

PHYSICS AT COLLIDERS I

TRISEP Summer School, July 2022

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University of Oregon*

OUTLINE

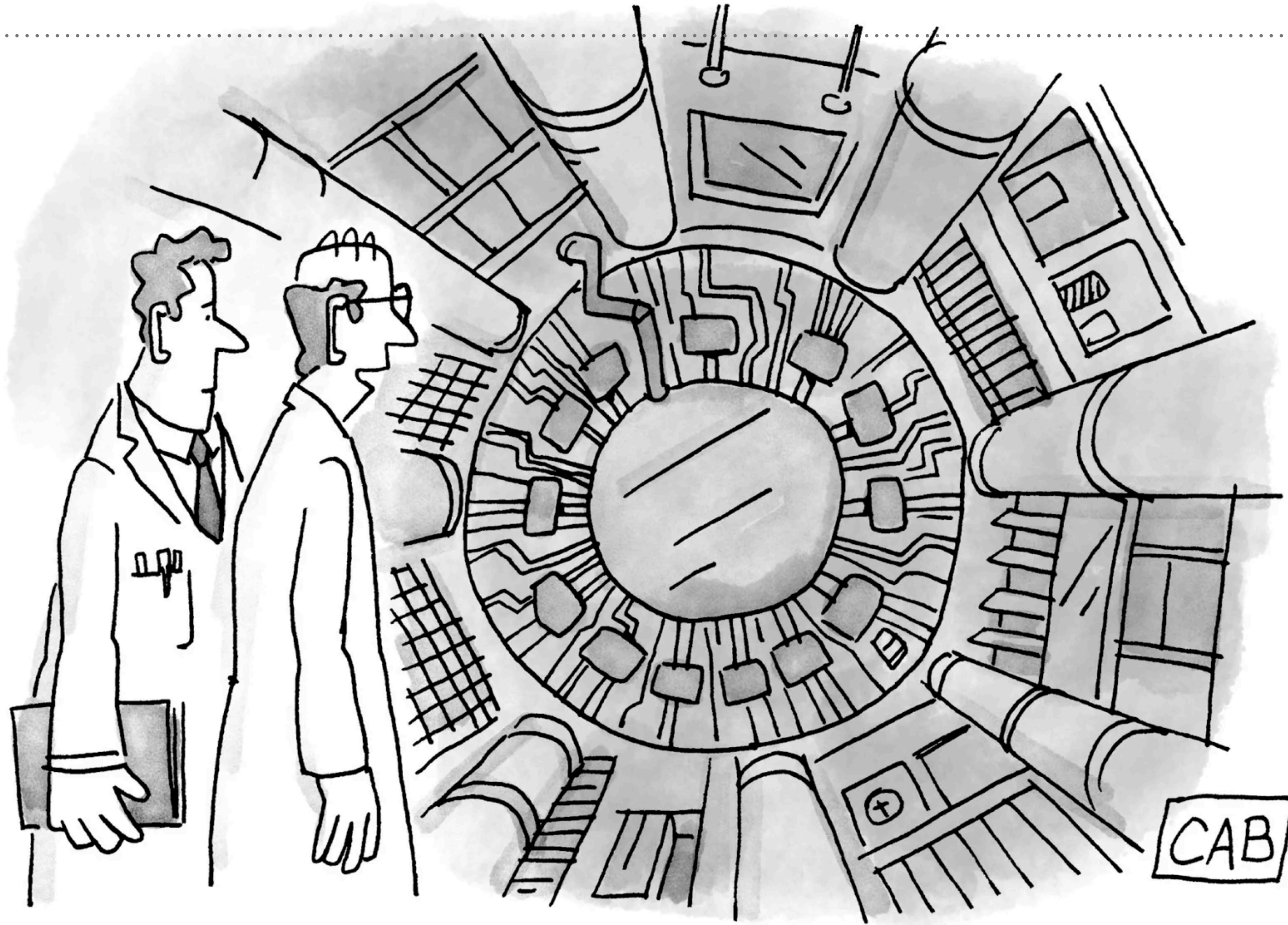
▶ **Lecture I**

- ▶ Collider overview
- ▶ Cross-sections in principle and in practice
- ▶ QCD, W/Z, and precision electroweak physics

▶ **Lecture II**

- ▶ Top and Flavour Physics
- ▶ The Higgs Boson
- ▶ Searches for new physics

WHY COLLIDERS



“Once you have a collider, every problem starts to look like a particle.”

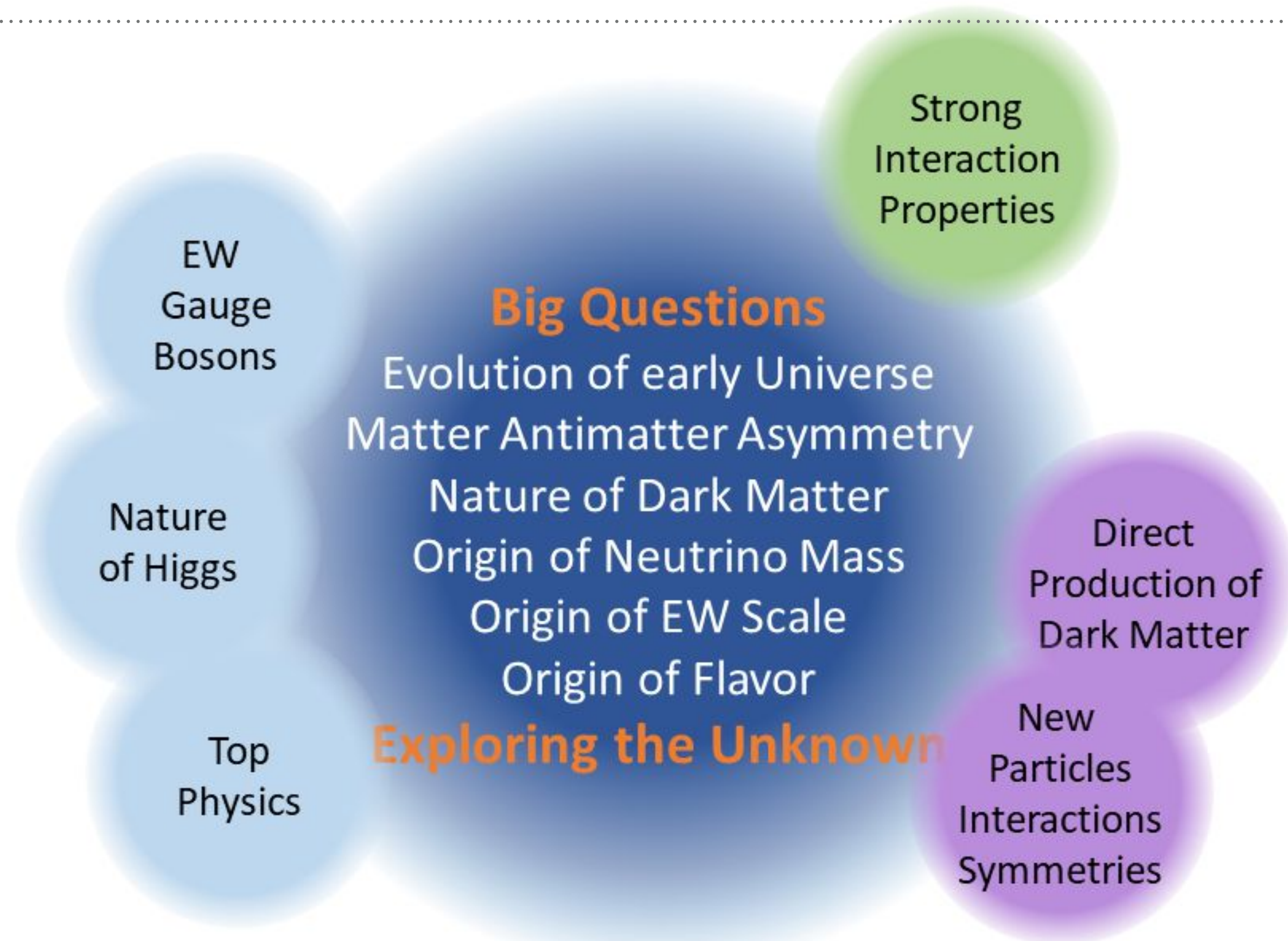
WHY COLLIDERS: EXPLORING THE TEV SCALE TO ANSWER OPEN QUESTIONS

Big Questions

Evolution of early Universe
Matter Antimatter Asymmetry
Nature of Dark Matter
Origin of Neutrino Mass
Origin of EW Scale
Origin of Flavor

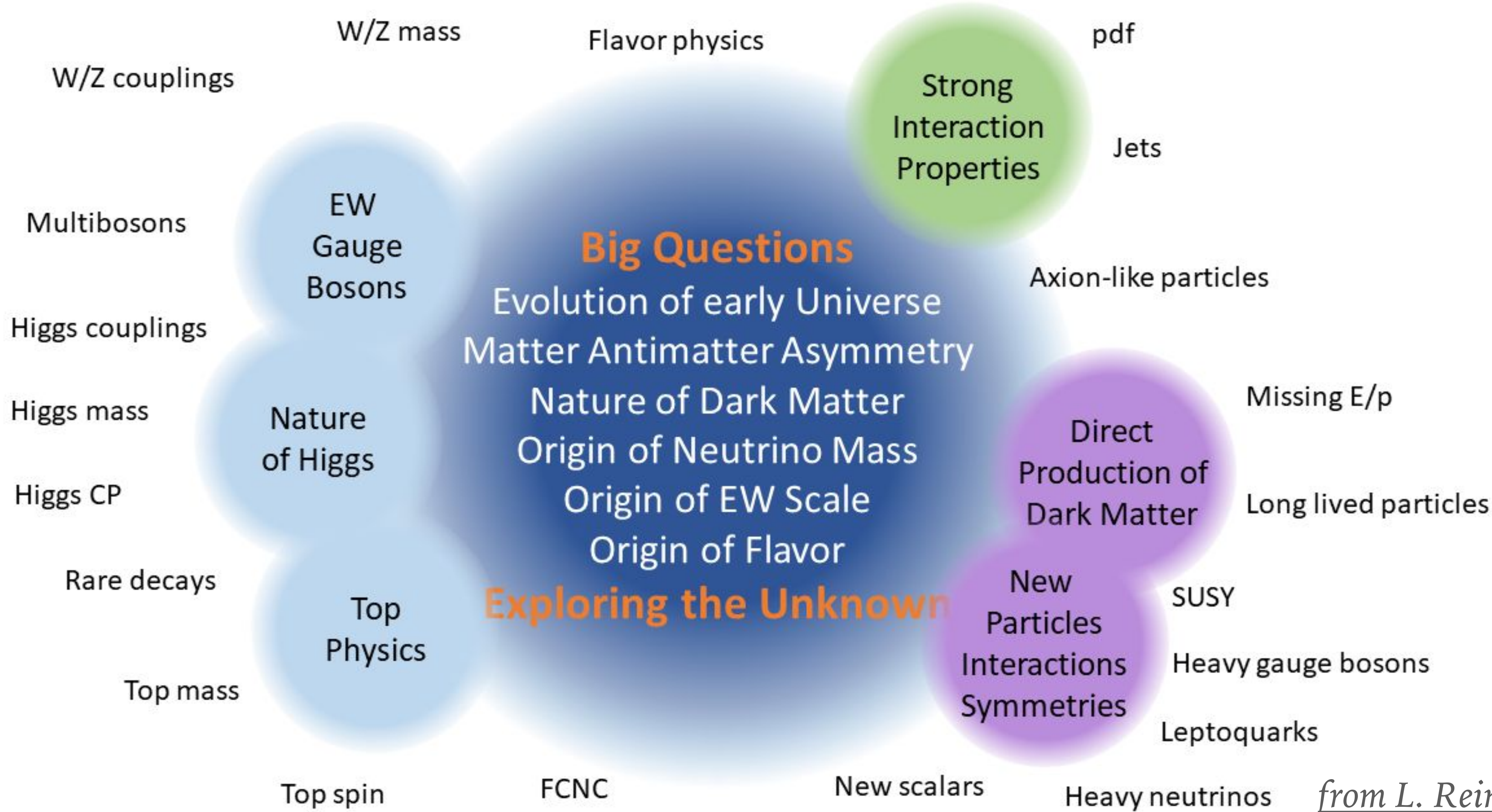
Exploring the Unknown

WHY COLLIDERS: USING SM PROBES AND SEARCHING FOR BSM



WHY COLLIDERS: BREADTH AND MULTITUDE OF SIGNATURES

α_s



from L. Reina

WHY COLLIDERS

- Probe structure of matter and fundamental constituents
 - Special resolution limited by wavelength of probe
 - $\lambda = h/p$
- Search for new particles and interactions
 - Indirect measurements can point to new physics
 - $E = mc^2$
 - Need high energy to observe new physics

Rutherford experiment
 $p \sim 10 \text{ keV}, \lambda \sim 10^{-10} \text{ m}$

Discovery of quarks
 $p \sim 10 \text{ GeV}, \lambda \sim 10^{-16} \text{ m}$

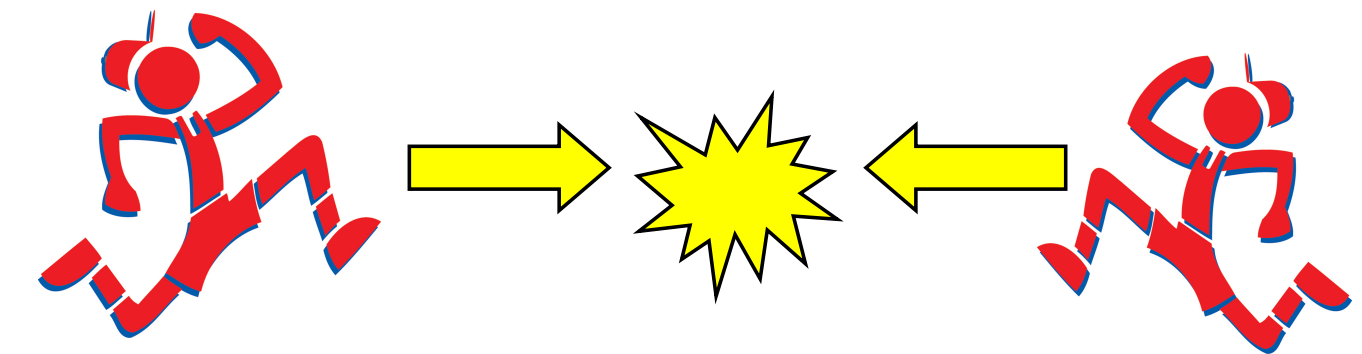
LHC
 $p \sim 10 \text{ TeV}, \lambda \sim 10^{-19} \text{ m}$

LEPTON AND HADRON COLLIDERS

▶ Lepton colliders

- ▶ electron — positron (so far)
- ▶ All beam energy used to make new particles
- ▶ Can tune center-of-mass energy
- ▶ Energy limited by synchrotron radiation
- ▶ Precision measurements

Lepton Collider
(collision of two point-like particles)



Synchrotron Radiation
Energy loss per turn

$$-\Delta E \approx \frac{4\pi^2}{3R^2} \left(\frac{E}{mc^2} \right)^4$$

for ring of radius R and
energy E

LEPTON AND HADRON COLLIDERS

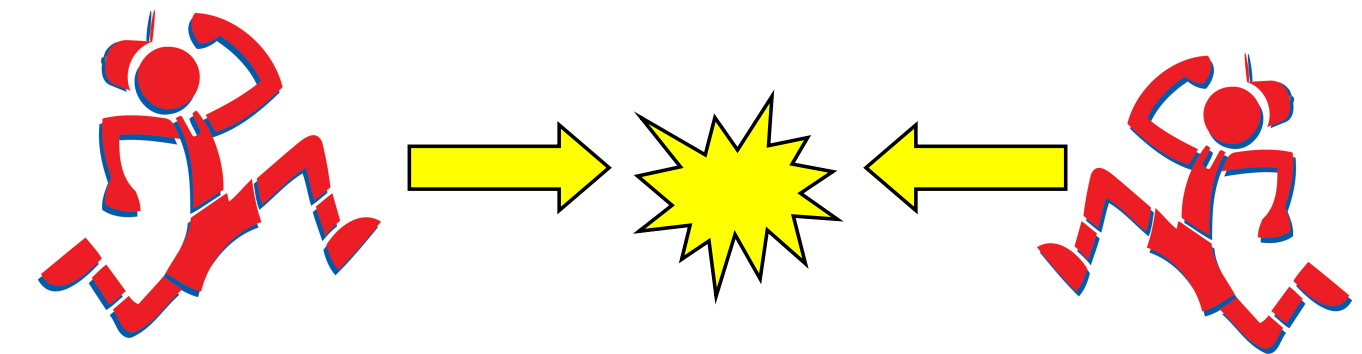
▶ Lepton colliders

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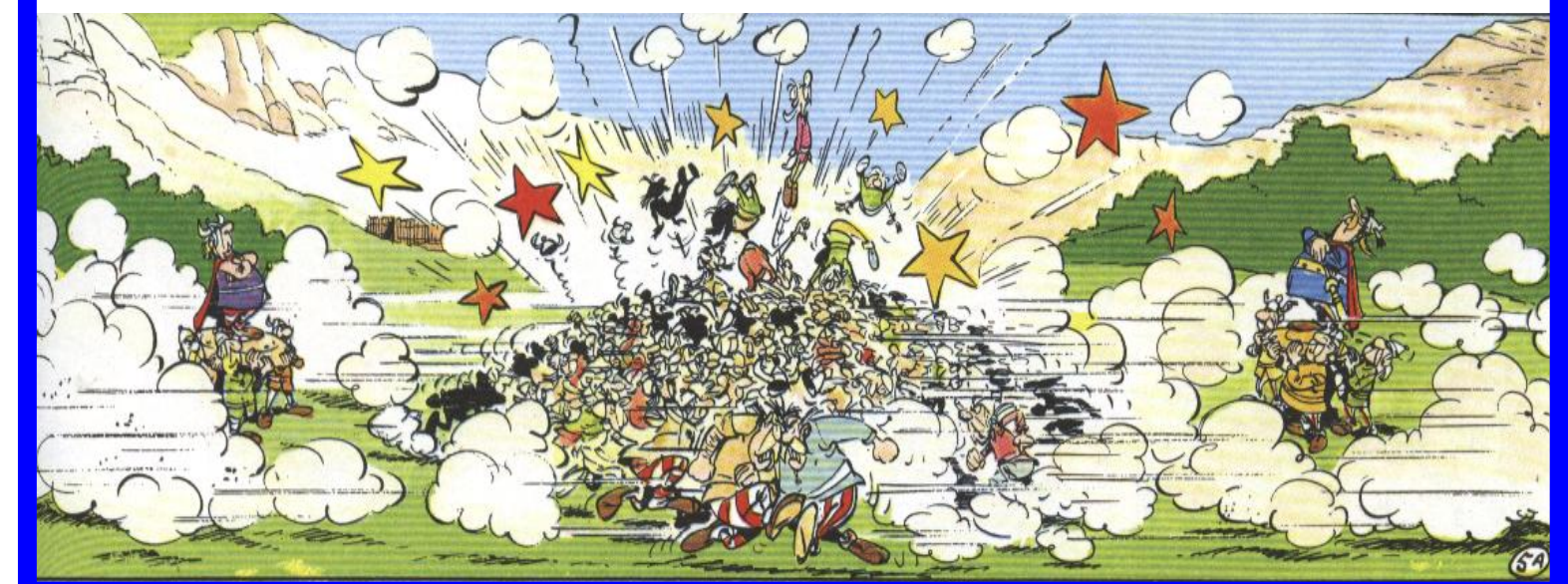
▶ Hadron colliders

- ▶ Hard collision uses only a fraction of beam energy
- ▶ Can probe high energy, less radiation when accelerated
- ▶ Probe a range of energies at once
- ▶ Discovery machines

Lepton Collider
(collision of two point-like particles)

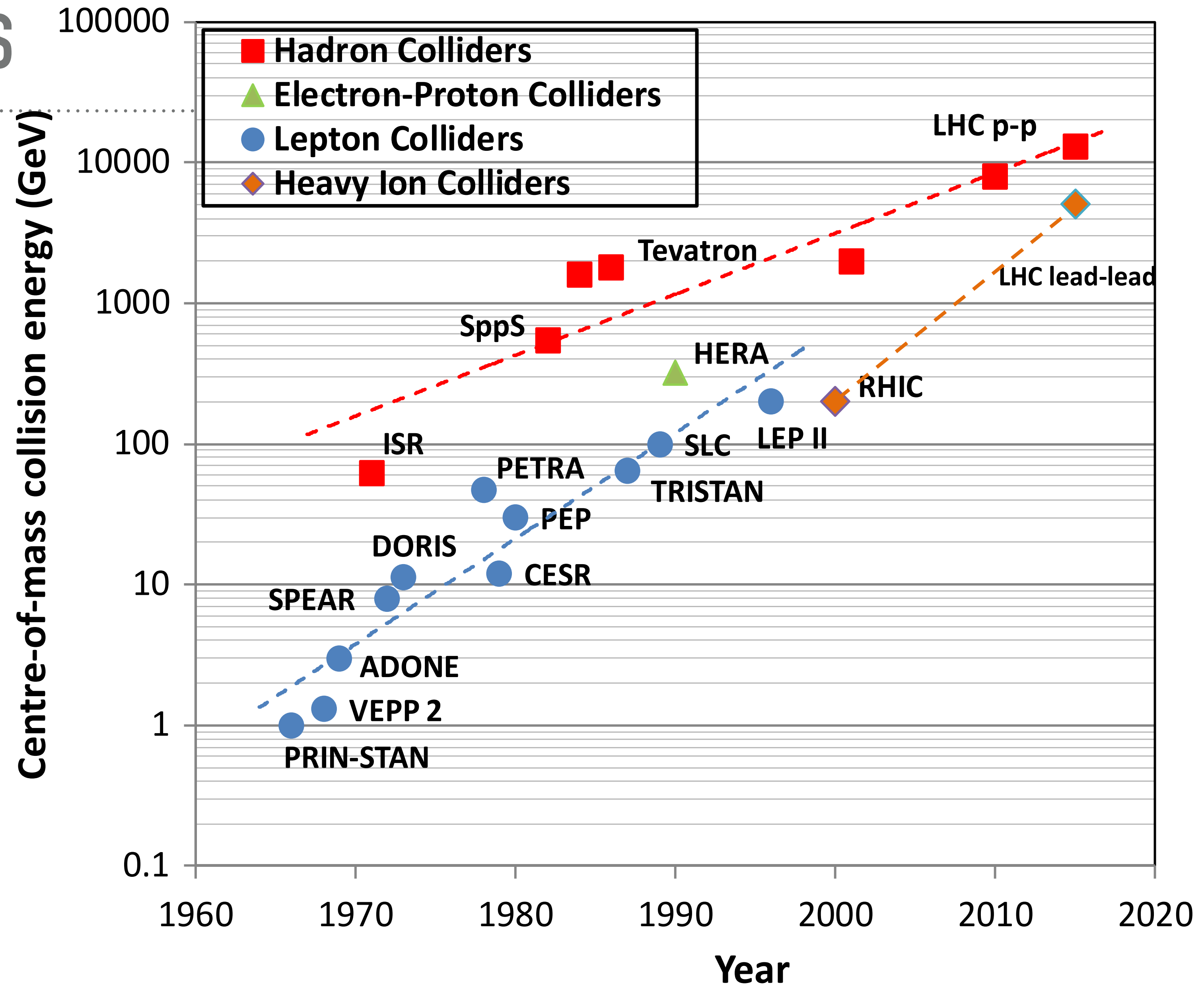


Hadron collider
(collision of ~50 point-like particles)



A BRIEF HISTORY OF COLLIDERS

- Energy, luminosity, and particle species are the main parameters of interest
- So far, exponential growth of center-of-mass energy with time
 - Roughly factor of 4 every 10 years



LUMINOSITY

- Drives sensitivity for measurements and searches

$$N_{\text{signal}} = \int L dt \times \sigma \times BR \times \epsilon$$

θ_C = crossing angle

N_b = bunch population (N particles per bunch)

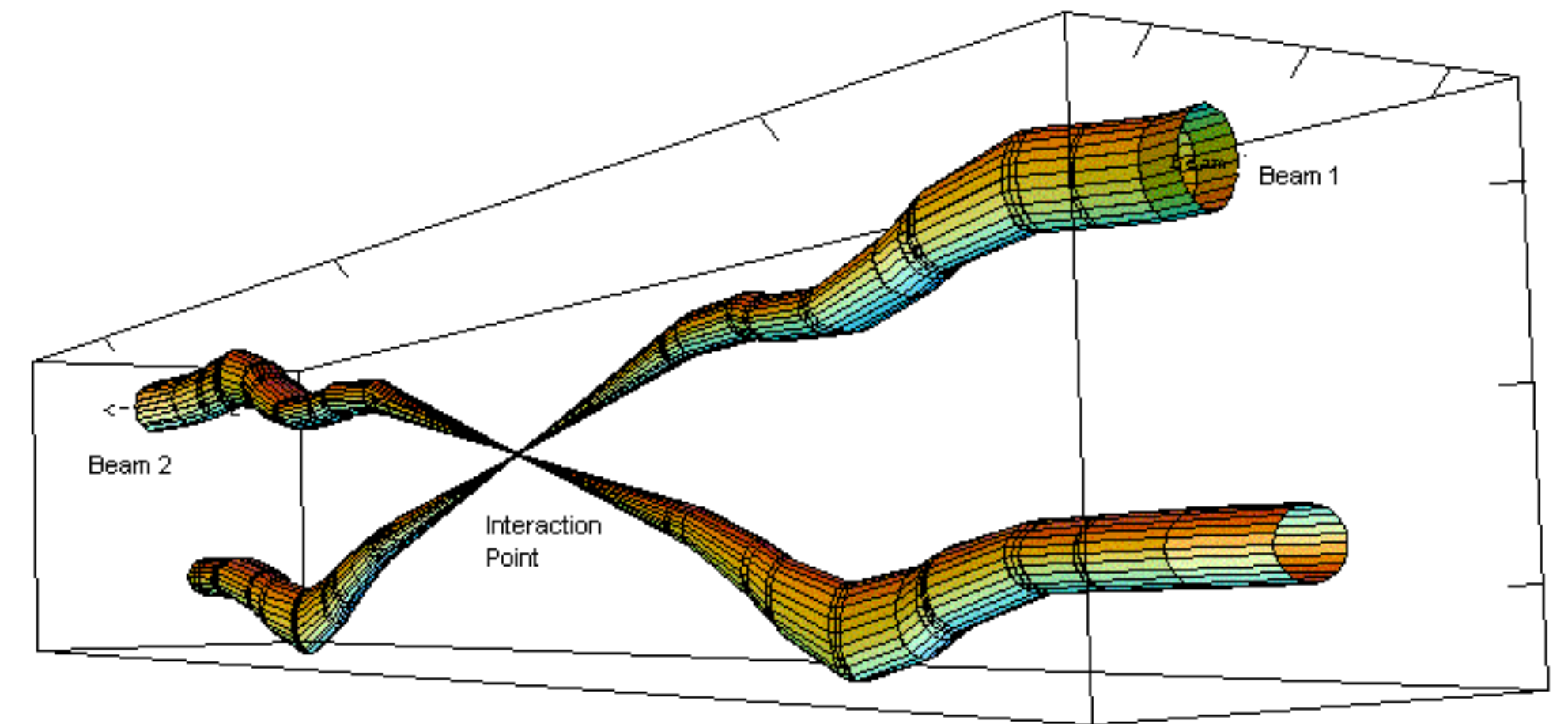
n_b = number of bunches in each beam

f_{rev} = revolution frequency

ϵ_n = normalized emittance at crossing point

β^* = beta function at crossing point

γ = relativistic factor



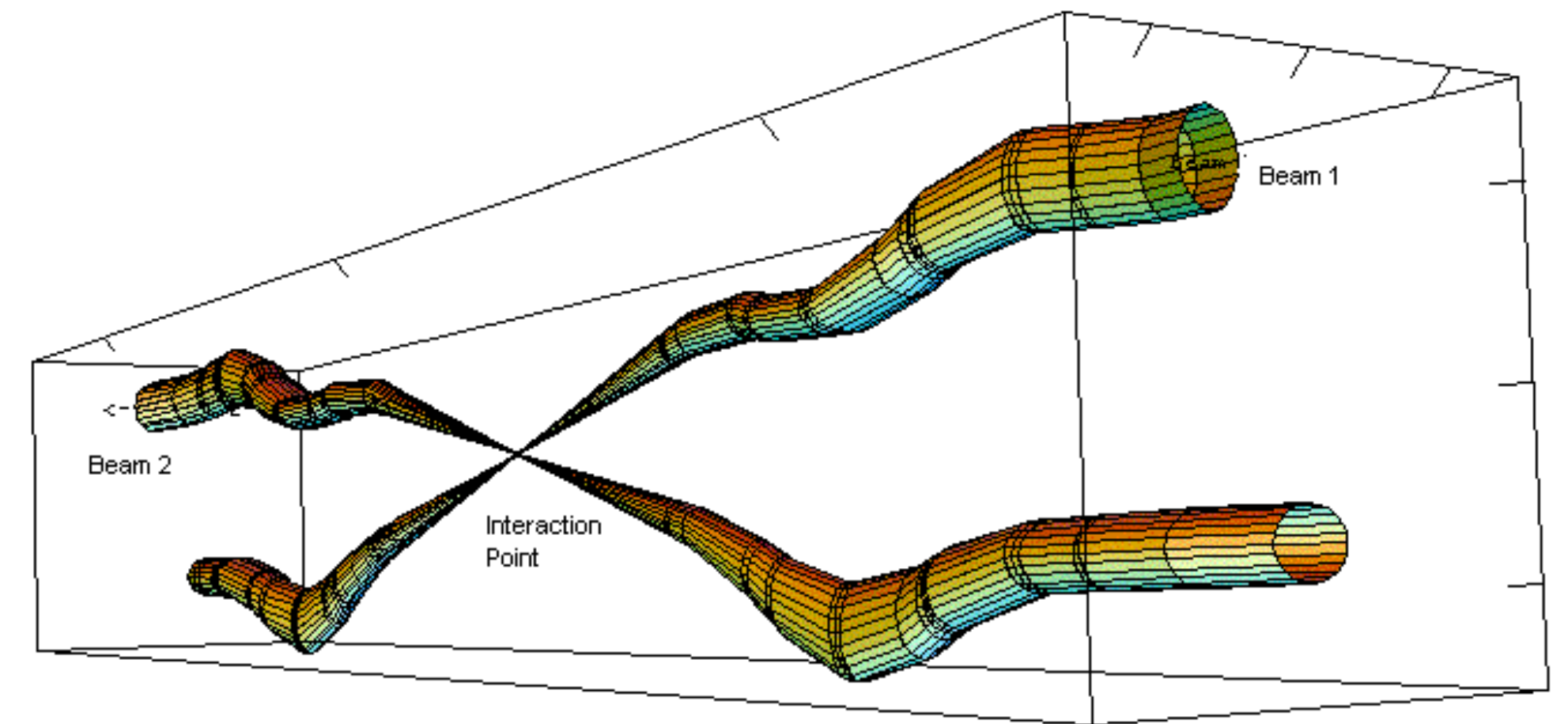
Relative beam sizes around IP1 (Atlas) in collision

$$L = \frac{N_b^2 n_b f_{rev} \gamma}{4\pi \epsilon_n \beta^*} F$$

$$F = \frac{1}{\sqrt{1 + (\theta_C \sigma_Z / 2\sigma^*)^2}}$$

LUMINOSITY

- Drives sensitivity for measurements and searches
- Toward larger lumi
 - For a given beam stored energy, possible by increasing brilliance of the beams, N_b/ϵ_n , or by crossing beams at small angle and reducing beta function
 - Otherwise increase bunch number and bunch population



Relative beam sizes around IP1 (Atlas) in collision

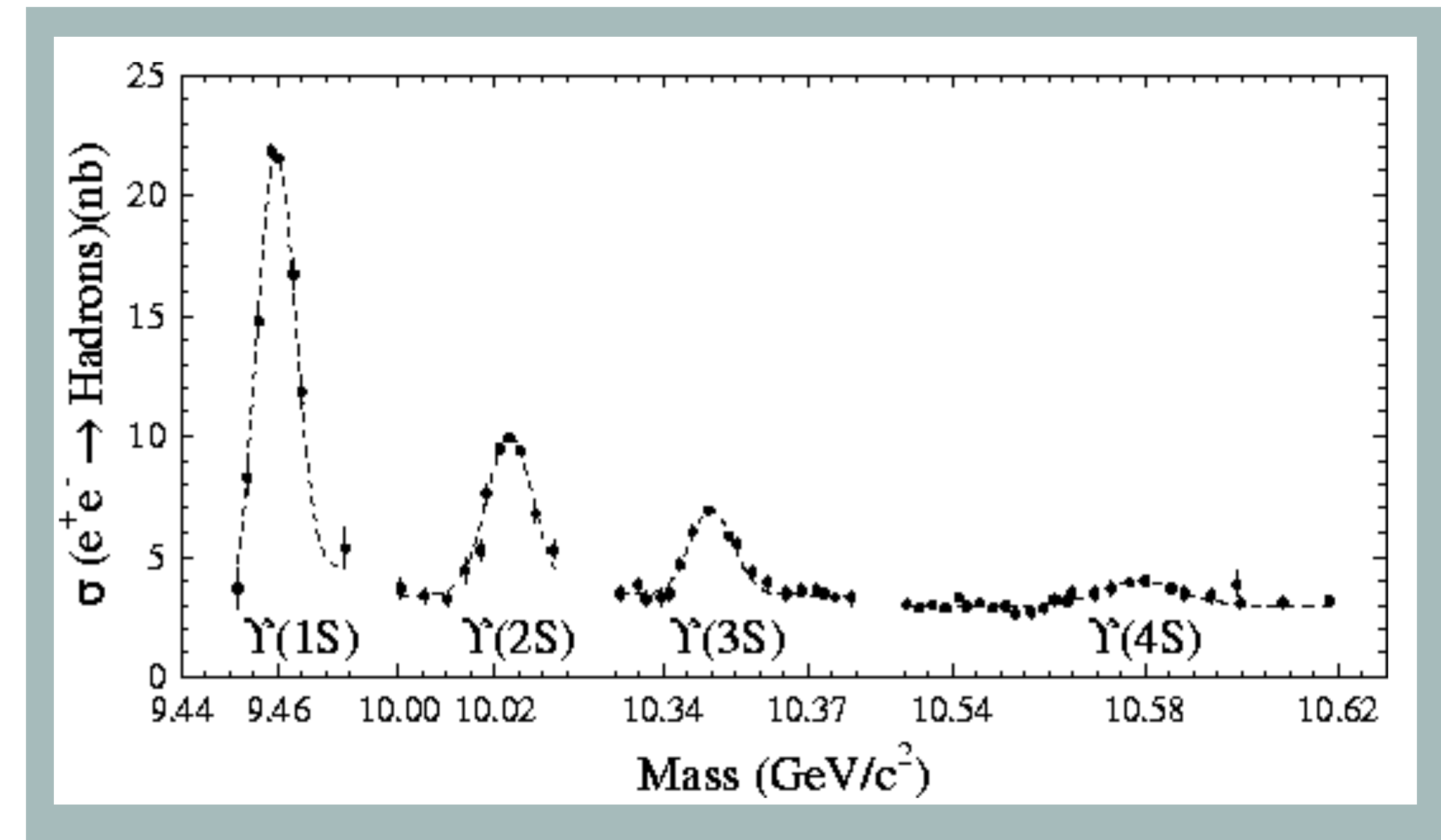
$$L = \frac{N_b^2 n_b f_{rev} \gamma}{4\pi \epsilon_n \beta^*} F$$

$$E_{\text{beam}} = m_0 c^2 \gamma N_b n_b$$

CURRENT COLLIDERS: SUPER KEKB

► SuperKEKB

- Electron-positron collider at KEK in Tsukuba, Japan with 3 km circumference
- Target luminosity of $6.5 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$, first collisions in 2016, record luminosity of $2.4 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$ in 2020
- Operates close to $\Upsilon(4S)$ resonance, 10.6 GeV
- Electrons at 7 GeV and positrons at 4 GeV
 - Asymmetry provides a boost to B mesons in the direction of the forward detector



