}} \left| \sum_i x_i - \sum_i x'_i \right| - \sum_l w_l \left| \frac{1}{E_{\text{tot}}} \sum_j^{N_l} x_j - \frac{1}{E'_{\text{tot}}} \sum_j^{N_l} x'_j \right|$$

Total Energy

Energy per layer



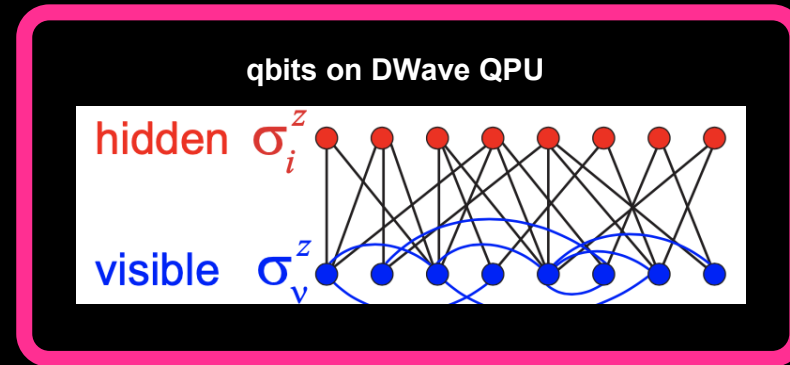
ATL-SOFT-PUB-2018-001



$$q_\phi(\zeta_l | x, \{\zeta_m\}_{m < l})$$

$$p_\theta(z) = \frac{1}{Z_\theta} \text{Tr}[\Lambda_z e^{-\mathcal{H}_\theta}]$$

Prior: Quantum Boltzmann Machine



Restricted BM

State Probability

$$p_\theta(v, h) = \frac{1}{Z_\theta} \exp[-E_\theta(v, h)]$$

State Energy

$$E_\theta(v, h) = - \sum_{i=0}^D \sum_{j=0}^M W_{ij} v_i h_j - \sum_{j=0}^D b_j v_j - \sum_{j=0}^M a_j h_j$$

Quantum BM

State Probability

$$p_\theta(z) = \frac{1}{Z_\theta} \text{Tr}[\Lambda_z e^{-\mathcal{H}_\theta}]$$

State Energy

$$\mathcal{H}_\theta = \sum_l \sigma_l^x \Gamma_l + \sum_l \sigma_l^z h_l + \sum_{l < m} W_{lm} \sigma_l^z \sigma_m^z$$