

# The Flavour of Cosmology



David McKeen



FPCP @ University of Victoria  
May 7, 2019

\*title borrowed from Lillard,  
Ratz, Tait, & Trojanowski

# The Flavour of Cosmology\*

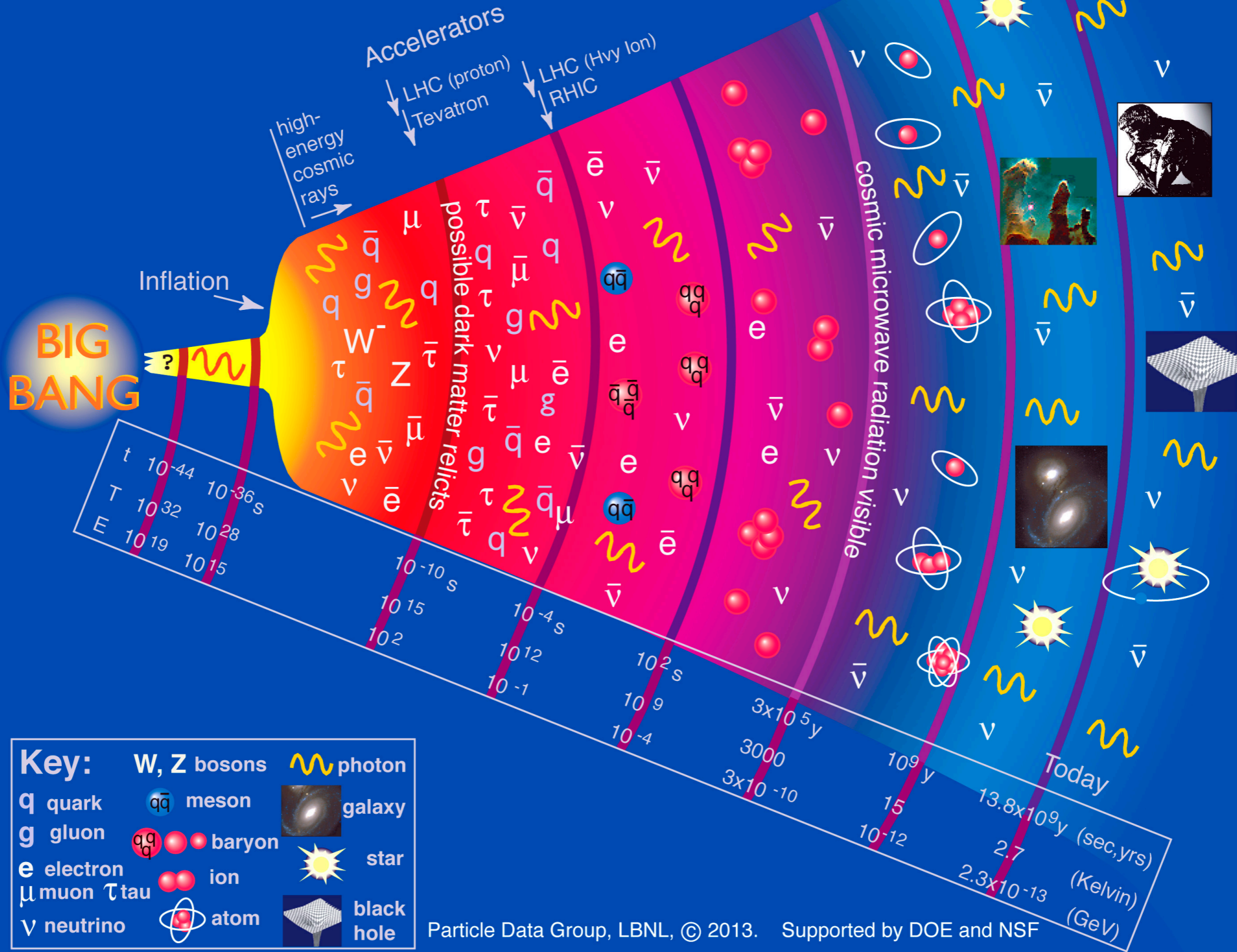


David McKeen