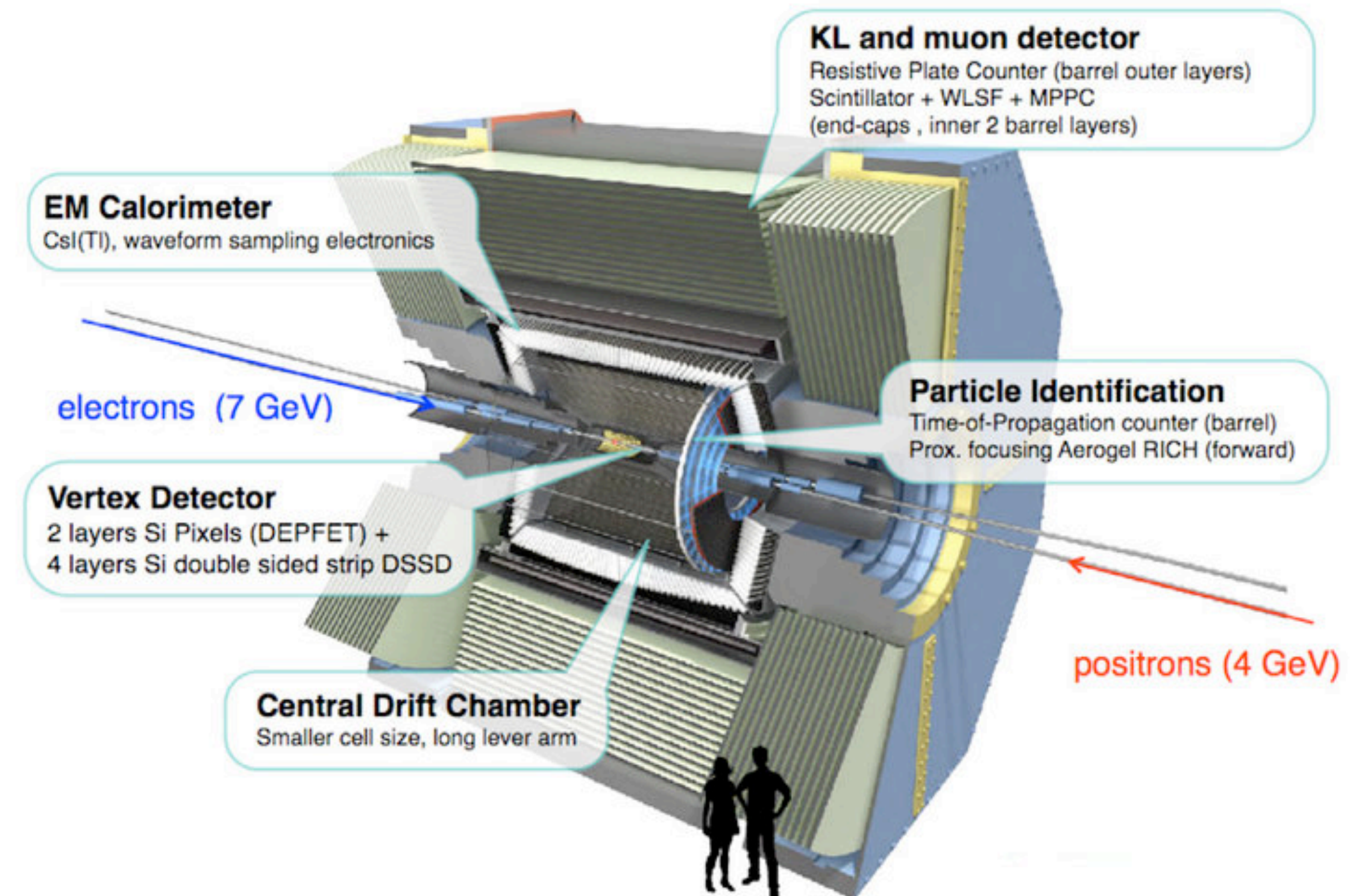
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- Operates close to $Y(4S)$ resonance, 10.6 GeV
- Electrons at 7 GeV and positrons at 4 GeV
 - Asymmetry provides a boost to B mesons in the direction of the forward detector

► Belle II experiment

- Precision measurements of CP-violation in heavy quarks and rare decays
- Targeting 50 ab^{-1} in next five years



CURRENT COLLIDERS: LARGE HADRON COLLIDER



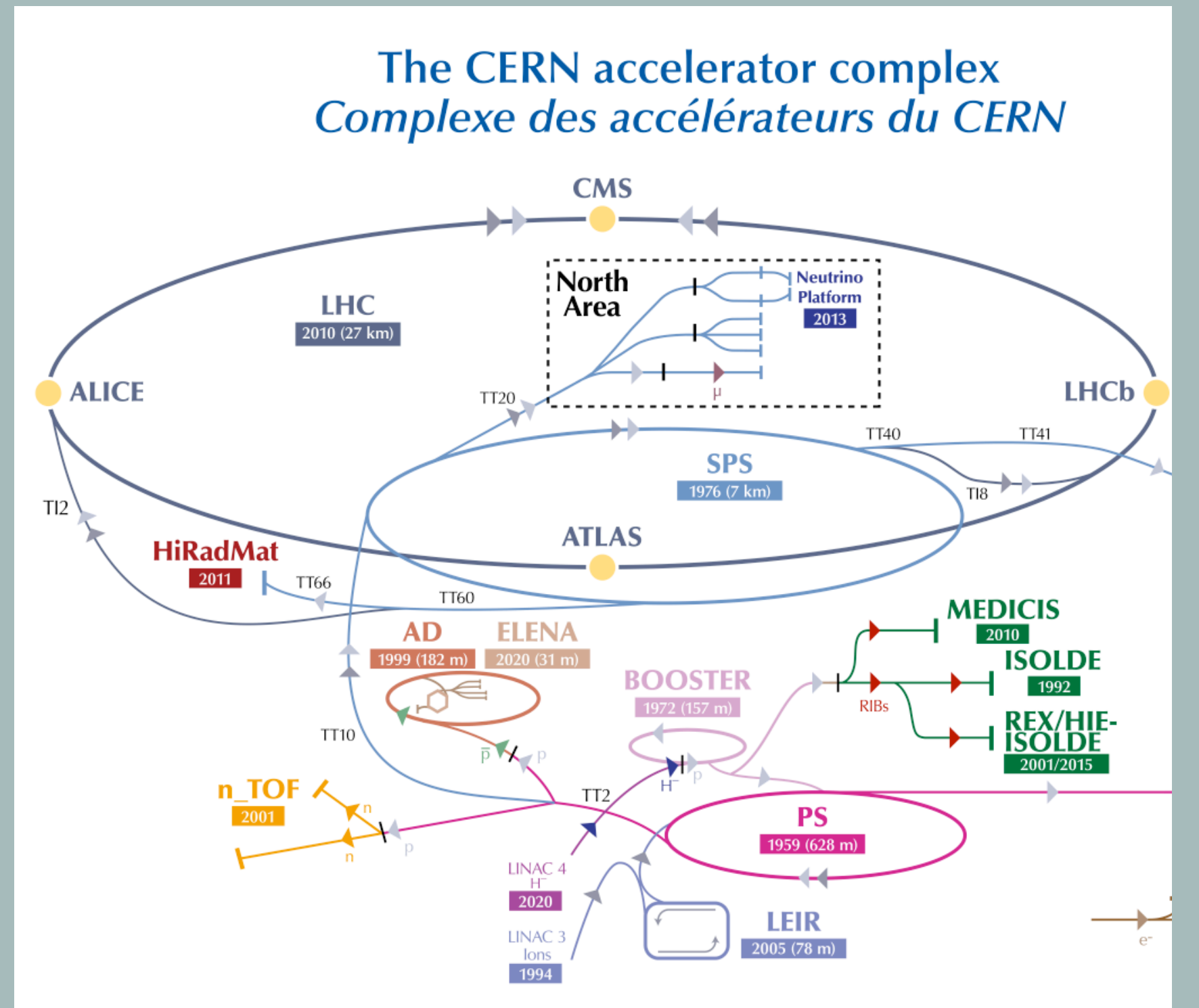
THE LHC

27 km circumference

Bending magnets; 1232 superconducting dipole magnets, each 15 m, $B = 8.33$ T

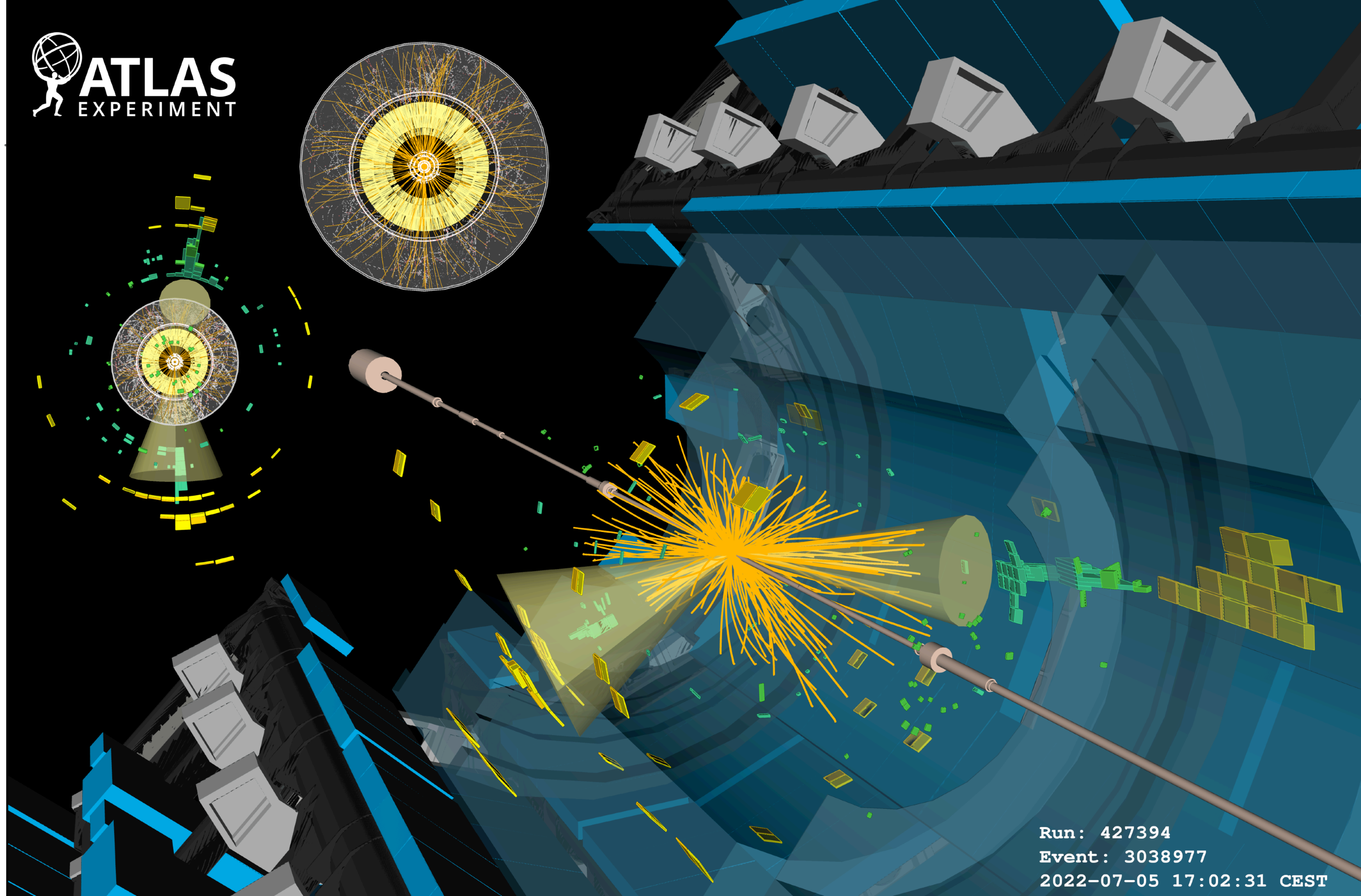
40 MHz beam-crossings

Center-of-mass collisions from 7 TeV (2011) to 13.6 TeV (two days ago!!!)



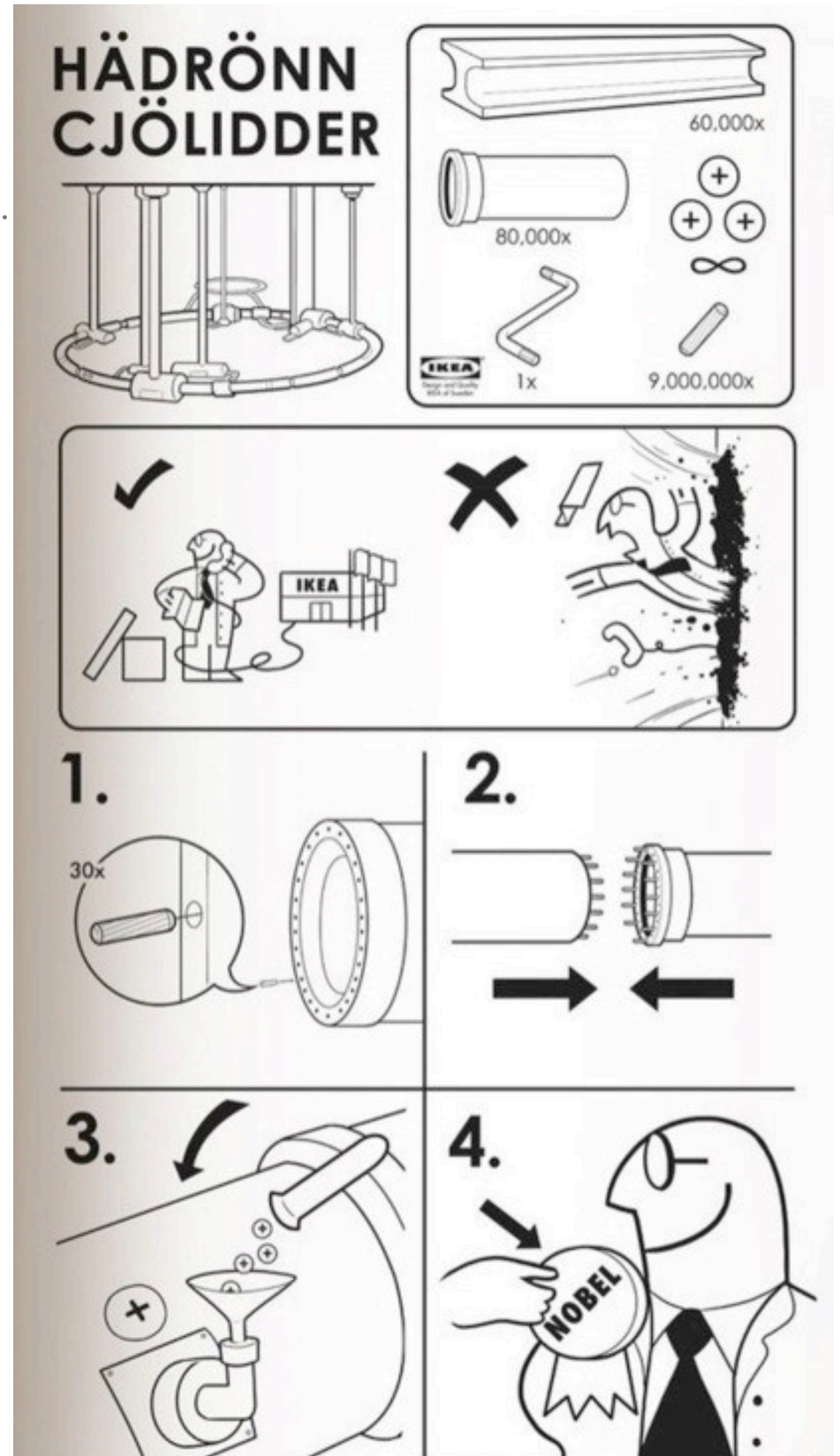
FIRST 13.6 TeV collisions THIS WEEK!!

Highest energy collisions ever produced by people...



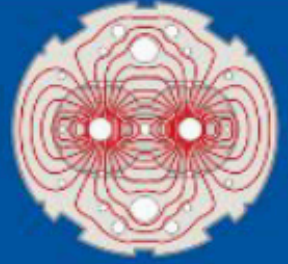
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Event: 3038977
2022-07-05 17:02:31 CEST

CURRENT COLLIDERS: LARGE HADRON COLLIDER

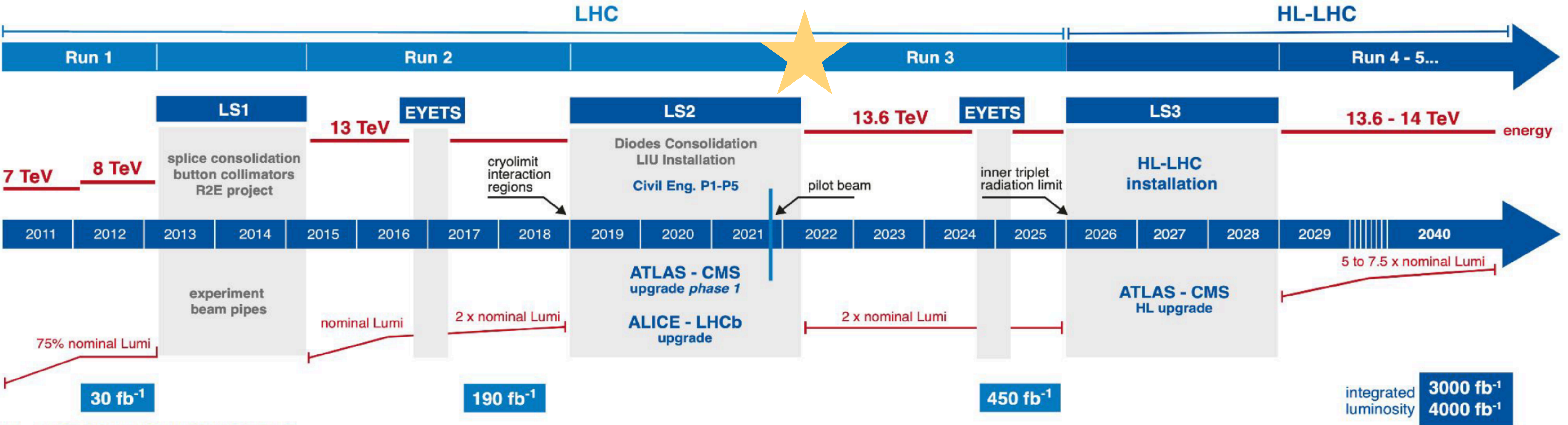


CURRENT COLLIDERS: LARGE HADRON COLLIDER

Nominal lumi = $10^{34} \text{ cm}^{-2}\text{s}^{-1}$



LHC / HL-LHC Plan



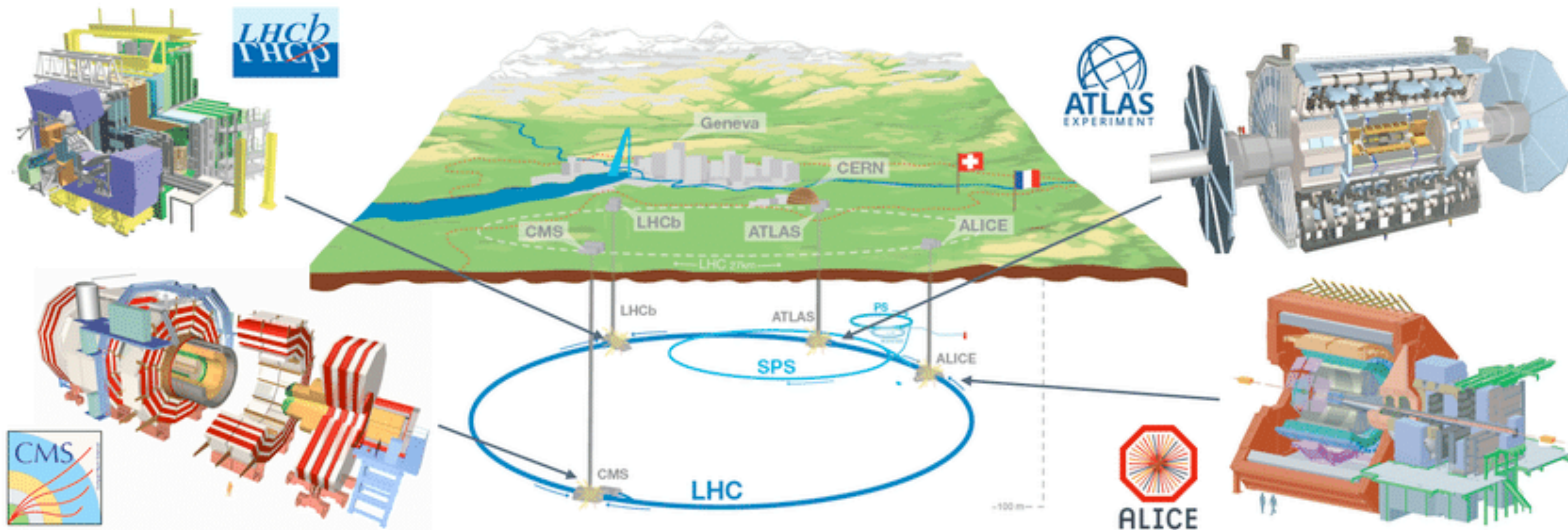
HL-LHC TECHNICAL EQUIPMENT:



HL-LHC CIVIL ENGINEERING:

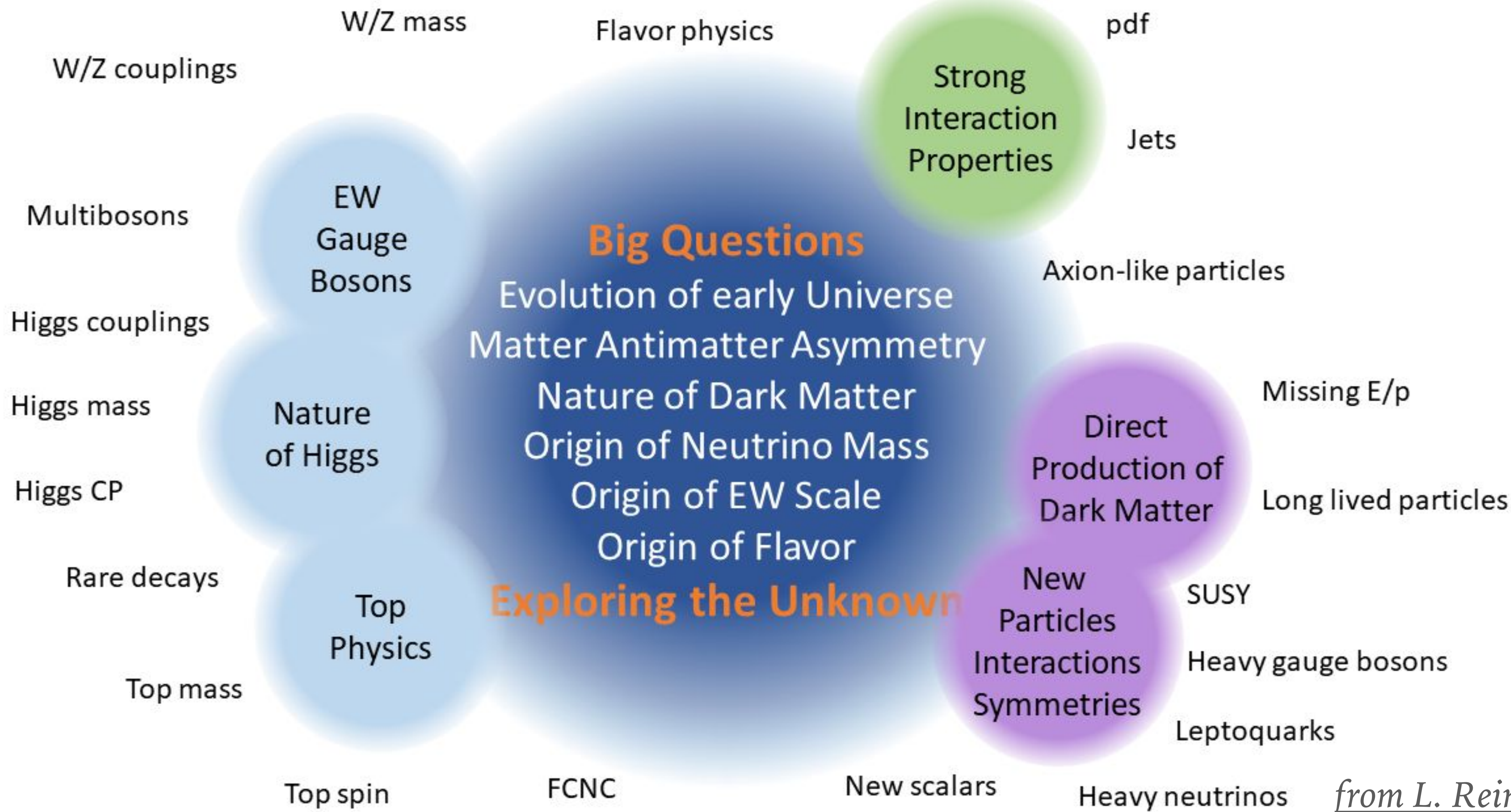


LHC EXPERIMENTS



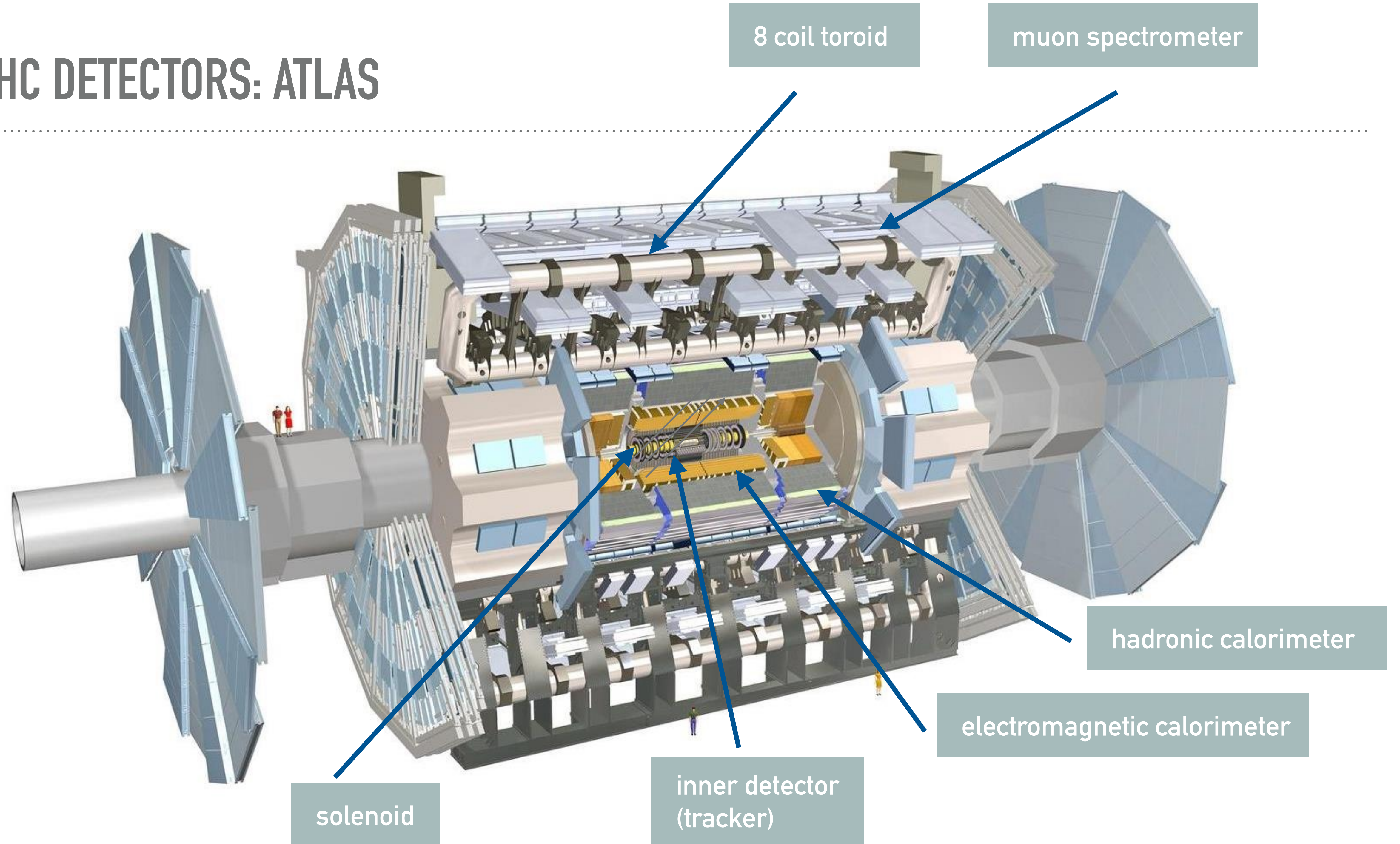
LHC DETECTORS: DESIGNED TO DETECT THESE SIGNATURES

α_s



from L. Reina

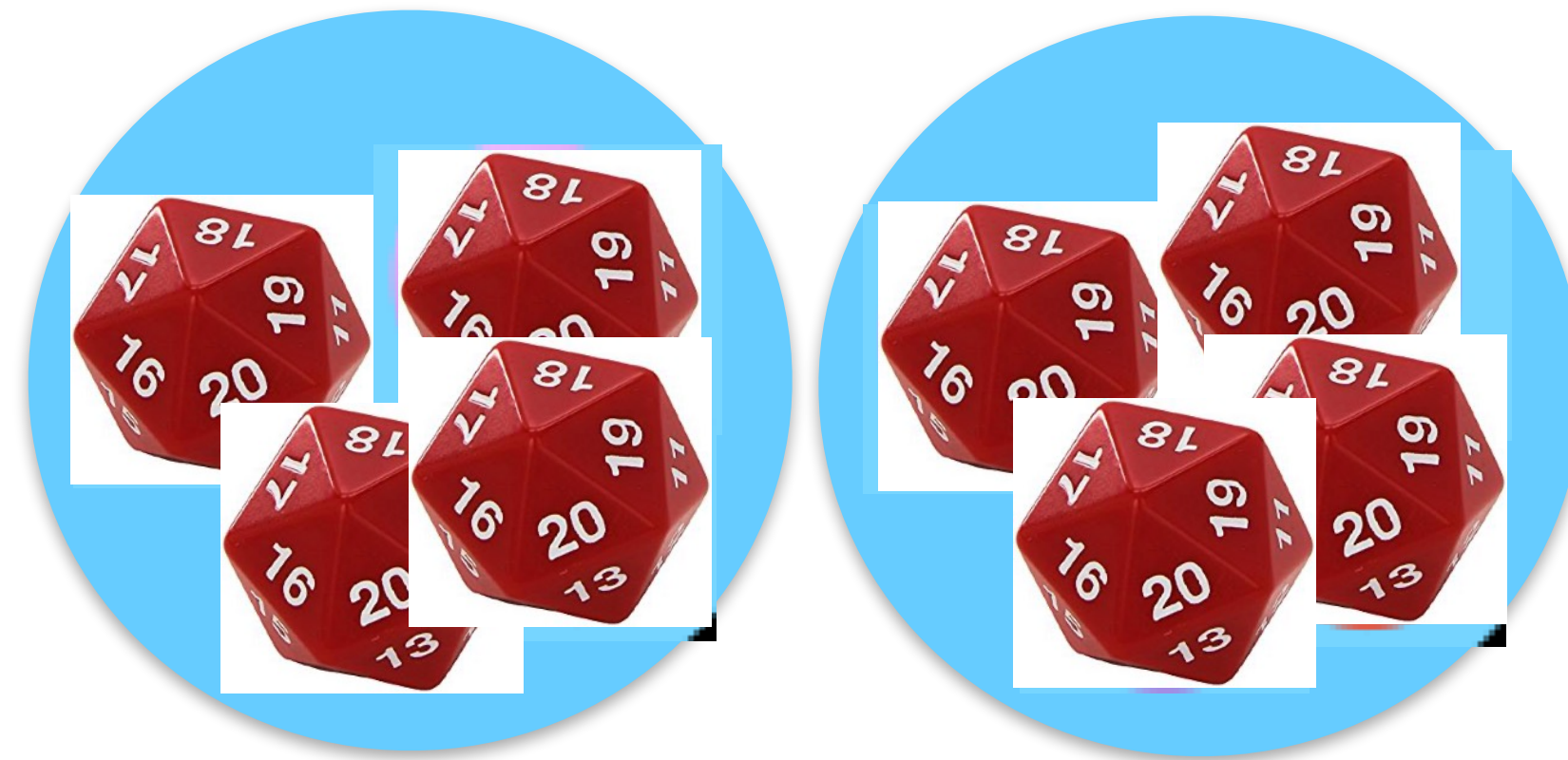
LHC DETECTORS: ATLAS



WHAT HAPPENS WHEN YOU COLLIDE PROTONS?

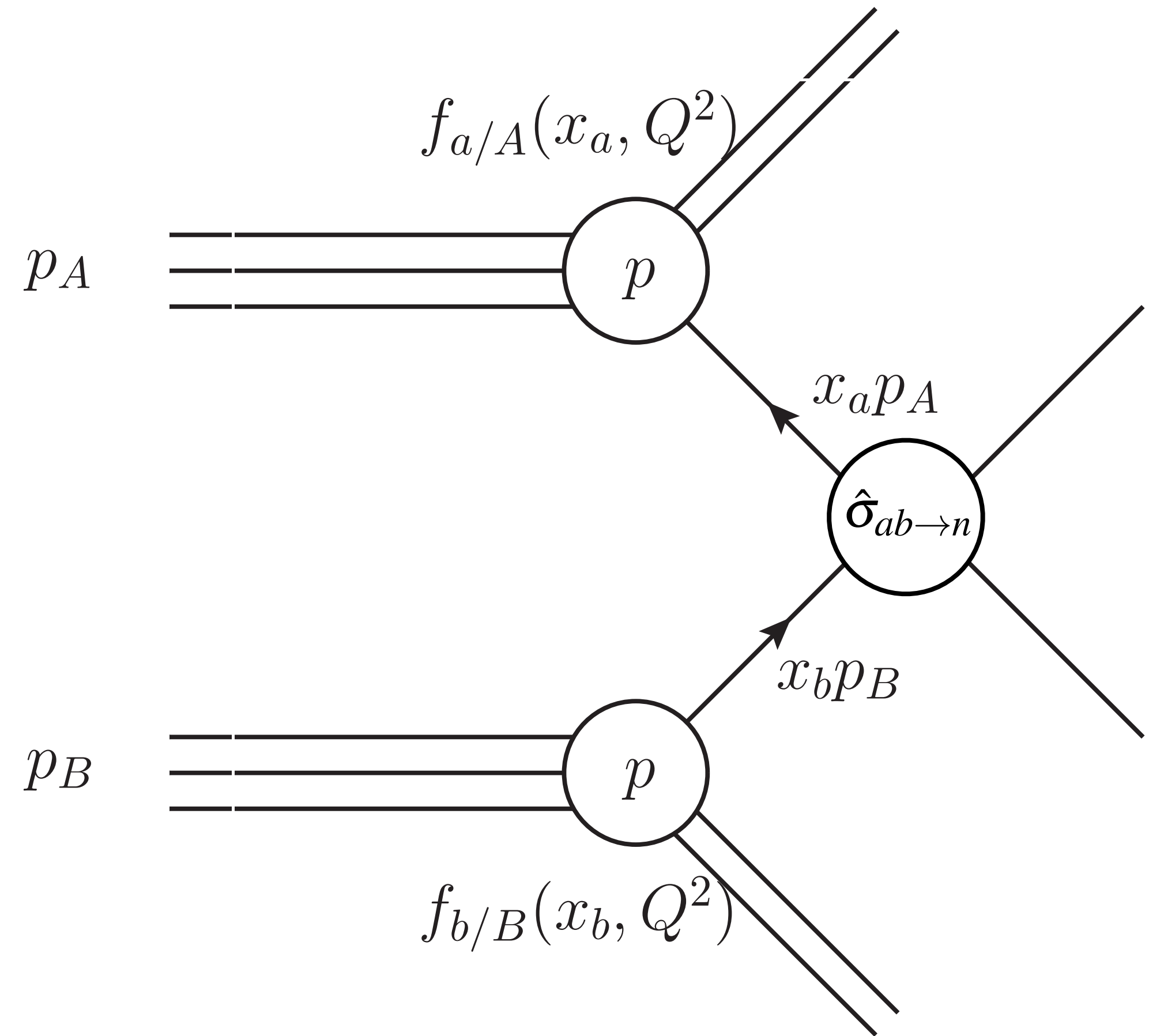
WHAT HAPPENS WHEN YOU COLLIDE PROTONS?

