Electromagnetic probes of the QCD Plasma



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High energy nuclear collisions & nuclear equation of state



Evolution of the nuclear medium



- The nuclear fluid is created during preequilibrium dynamics stage, where most of the collision's $T^{\mu\nu}$ will be in the fluid.
- Hydrodynamical stage (Temp $\sim 10^2$ MeV): Strongly coupled quark gluon plasma (QGP)
 - Equation of State (EoS) computed via Lattice QCD
- Molecular dynamics stage (Temp ~ 10 MeV): $\lambda_{micro} \sim L_{hydro}$, simulation switches to Boltzmann transport
- Following free-streaming, soft hadrons ($p_T \lesssim 3$ GeV/c) carry most of the medium's $T^{\mu\nu}$ to detectors.

- Why study electromagnetic probes of the QGP?
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• In experiment however...



• Detailed study of QGP: measure dN/dM and $v_2(M)$, especially M \gtrsim 1 GeV!









Sources of EM probes

- Onset of collisions:
 - Prompt photons
 - Drell-Yan dileptons
 - Heavy Quarkonia
 - Open Heavy Flavor, ...
- Pre-hydrodynamical evolution/jet-medium interaction
 - EM production coming from various partonic processes
- Hydrodynamical evolution
 - EM production coming from partonic and hadronic processes
- Transport evolution
 - EM production from hadronic interactions













EM probes and the QGP

• Bayesian analysis simulating various stages for soft hadronic observables are starting to inform us about transport coefficients.



|τ ~ 1 fm/c

 $\tau \sim 10 \text{ fm/}c$



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Bayesian Analysis by the JETSCAPE Simulations Group









EM probes and the QGP

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[D. Everett et al., Phys. Rev. Lett. 126, 242301 (2021)]



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Bayesian Analysis by the JETSCAPE Simulations Group

• v_n of EM probes \Rightarrow directly probe microscopic d.o.f. of nuclear matter and can better constrain $\frac{\eta}{s}$, $\frac{\zeta}{s}$

EM Rates and Simulations

Electromagnetic radiation from QCD medium

- Finite Temperature Field Theory
 - Dilepton production rate

$$\frac{d^{4}R}{d^{4}k} \propto -\alpha_{EM}^{2} Im \left[\begin{array}{c} \gamma & & & \\ \gamma & & & \\ k^{2} = M^{2} > 0 \end{array} \right]$$
• Photon production rate
$$k^{0} \frac{d^{3}R}{d^{3}k} \propto -\alpha_{EM} Im \left[\begin{array}{c} \gamma & & & \\ \gamma & & & \\ k^{2} = M^{2} = 0 \end{array} \right]$$

$$Im \left[\begin{array}{c} \gamma & & & \\ \gamma & & & \\ \gamma & & & \\ k^{2} = M^{2} = 0 \end{array} \right]$$
= EM Spectral Function

Electromagnetic radiation from QCD medium

- Finite Temperature Field Theory
 - Dilepton production rate

• High Temperature EM spectral function: in pQCD and on the Lattice QCD

$$G(\tau) = \int \frac{dk^0}{\pi} K(k^0, \tau) Im \left[\bigvee_{\gamma} \bigvee_{\gamma} \bigvee_{\gamma} \right]; \qquad K(k^0, \tau) = \frac{\cosh\{k^0[1/(2T) - \tau]\}}{\sinh(k^0/2T)}$$

- Low Temperature EM spectral function: hadronic effective Lagrangians
 - sensitive to chiral symmetry breaking/restoration

Dilepton production from pQCD & lattice QCD \checkmark

• Quite good agreement between pQCD and lattice QCD in the (un-)quenched.



• Entering the era for precision calculations of EM spectral functions; with extension to $\mu_B > 0$.

Dilepton production from hadronic interactions





Dilepton production from hadronic interactions \checkmark

• EM spectral function via vector mesons vacuum $= Im \left| \underbrace{\sqrt{g_V}}{g_V} \right|$ T=120MeV Im mD_ρ [GeV⁻²] T=150MeV T=180MeV μ_B =330MeV Many-body effective Lagrangians Mesons $Im[D_{\rho}] = Im \bigwedge_{\rho}$ 0.2 0.4 M [GeV] 0.8 1.0 0.0 1.2 [R. Rapp, Acta Phys. Polon. B 42, 2823 (2011)] Vacuum T=100 MeV T=140 MeV 0.08 Baryons $(s)^{V(s)} = \frac{1}{2} \frac{1}{2}$ Vector — Vector — Vector Axial-vector Axial–vector Axial–vector 0.02 Many-body effective Lagrangians now include the chiral partner of ρ , the a_1 T=150 MeV 0.08 T=160 MeV T=170 MeV o 0.06 Vector Vector Vector 3 μ/(s)/μ³ • $\rho \& a_1$ agree at high T \Rightarrow encouraging for Axial-vector Axial-vector Axial–vector understanding chiral symmetry restoration 0.02 from a hadronic perspective. 2.5 3.0 3.5 .0 0.5 2.5 30 3.5 0.5 1.0 2.0 25 30 2.0 10 1.5 2.0 0 15