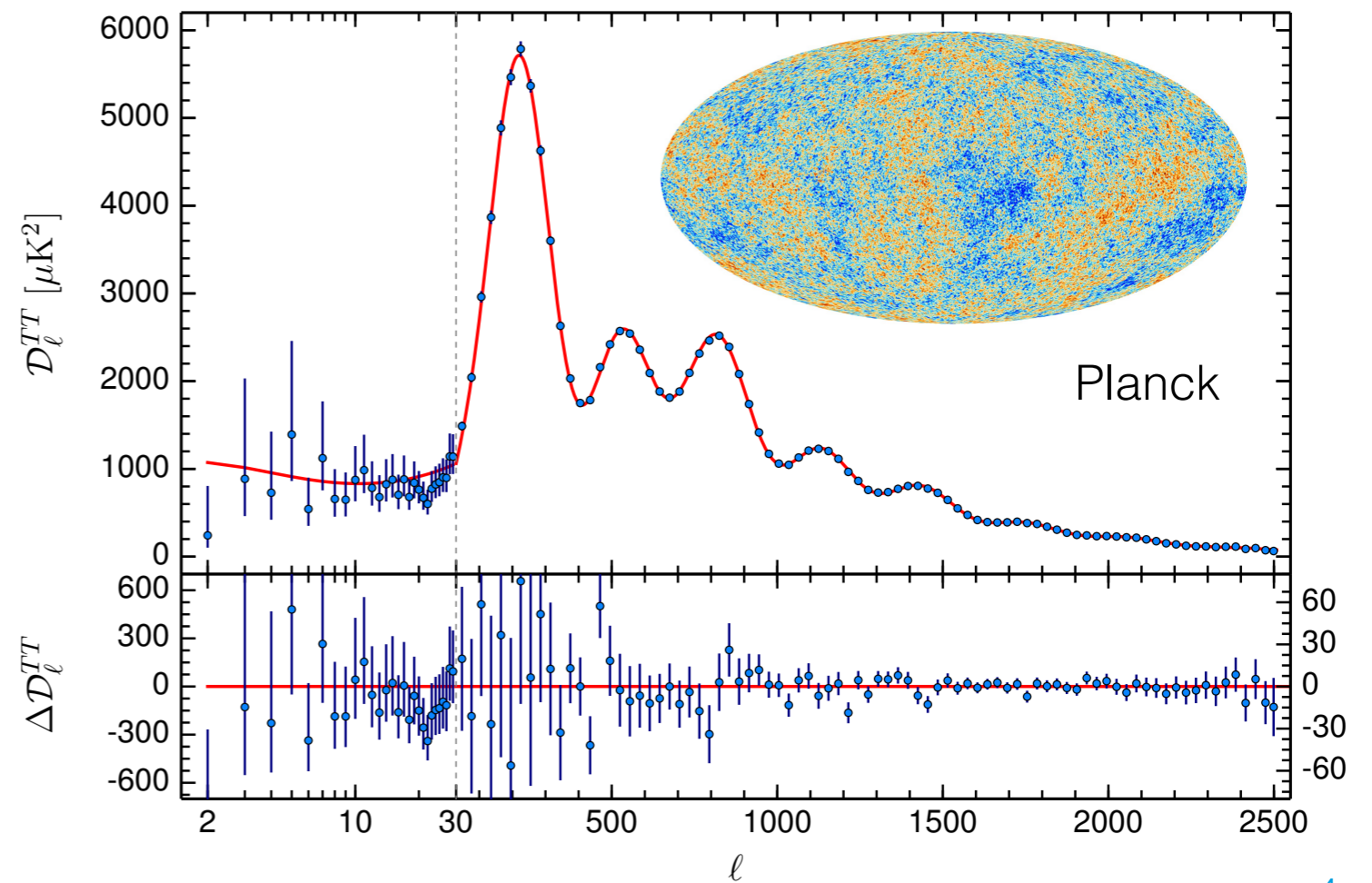
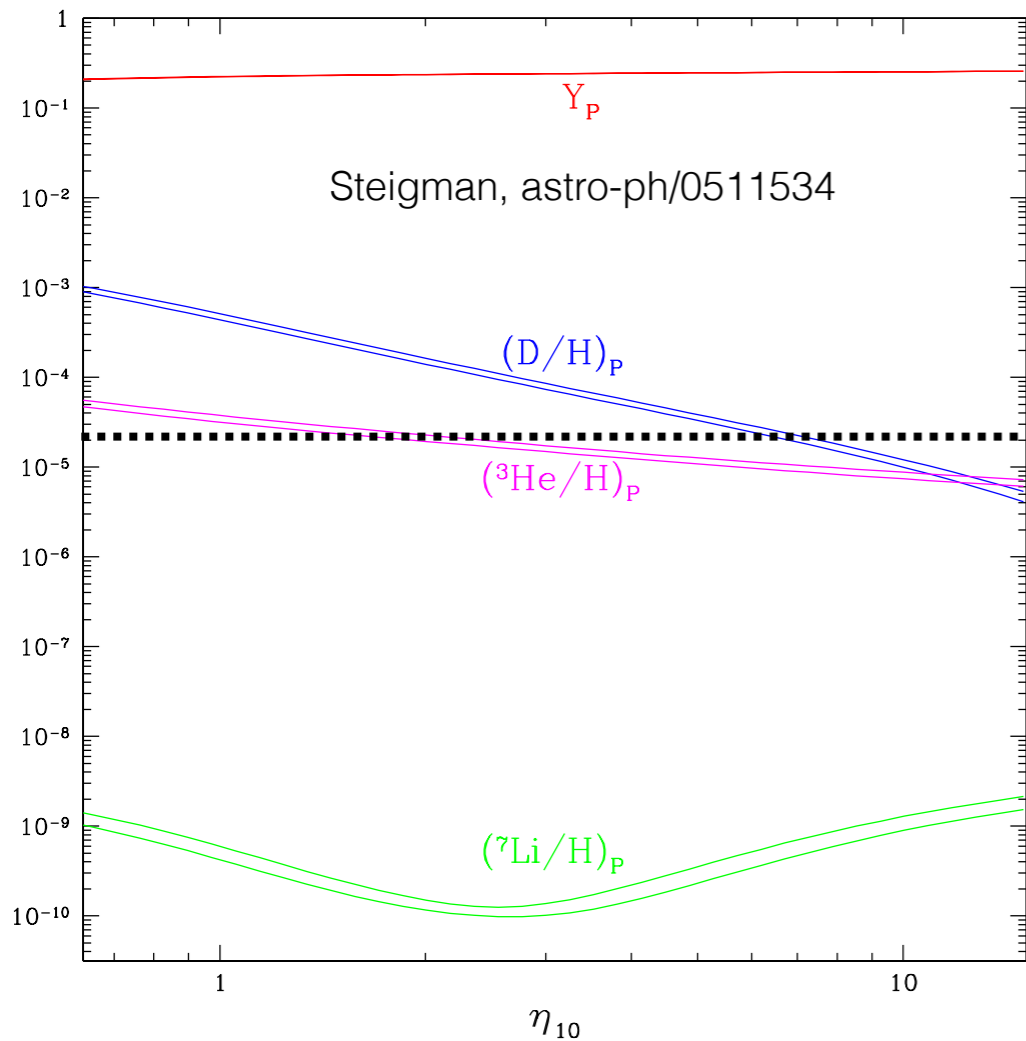
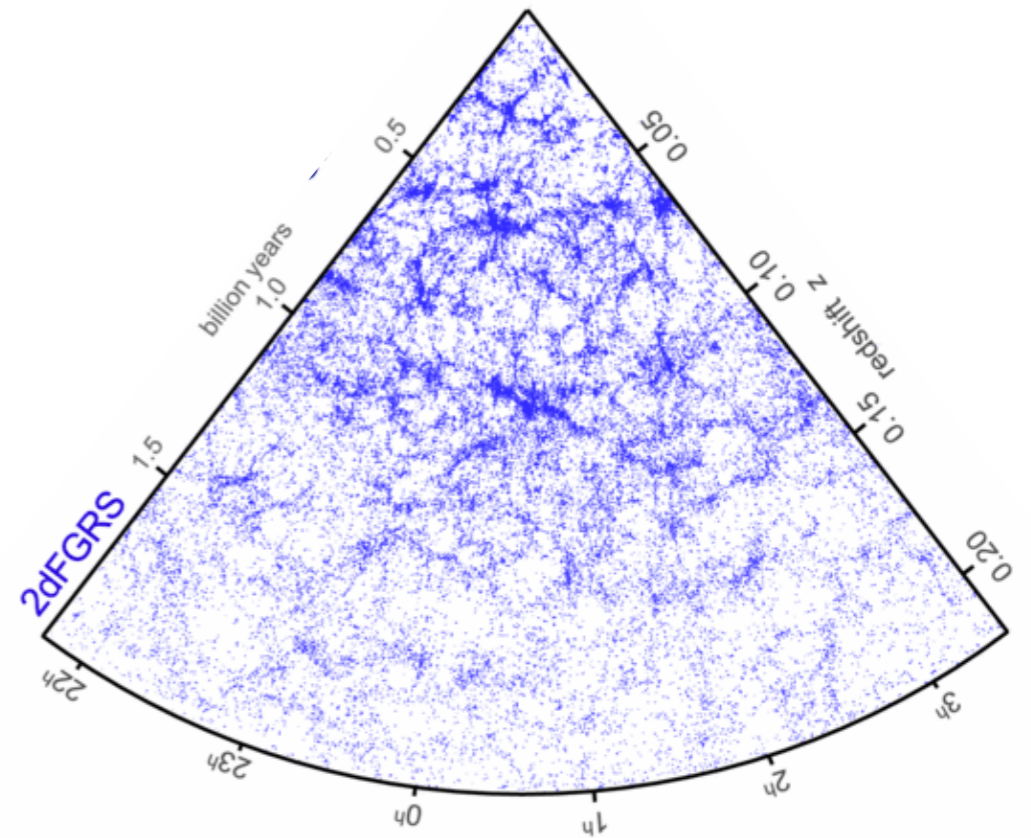