- Probability of interaction with given properties determined by cross-section



CALCULATING A CROSS-SECTION

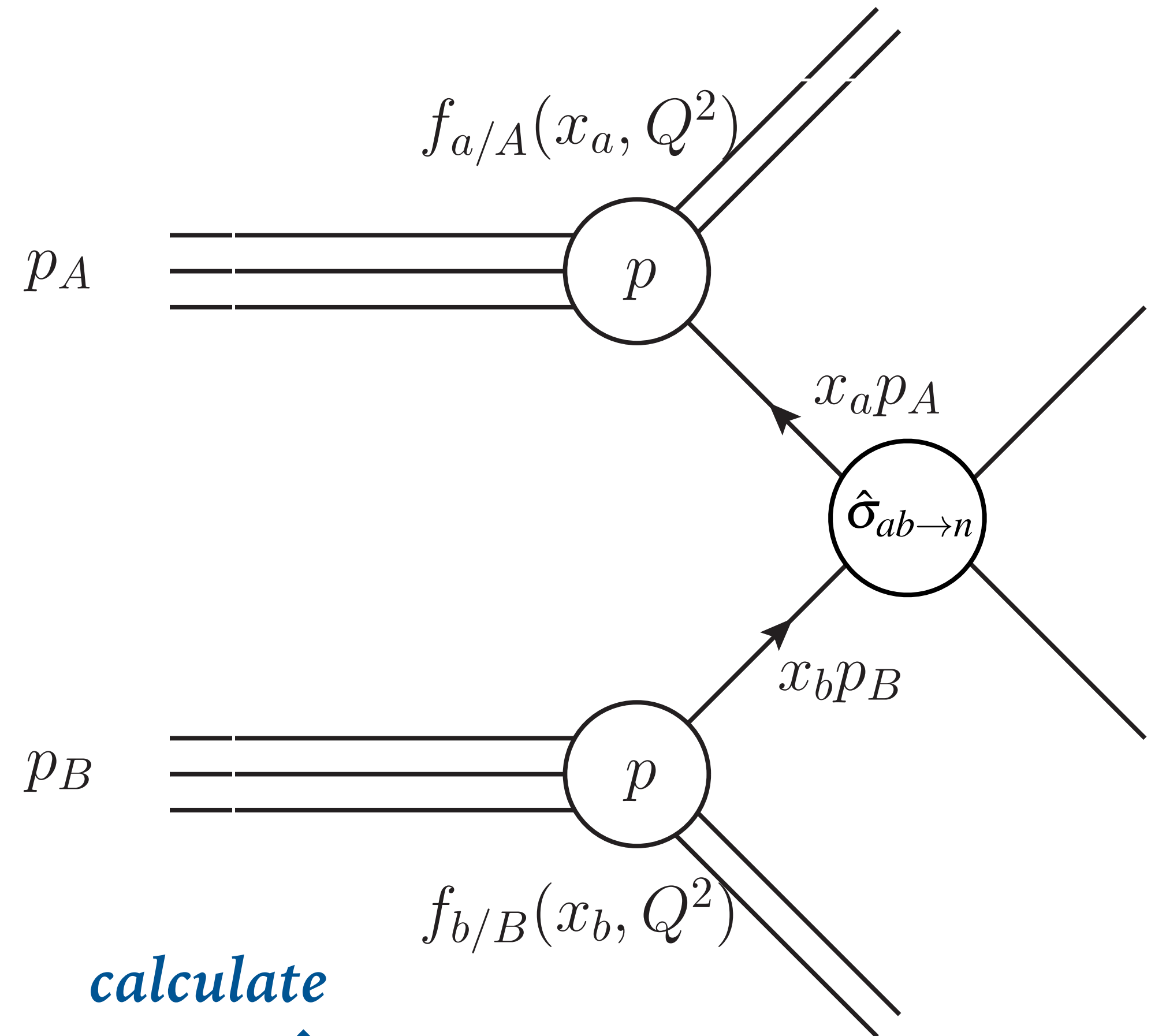
- Factorization theorem allows separation of cross section into two energy scales
 - parton-parton cross-section, $\hat{\sigma}_{ab \rightarrow n}$, at short-distances
 - parton density functions (PDFs) for long-range, non-perturbative description of proton structure
 - $f_{a/A}(x, Q^2)$ PDF for parton a in proton A
 - $x = \frac{p_a}{p_A}$ is relative momentum of parton in direction of proton's p
 - $Q^2 =$ energy scale of scattering process $\approx M_X^2 + p_T^2$ if producing particle X
- Scale separating short (cross-section) and long distance (PDF) physics is called factorization scale, μ_F
 - often set $\mu_F = Q$



$$\sigma_{P_A P_B \rightarrow n} = \sum_{ab} \int dx_a dx_b f_{a/A}(x_a, Q^2, \mu_F) f_{b/B}(x_b, Q^2, \mu_F) \hat{\sigma}_{ab \rightarrow n}(Q^2, \mu_F^2)$$

CALCULATING A CROSS-SECTION

- ▶ Factorization theorem allows separation of cross section into two energy scales
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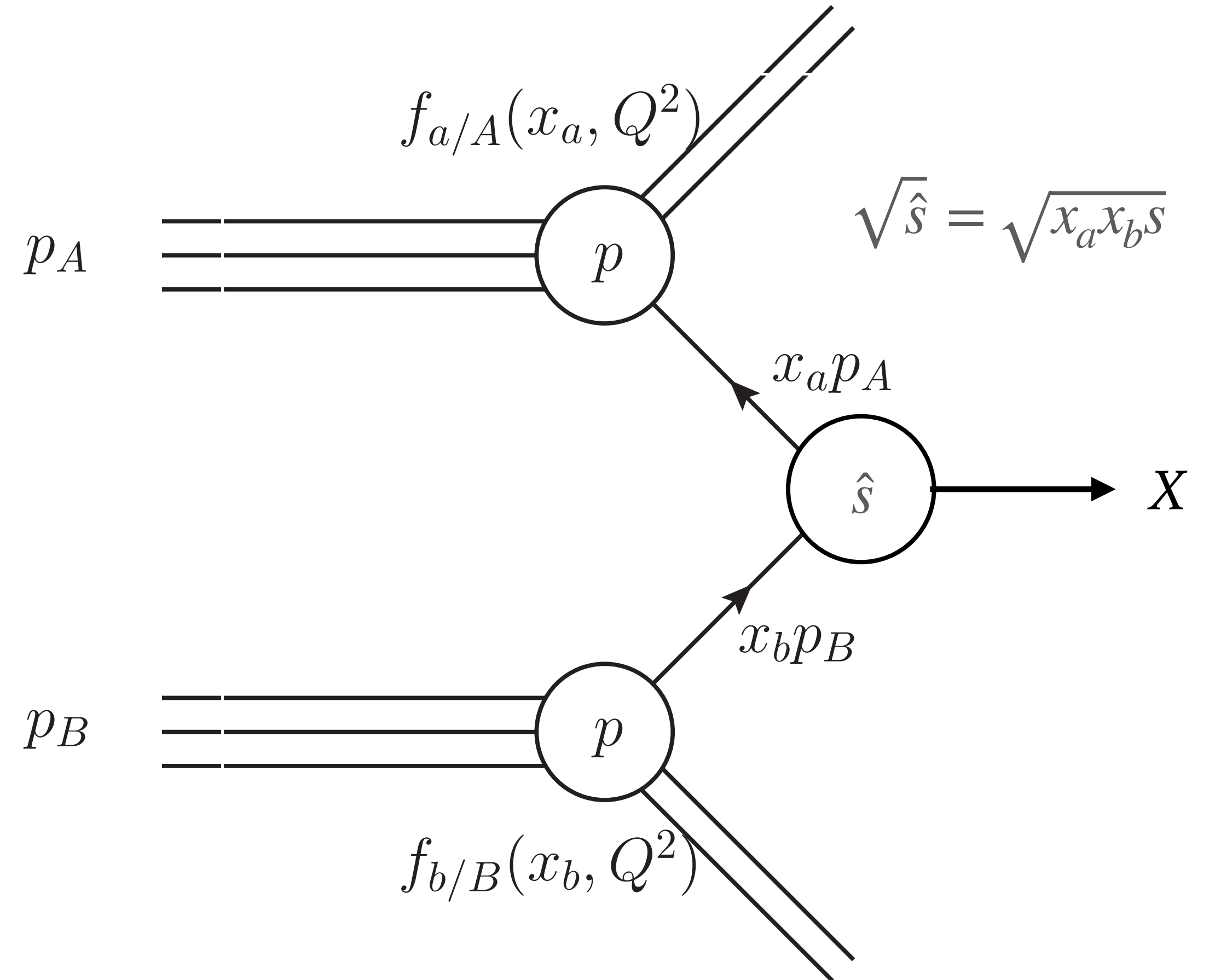
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PARTON DISTRIBUTION FUNCTIONS

► Parton collision energy for hadron energy s

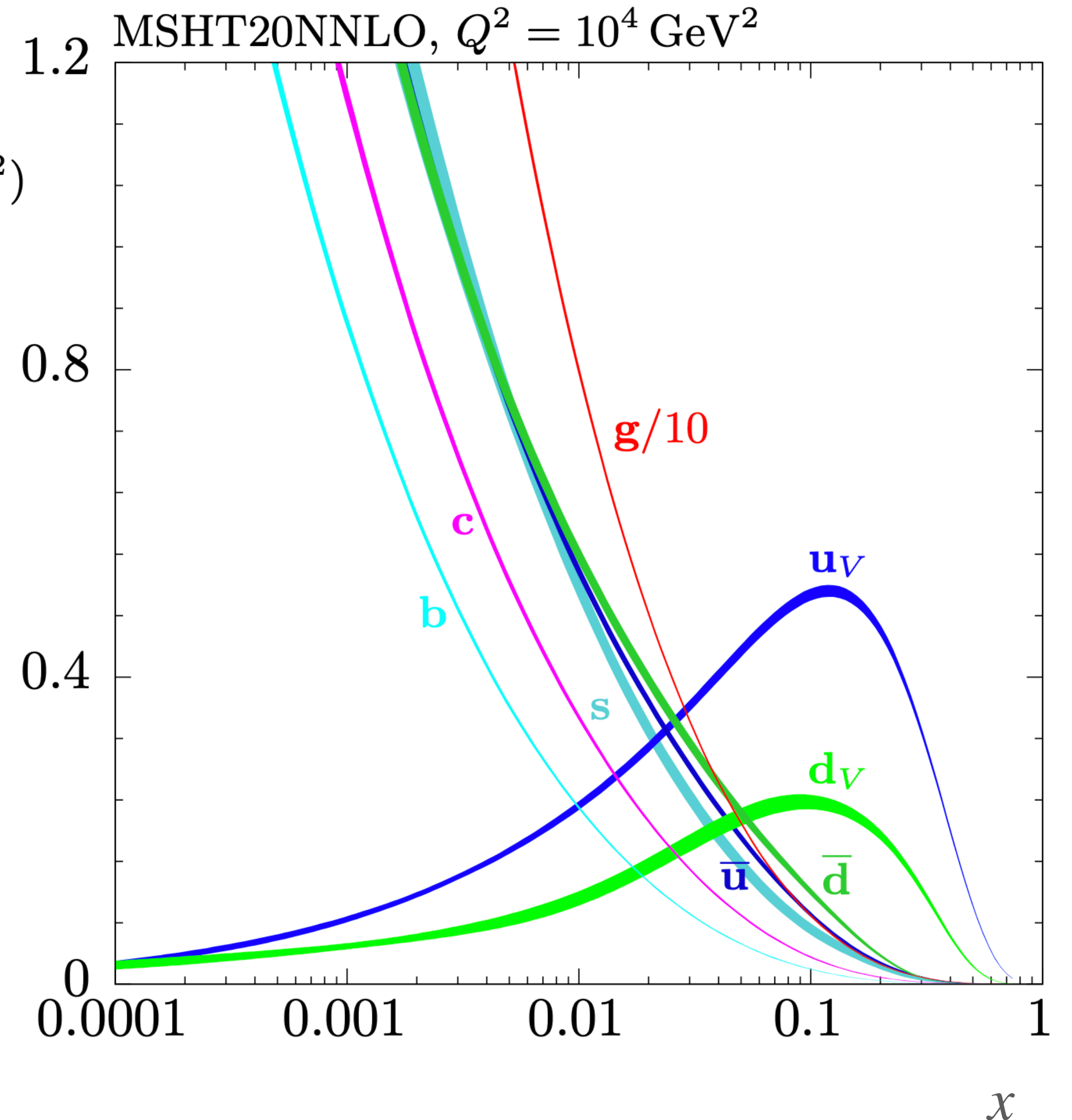
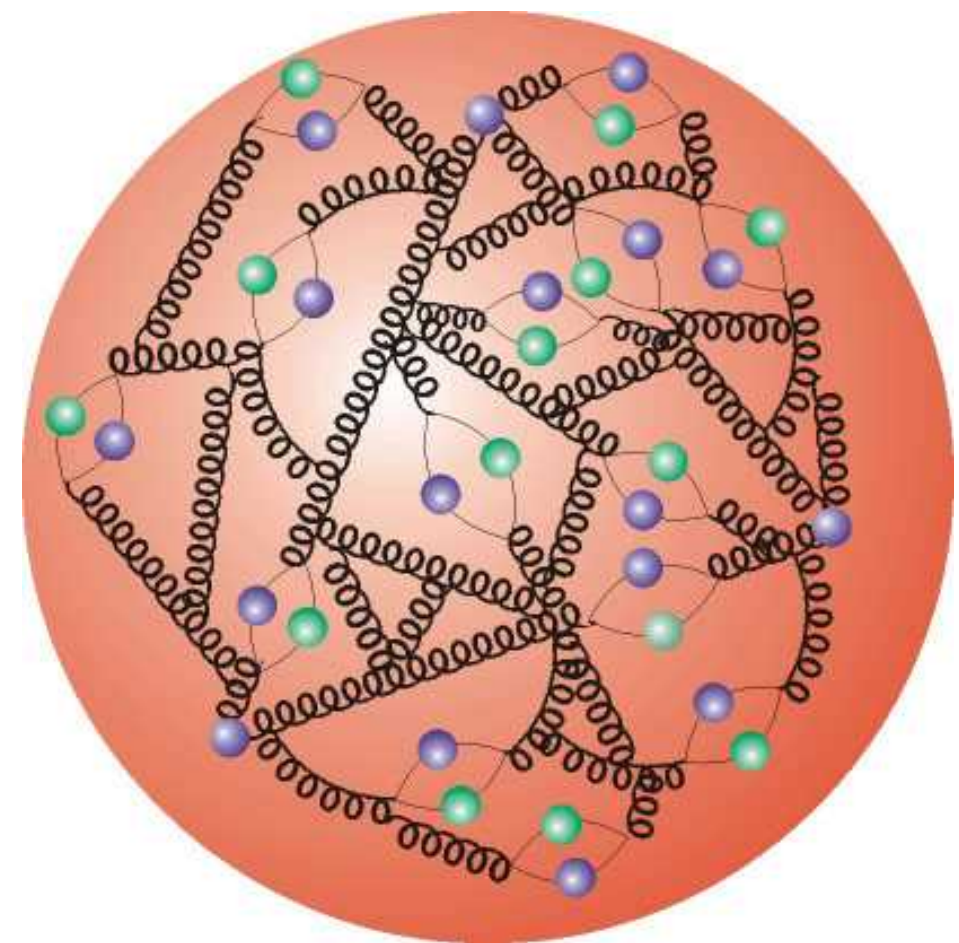
► $\hat{s} = x_a \cdot x_b \cdot s$

► $M_x = \sqrt{\hat{s}}$



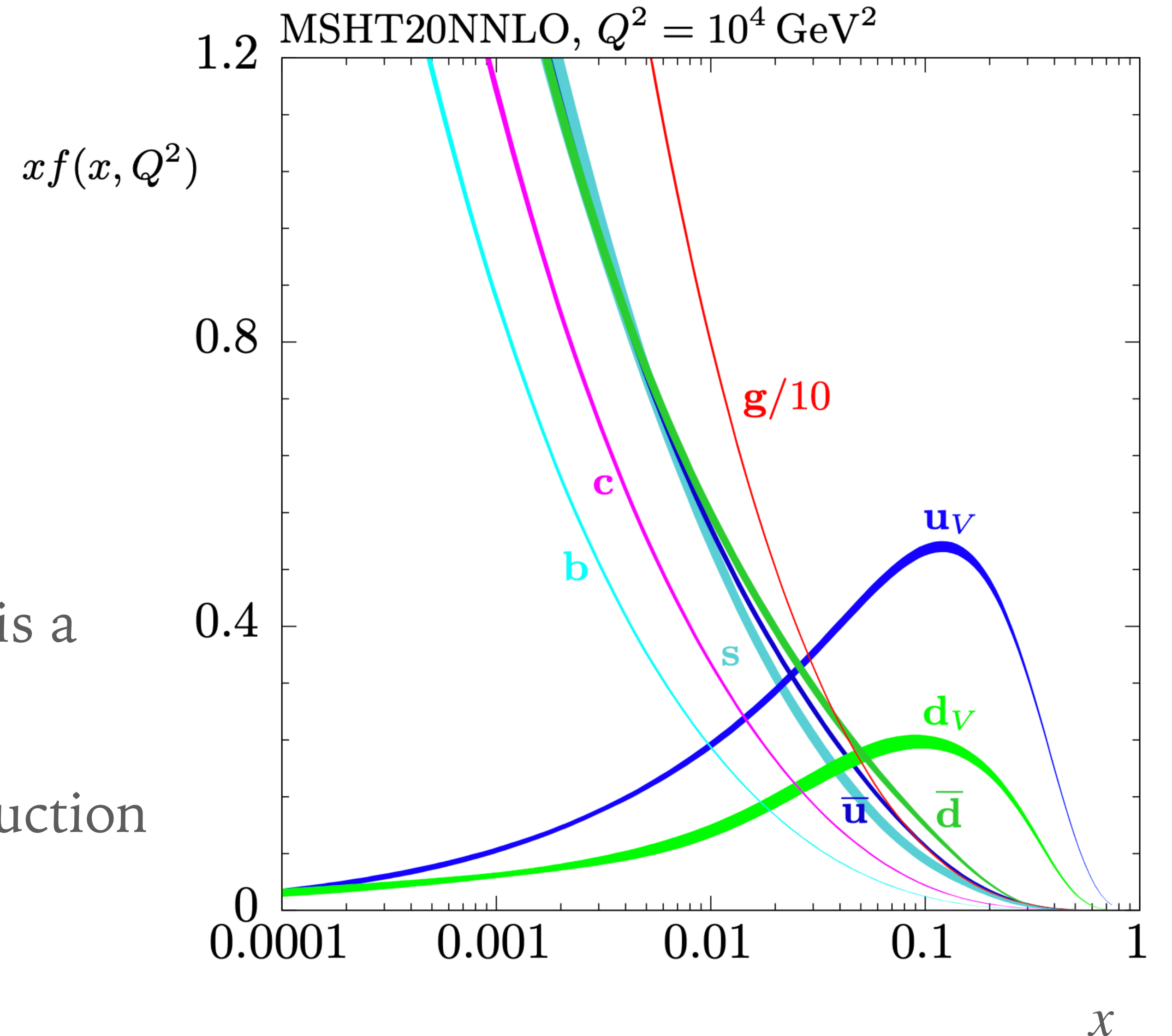
PARTON DISTRIBUTION FUNCTIONS

- ▶ Parton collision energy for hadron energy s
 - ▶ $\hat{s} = x_a \cdot x_b \cdot s$
 - ▶ $M_x = \sqrt{\hat{s}}$
- ▶ Proton composition is complicated
 - ▶ mixture of valence quarks, gluons, sea quarks
 - ▶ exact mixture depends on Q^2 and x



PARTON DISTRIBUTION FUNCTIONS

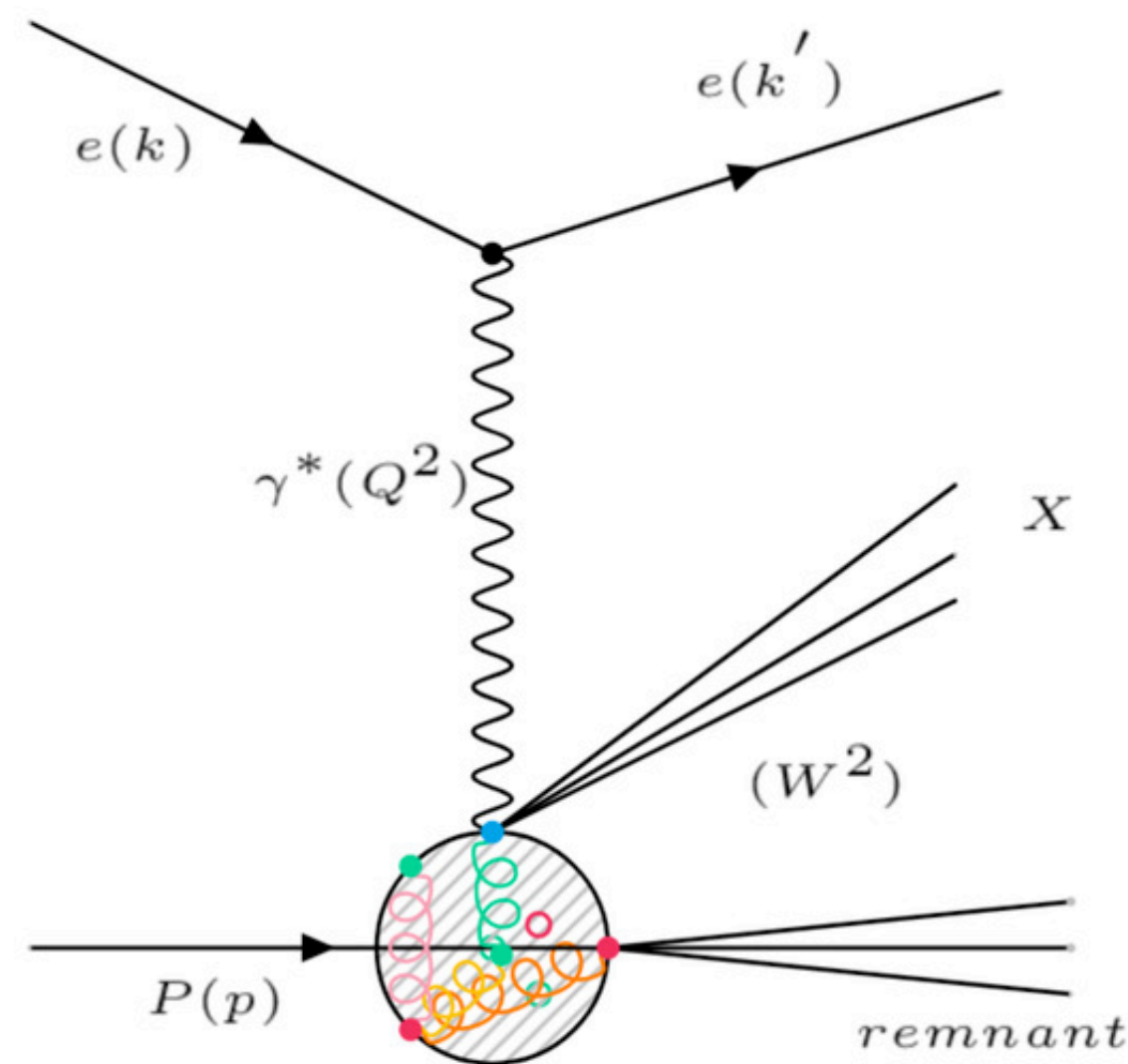
- Examples from LHC
 - 125 GeV Higgs:
 - $\langle x_p \rangle \approx 125/13000 \approx 0.01$
 - 2 TeV Gluino, pair-produced
 - $\langle x_p \rangle \approx 4000/13000 \approx 0.3$
- For SM and all but heaviest BSM, LHC is a gluon collider
- Steep rise of partons at low x \rightarrow production rates strongly decrease with M_x



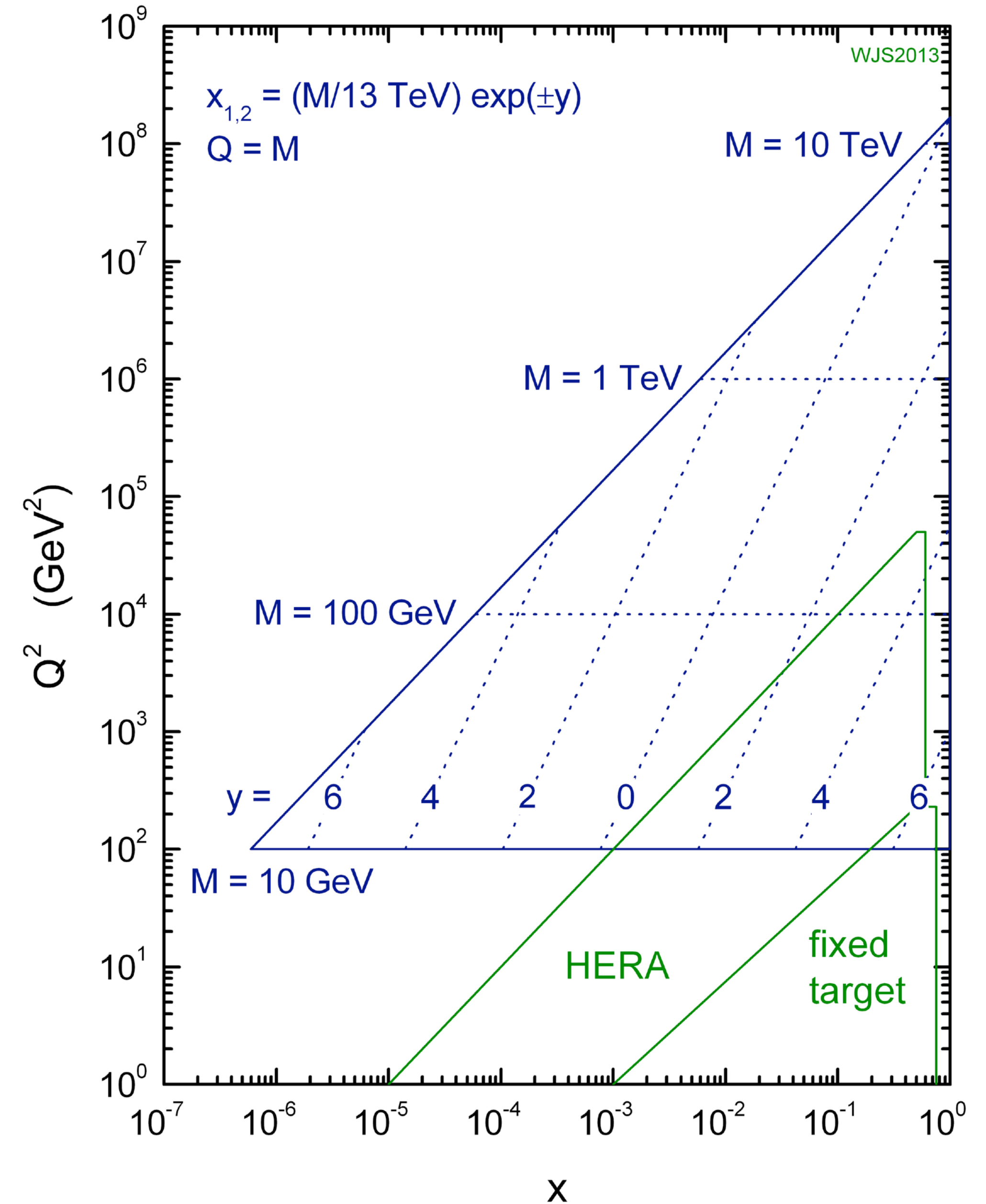
MEASURING PDFS

► Lepton-hadron colliders

- HERA, electron-proton collider at DESY (1992-2007)
- Measured full x range, at $Q^2 \approx 20$ or less
- Use DGLAP evolution equations to extrapolate to higher energy scales

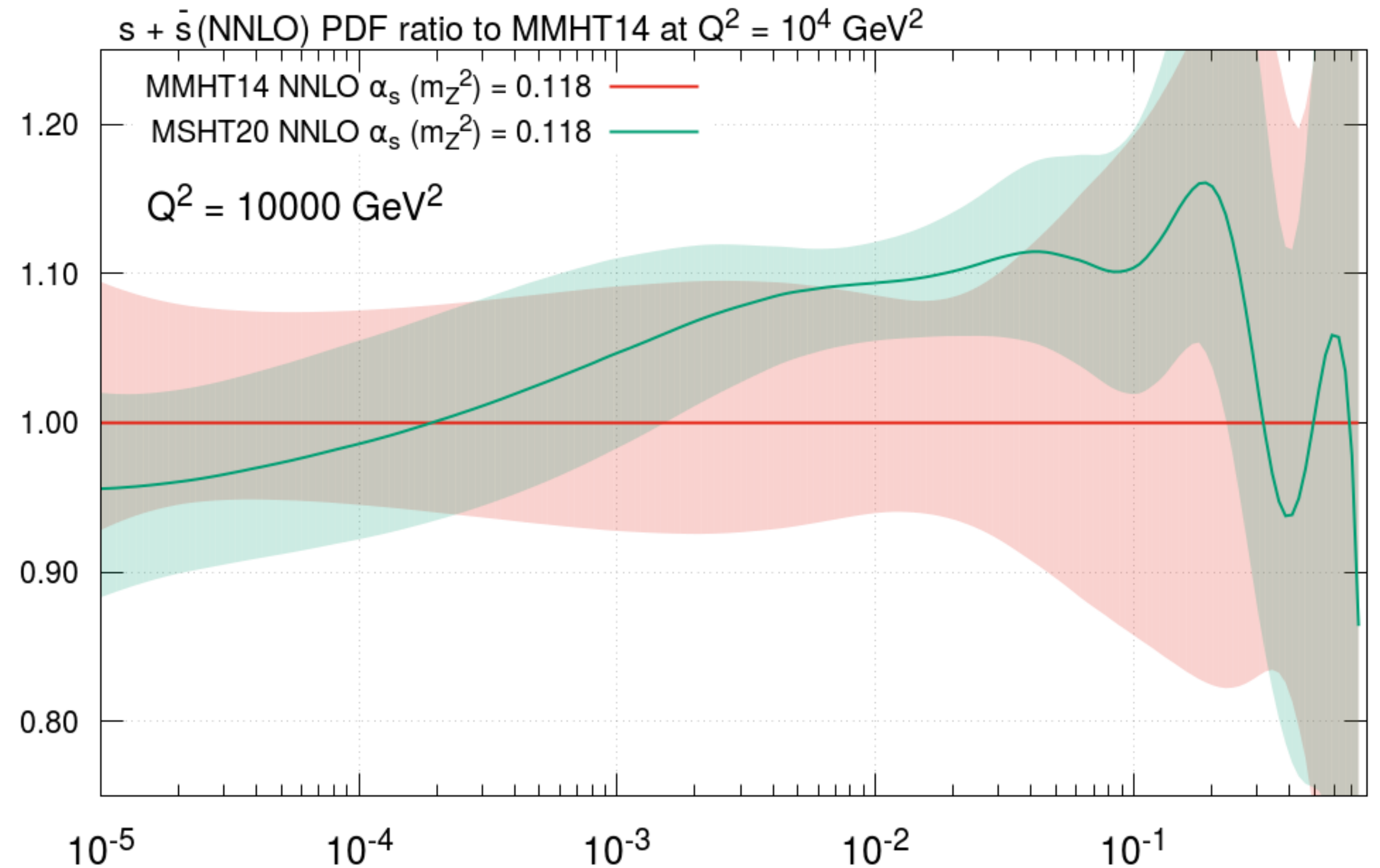


13 TeV LHC parton kinematics



MEASURING PDFs

- ▶ Lepton-hadron colliders
- ▶ **Constraints from LHC, Tevatron, fixed target experiments**
- ▶ W , Z and $t\bar{t}$ precision measurements at 7, 8 TeV constrain PDFs
- ▶ for example, significant increase in strange quark contribution at $x \approx 0.01$ from ATLAS W measurements



<https://arxiv.org/abs/2012.04684>

WHAT HAPPENS WHEN YOU COLLIDE PROTONS (PREDICTIONS)

WHAT HAPPENS WHEN YOU COLLIDE PROTONS

- Steep rise of partons at low x \rightarrow production rates strongly decrease with M_x

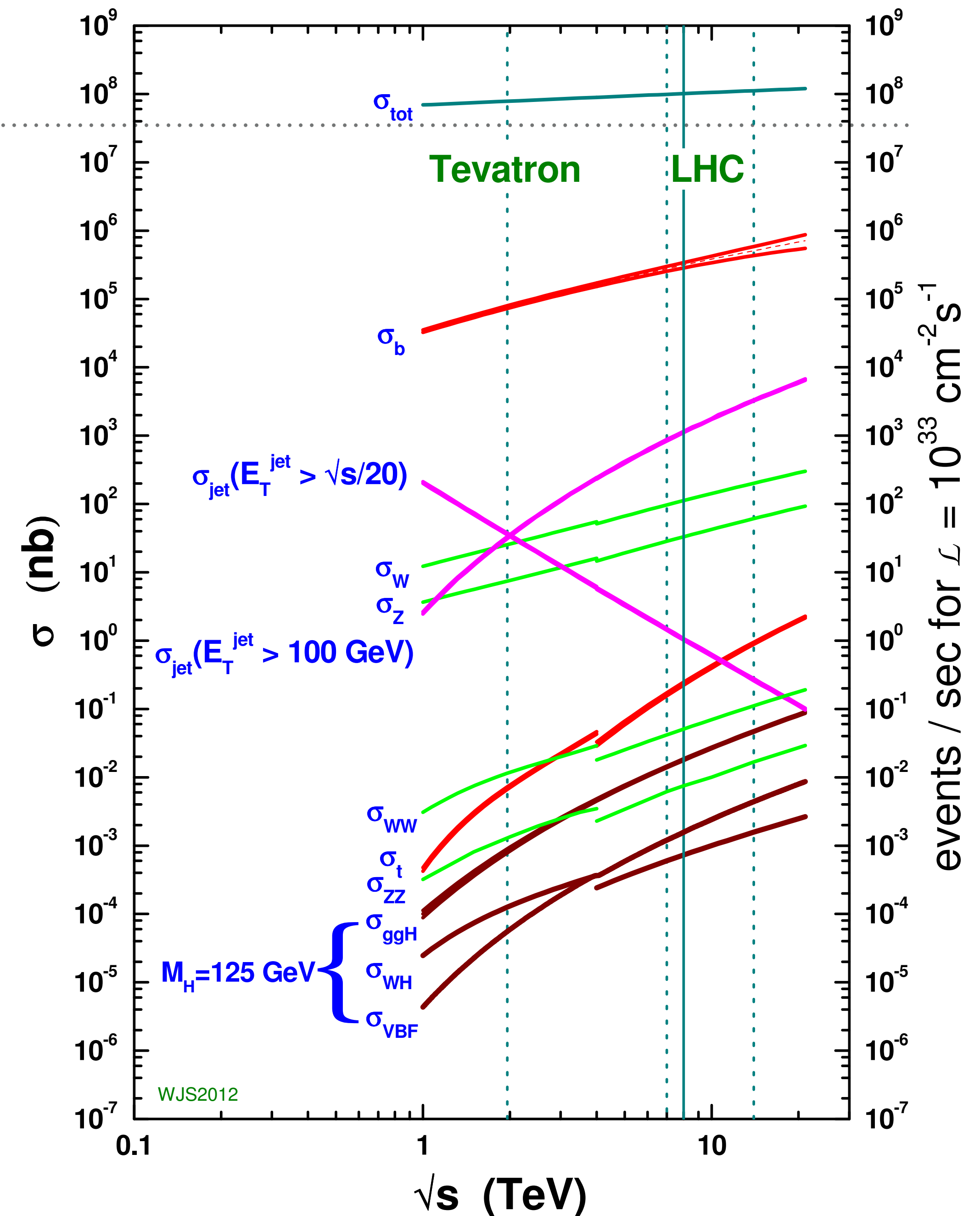
Roughly at 13 TeV

Process	Rate at $2 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ [Hz]
any interaction	10^9
bottom production	10^7
jets $p_T > 100 \text{ GeV}$	5×10^4
W bosons	5×10^3
top quarks	10
Higgs	1
Higgs $\rightarrow \gamma\gamma$	0.002

