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Applications of ab initio nuclear theory to tests of fundamental symmetries

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CKM matrix unitarity is a sensitive probe of the Standard Model (SM). The largest contribution to the top-row unitarity sum $-V_{ud}$ – can be calculated cleanly from Fermi decays, but theoretical corrections to experimental transitions are needed **[1]**. Recent analysis suggests a discrepancy with unitarity **[2,3]** on the order of $2\sigma - 3\sigma$.

 $|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 0.9984 \pm 0.0004$

Cabibbo−Kobayashi−Maskawa matrix unitarity

Acknowledgements

Galilean invariance preserved but incompatible with reaction theory ➢ NCSM with continuum (NCSMC) [5] uses *ansatz* of NCSM states plus cluster basis

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- ➢ Multipole expansion of currents yields four electroweak structures, e.g. $\int T^{el,5} (E - H)^{-1} T^{mag}$
- Compute q -dependent matrix elements using NCSM eigenstates
- evaluation of δ_{NS}

Precision beta decay in the no-core shell model (NCSM)

Taking nucleons as the degrees of freedom, ab initio theory describes nuclear structure and reactions, starting solely from inter-nucleon forces. The ab initio NCSM solves the many-body Schrödinger equation for low-lying bound states and resonances [4]. An *ansatz* of antisymmetrized products of harmonic oscillator (HO) many-body states is made:

$$
H|\Psi_A^{J^{\pi}T}\rangle = E^{J^{\pi}T}|\Psi_A^{J^{\pi}T}\rangle \longrightarrow |\Psi_A^{J^{\pi}T}\rangle =
$$

Fermi transitions

$$
\mathcal{F}t = \frac{K}{G_V^2 |M_{F0}|^2 (1 + \Delta_R^V)}
$$

Evaluating δ_c in NCSMC

Decompose into bound, bound to cluster, and cluster matrix elements ➢ Contributions factor as one-body matrix elements and J-reduced densities [6] \triangleright Calculations of δ_C for ¹⁰C \rightarrow ¹⁰B in progress

$$
M_F = \left\langle \Psi^{J^{\pi} T_f M_{T_f}} \Big| T_+ \Big| \Psi^{J^{\pi} T_i M_{T_i}} \right\rangle \longrightarrow |M_F|^2 = |M_{F0}|^2 (1 - \delta_C)
$$

$$
\sum_{N=0}^{N_{max}} \sum_{\alpha} c_{N\alpha}^{J^{\pi}T} | \Phi_{N\alpha}^{J^{\pi}T} \rangle
$$

$$
(r)\mathcal{A}_{\nu}\left|^{9} \text{B}+p, \nu \right\rangle
$$

$$
\left(\hat{r}_{12}\right) \bigg|^{(J^{\pi})}
$$

References

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Evaluating δ_{NS} in NCSM

➢ SM requires **nuclear structure dependent** $150 - NN N^4 L O + 3N_{ln}$ corrections to experiment [1]

$$
\mathcal{F}t = ft(1 + \delta_R')(1 - \delta_C + \delta_{NS})
$$

 δ_c – isospin symmetry breaking correction due to isospin non-conserving (INC) interactions, e.g. Coulomb interaction δ_{NS} – nuclear environment modifies free nucleon γW -box

We can use the no-core shell model to rigorously evaluate these corrections!

[1] Hardy et al. Phys. Rev. C, **91**(2), pp. 025501 (2015) [2] Seng et al. Phys. Rev. Lett., **121**(24), pp. 241804 (2018) [3] Gorchtein. Phys. Rev. Lett., **123**(4), pp.042503 (2019) [4] Barrett et al. Prog. Part. and Nuc. Phys., **69**, pp. 131-181 (2013) [5] Baroni et al. Phys. Rev. C, **87**(3), pp. 034326 (2013) [6] Atkinson et al. arXiv:2203.14176 (2022)

 $T^{\mu\nu,\mathrm{nuc.}}(p,q) = \frac{1}{2}\int d^4x\; e^{iq\cdot x} \big<\phi_f(p)\big|T\big[J_{\mathrm{em}}^\mu(x)J_W^\nu(0)^\dagger\big]\big|\phi_i(p)\big>$

Combine with dispersion integral framework [2,3] for full