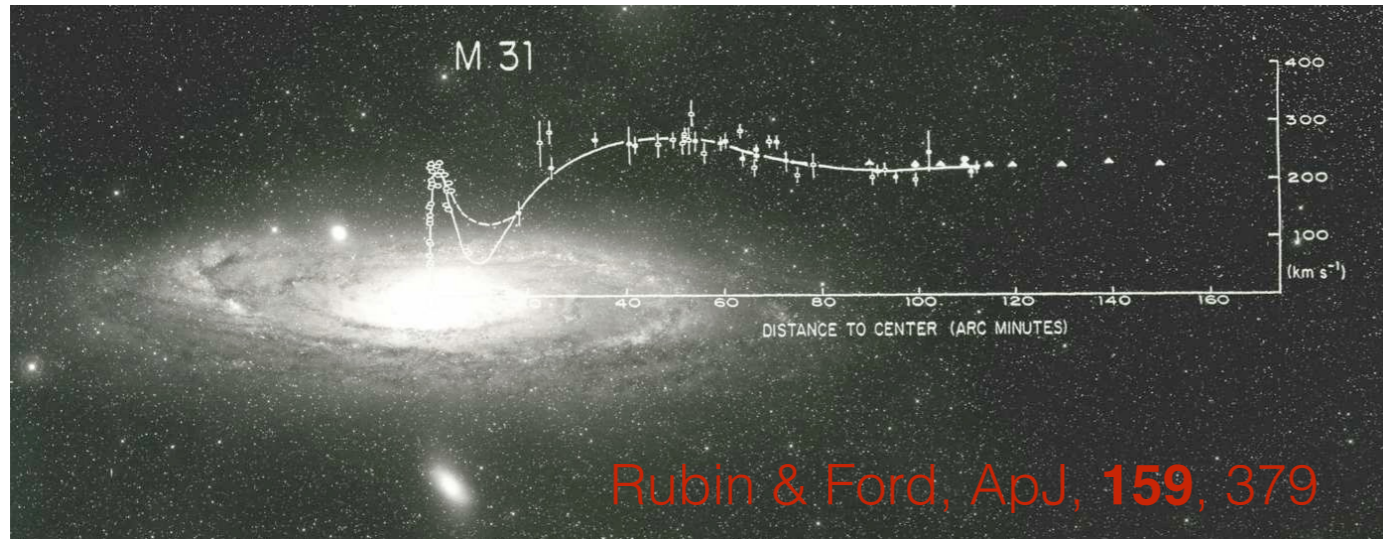
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# History of the Universe