Event Rates at ATLAS

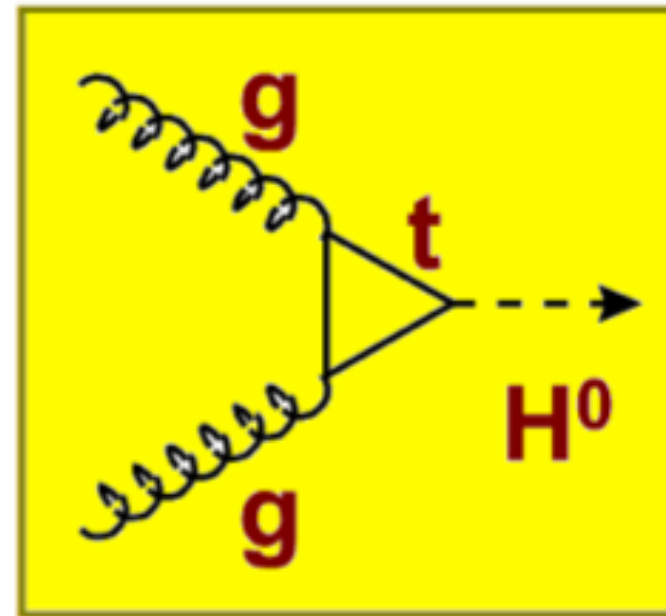
Events	Event Rate [Hz]
Beam crossings	4×10^7
Trigger at Level 1	10^5
Recorded to Disk	10^3

proton - (anti)proton cross sections

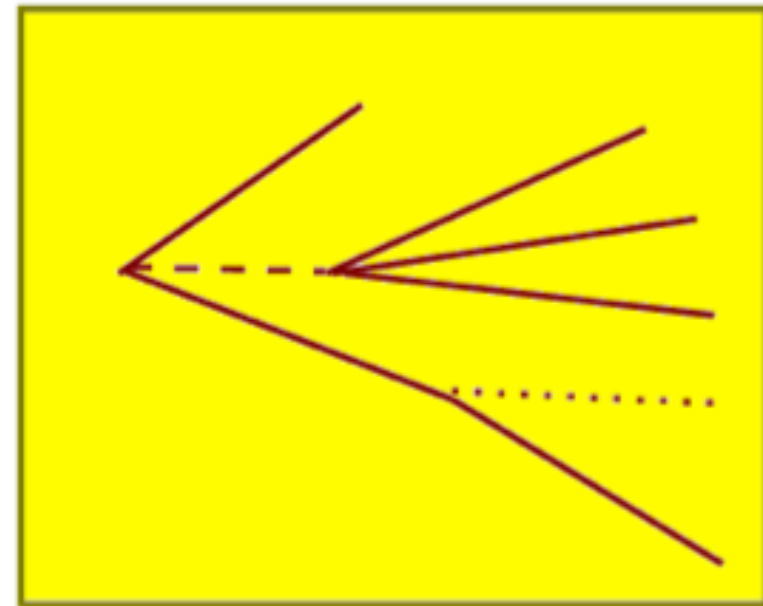


WHAT HAPPENS WHEN YOU COLLIDE PROTONS? (MORE CONCRETELY)

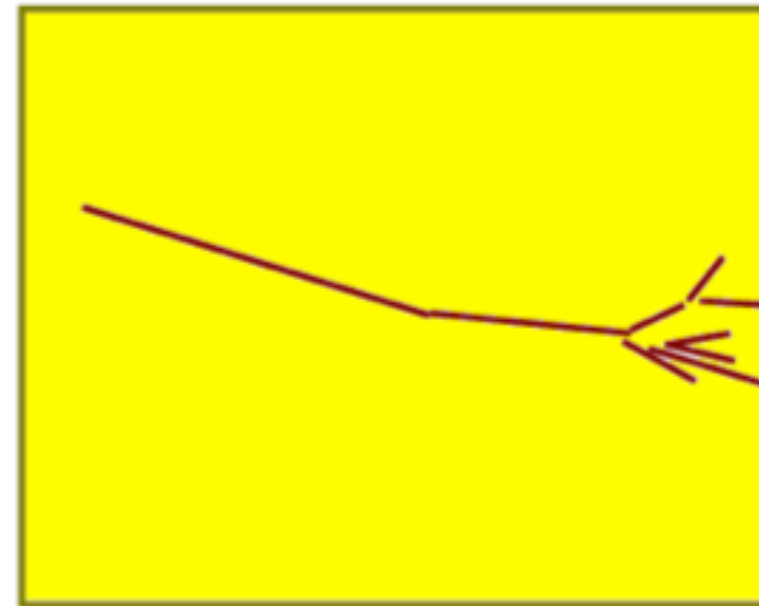
FROM PHYSICS TO RAW DATA



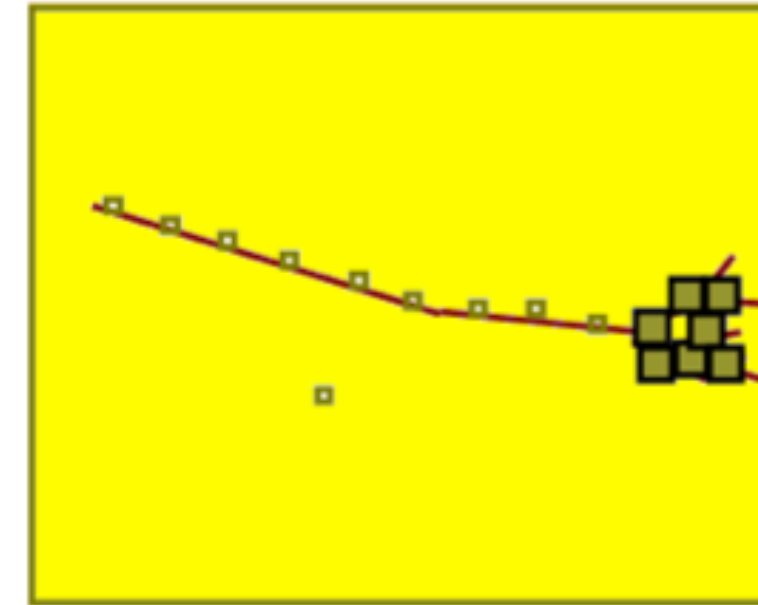
Basic physics



**Fragmentation,
Decay**



**Interaction with
detector material**
Multiple scattering,
interactions



**Detector
response**
Noise, pile-up,
cross-talk,
inefficiency,
ambiguity,
resolution,
response
function,
alignment



Raw data
Read-out
addresses,
ADC, TDC
values,
Bit patterns

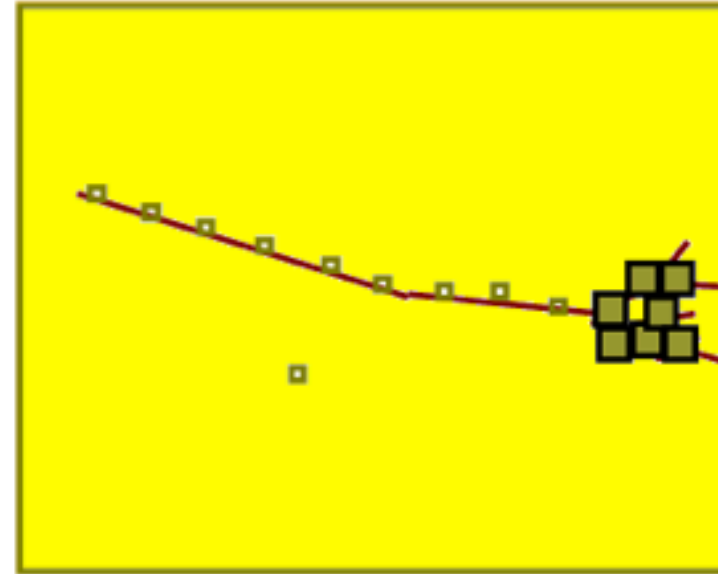
```
2037 2446 1733 1699
4003 3611 952 1328
2132 1870 2093 3271
4732 1102 2491 3216
2421 1211 2319 2133
3451 1942 1121 3429
3742 1288 2343 7142
```

FROM RAW DATA TO PHYSICS

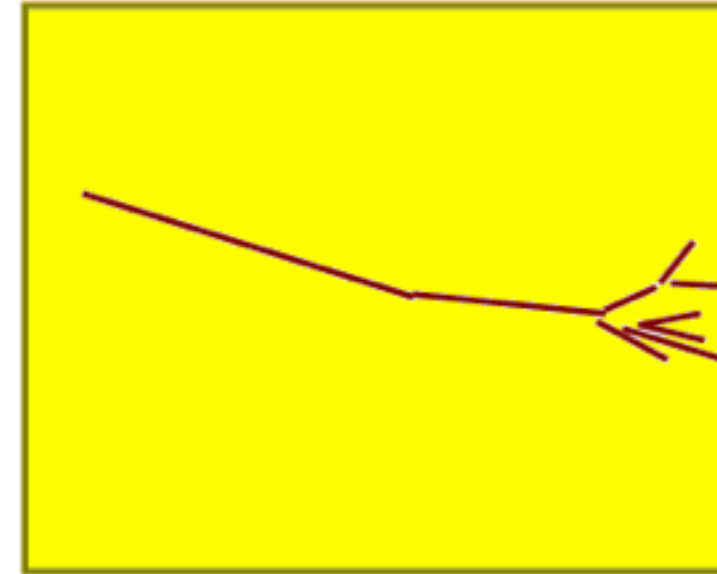
2037 2446 1733 1699
4003 3611 952 1328
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4732 1102 2491 3216
2421 1211 2319 2133
3451 1942 1121 3429
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Raw data

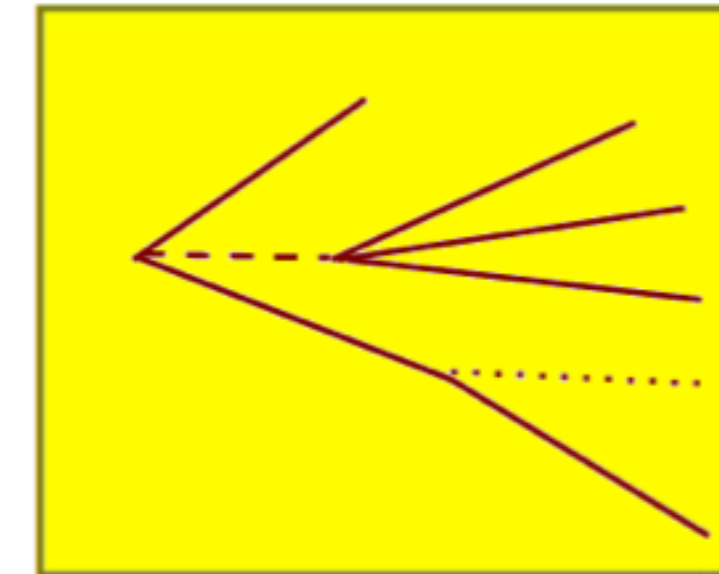
**Convert to
physics
quantities**



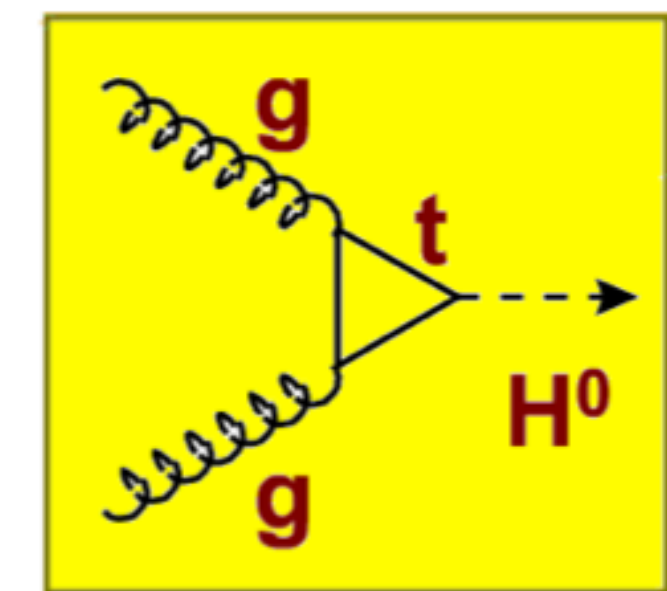
**Detector
response
apply
calibration,
alignment**



**Interaction with
detector material
Pattern,
recognition,
Particle
identification**



**Fragmentation
Decay
Physics
analysis**



Basic physics

Results

Reconstruction

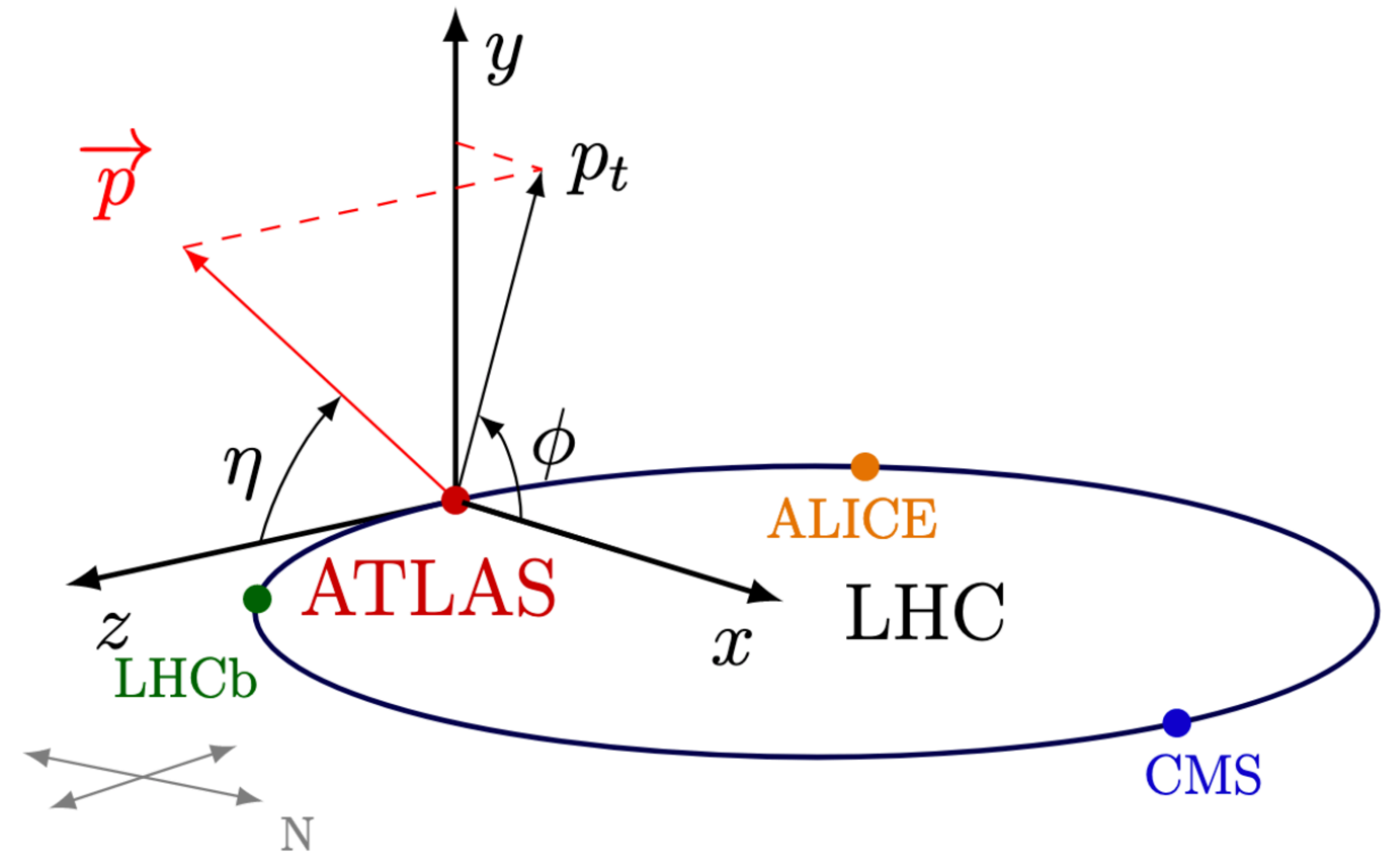
Analysis

Simulation (Monte-Carlo)

SCATTERING KINEMATICS

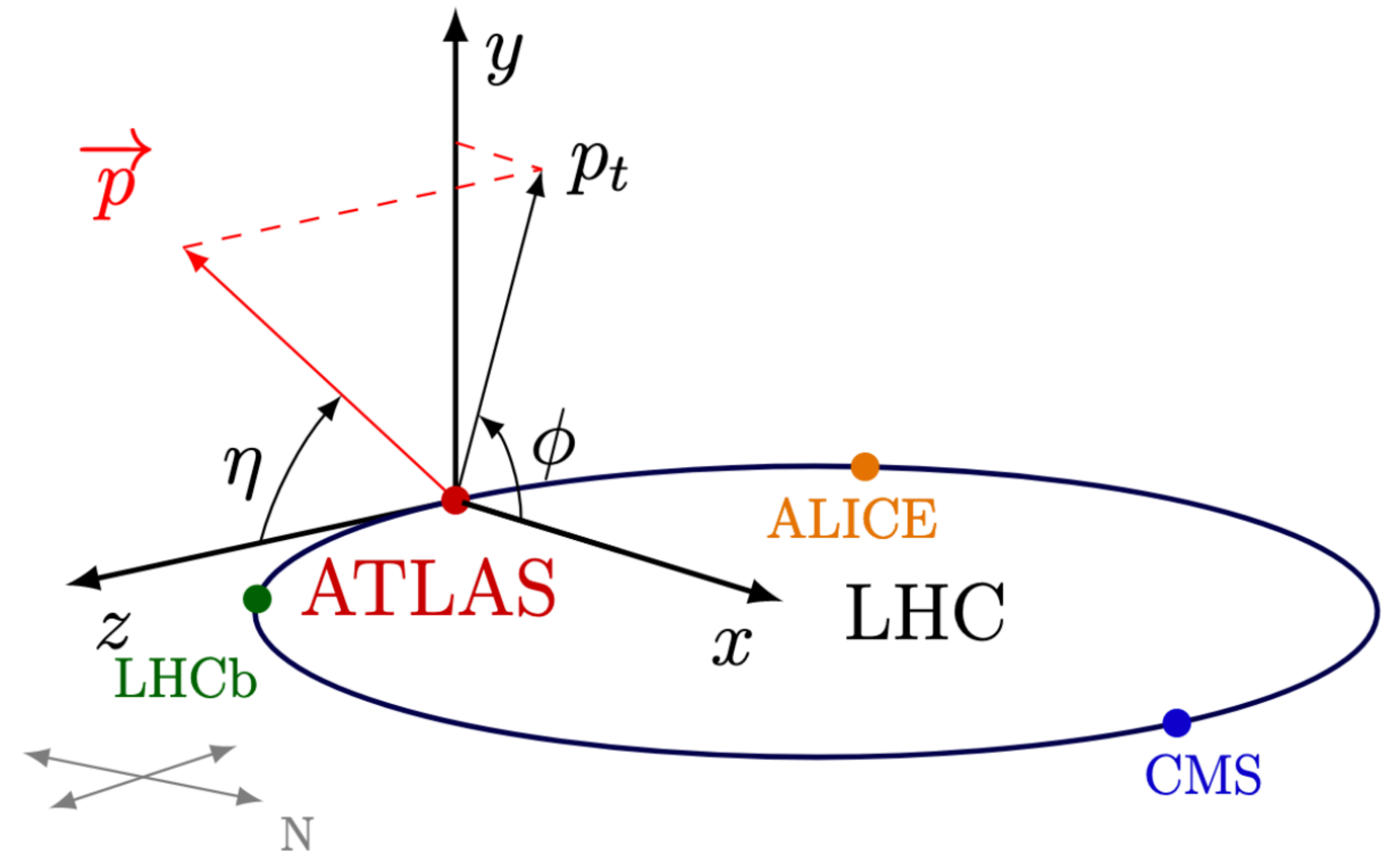
► **Detector coordinates: x, y, z or θ, ϕ, R**

- Polar angle θ
- Not Lorentz invariant



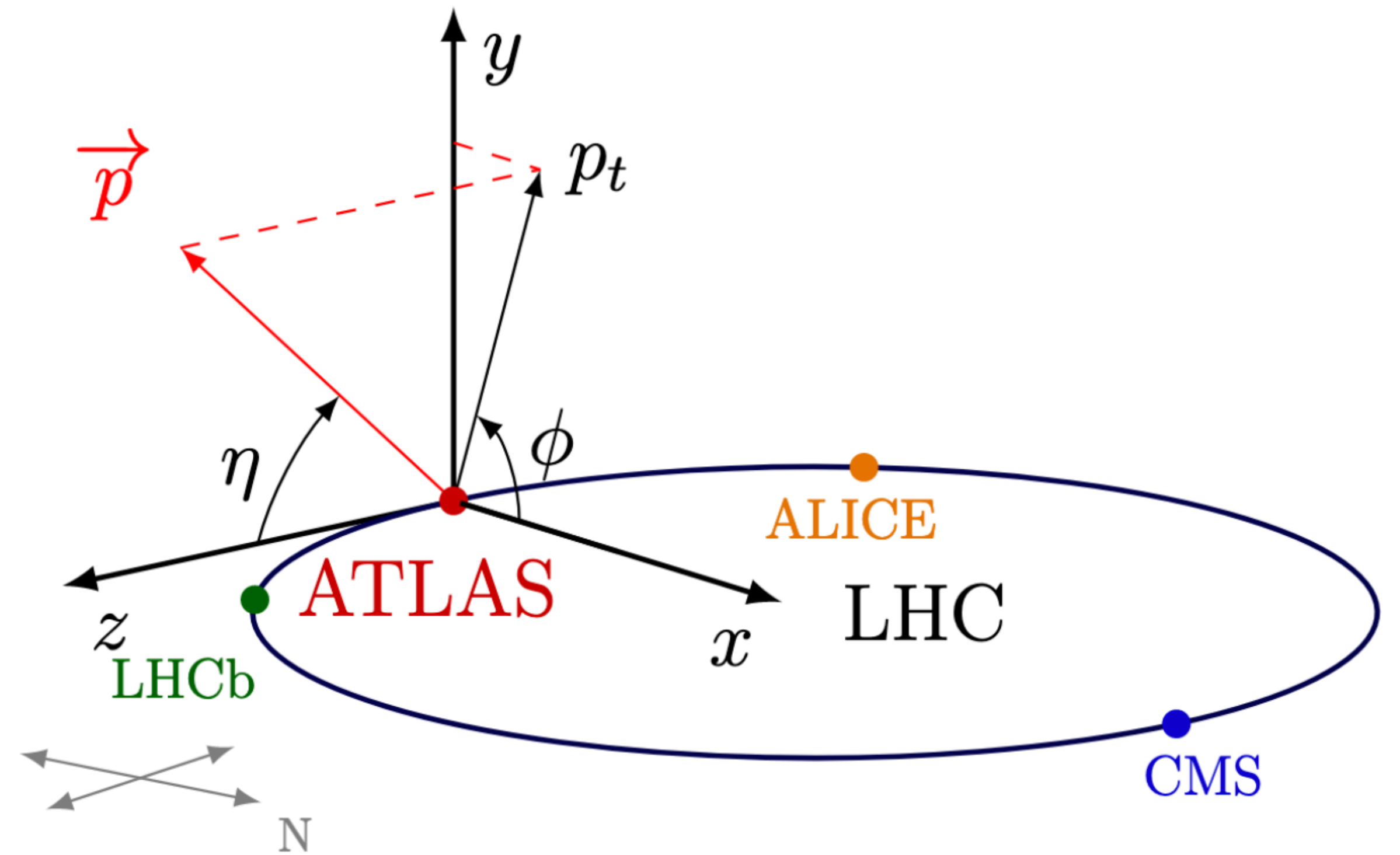
SCATTERING KINEMATICS

- ▶ Detector coordinates: x, y, z or θ, ϕ, R
 - ▶ Polar angle θ
 - ▶ Not Lorentz invariant
- ▶ **Rapidity**
 - ▶
$$y = \frac{1}{2} \ln \left[\frac{E + p_L}{E - p_L} \right]$$
 - ▶ where $p_L = p$ along the beam line (z)
 - ▶ Δy invariant to boosts along beam line



SCATTERING KINEMATICS

- ▶ Detector coordinates: x, y, z or θ, ϕ, R
 - ▶ Polar angle θ
 - ▶ Not Lorentz invariant
- ▶ Rapidity
 - ▶ $y = \frac{1}{2} \ln \left[\frac{E + p_L}{E - p_L} \right]$
 - ▶ where $p_L = p$ along the beam line (z)
 - ▶ Δy invariant to boosts along beam line
- ▶ **Pseudo-rapidity**
 - ▶ For massless particles, $y = \eta$
 - ▶ $\eta = -\ln[\tan(\theta/2)]$



SCATTERING KINEMATICS

► For production of particle X with mass M_X

► $\hat{s} = M_x^2$

► $e^y = \sqrt{\frac{x_a}{x_b}}$ and $x_{a,b} = \frac{M}{\sqrt{s}} e^{\pm y}$

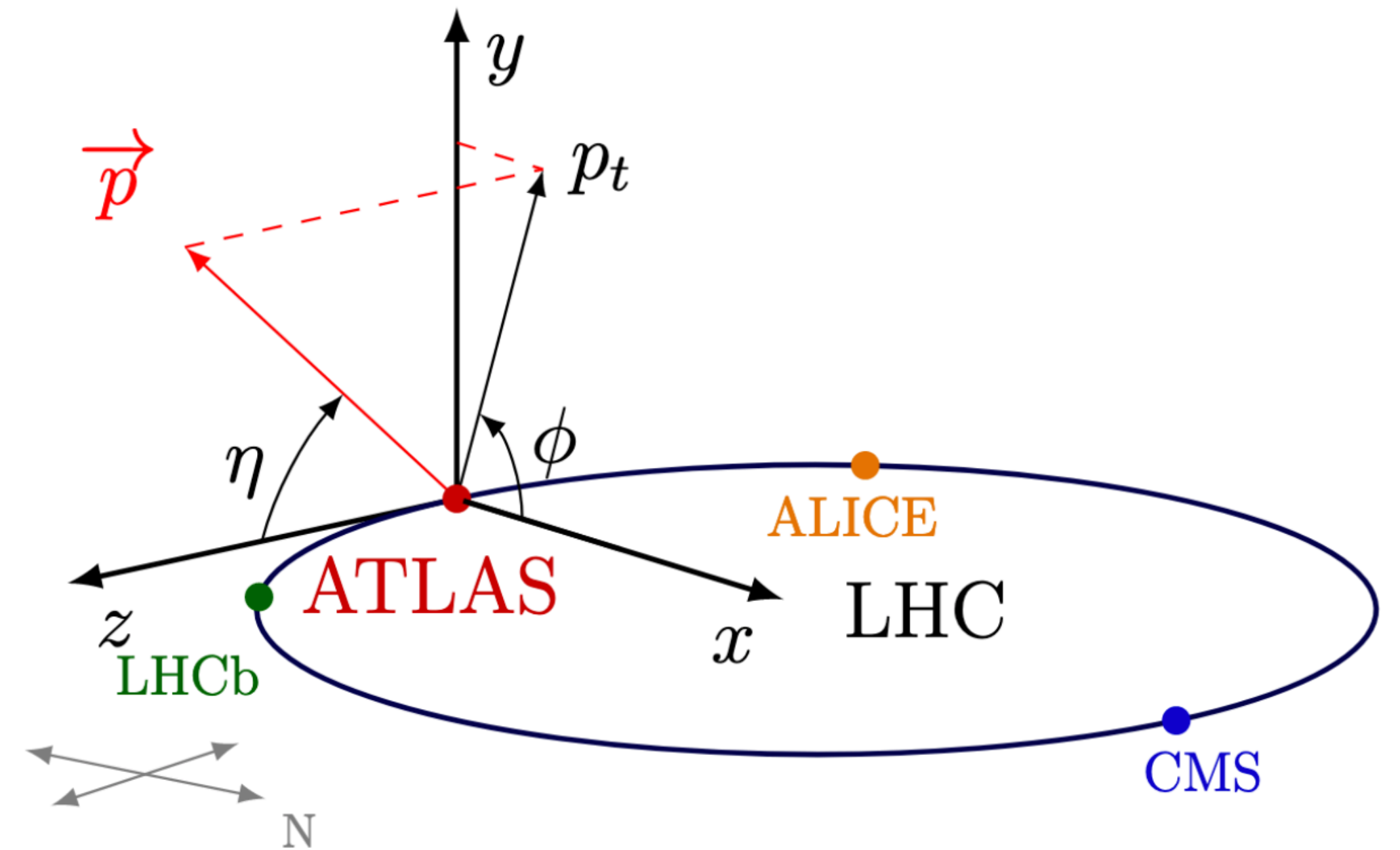
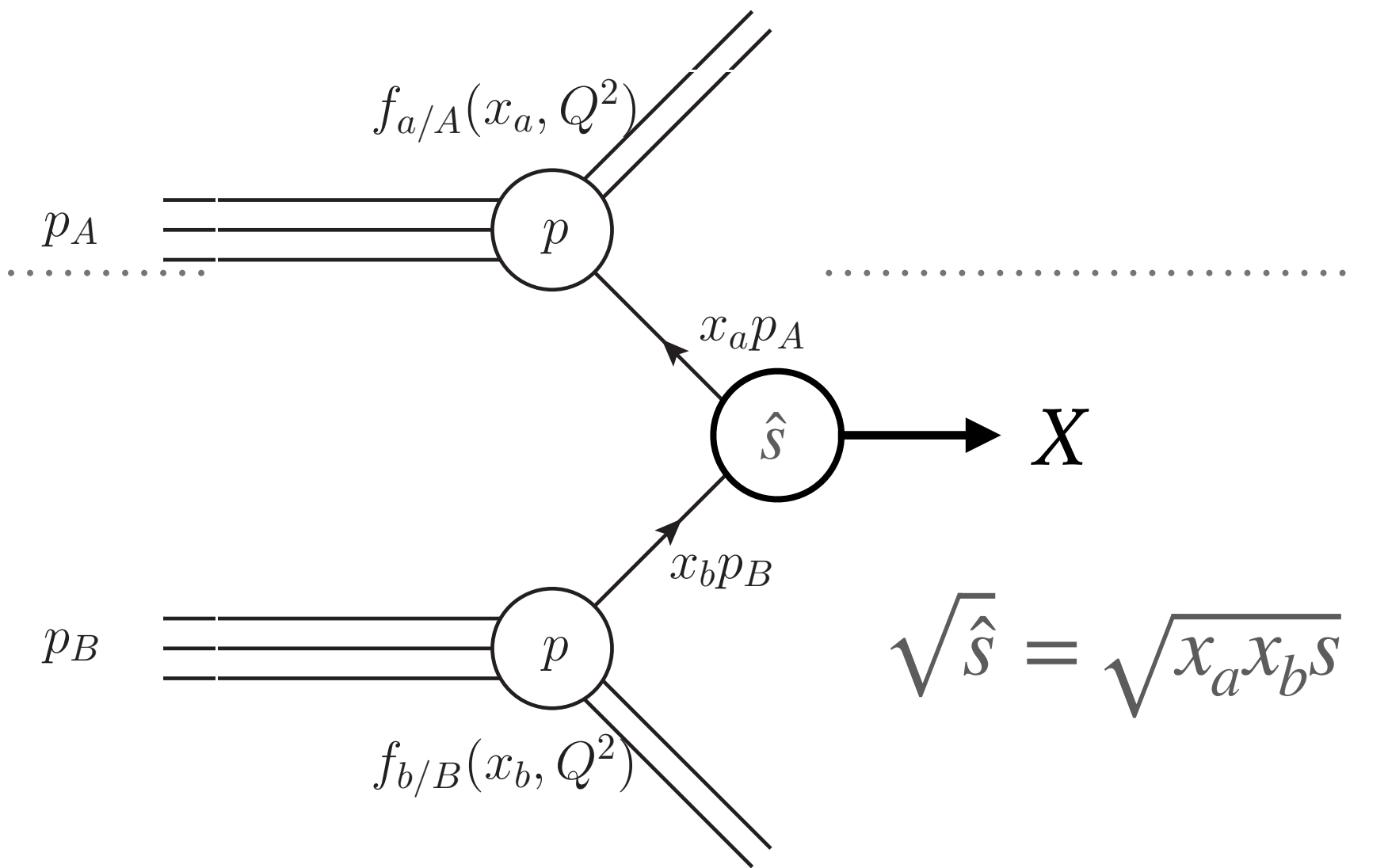
► Large M

► both x have to be large and not too dissimilar

► $e^y \rightarrow 1$, ie, $y \rightarrow 0$, centrally produced

► Small M

► differing x, large boost \rightarrow large η



SCATTERING KINEMATICS

► For production of particle X with mass M_X

► $\hat{s} = M_x^2$

► $e^y = \sqrt{\frac{x_a}{x_b}}$ and $x_{a,b} = \frac{M}{\sqrt{s}} e^{\pm y}$

► Large M

► both x have to be large and not too dissimilar

► $e^y \rightarrow 1$, ie, $y \rightarrow 0$, centrally produced

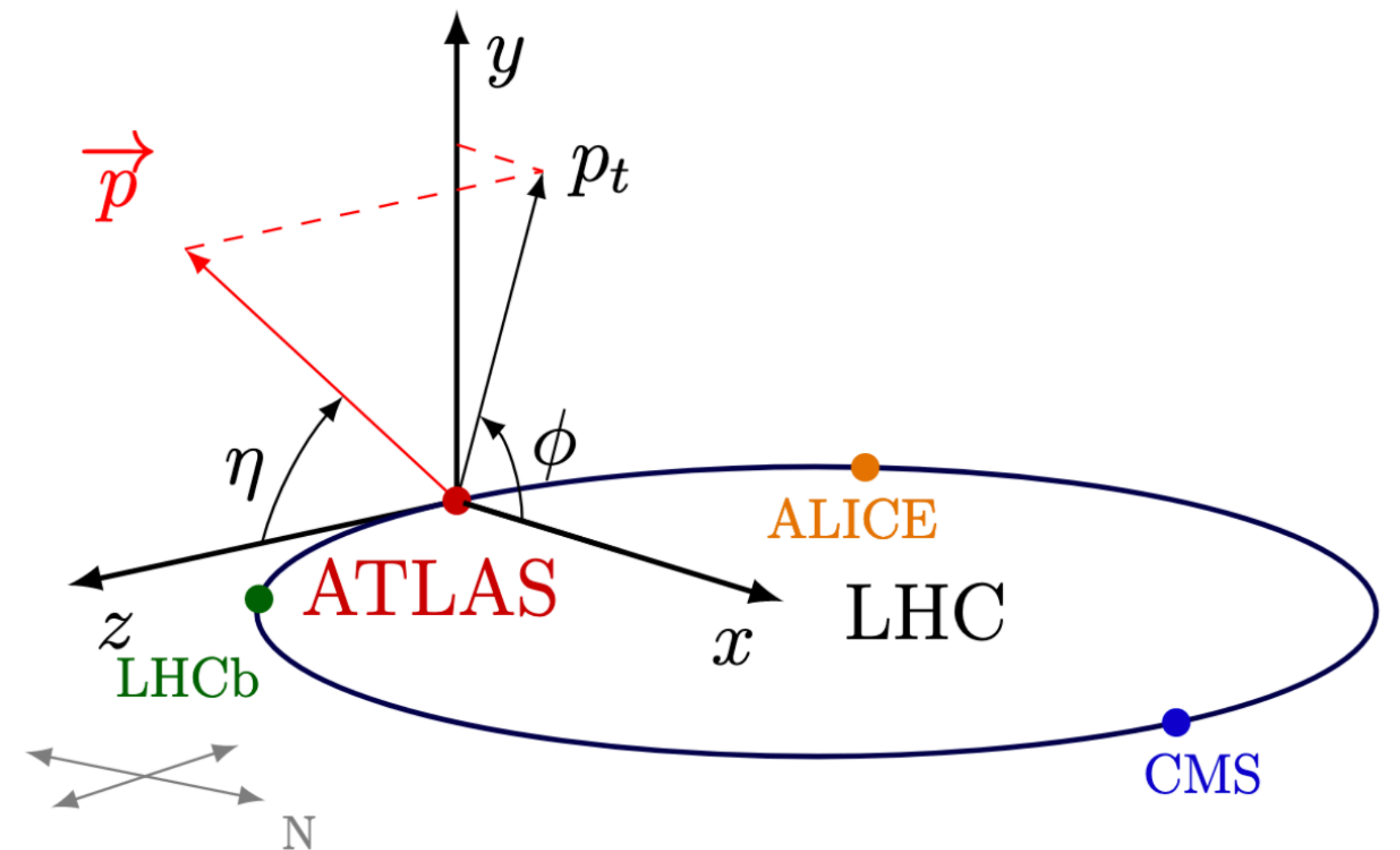
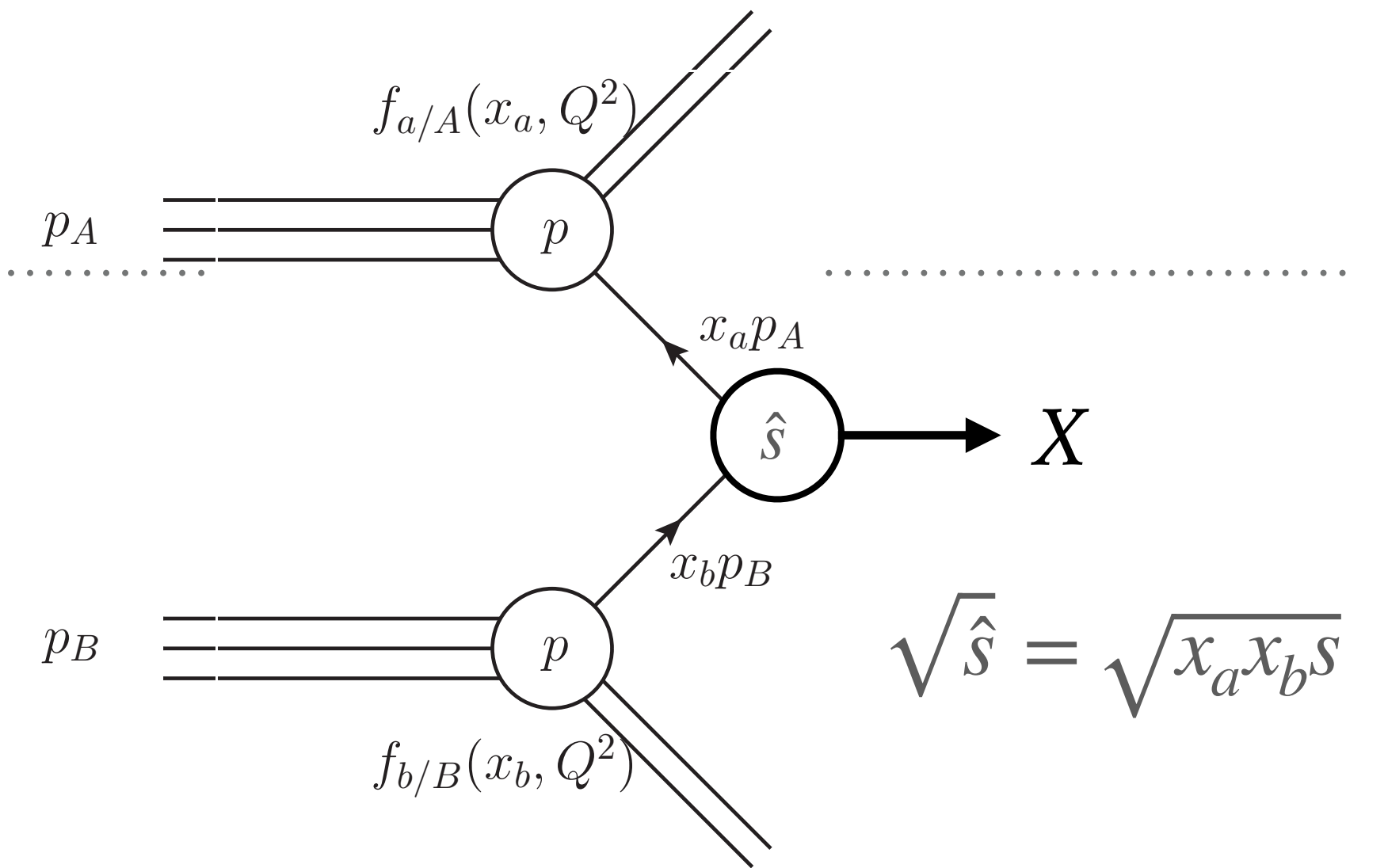
► Small M