> s (GeV²) s (GeV²) [P.M. Hohler & R. Rapp, Phys. Lett. B 731, 103 (2014)

s (GeV²)

Dilepton production in a viscous medium \checkmark

• Theory \Rightarrow Experimental observables

$$\frac{d^4 N}{d^4 k} = \int d^4 x \frac{d^4 R}{d^4 k} [u^{\mu}(x), T(x), \pi^{\mu\nu}(x), \Pi(x)]$$
$$T^{\mu\nu}_{eq.} + \pi^{\mu\nu} - \Pi \Delta^{\mu\nu} = \int \frac{d^3 k}{(2\pi)^3 k^0} k^{\mu} k^{\nu} [n^{eq.} + \delta n^{shear} + \delta n^{bulk}]$$

• Dileptons from (hadronic) scattering theory



Dileptons from LO pQCD



[Eletsky et al., Phys. Rev. C 64, 035202 (2001)] [G.V. et al., Phys. Rev. C 101, 044904 (2020)]

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- Size of $\int \frac{dN}{dM} \in 0.3 < M < 0.7 \text{ GeV}$
- Slope of $\frac{dN}{dM} \in 1.5 < M < 2.5 \text{ GeV}$

[R. Rapp, H. van Hees, Phys. Lett. B 753, 586-590 (2016)]



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• A joint Bayesian analysis (dileptons & hadrons) to help constrain on $(\eta/s)(T)$.

Dileptons as "timer", thermometer & viscometer \checkmark

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- A joint Bayesian analysis (dileptons & hadrons) to help constrain on $(\eta/s)(T)$.
- An accurate measurement of dilepton v_2 is needed at high $\sqrt{s} \Rightarrow$ possible following ALICE upgrade [CERN Yellow Rep. Monogr. 7, 1159 (2019)]

Dilepton yield and v_2 at intermediate M

• Importance of semi-leptonic decays of open heavy flavor to explaining the data



- RHIC data is better described if charm exchanges energy & momentum w/ QGP
- Charm's interaction w/ QGP generates dilepton v₂.

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This is *non-trivial* as dileptons follow the HF *pair* traversing the QGP.

• Another handle on heavy flavor transport coefficients (e.g. \hat{q}_{QCD}). [Y. Chen, Tues 9AM]

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- Another handle on heavy flavor transport coefficients (e.g. \hat{q}_{QCD}). [Y. Chen, Tues 9AM]
- Dilepton v_2 is simultaneously sensitive to \hat{q}_{QCD} and viscosities!

Photon production at intermediate p_T

- Jet-medium EM production is directly sensitive to \hat{q}_{QCD} , avoiding hadronization effects
- Jet-medium photons are composed of: conversion and bremsstrahlung.



Dileptons from transport

• At lower $\sqrt{s_{NN}}$, more dileptons from transport



Dileptons from transport & hydrodynamics

• At lower $\sqrt{s_{NN}}$, more dileptons from transport & hydrodynamics at $\mu_B > 0$ with 1st order PT EoS



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- No more jets at lower $\sqrt{s_{NN}}$: **only** penetrating probes sensitive to QCD dofs are EM.

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- Consistent description at all beam energies ⇒ combining transport & hydrodynamical calculations.
- No more jets at lower $\sqrt{s_{NN}}$: **only** penetrating probes sensitive to QCD dofs are EM.
- Bayesian comparisons of dileptons at various $\sqrt{s_{NN}} \Rightarrow$ learn more dilepton production mechanisms
 - Exclude rates w/o chiral symmetry restoration by comparison with data?
 - Determine uncertainties of calculations & accurate measurements

Summary & Outlook

✓Improved rates

- NLO pQCD comparable with lattice QCD
- Hadronic rates are now including chiral symmetry restoration effects
- ✓ Better medium simulations
 - Hydrodynamic production of EM probes include off-equilibrium dynamics (i.e., viscous effects) and many different sources of EM production are included.
- ✓ What was/can be done
 - EM probes possess simultaneous sensitivity to hydrodynamical transport coefficients (e.g., ζ , η , τ_{π} , ...) and jet-related transport coefficient \hat{q}_{QCD} (via jet-medium photons and open heavy flavor dileptons)
 - Dynamics of quark generation during the creation of the QGP can be explored via EM probes
- ➢Future directions
 - Determine uncertainties of EM probes calculations (e.g. viscous corrections) for better estimation of transport coefficients be it first order (e.g., ζ , η , \hat{q} ...).
 - Bayesian analysis using hadron & EM probes with more precise data
 - More measurements of dilepton v_2 needed

Thank you

Questions?