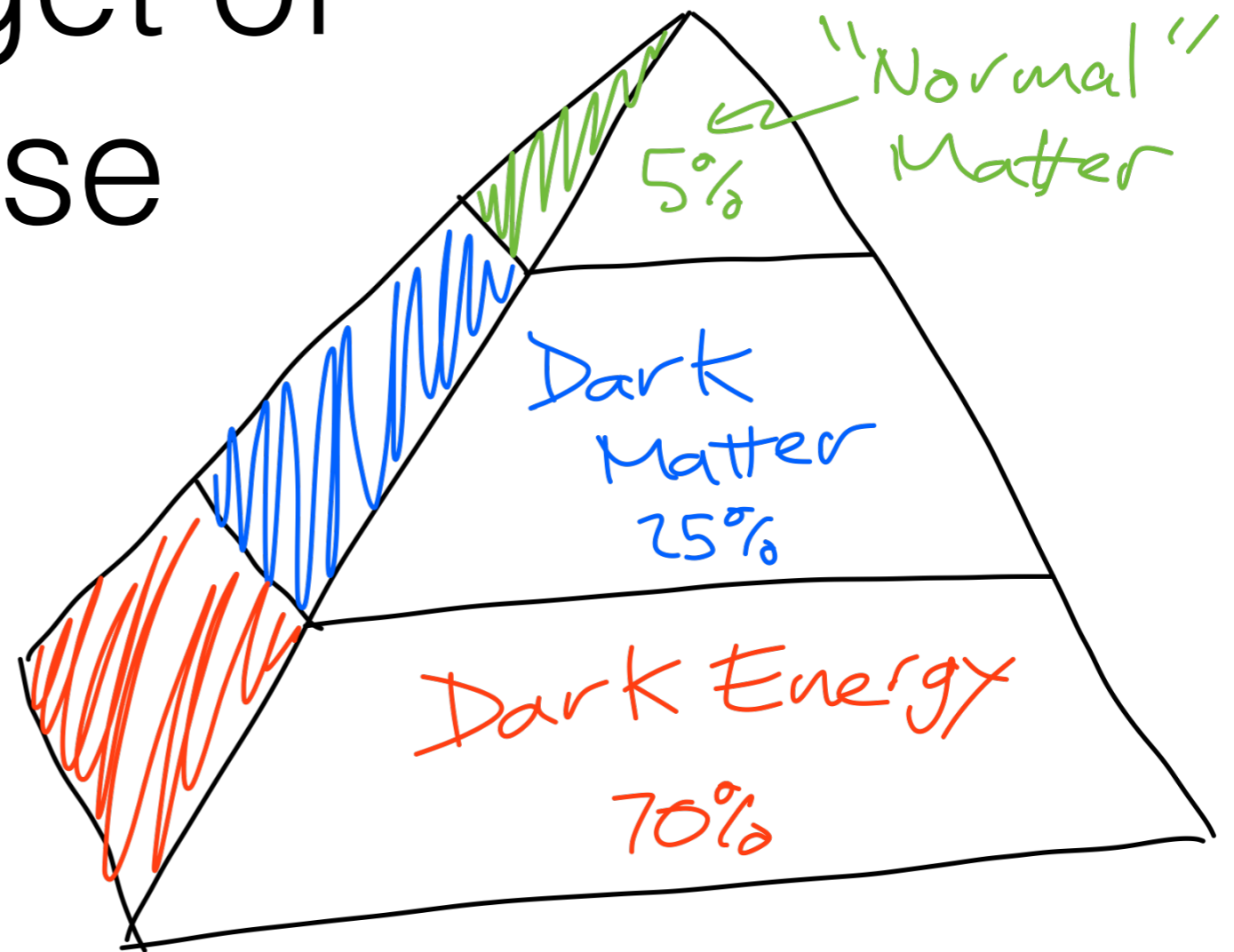


Particle Data Group, LBNL, © 2013. Supported by DOE and NSF

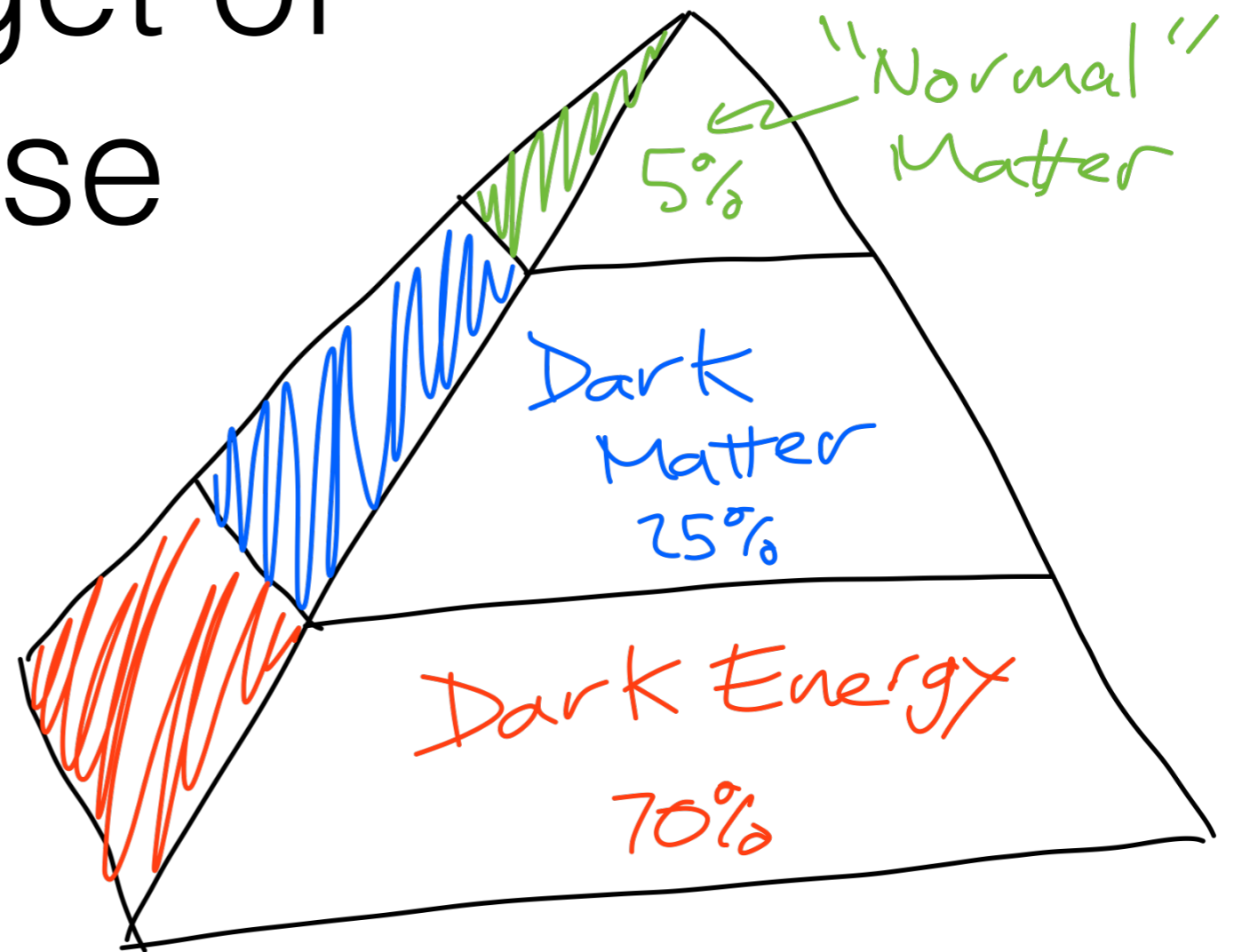