► differing x, large boost \rightarrow large η

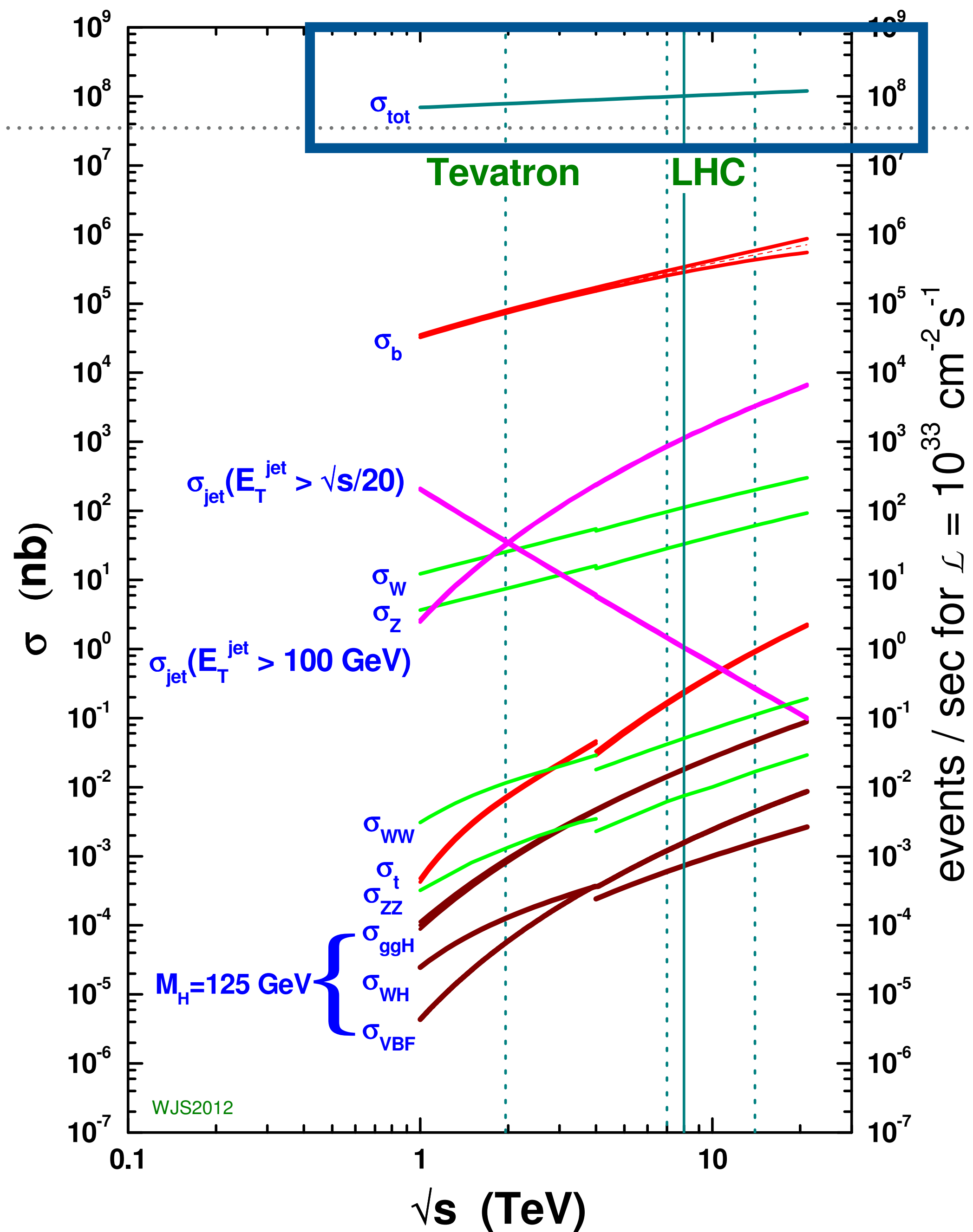
► **Transverse momentum p_T**

► Particles that escape detection have $p_T \approx 0, \theta < 2^\circ$

► Visible transverse momentum conserved $\sum_i p_T^i \approx 0$

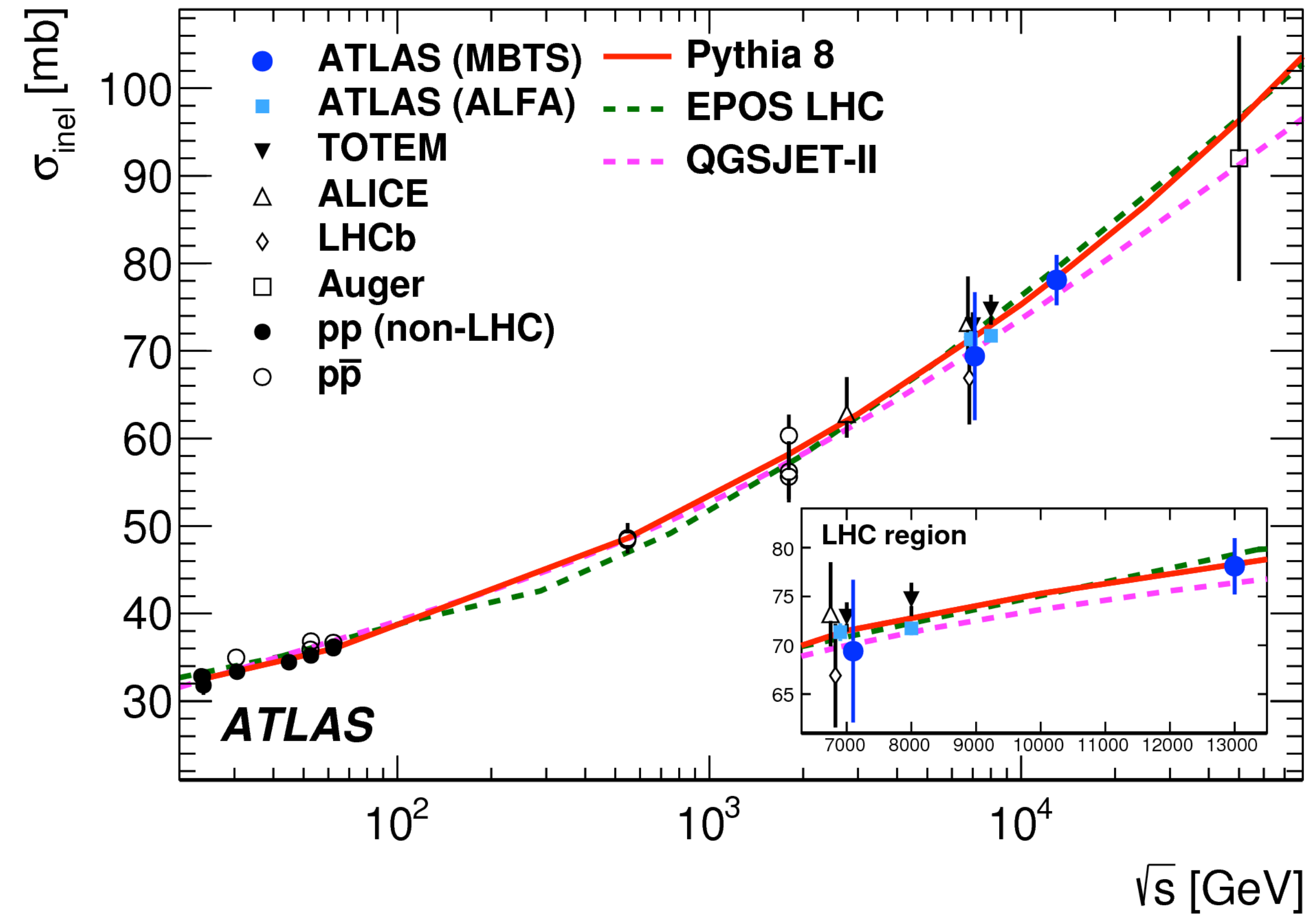
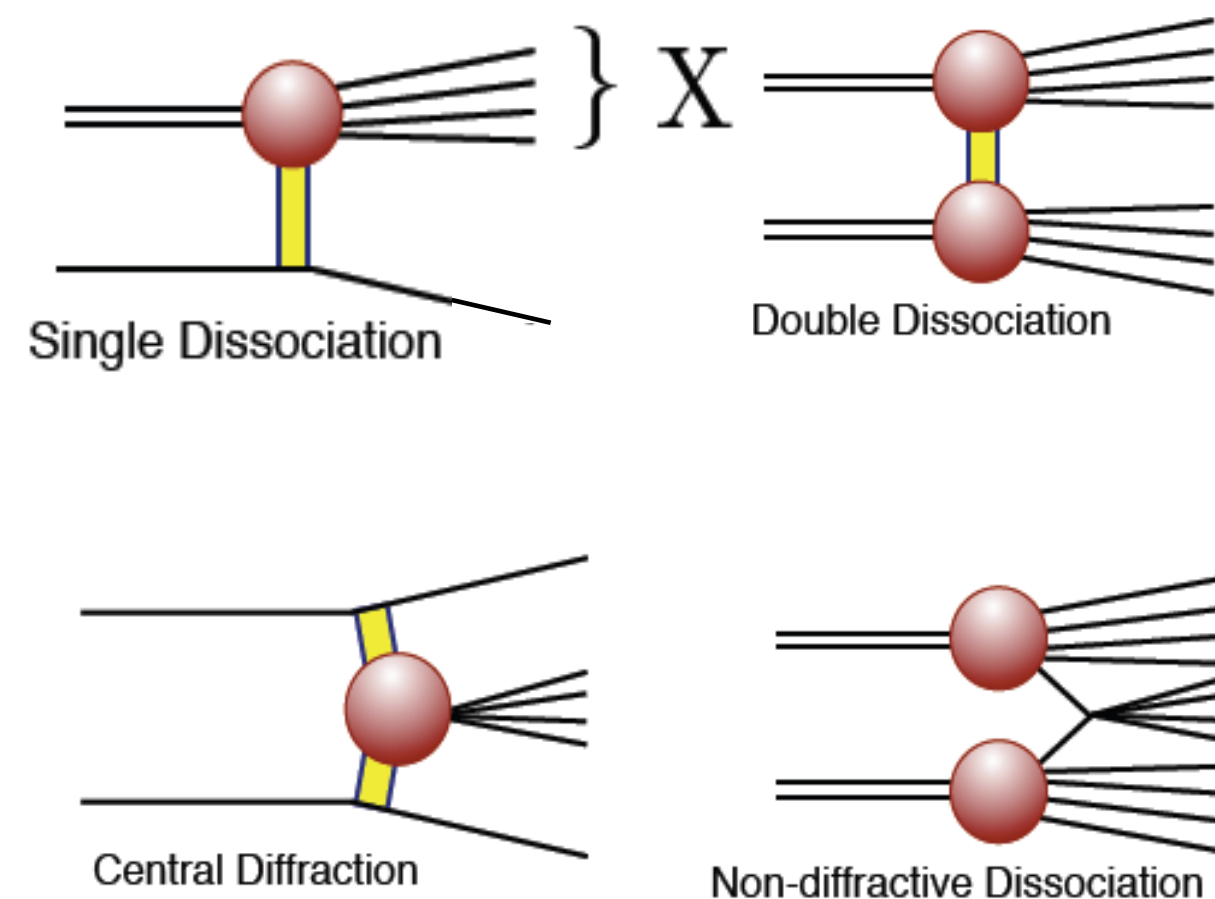


proton - (anti)proton cross sections



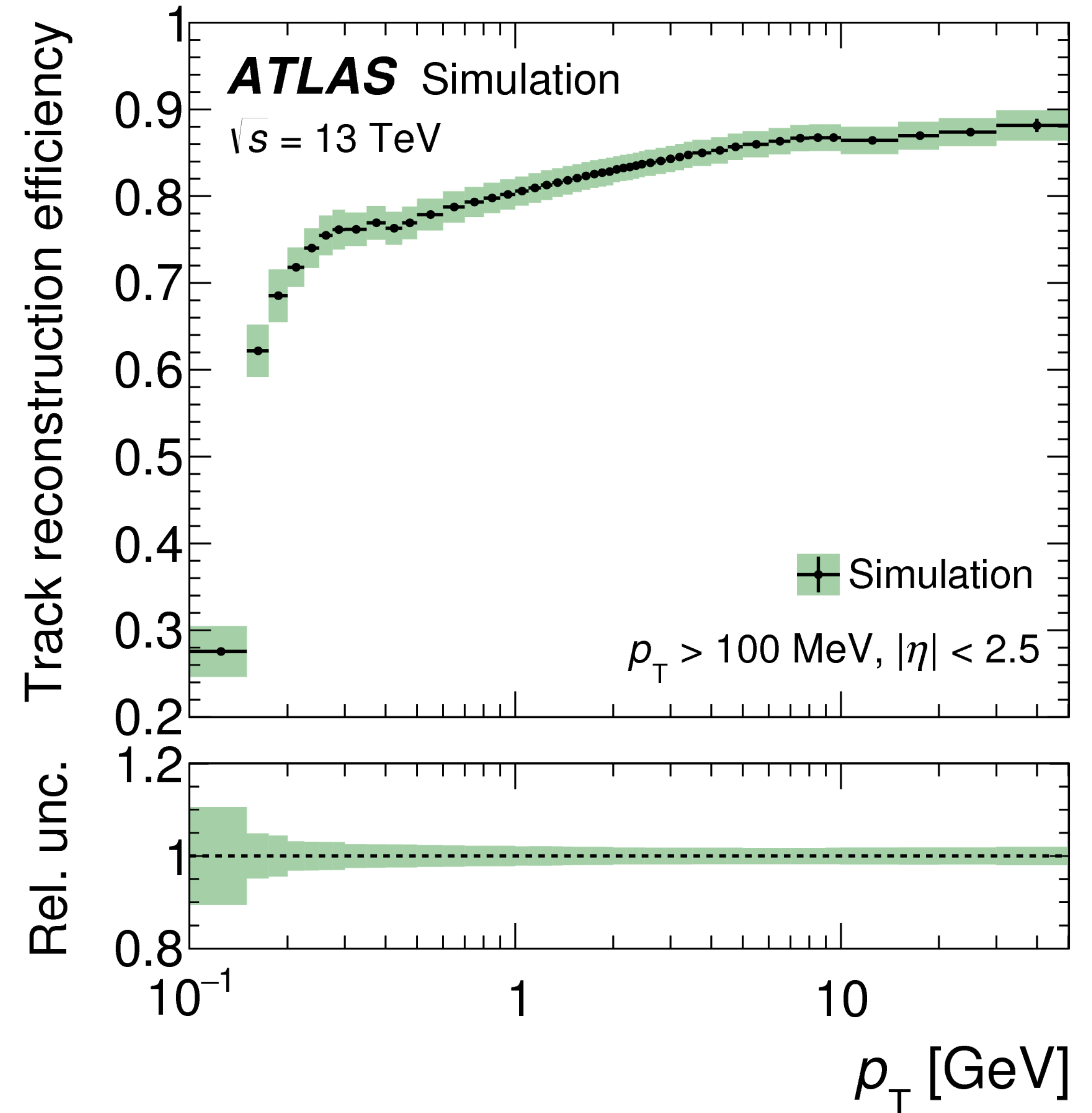
INELASTIC PROTON-PROTON CROSS SECTION AT LHC

- Inelastic proton-proton collisions
 - $pp \rightarrow X$
 - non-perturbative; can not be calculated to high precision theoretically
- In every LHC event there are 10-70 such interactions (pile-up)



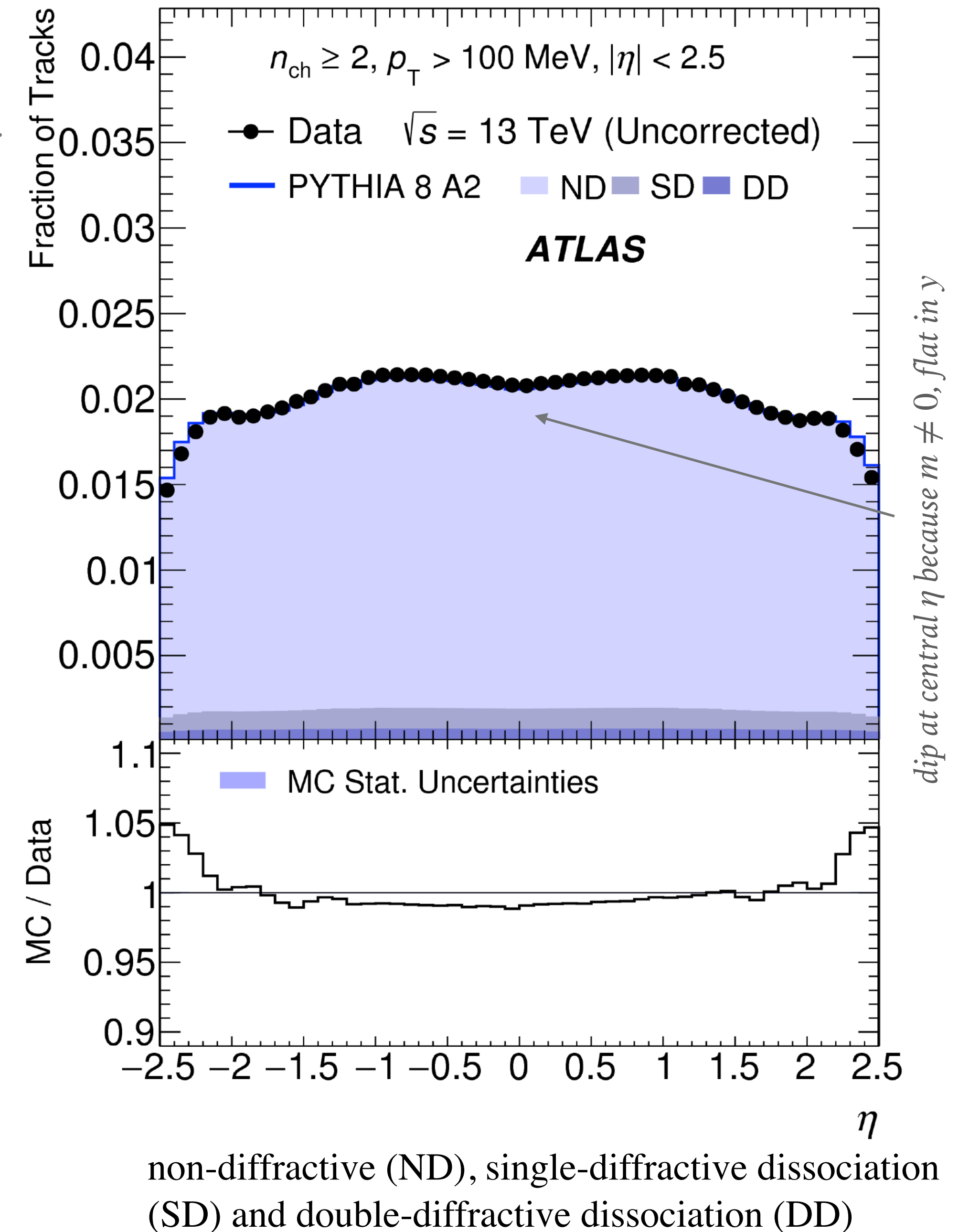
INELASTIC PROTON-PROTON EVENTS

- ▶ **What do the bulk of events look like?**
 - ▶ Minimum-bias events, selected / defined with “minimum-bias trigger”
- ▶ **Study charged particle properties**
 - ▶ Look inclusively at tracks
 - ▶ Select only “primary” particles
 - ▶ Those produced in hard-scatter or from prompt decay of hard-scatter product
 - ▶ Select against “secondaries” from decays-in-flight, hadronic interactions, photon conversions, etc.



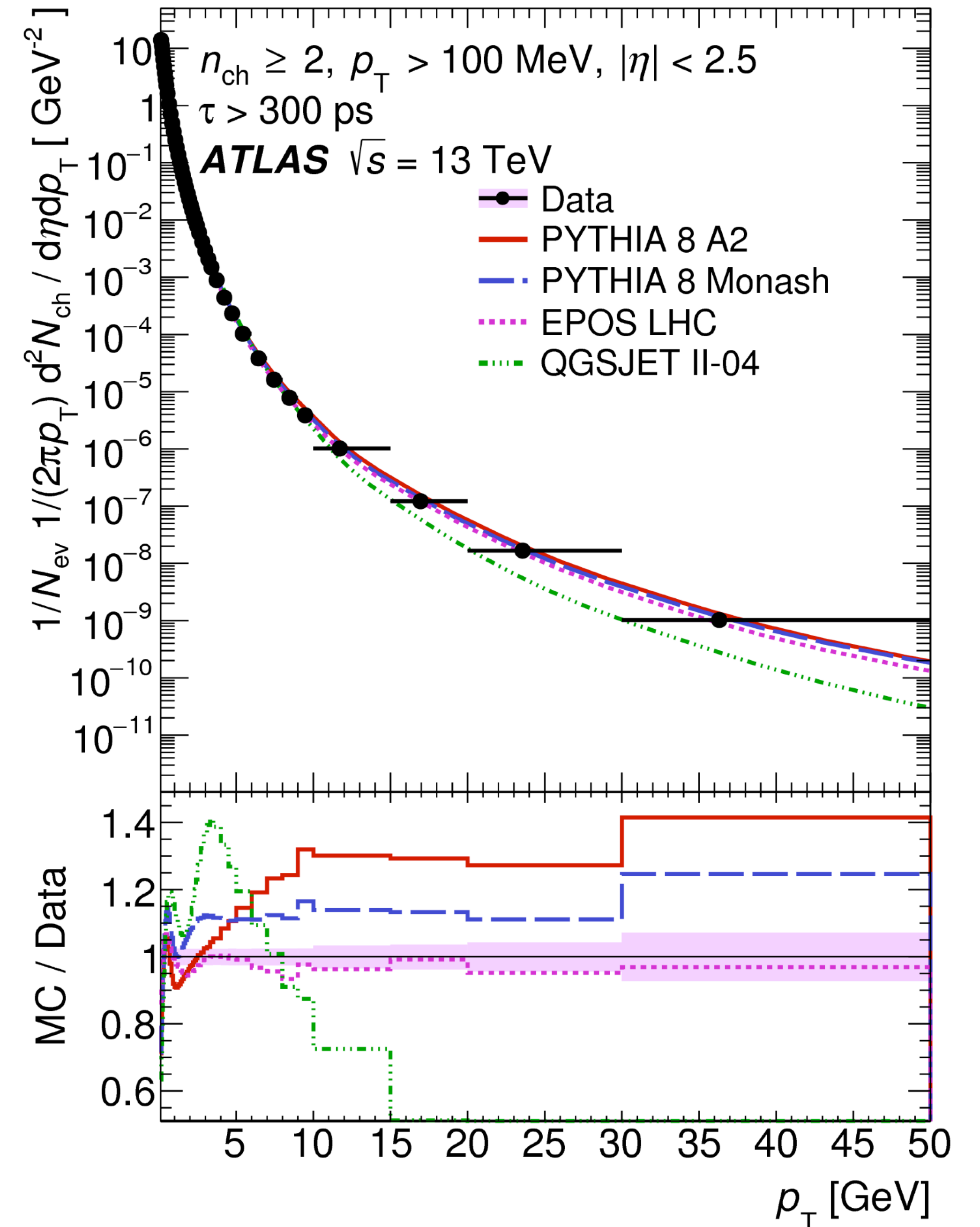
INELASTIC PROTON-PROTON EVENTS

- What do the bulk of events look like?
- **Study charged particle properties**
 - Relatively flat distribution of charged particles in rapidity up to kinematic boundary of $y \approx 5$, and then sharp drop
 - Roughly 6 charged particles and 2-3 neutrals per unit rapidity per min bias collision
 - —> Order 80-100 particles per collision



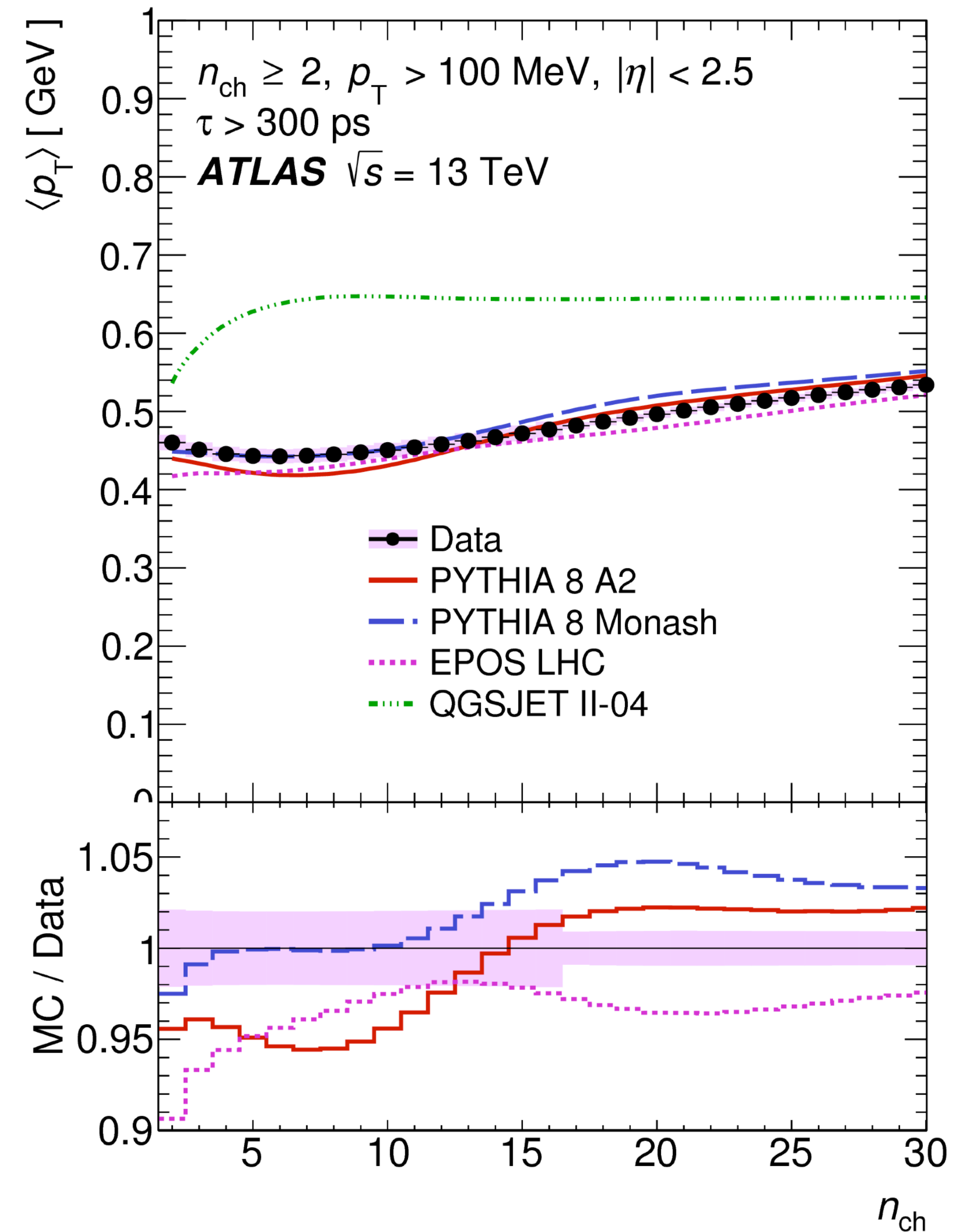
INELASTIC PROTON-PROTON EVENTS

- What do the bulk of events look like?
- **Study charged particle properties**
 - Steeply falling distribution in p_T above threshold of $p_T > 100$ MeV
 - Bending radius determined by:
 - $p[\text{GeV}] = 0.3R[\text{m}]B[\text{T}]$
 - For tracking detectors of ≈ 1 m and $B \approx 2 - 4$ T, particles with $p < 0.6$ (1.2) GeV will curl/loop inside tracker
 - Detector design choice on B, R to determine occupancy of tracker versus calorimeters



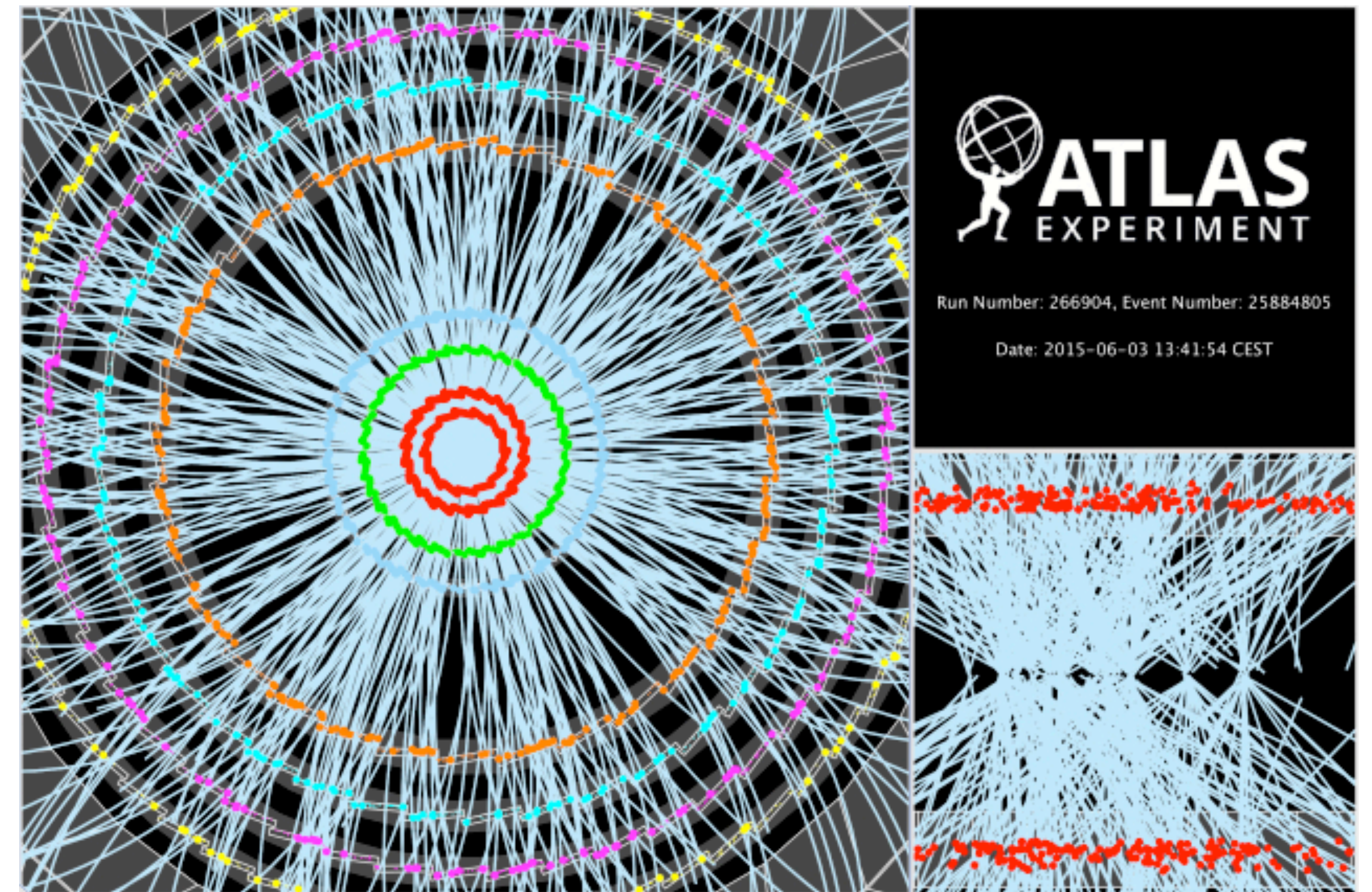
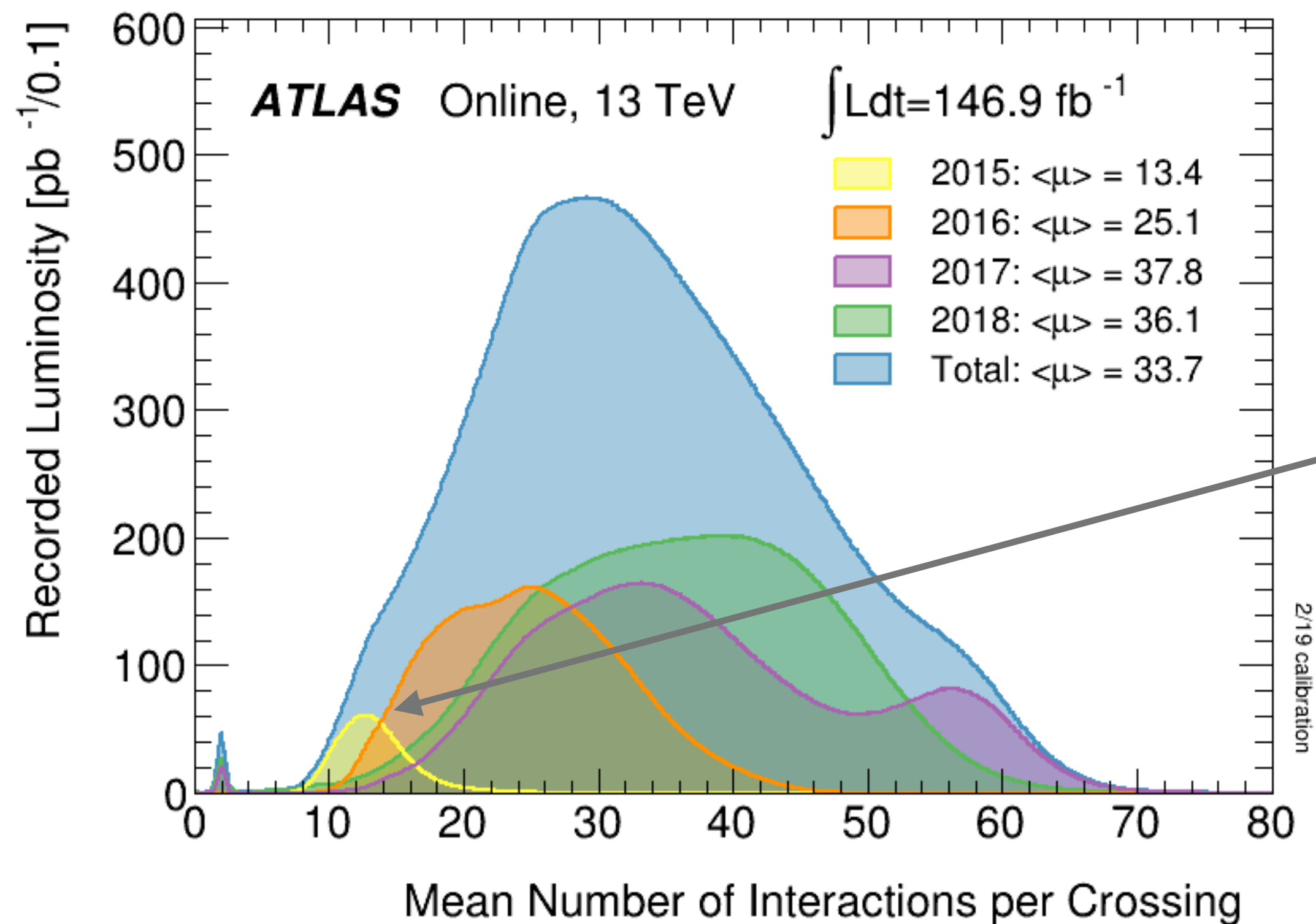
INELASTIC PROTON-PROTON EVENTS

- What do the bulk of events look like?
- **Study charged particle properties**
 - Steeply falling distribution in p_T above threshold of $p_T > 100$ MeV
 - Average p_T of charged particles ≈ 0.5 GeV
 - \rightarrow Order ($100 \times 0.5 =$) 50 GeV p_T per minimum bias event
 - Important to measure these properties and tune MC
 - soft QCD, not possible to calculate precisely
 - Necessary to get right for modeling 99.99xx% of collisions
 - Pile-up!