Backup

EM probes sensitivity to other transport coefficients

• Sensitivity to chemical equilibration

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EM probes sensitivity to transport coefficients

 Sensitivity to electrical conductivity using spectral function from EM current in hydro

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Dilepton flow at $M \gtrsim 1 \text{ GeV}$ as probe of QGP

- A heavy flavor tracker can reduce/remove HF signal exposing direct QGP radiation ($M \gtrsim 1 \text{ GeV}$)
 - Need to measure $\frac{dN}{dM}$ and v_2 ! [also, c.f. B. S. Kasmaei, M. Strickland, Phys. Rev. D 99, 034015 (2019)]

Dilepton calculations compared to data

• Comparison with data

[G.V. et al., Phys. Rev. C 89, 034904 (2014)]

Photon sources

- Photons probing early dynamics:
 - Primodial photons / Jet-medium photons

$$k^{0} \frac{d^{3} \sigma_{A+A \to \gamma+X}}{d^{3}k} = \sum_{a,b,c} f_{a/A}(x_{a}, Q_{fact}^{2}) \otimes f_{b/A}(x_{\bar{q}}, Q_{fact}^{2}) \otimes k^{0} \frac{d^{3} \hat{\sigma}_{a+b \to c+\gamma}(Q_{ren}^{2})}{d^{3}k}$$
$$+ \sum_{a,b,d} f_{a/A}(x_{a}, Q_{fact}^{2}) \otimes f_{b/A}(x_{\bar{q}}, Q_{fact}^{2}) \otimes k^{0} \frac{d^{3} \hat{\sigma}_{a+b \to c+d}(Q_{ren}^{2})}{d^{3}k} \otimes D_{\gamma/c}(Q_{frag}^{2})$$

- Photons from jet-medium interaction
- Photons emitted during hydrodynamics
 - Photons from hadronization
- Photons from hadronic transport
 - Same photon matrix elements as in hydrodynamical calculations

Photon/Dilepton calculations vs data & Bayesian analysis

• Match $T^{\mu\nu}$ (IP-Glasma) $\Rightarrow T^{\mu\nu}$ (KØMPØST) $\Rightarrow T^{\mu\nu}$ (Hydro)

- Photons are sensitive dynamics of quarks production CGC → hydrodynamics
- Different sources are continuously being included, need to include theoretical uncertainties

 Bayesian Analysis using EM & hadron probes can hopefully constrain better the transport coefficients of QCD

Dilepton calculations compared to data

RHIC data is better described if charm exchanges energy & momentum w/ QGP

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Dilepton calculations compared to data

NLO pQCD dilepton rates are needed to explain the data.

NLO effects on v_2

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Photon production from hadronic reactions \checkmark

• Photons from SMASH

 Total photon yield from Hydro+SMASH is comparable to that obtained from hydro running to lower temperature (T=120 MeV).

• Photon $v_2(p_T)$ from Hydro+SMASH is comparable to that obtained from hydro running to lower temperature (T=120 MeV)

Uncertainty from viscous corrections

[D. Everett et al., Phys. Rev. Lett. 126, 242301 (2021)]

NLO calculations

[J. Ghiglieri et al., JHEP 1305, 010 (2013)]

 Sizeable cancellations in photon rates between the collinear (coll) contribution and soft+semi-collinear (sc) contributions

[J. Ghiglieri et al., JHEP 1803, 179 (2018)]

• Large corrections to shear viscosity (η/s) and baryon number diffusion (D_q) at NLO

[S. Caron-Hot et al., PRL 100, 052301 (2008)]

• Heavy-quark diffusion coefficient acquires large corrections at NLO

Photon production from pQCD and lattice QCD

• Quenched and non-quenched lattice calculations consistent are consistent pQCD calculations, though uncertainties are large.

Sensitivity of EM probes to transport coefficients

Pre-hydrodynamic photon production

• KøMPøST: Solving the Boltzmann equation in the linear response approximation.

 Bridges the gap between the asymptotic behavior of IP-Glasma → free-streaming and hydrodymamics → thermalization

[A. Kurkela et al., Phys. Rev. Lett. 122, 122302 (2019)]

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