# Lots of data



# Energy Budget of the Universe

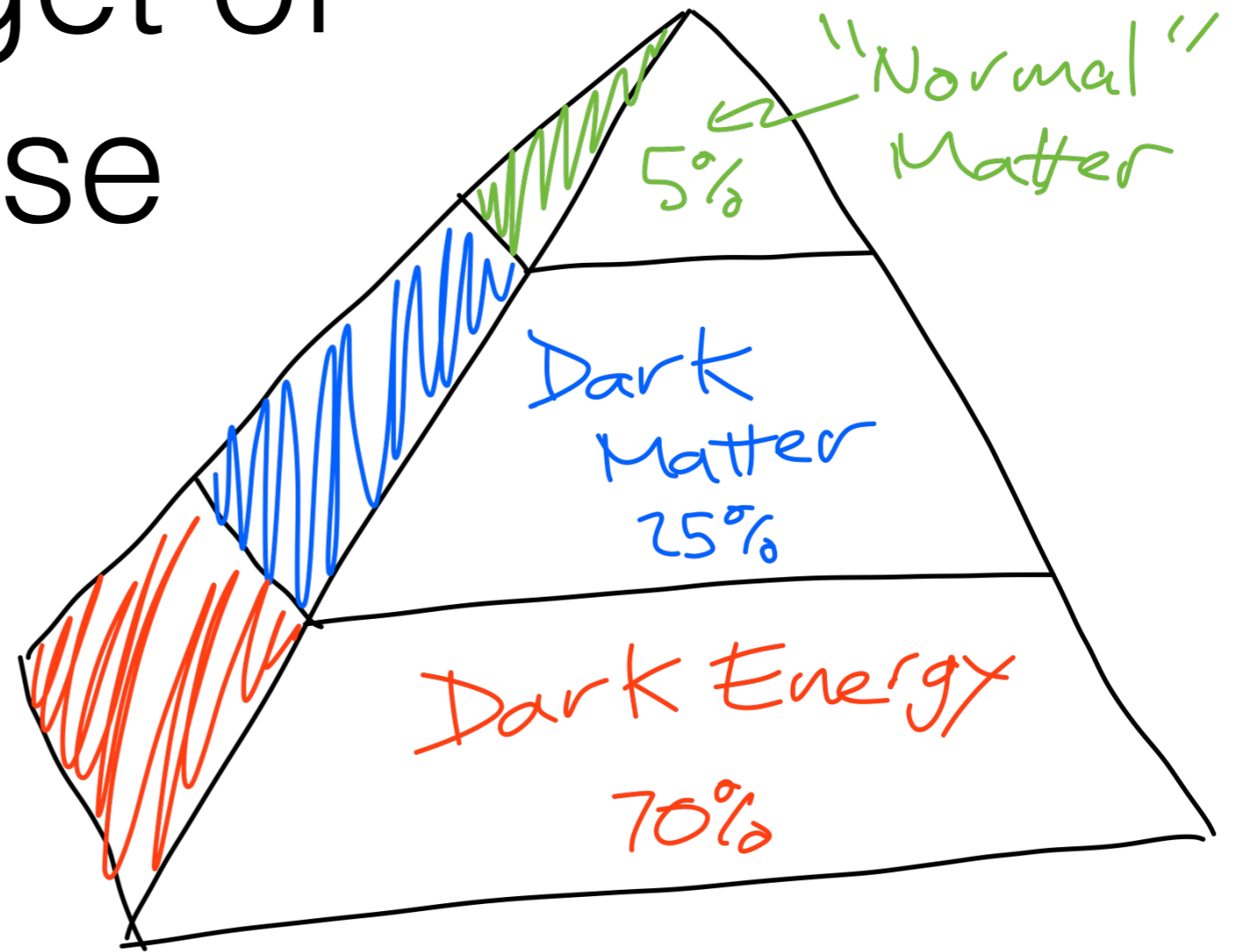


# Energy Budget of the Universe



What can flavour say about this?