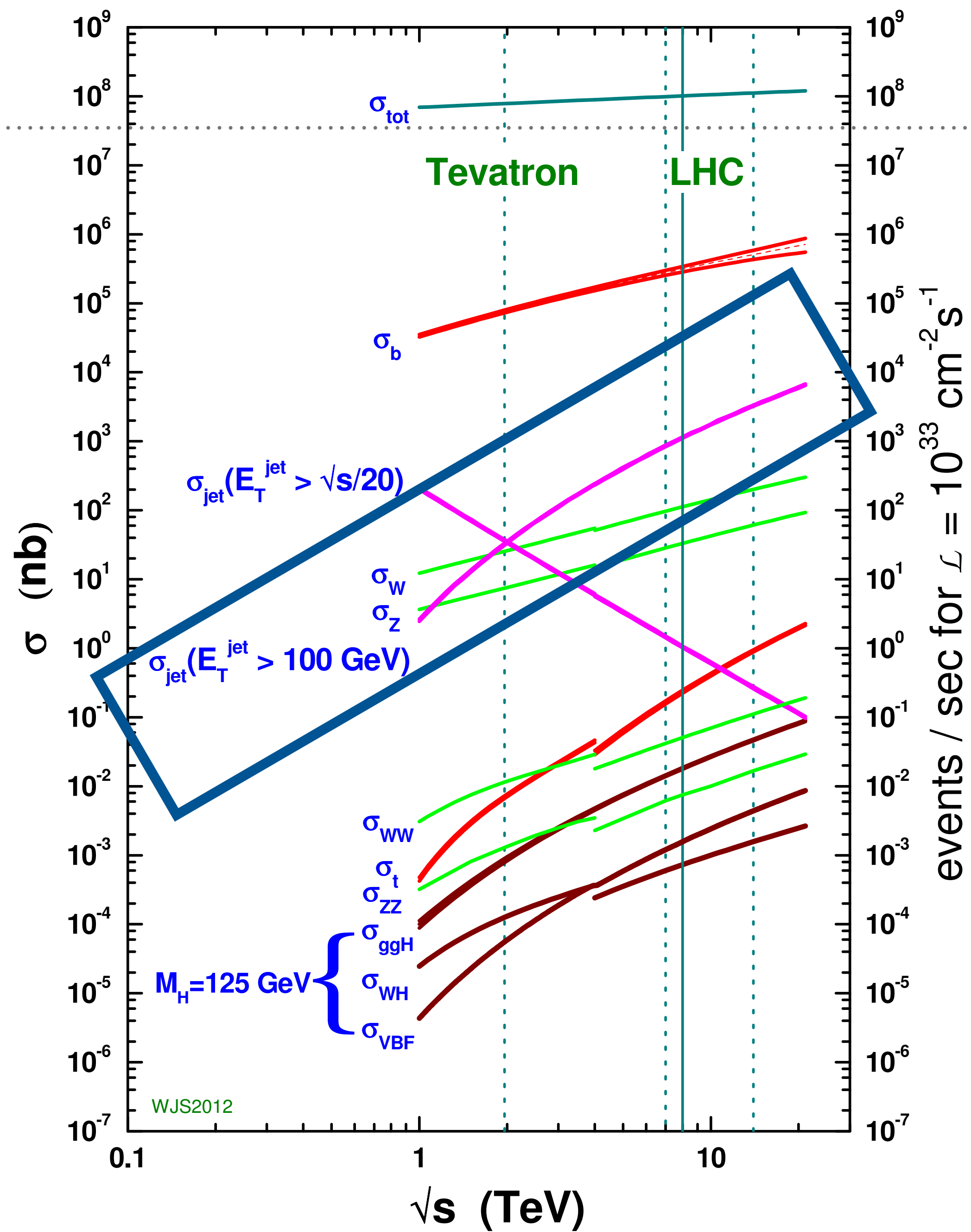
PILE-UP AT LHC

- ▶ Challenge for detector performance and object reconstruction
 - ▶ In-time pileup (same bunch crossing)
 - ▶ Out-of time pileup (different bunch crossing than collision of interest)
 - ▶ some detectors have readout window larger than one bunch-crossing
 - ▶ can interfere with energy / hit collection even if not



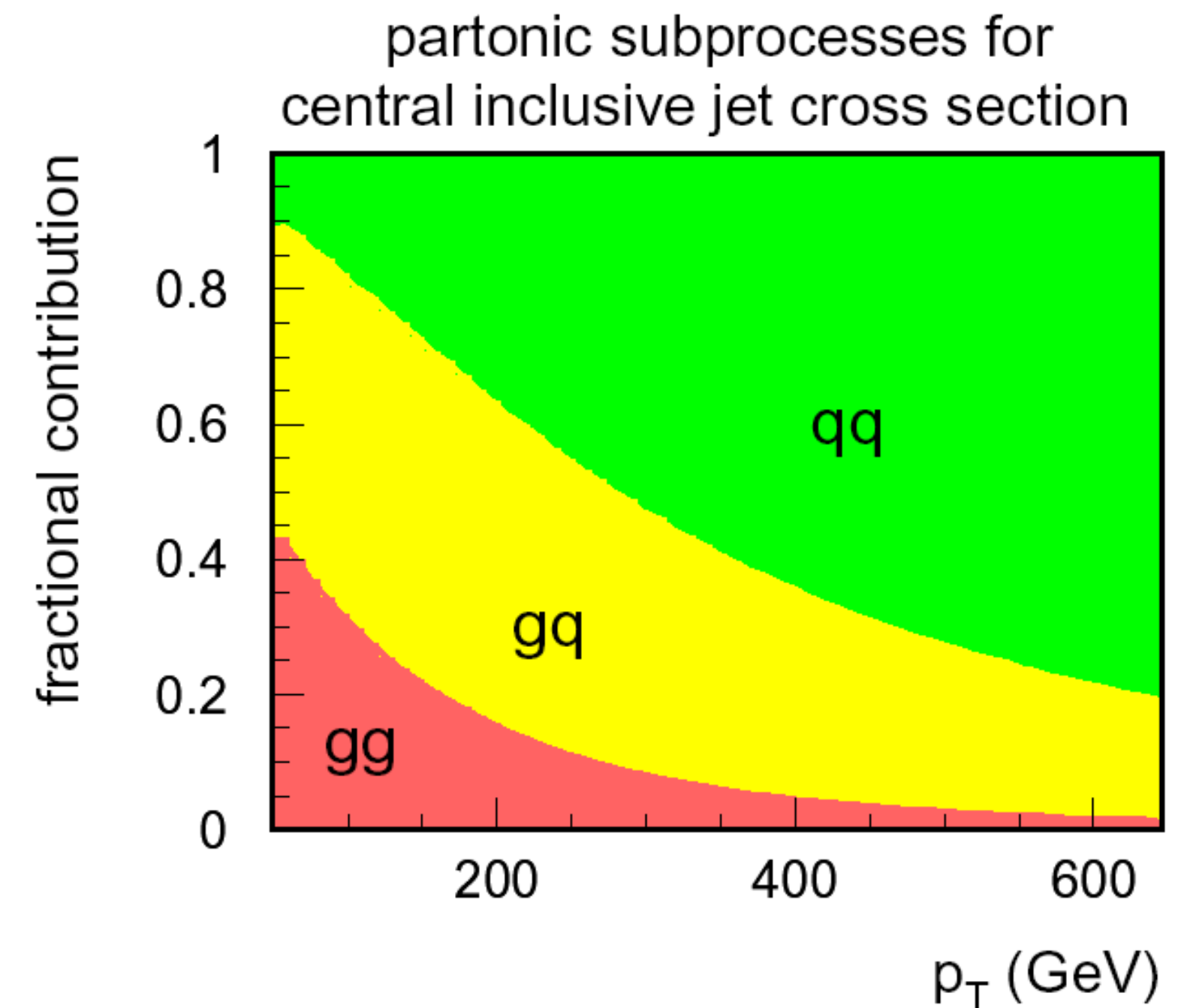
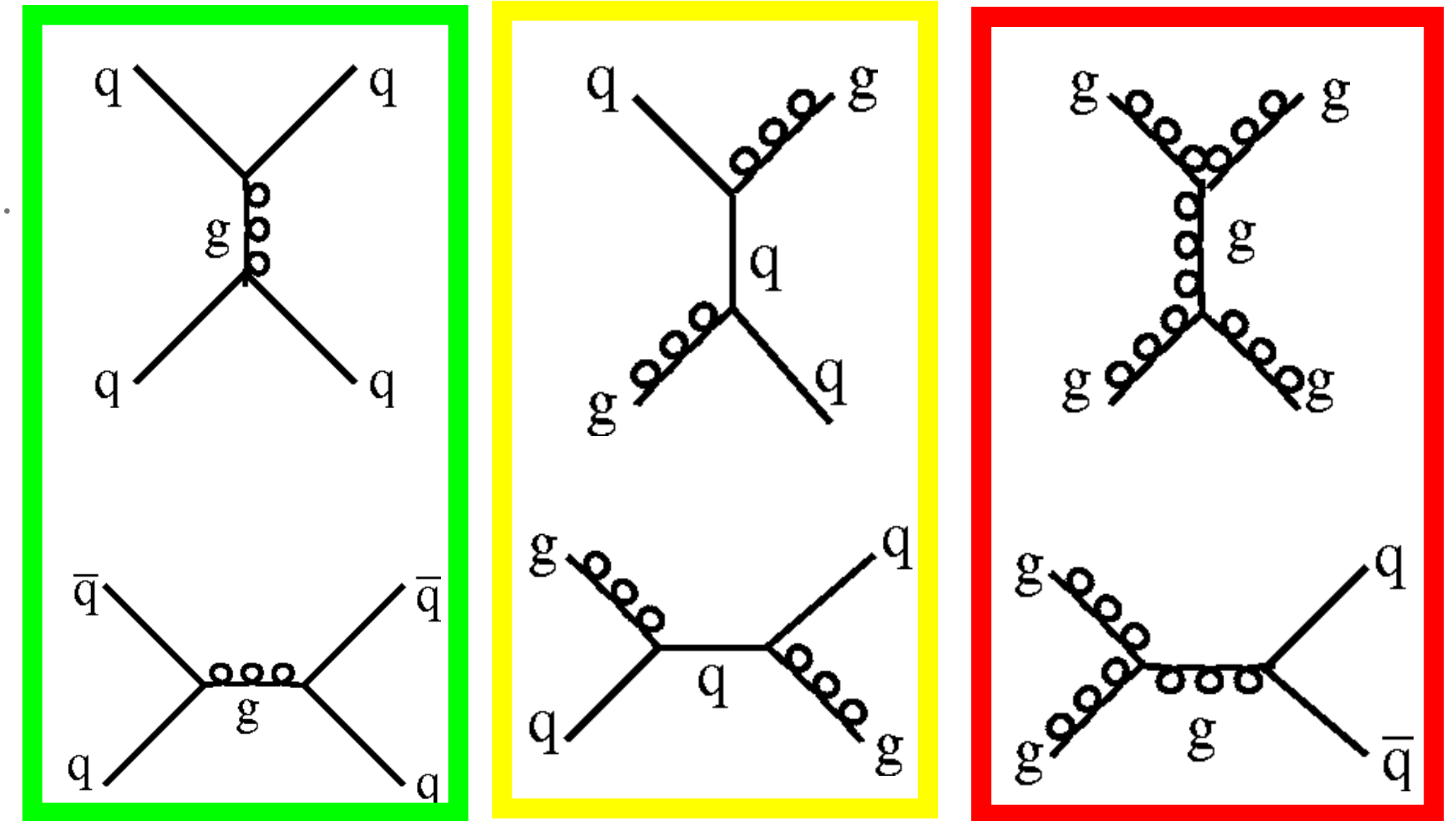
$p_T > 500 \text{ MeV}, \langle \mu \rangle \approx 10$

proton - (anti)proton cross sections



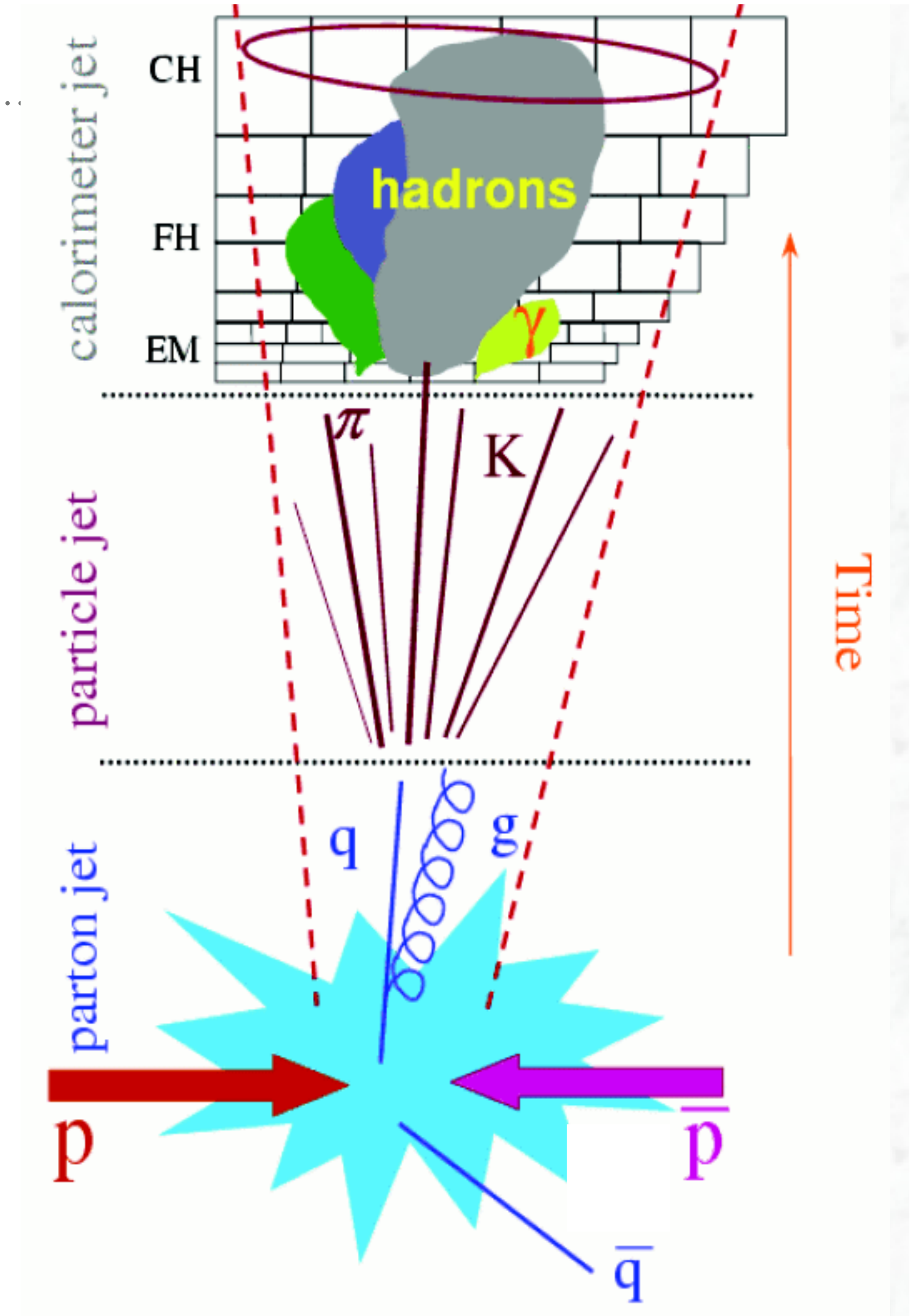
JET PRODUCTION AT LHC

- Hard scattering processes dominated by QCD processes, originating from qq , qg , and gg scattering
- Cross-sections can be calculated in QCD using perturbation theory
- Measuring cross-sections and comparing to predictions an important test of QCD
- Deviations could be a sign of quark substructure, etc...



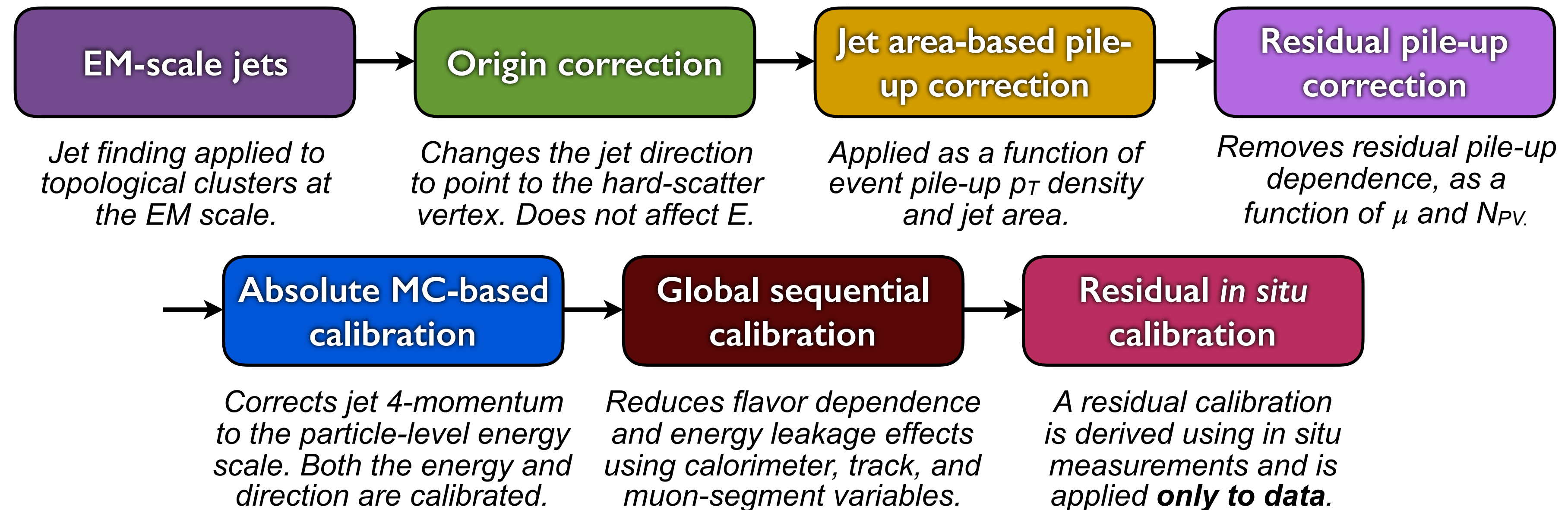
JET RECONSTRUCTION AT LHC

- ▶ A jet is not a uniquely or well-defined object
 - ▶ Fragmentation, gluon radiation, detector response all folded-in
 - ▶ Detector response different for electrons/photons, hadrons —> correct calorimeter energy response to “particle level”
- ▶ Many jet algorithms exist, desired features include
 - ▶ Collinear safe: jet definition independent of presence of partons radiated collinear to quark
 - ▶ Infrared safe: jet definition independent of soft radiation
 - ▶ k_T family of algorithms satisfies these criteria, commonly used

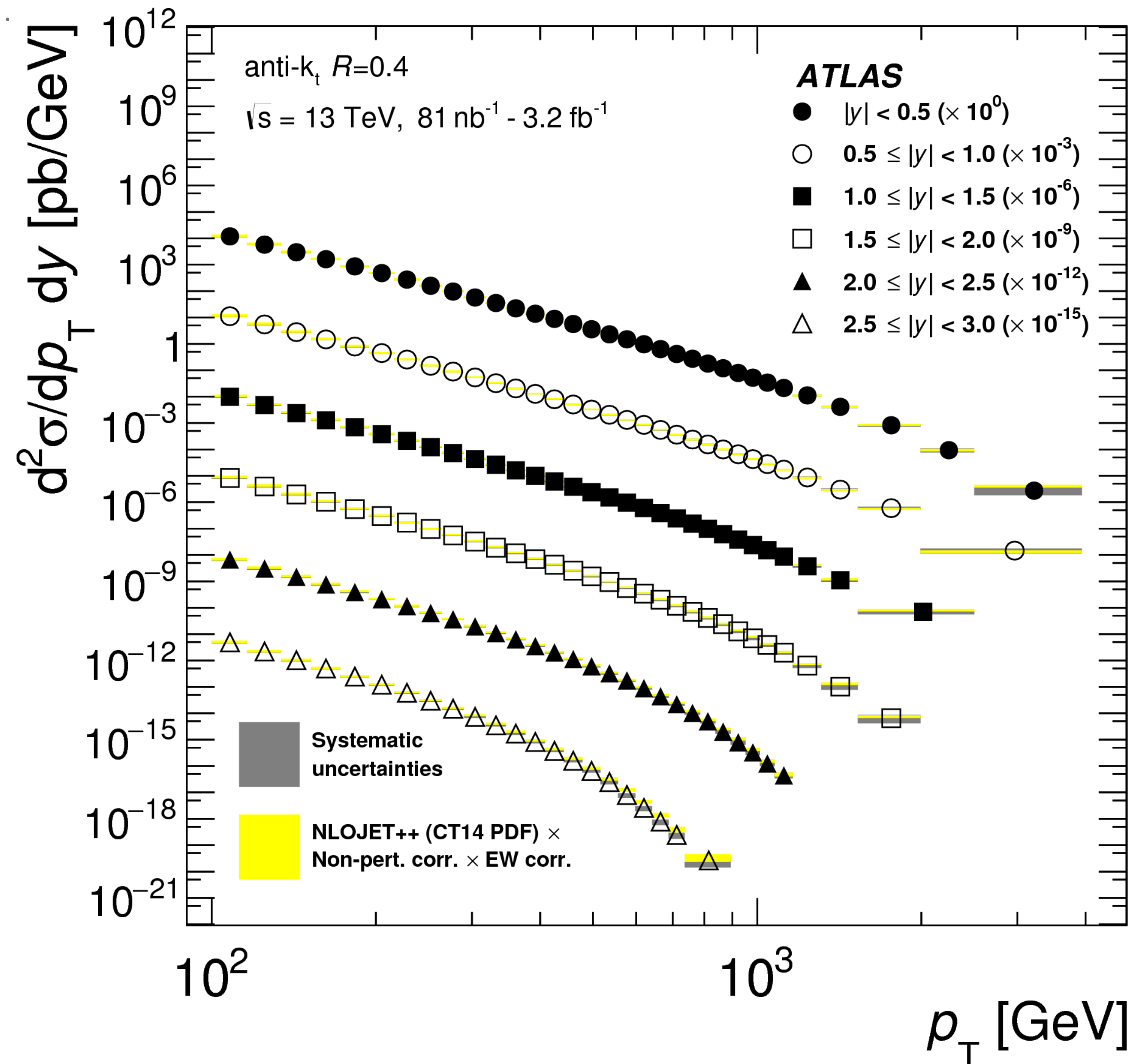


JET CALIBRATION AT LHC

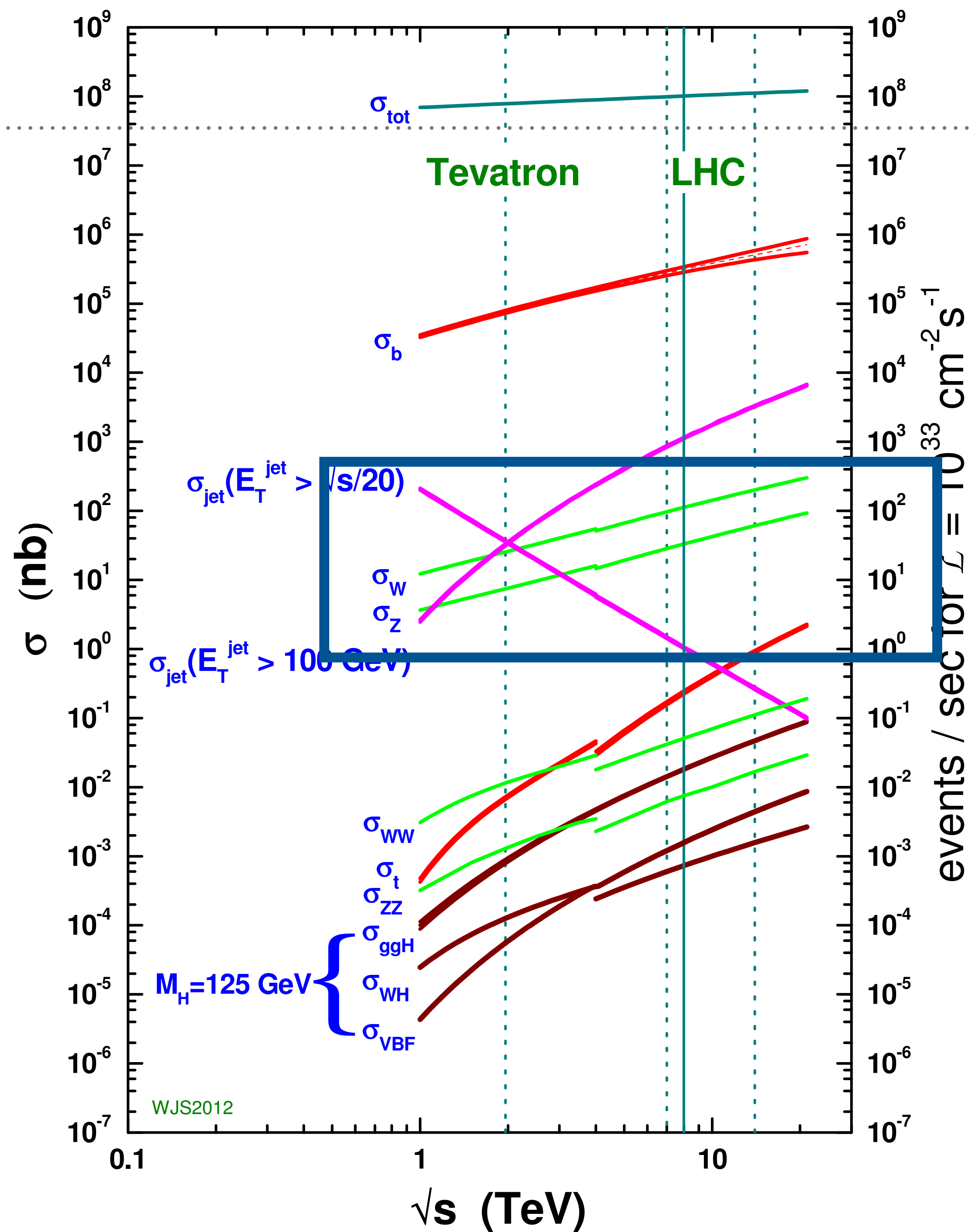
- Calibrate jet energy scale, resolution, and uncertainties
 - Use a combination of simulation, test-beam results, and in-situ measurements
 - Rely on transverse energy balance between jet and other object: Z boson, photon, or other jet



JET CROSS-SECTIONS AT LHC



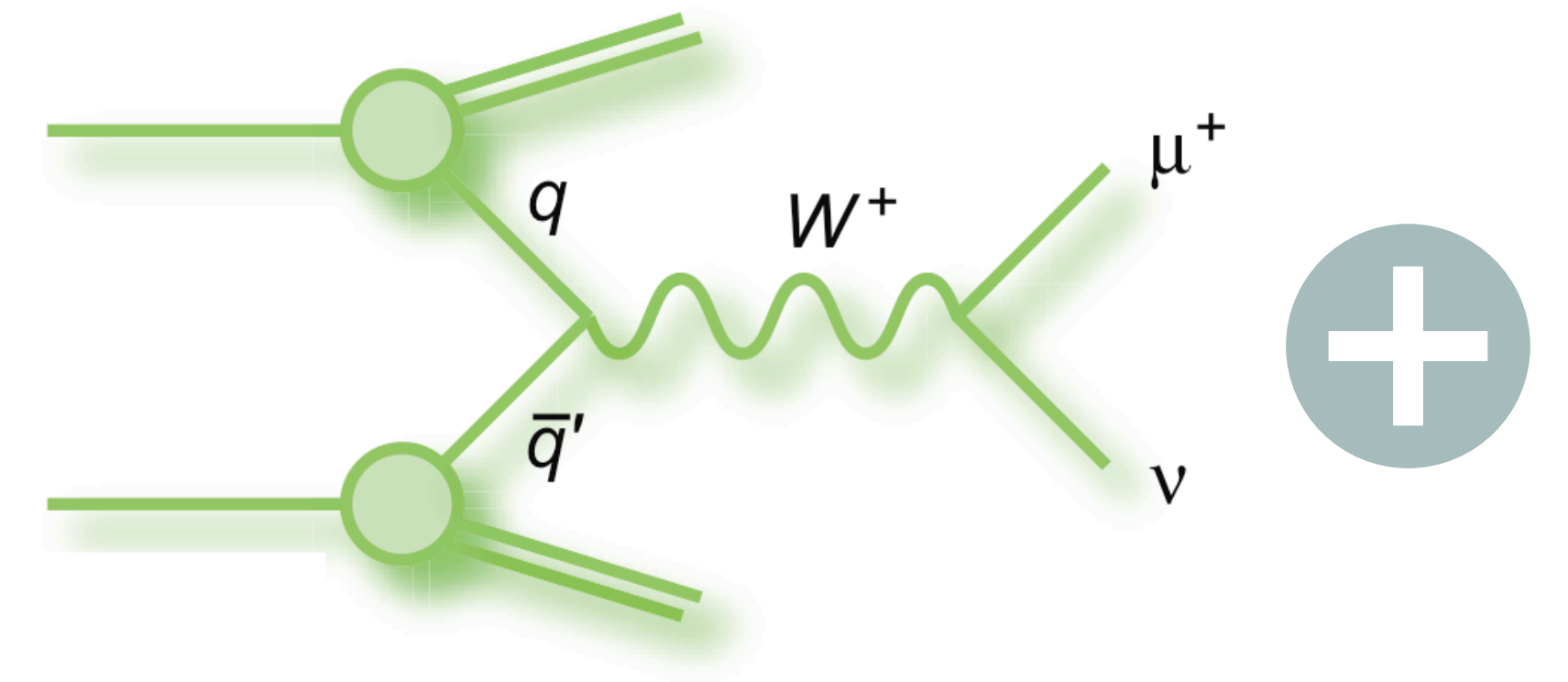
proton - (anti)proton cross sections



W AND Z PHYSICS

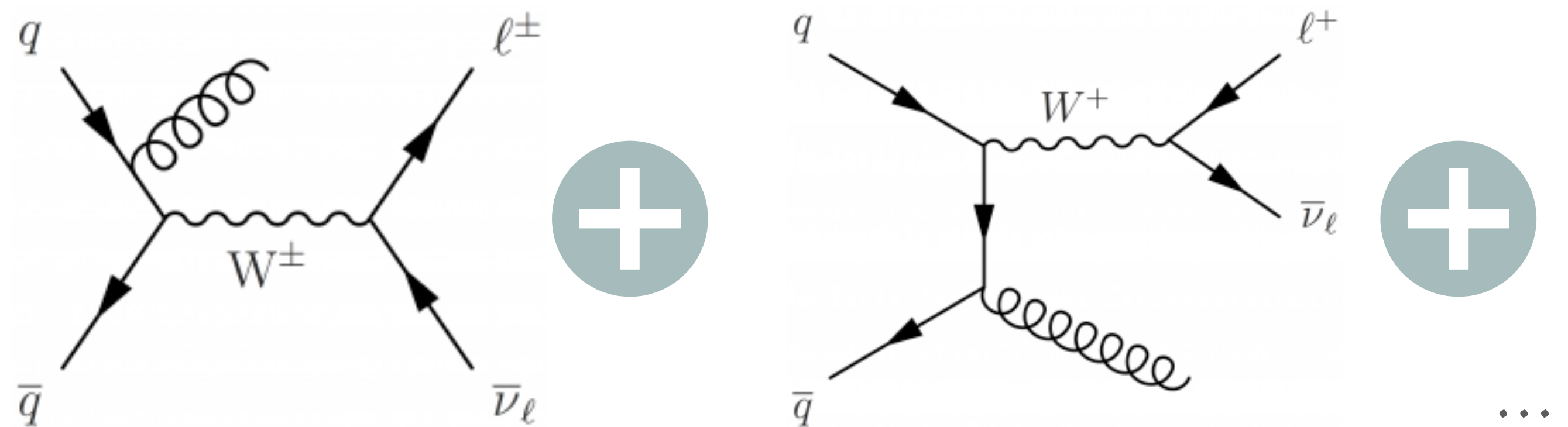
► Essential in many tests of SM and new physics

- Understanding electroweak symmetry breaking key goal of LHC
- Diboson scattering important test of SM (and Higgs)
- Many new physics decays to vector bosons
- Important background to most searches for new particles



► Excellent experimental handle

- Use W's and Z's to calibrate:
 - Electron energy scale
 - Track momentum scale
 - Lepton ID and trigger efficiencies
 - Missing ET resolution
 - Luminosity, ...