# Energy Budget of the Universe



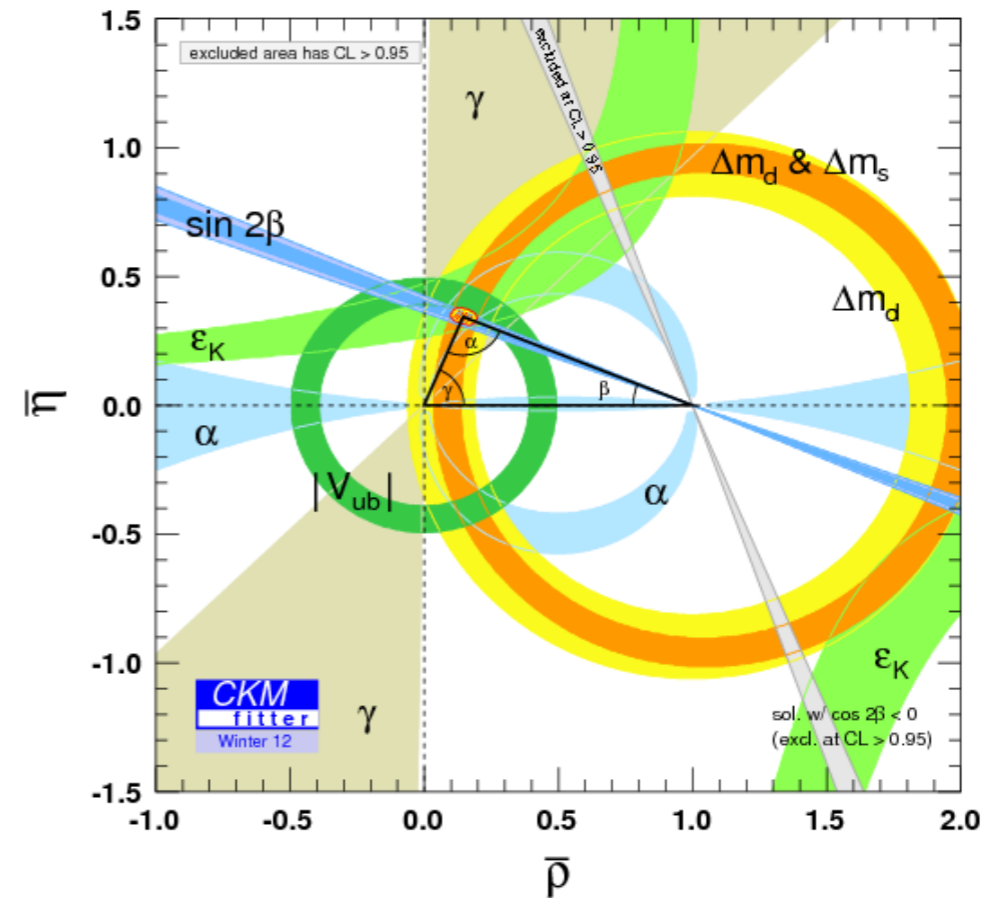
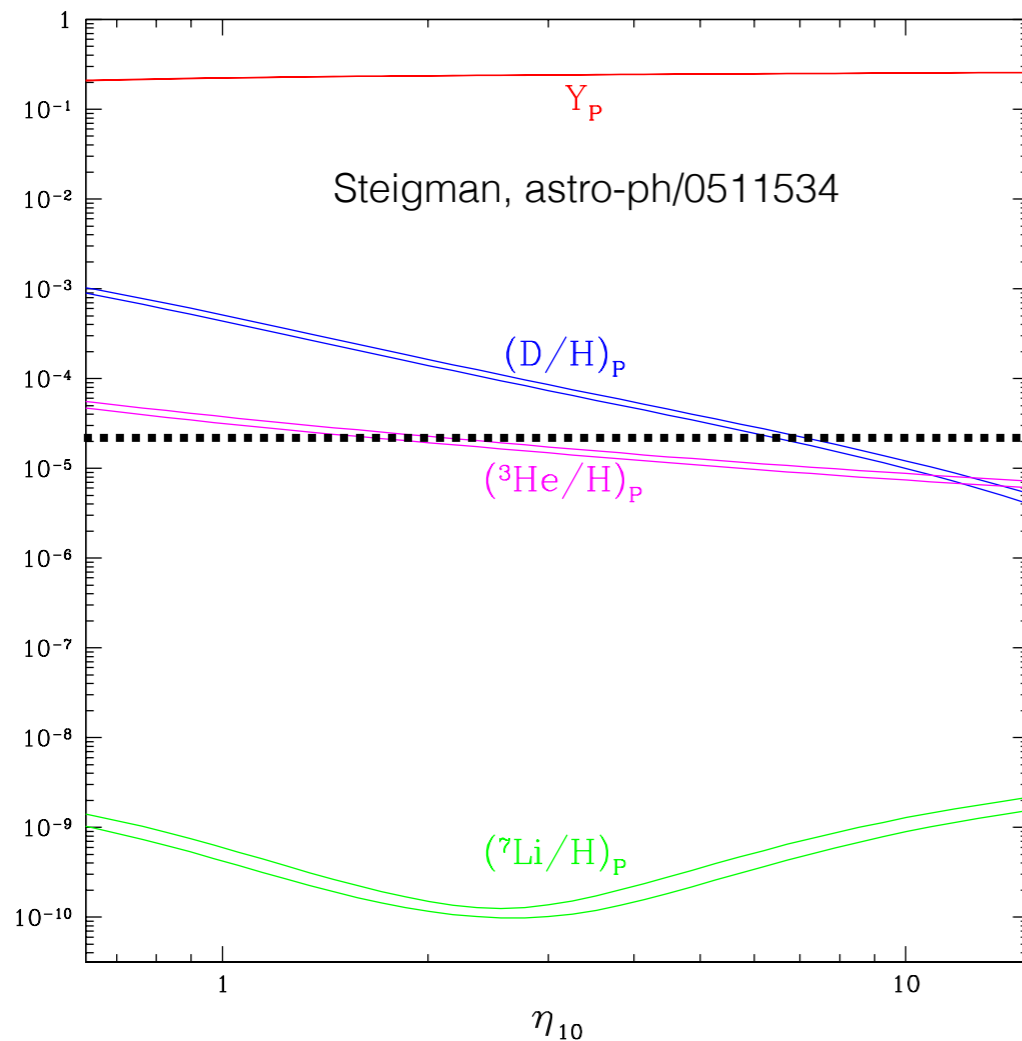
What can flavour say about this?  
(the people here)