MEASURING A CROSS SECTION, IN PRINCIPLE

- Event rates determined by

$$N_{\text{signal}} = \int L dt \times \sigma \times BR \times \epsilon$$

- where

$$N_{\text{signal}} = \text{Number of observed signal events} = N_{\text{data}} - N_{\text{background}}$$

$$\int L dt = \text{Integrated Luminosity}$$

$$\epsilon = \text{Efficiency}$$

- Total efficiency ϵ can be factored into

$$\epsilon = C \cdot A = \frac{N_{\text{reco.}}^{\text{selected}}}{N_{\text{gen.}}^{\text{selected}}} \cdot \frac{N_{\text{gen.}}^{\text{selected}}}{N_{\text{gen.}}^{\text{all}}} = \frac{N_{\text{reco.}}^{\text{selected}}}{N_{\text{gen.}}^{\text{all}}}$$

C = Detector Correction Factor

A = (Fiducial) Acceptance

$$\sigma = \frac{N_{\text{signal}}}{\int L dt \times BR \times \epsilon}$$

Measure

- N_{data}
- C
- $\int L dt$
- $N_{\text{background}}$ (if data-driven)

Calculate (from MC)

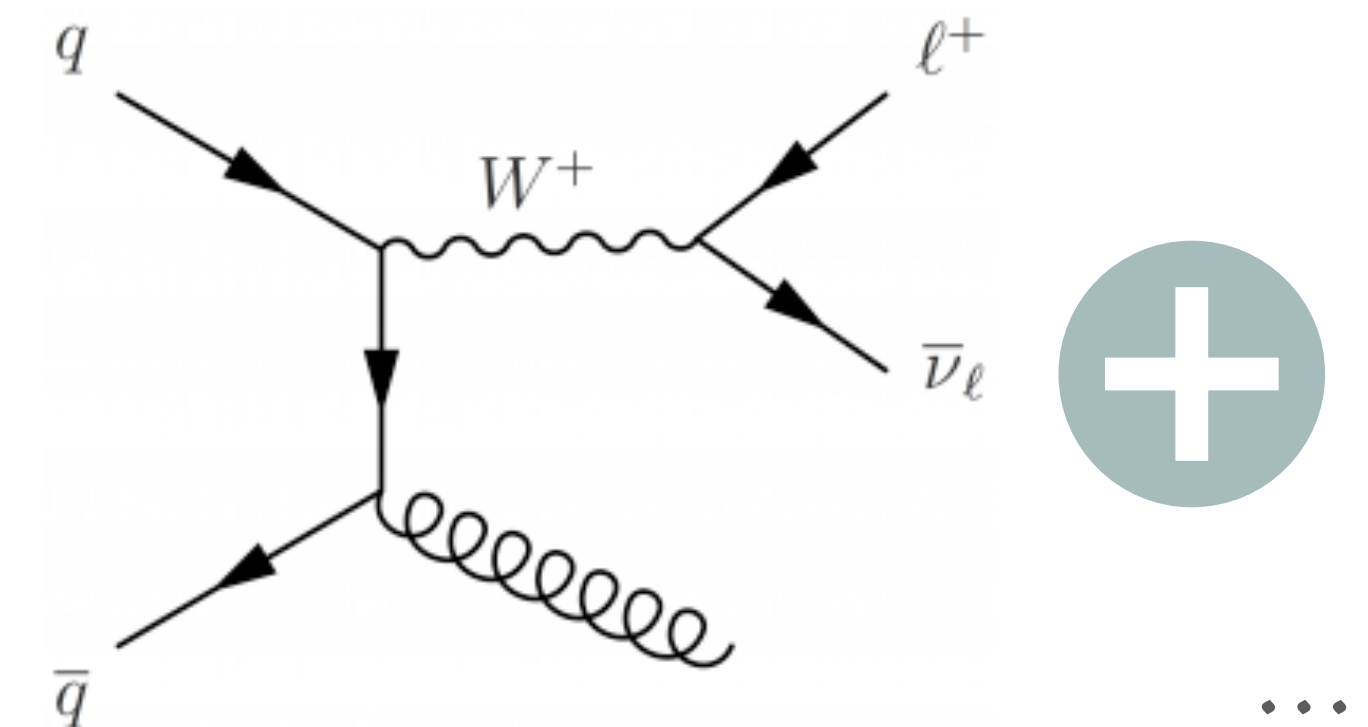
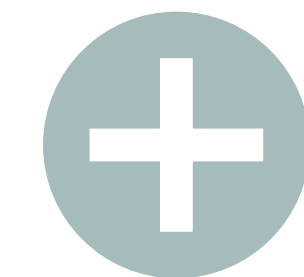
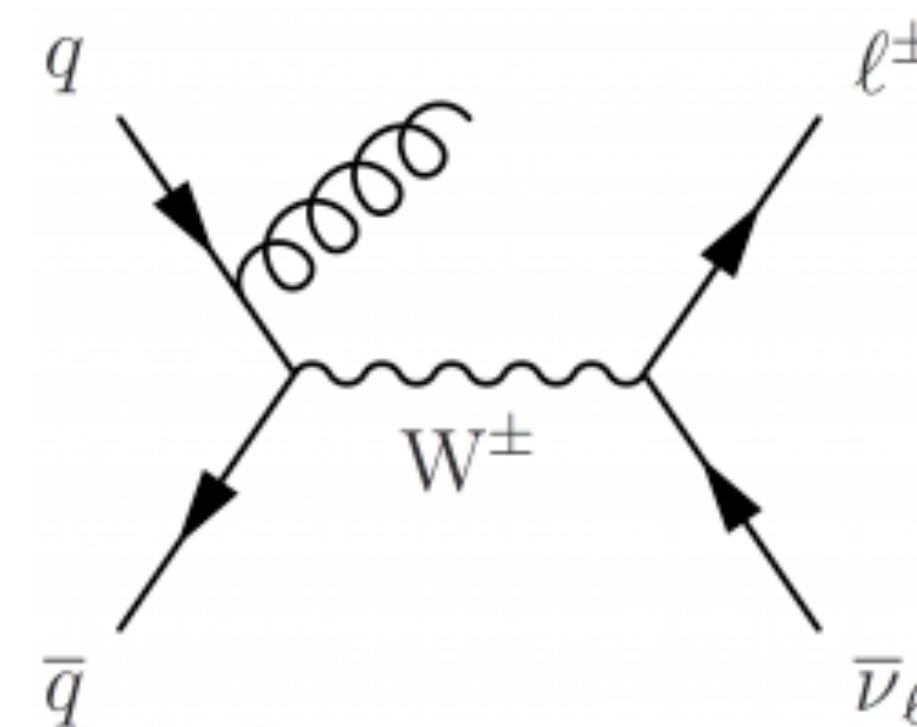
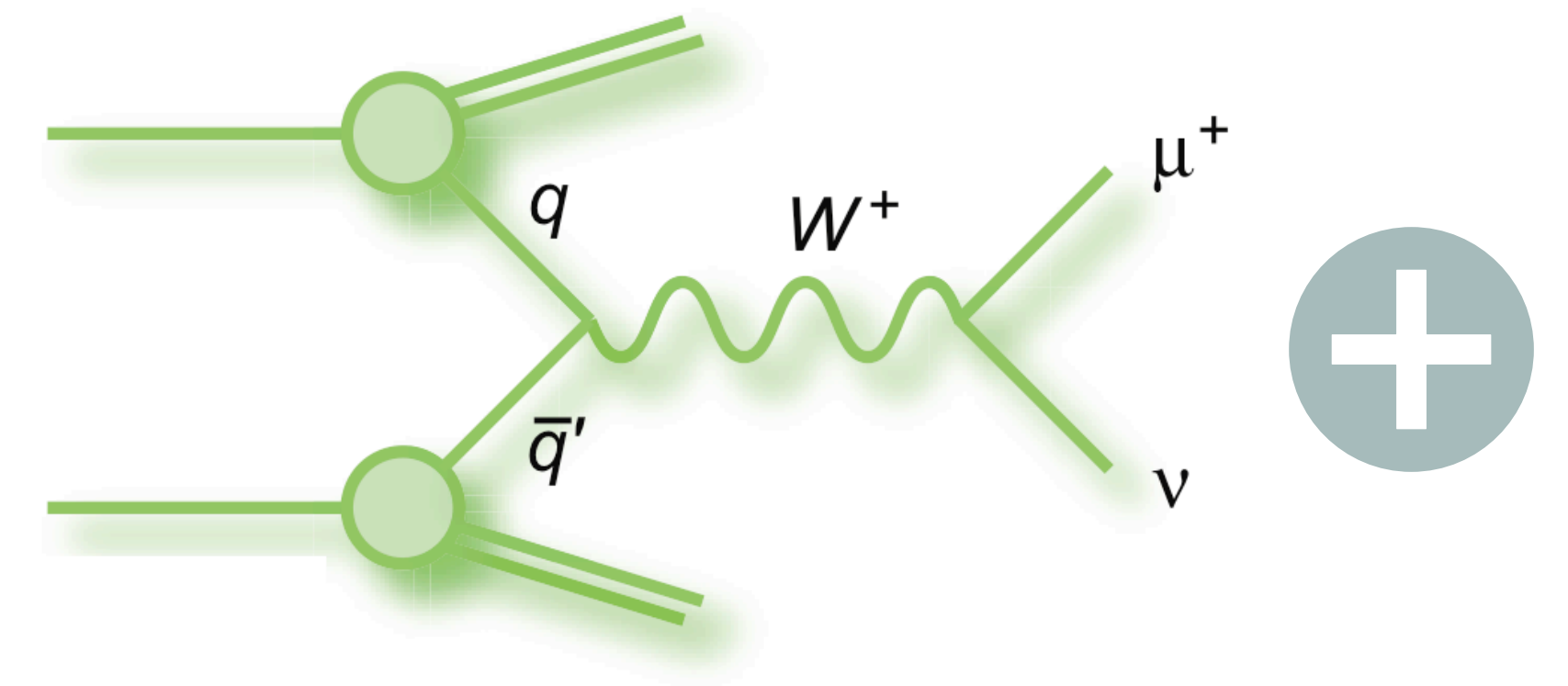
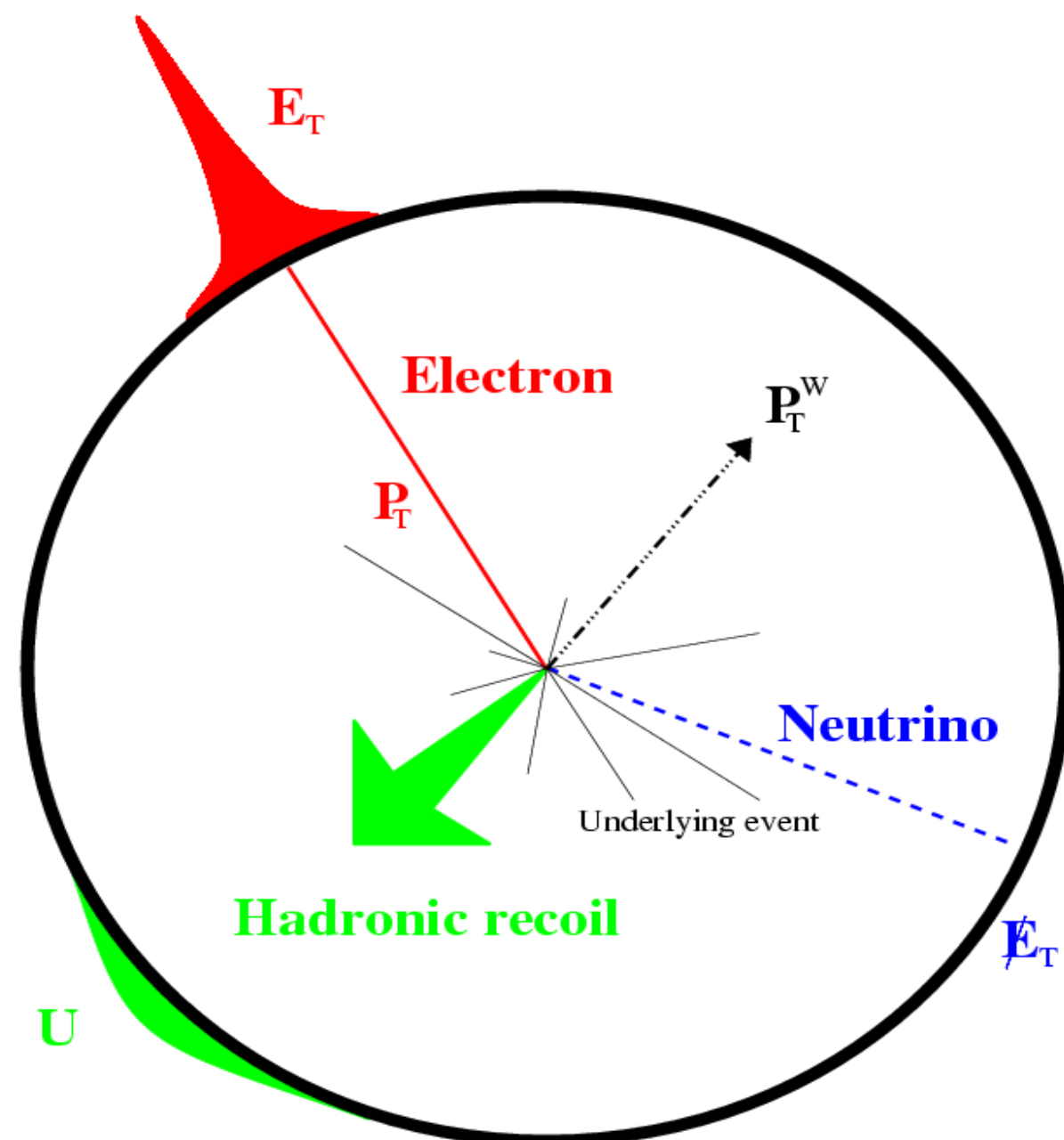
- A
- BR
- $N_{\text{background}}$ (if using MC)

MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

Signature

- Focus on leptonic (muon, electron) decays due to large background from QCD diet background
- 1 lepton, $p_T > 20$ GeV
- large imbalance in transverse momentum
 - Signature of neutrino (or other undetected particle)
 - Missing $E_T > 25$ GeV
- Transverse mass $m_T > 40$ GeV



$$\vec{E}_T^{\text{miss}} = - \sum_i \vec{p}_T(i)$$

$$m_T = \sqrt{2 p_T^\ell E_T^{\text{miss}} (1 - \cos \Delta\phi)}$$

MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

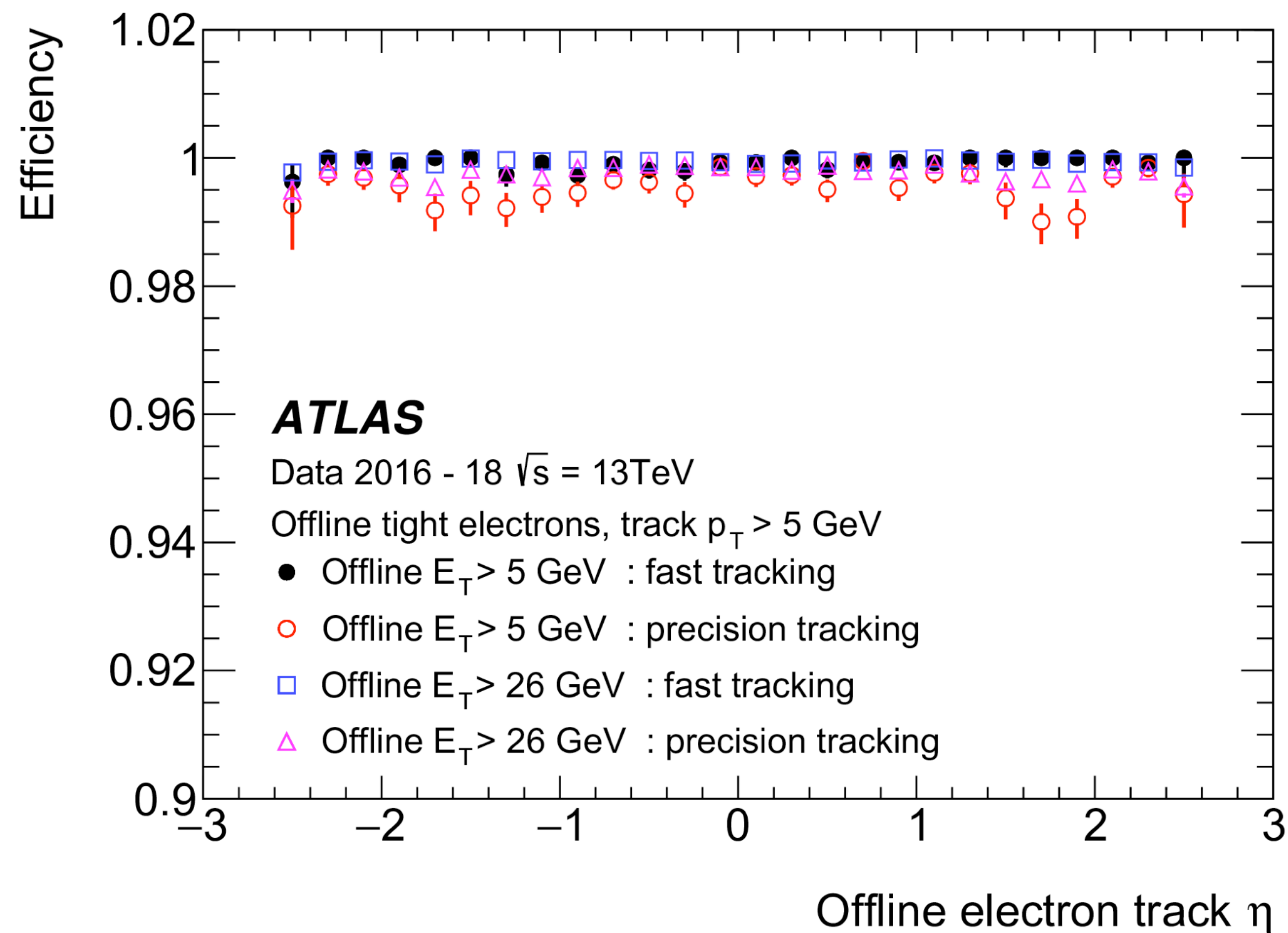
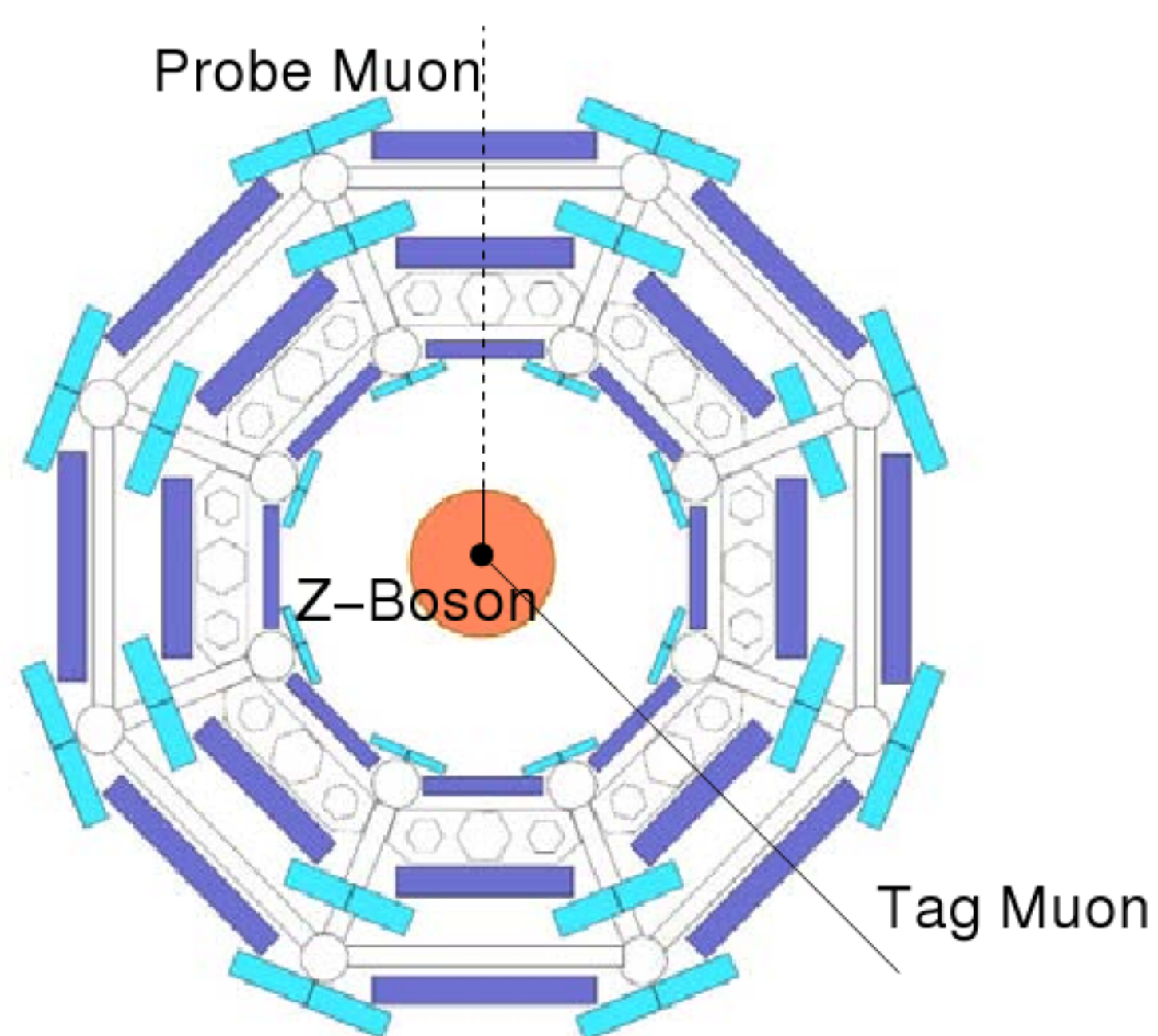
- **Generate Monte Carlo**, both signal and background processes
 - Used to define analysis selections
 - Estimate background
 - Extrapolate phase space (calculate A)
 - Measure correction factors (C and others)
 - Used in estimating many uncertainties

Physics process	Generator	$\sigma \cdot \text{BR}$ [nb]		
$W \rightarrow \ell \nu$ ($\ell = e, \mu$)	PYTHIA [25]	$W^+ \rightarrow \ell^+ \nu$	10.46 ± 0.52	NNLO [5, 8]
		$W^- \rightarrow \ell^- \bar{\nu}$	6.16 ± 0.31	NNLO [5, 8]
		$Z/\gamma^* \rightarrow \ell \ell$ ($m_{\ell\ell} > 60$ GeV)	4.30 ± 0.21	NNLO [5, 8]
$Z/\gamma^* \rightarrow \ell \ell$ ($m_{\ell\ell} > 60$ GeV)	PYTHIA	0.99 ± 0.05	NNLO [5, 8]	
$W \rightarrow \tau \nu$	PYTHIA	10.46 ± 0.52	NNLO [5, 8]	
$W \rightarrow \tau \nu \rightarrow \ell \nu \nu \nu$	PYTHIA	3.68 ± 0.18	NNLO [5, 8]	
$Z/\gamma^* \rightarrow \tau \tau$ ($m_{\ell\ell} > 60$ GeV)	PYTHIA	0.99 ± 0.05	NNLO [5, 8]	
$t\bar{t}$	MC@NLO [26, 27], POWHEG [31]	0.16 ± 0.01	NLO+NNLL [28–30]	
Dijet (e channel, $\hat{p}_T > 15$ GeV)	PYTHIA	1.2×10^6	LO [25]	
Dijet (μ channel, $\hat{p}_T > 8$ GeV)	PYTHIA	10.6×10^6	LO [25]	
$b\bar{b}$ (μ channel, $\hat{p}_T > 18$ GeV, $p_T(\mu) > 15$ GeV)	PYTHIA	73.9	LO [25]	
$c\bar{c}$ (μ channel, $\hat{p}_T > 18$ GeV, $p_T(\mu) > 15$ GeV)	PYTHIA	28.4	LO [25]	

MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

- Generate Monte Carlo, both signal and background processes
- **Select (design) trigger**
 - Lowest threshold (p_T or E_T) possible to fit within allocated event rate, ie, electron $E_T > 20$ GeV
 - Measure efficiency in data, parameterized as needed
 - For leptons, can use “tag and probe” method



MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

- Generate Monte Carlo, both signal and background processes
- Select (design) trigger
- **Object definition and performance**
 - **Reconstruction:** baseline output of reconstruct algorithms

$$\vec{E}_T^{miss} = - \sum_i \vec{p}_T(i)$$

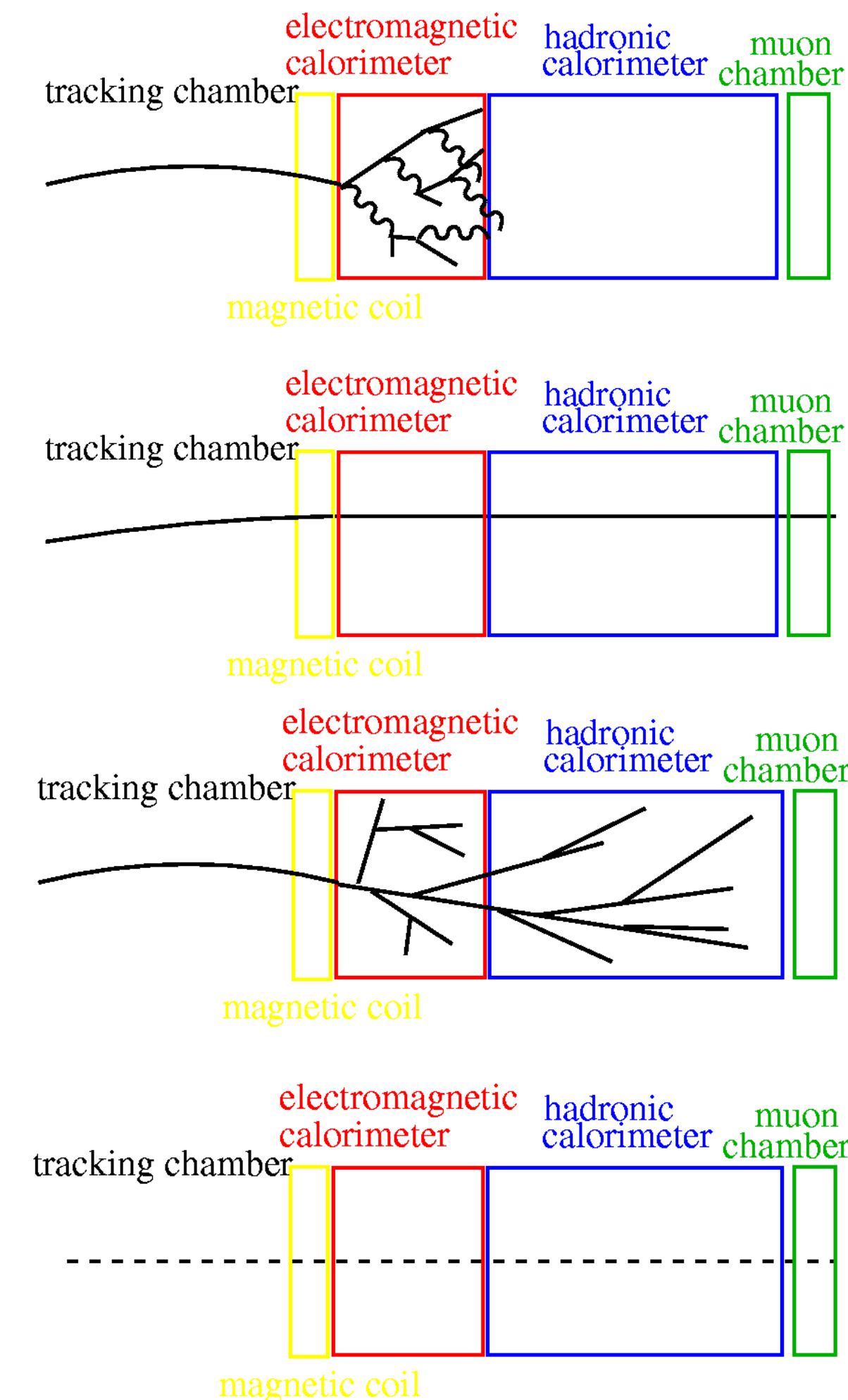
Lepton Reconstruction

Electrons:
Compact EM cluster in calo
Matched to Track

Muons:
Track in muon chamber
Matched to Track

Taus:
Narrow jet
Matched to 1 or 3 tracks

Neutrinos:
Missing transverse momentum
Calculated from total p_T measured



MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

- Generate Monte Carlo, both signal and background processes
- Select (design) trigger
- **Object definition and performance**
 - **Reconstruction:** baseline output of reconstruct algorithms
 - **Identification:** additional selections to tag signal objects
 - Often includes cuts on impact parameters, number of hits, etc to select primary versus secondaries and reject combinatoric background
 - Can include additional selections like isolation to distinguish leptons from boson decay versus leptons from hadron decay inside jets

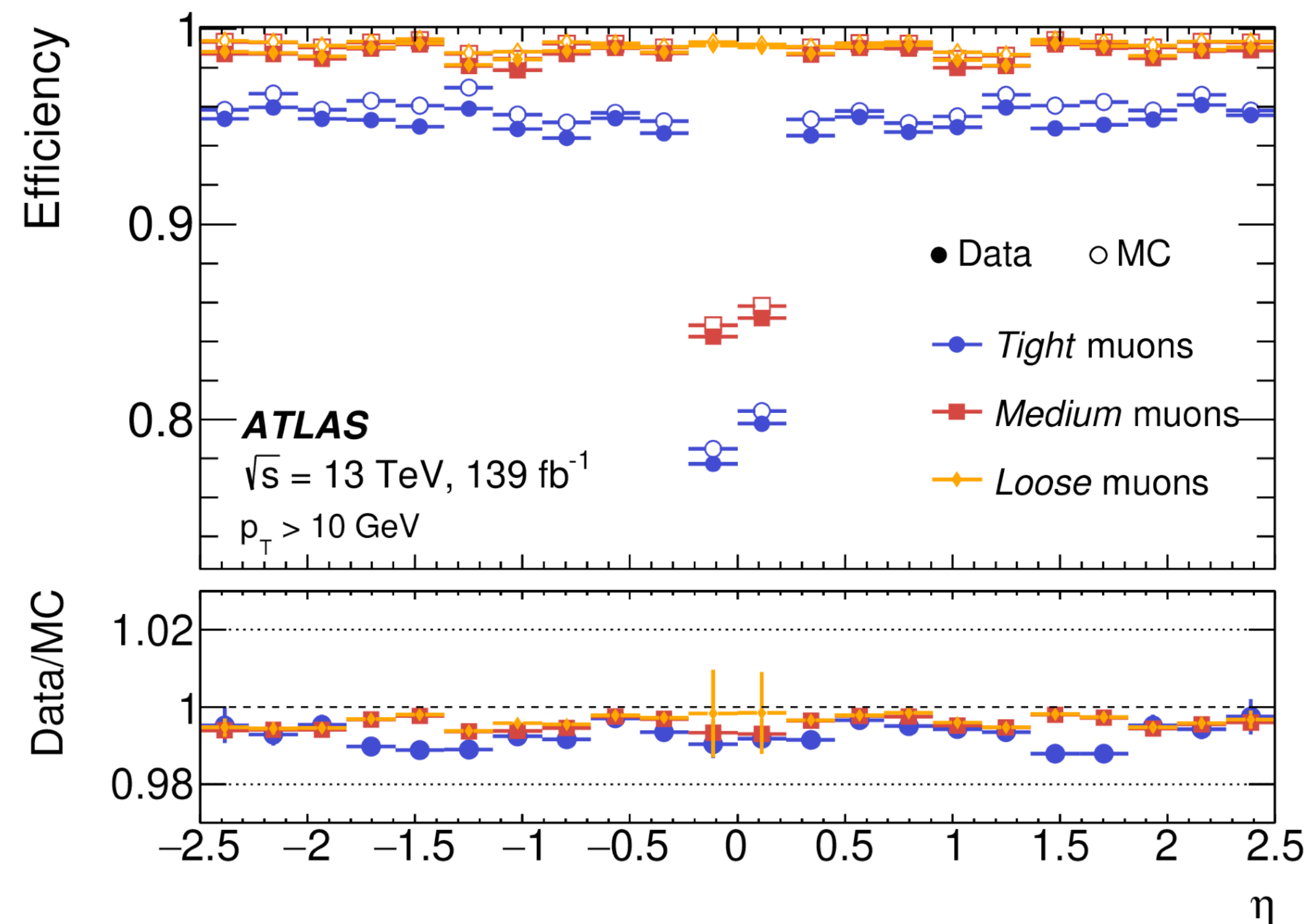
Example Lepton ID requirements

- **“Loose”:** this basic selection uses EM shower shape information from the second layer of the EM calorimeter (lateral shower containment and shower width) and energy leakage into the hadronic calorimeters as discriminant variables. This set of requirements provides high and uniform identification efficiency but a low background rejection.
- **“Medium”:** this selection provides additional rejection against hadrons by evaluating the energy deposit patterns in the first layer of the EM calorimeter (the shower width and the ratio of the energy difference associated with the largest and second largest energy deposit over the sum of these energies), track quality variables (number of hits in the pixel and silicon trackers, transverse distance of closest approach to the primary vertex (transverse impact parameter)) and a cluster-track matching variable ($\Delta\eta$ between the cluster and the track extrapolated to the first layer of the EM calorimeter).
- **“Tight”:** this selection further rejects charged hadrons and secondary electrons from conversions by fully exploiting the electron identification potential of the ATLAS detector. It makes requirements on the ratio of cluster energy to track momentum, on the number of hits in the TRT, and on the ratio of high-threshold hits² to the total number of hits in the TRT. Electrons from conversions are rejected by requiring at least one hit in the first layer of the pixel detector. A conversion-flagging algorithm is also used to further reduce this contribution. The impact-parameter requirement applied in the medium selection is further tightened at this level.

MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

- Generate Monte Carlo, both signal and background processes
- Select (design) trigger
- **Object definition and performance**
 - Reconstruction: baseline output of reconstruct algorithms
 - Identification: additional selections to tag signal objects
 - Measure efficiency, scale, and resolution of objects in data and MC
 - Parameterize as needed ($p_T, \phi, \eta, \langle \mu \rangle, \dots$)
 - Often done using tag and probe from “standard candle” such as $Z \rightarrow ll$ or object E_T balance in jet events
 - Calibrate object performance
 - Calculate scale factors for data/MC performance
 - Calculate uncertainties



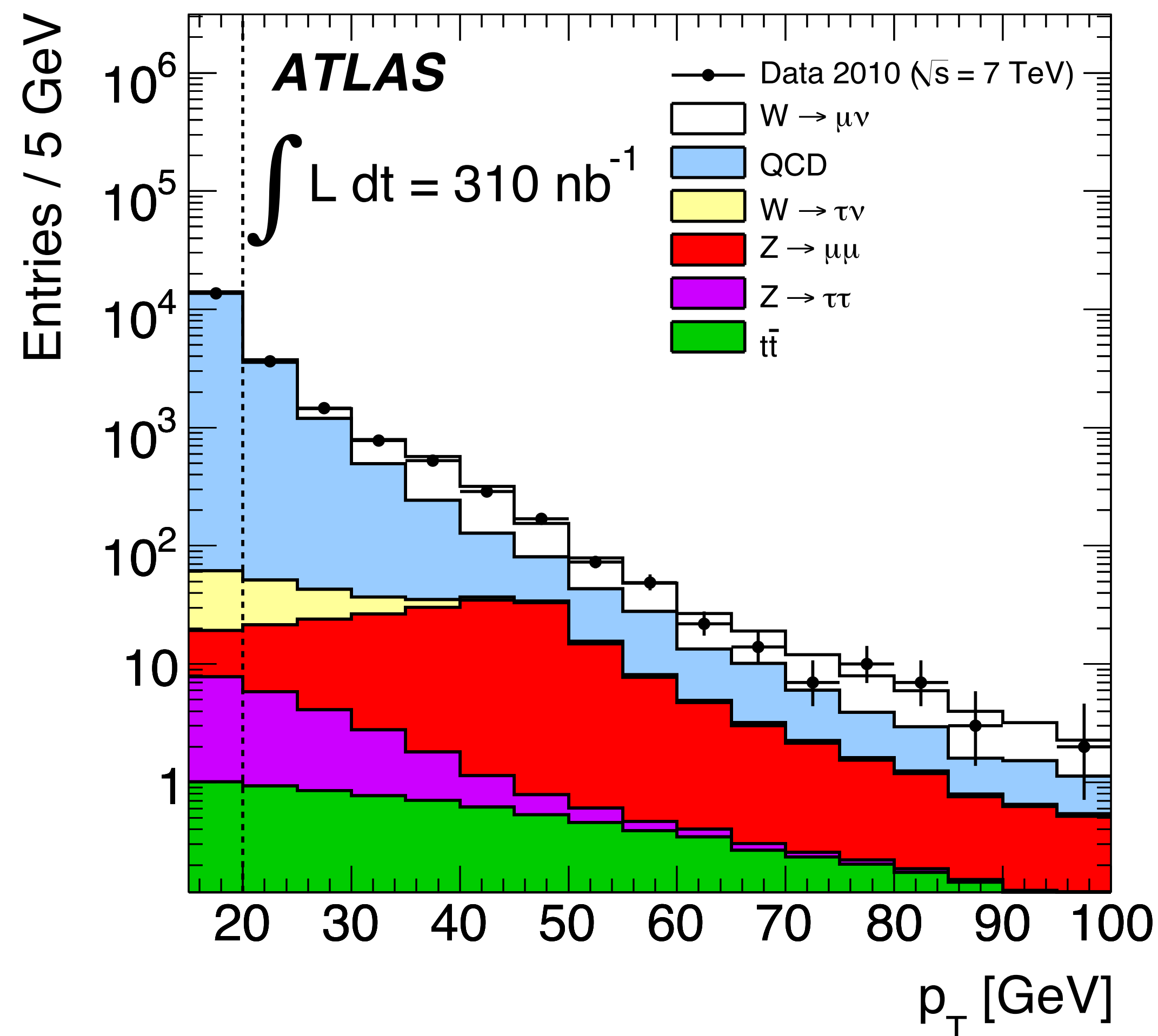
MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

- Generate Monte Carlo, both signal and background processes
- Select (design) trigger
- Object definition and performance
- **Design event selection**
 - Optimize signal significance
 - Gaussian approximation for significance:

$$Z = \frac{n - b}{\sqrt{b + \sigma^2}}$$

- where n = number of signal
- b = number of background
- σ = uncertainty on b
- Include large uncertainties if possible
- Many dimensional phase-space and limited knowledge of background —> as much an art as science

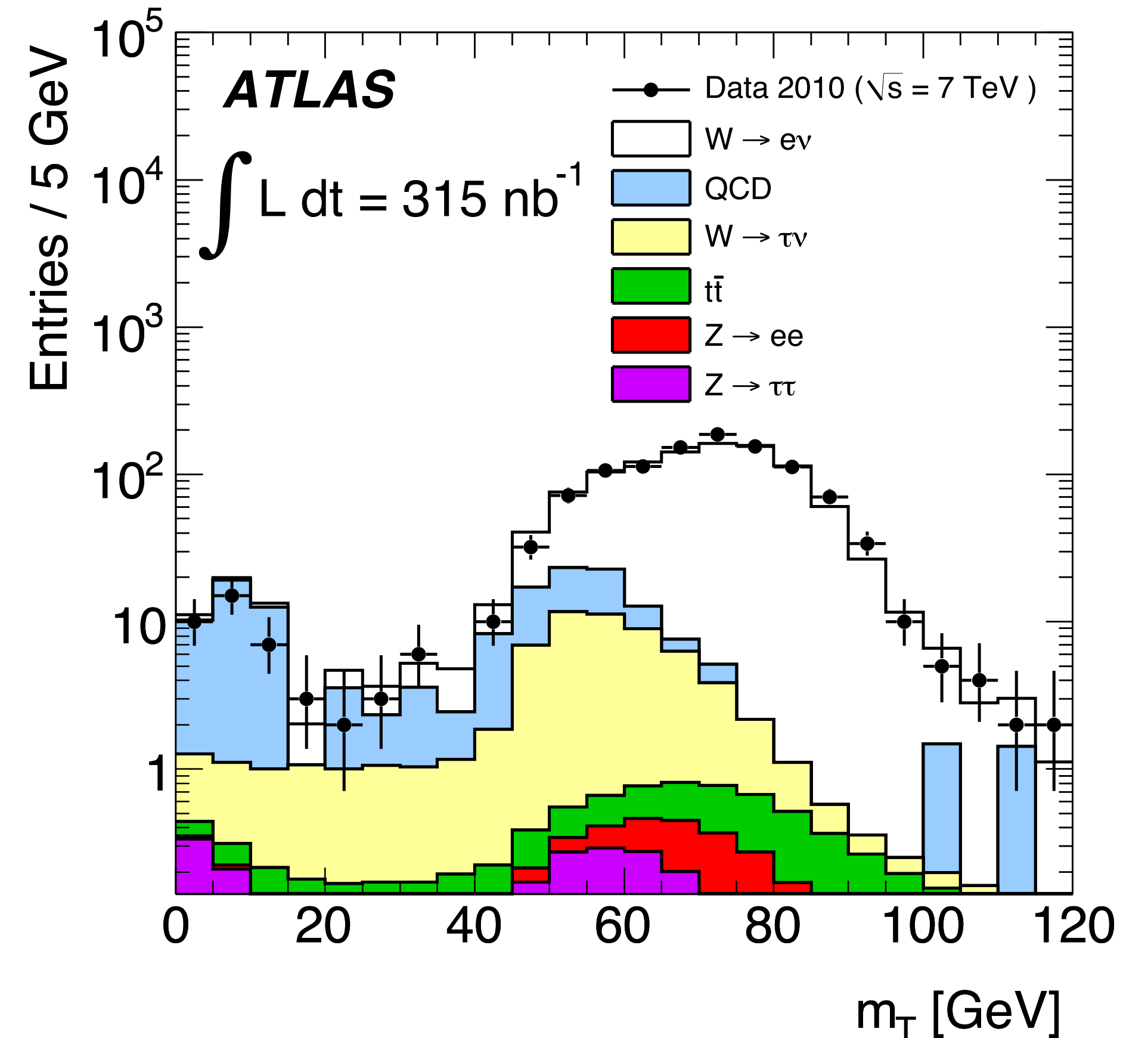


MEASURING A CROSS SECTION, IN PRACTICE

EXAMPLE: W CROSS-SECTION

- Generate Monte Carlo, both signal and background processes
- Select (design) trigger
- Object definition and performance
- Design event selection
- **Estimate background**
 - Backgrounds well modeled by MC can be directly taken from MC and normalized by σ
 - Partially data-driven: invert some signal region selections to maximize background in nearby kinematics, normalize MC in this “control region” and extrapolate normalization to signal region
 - Fully data-driven
 - Many techniques for estimating background from data for backgrounds not well modeled by MC or limited by MC stats
 - Ie, “fake factor” method for estimating non-prompt lepton

$$\text{sources: } N_{\text{SR tight}} = \frac{N_{\text{tight}}}{N_{\text{loose}}} \cdot N_{\text{SR loose}}$$



MEASURING A CROSS SECTION, IN PRACTICE

- Generate Monte Carlo, both signal and background processes
- Select (design) trigger
- Object definition and performance
- Design event selection
- **Calculate A, measure C, and uncertainties**
 - Calculate A from MC (phase space extrapolation)
 - Measure C from MC and data
 - Spend most of time on calculating uncertainties

EXAMPLE: W CROSS-SECTION

$$C_W = \epsilon_{event}^W \cdot \epsilon_{lep}^W \cdot \epsilon_{trig}^W \cdot SF$$

$$SF = \frac{\epsilon_{trig}^{data}}{\epsilon_{trig}^{MC}} \cdot \frac{\epsilon_{lep\ reco}^{data}}{\epsilon_{lep\ reco}^{MC}} \cdot \frac{\epsilon_{event\ reco}^{data}}{\epsilon_{event\ reco}^{MC}}$$

Parameter	$\delta C_W / C_W (\%)$
Trigger efficiency	1.9
Reconstruction efficiency	2.5
Momentum scale	1.2
Momentum resolution	0.2
E_T^{miss} scale and resolution	2.0
Isolation efficiency	1.0
Theoretical uncertainty (PDFs)	0.3
Total uncertainty	4.0

MEASURING A CROSS SECTION, IN PRACTICE

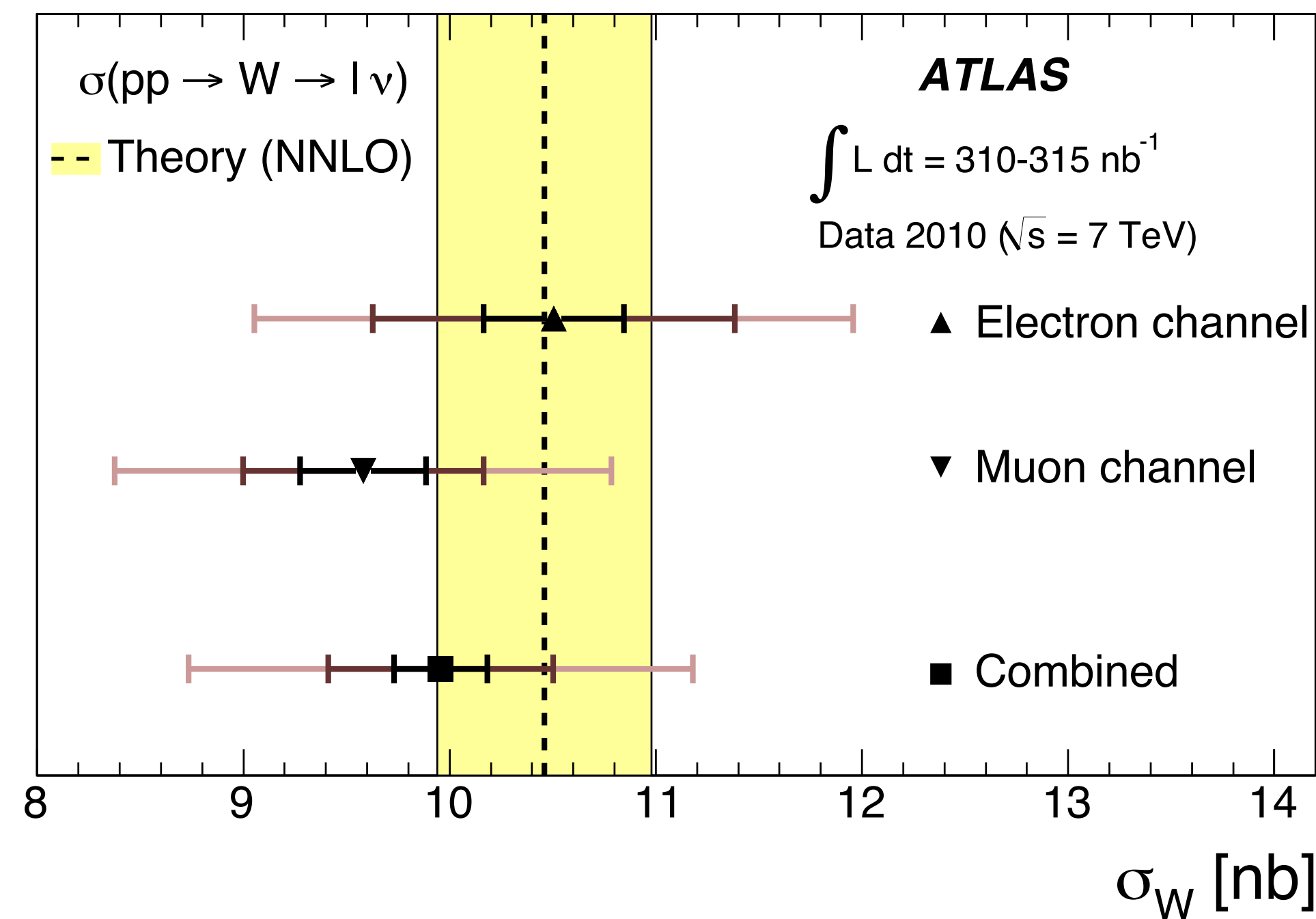
EXAMPLE: W CROSS-SECTION

- Generate Monte Carlo, both signal and background processes
- Select (design) trigger
- Object definition and performance
- Design event selection
- Calculate A, measure C, and uncertainties

➤ Statistical analysis

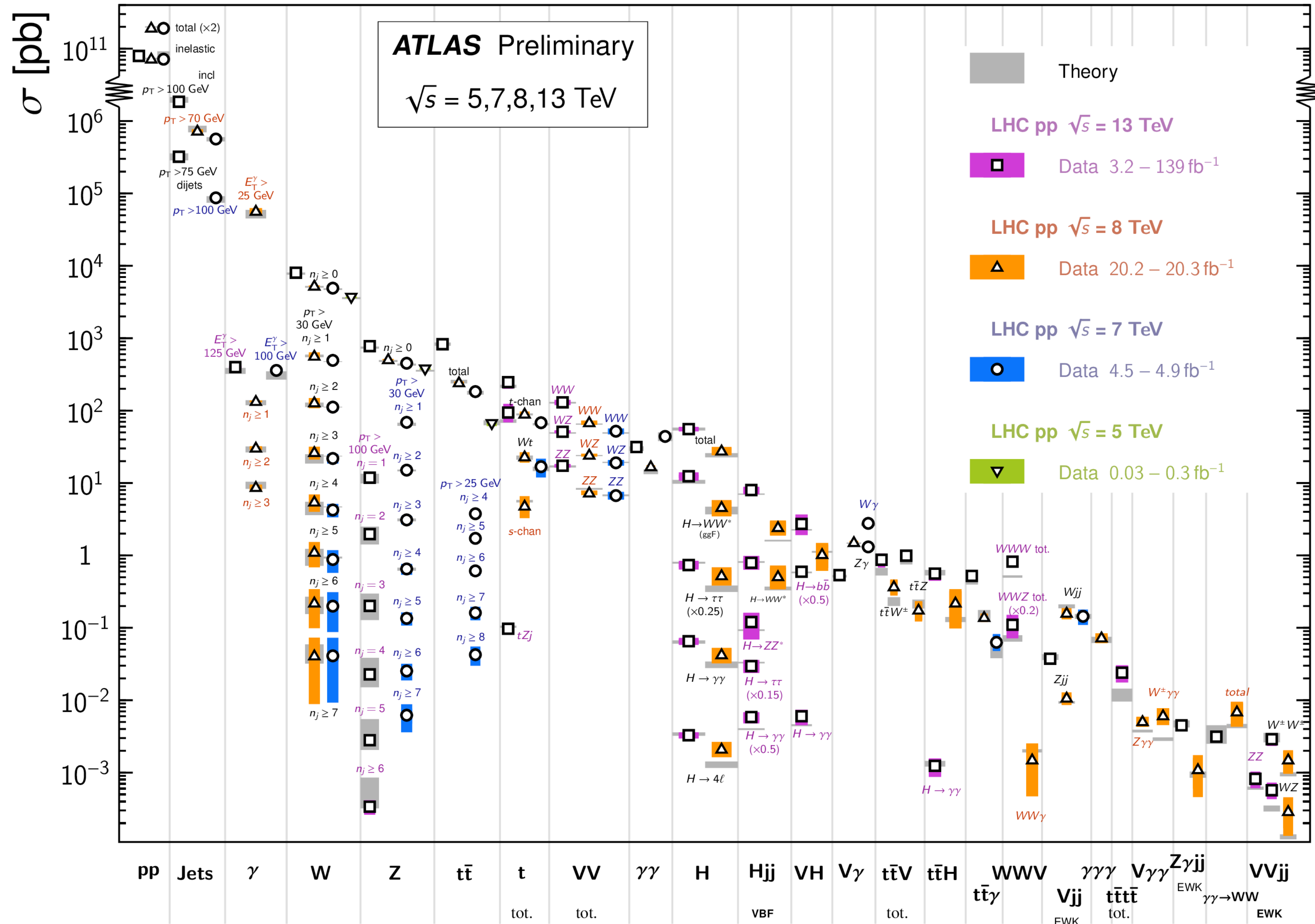
- Combine electron and muon channel
 - Include uncertainties with nuisance parameters
- Measure separately
 - fiducial cross-section (no A)
 - total cross-section (extrapolate to full phase space)

$$L(N_{obs}^i; N_s^i + N_b^i) = \frac{e^{-(N_s^i + N_b^i)} \times (N_s^i + N_b^i)^{N_{obs}^i}}{(N_{obs}^i)!}$$

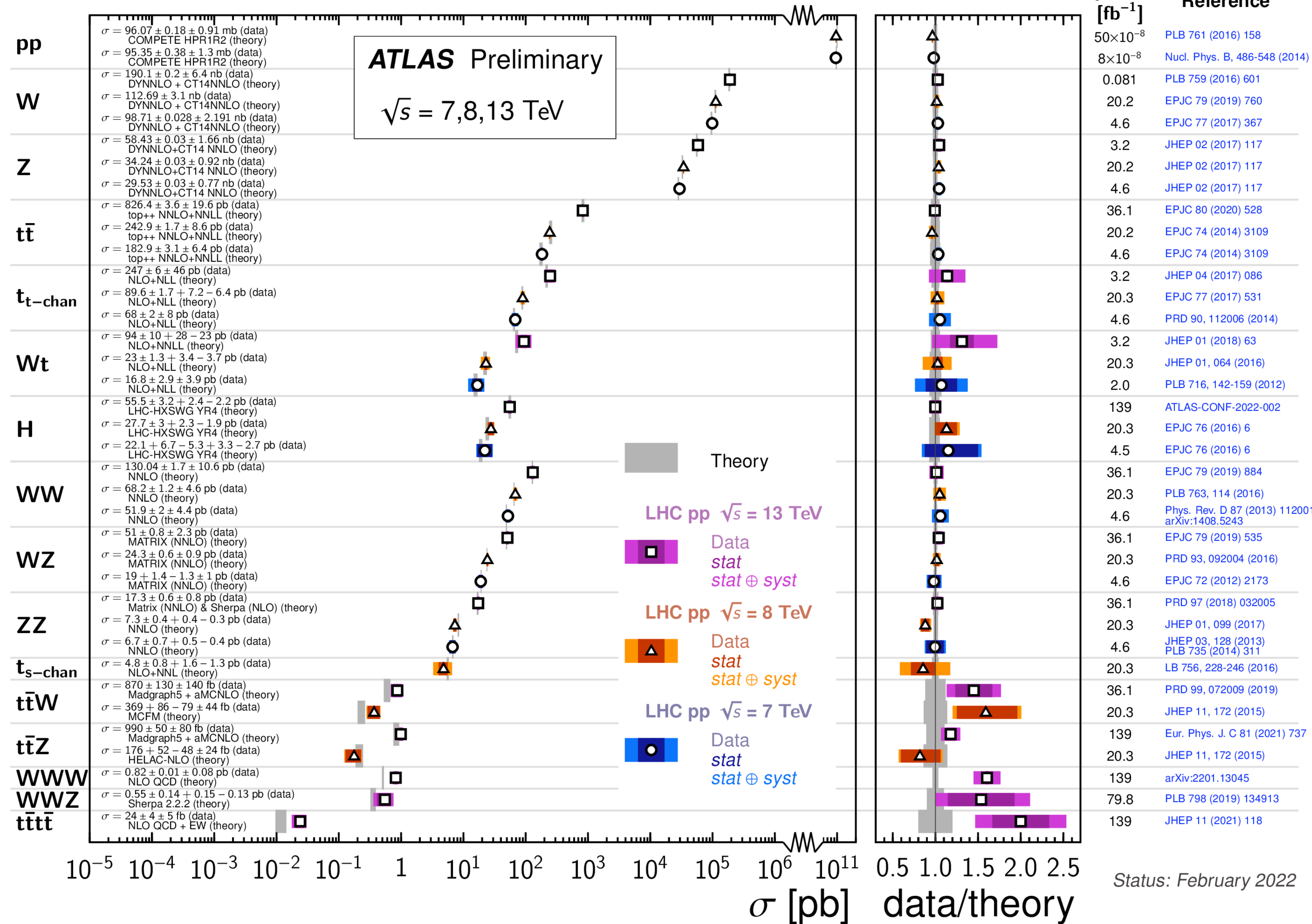


Standard Model Production Cross Section Measurements

Status: February 2022



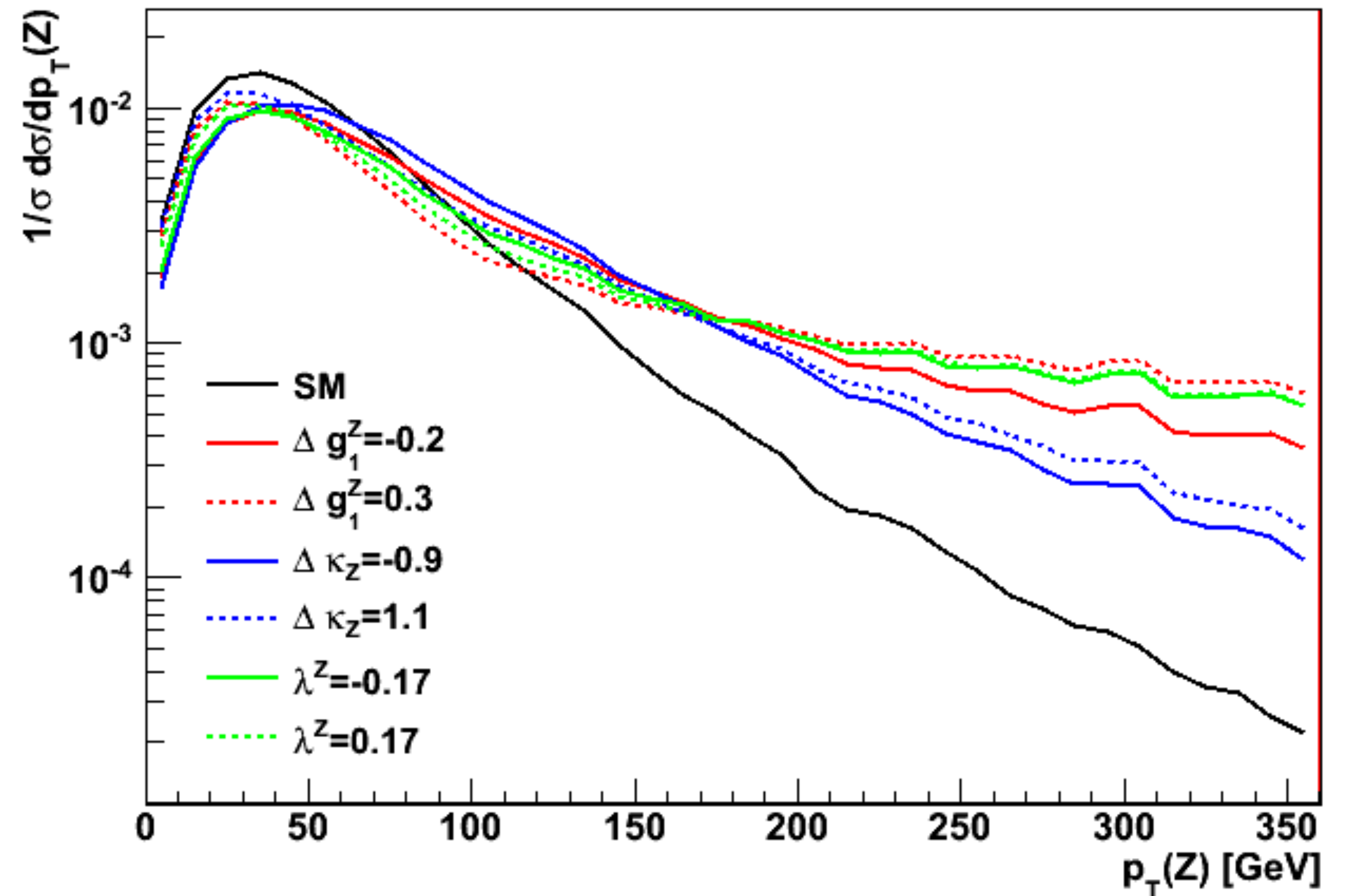
Standard Model Total Production Cross Section Measurements



Status: February 2022

MEASURING CROSS-SECTIONS, NEXT STEPS

- Measure differential quantities
 - Search for new physics
 - Constrain PDFs
 - Tune MC
- Measure other properties
 - Mass, spin, lifetime, etc..
 - Compare to predictions
 - Combination of theory + other measurements



Zp_T in WZ events could be modified at high p_T by anomalous gauge couplings

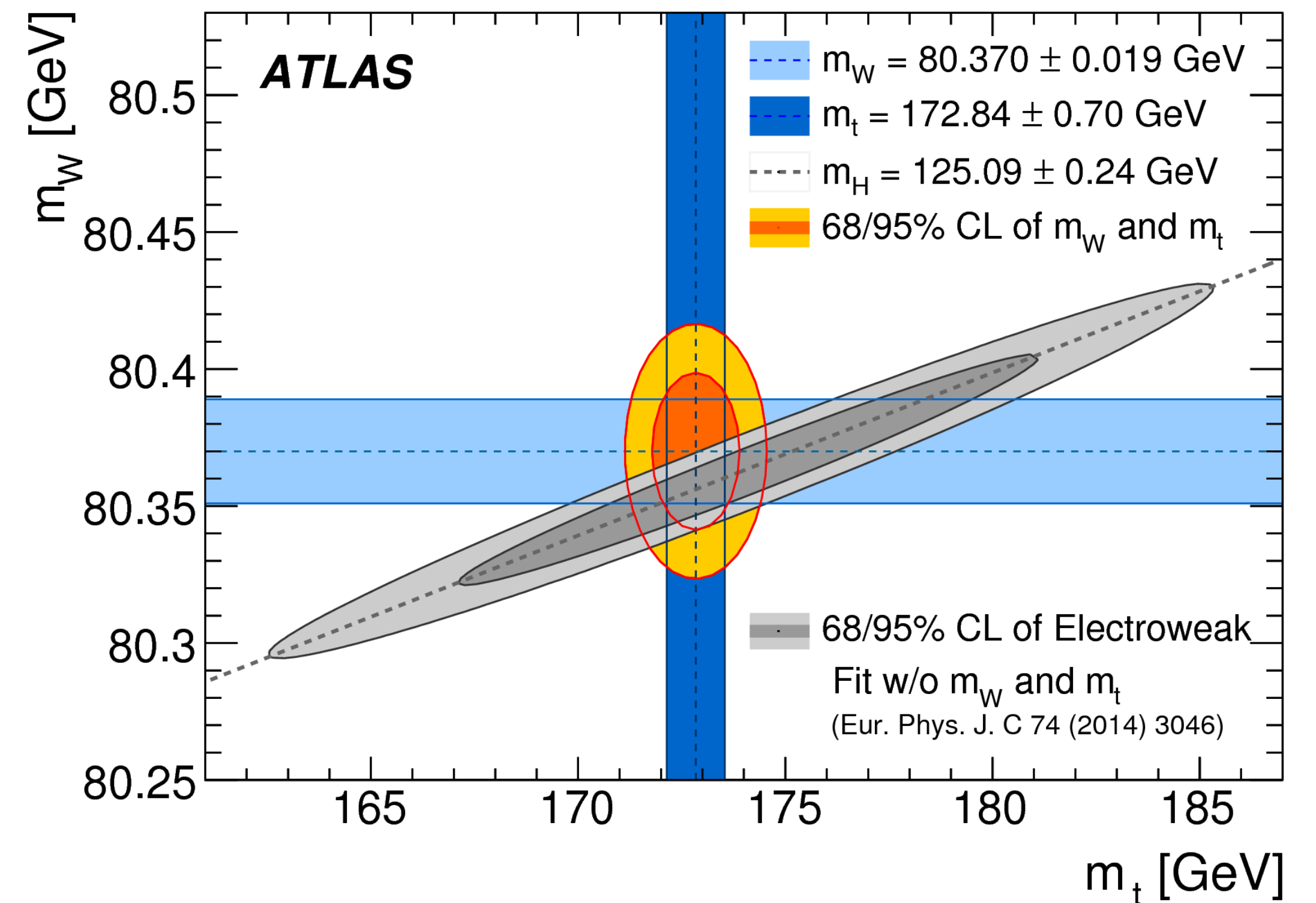
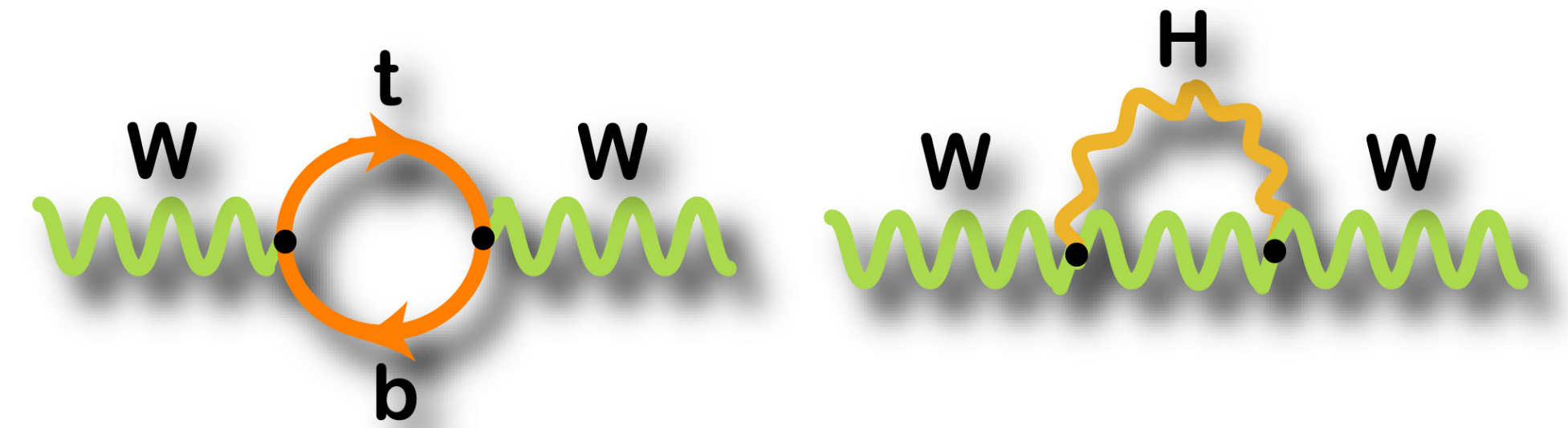
W MASS MEASUREMENT

► Motivation

- Top, W, and Higgs Boson masses all connected via radiative corrections
 - Absolute value of masses is not a prediction of the SM but their relationship is
 - New particles or interactions might change the relation

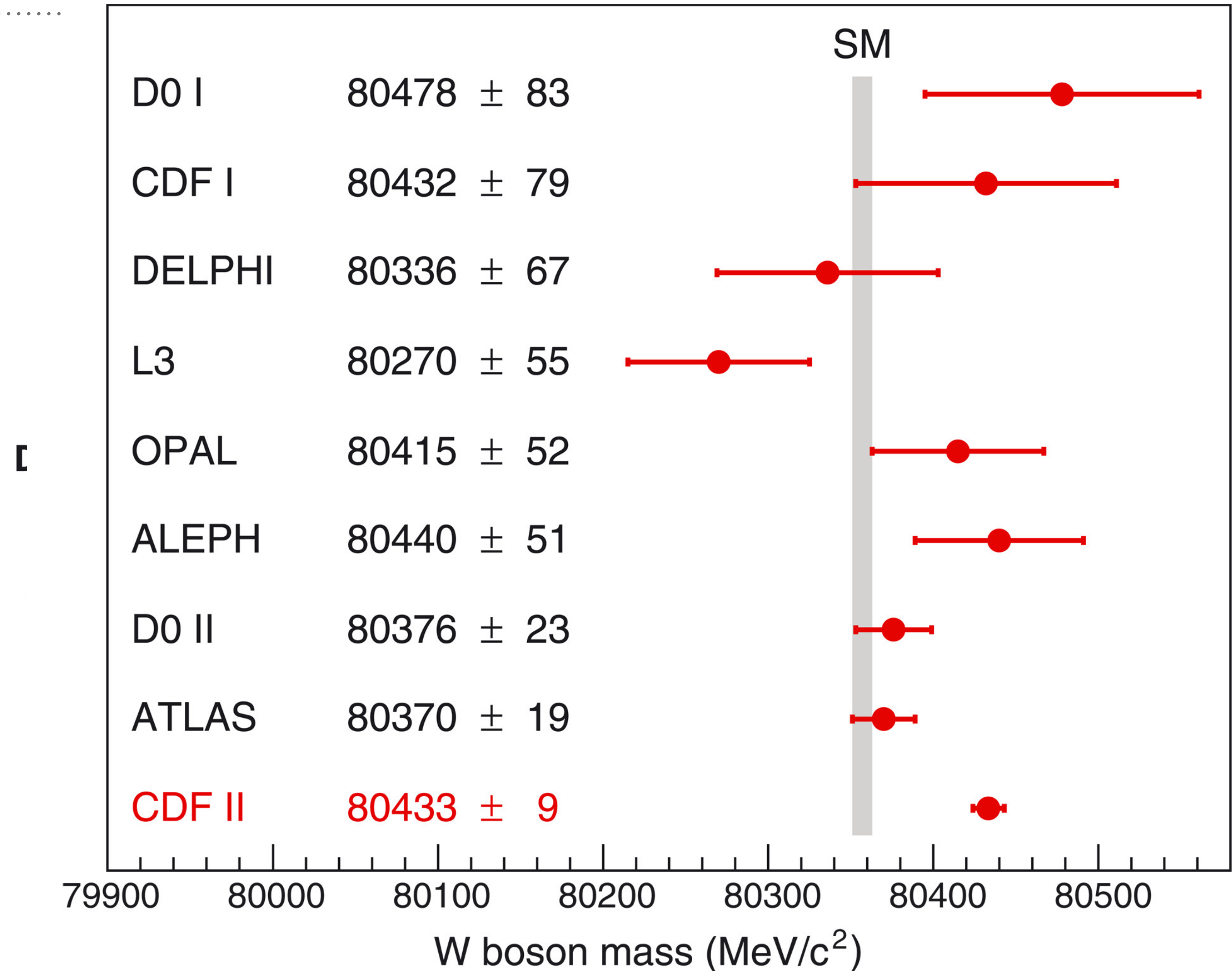
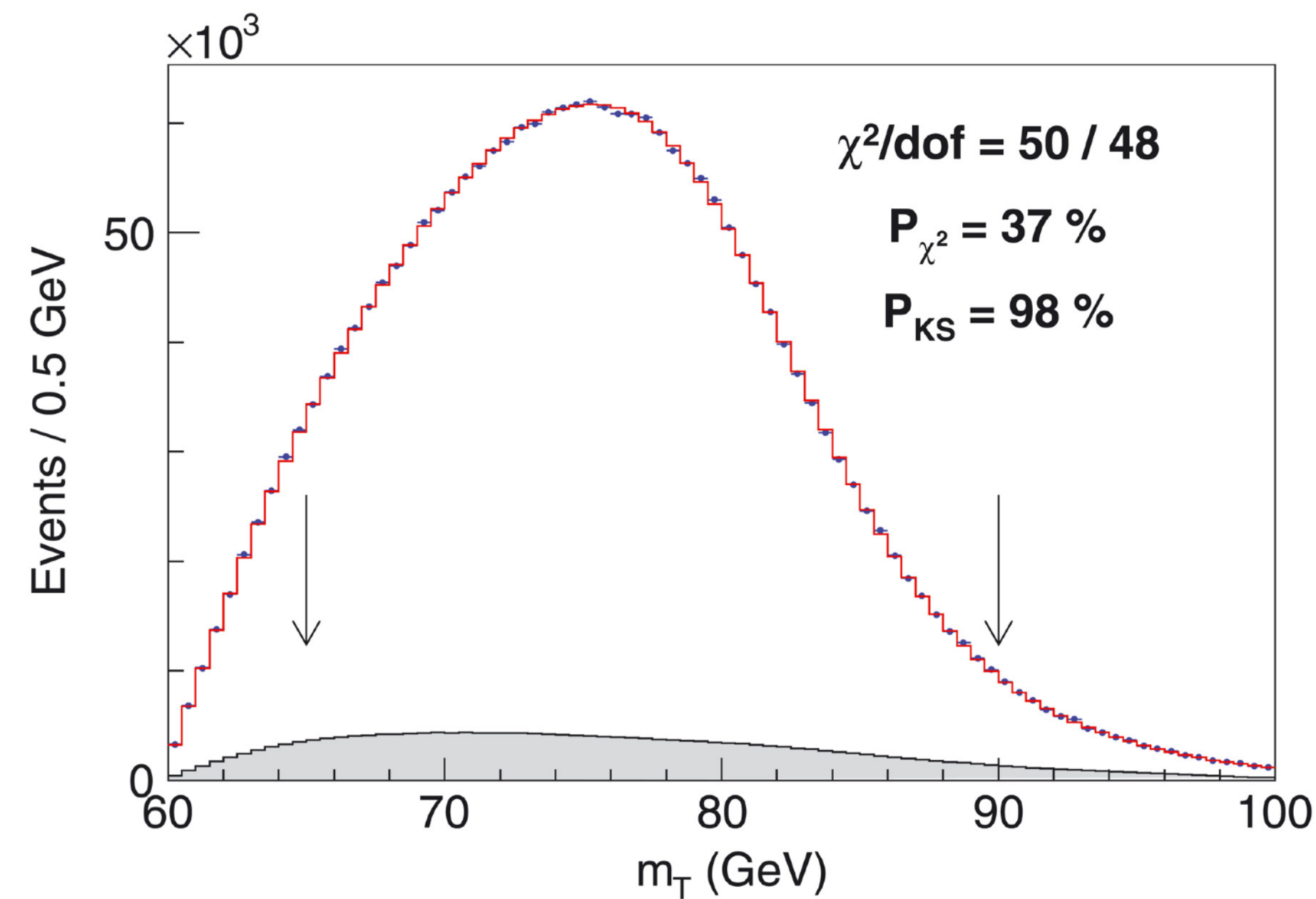
► Measurement

- Extremely precise measurement needed to test predictions and probe for new physics
- Requires dedicated and precise calibration of object efficiencies, resolutions, scale, uncertainties... very difficult measurement



CDF W MASS MEASUREMENT

- Precision to 9 MeV!
 - Uncertainty from PDFs alone dropped from 10 to 3.9 MeV due to constraints from LHC measurements
- 7-sigma tension with SM fit!



CDF W MASS MEASUREMENT

- Pointing to new physics?
- Or experimental or theoretical issue?
- Another motivation for direct searches for new physics
- Emphasizes the importance of precision measurements
- More on these tomorrow!