First, the “normal”  
matter



# More baryons than antibaryons

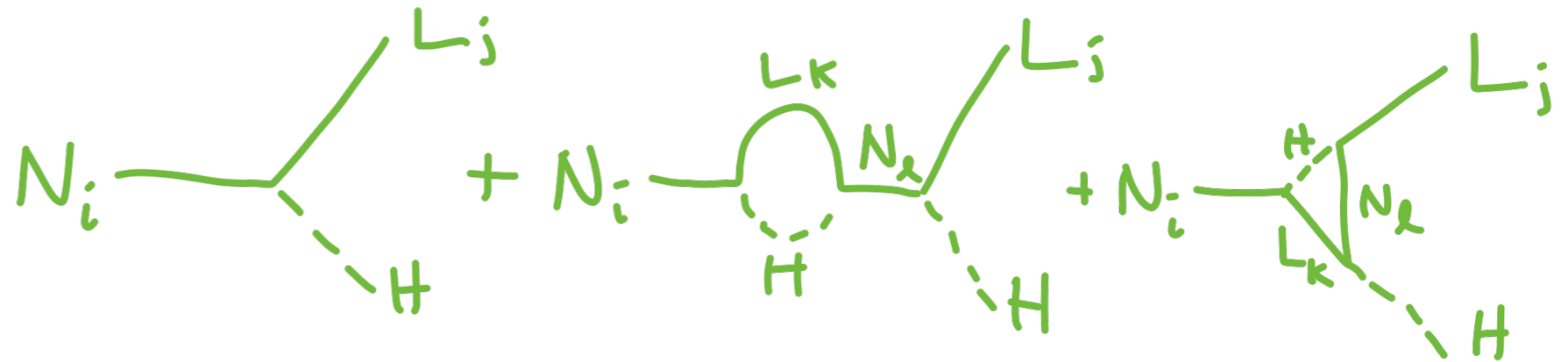
Sakharov conditions:  
 B violation (SM: )  
 C & CP violation (SM: “”)  
 Leave thermal eq. (SM: )



SM can't quite do it

# Vanilla Leptogenesis

Heavy ( $\gtrsim 10^9$  GeV)  
sterile neutrinos  
decay out-of-eq.



Create lepton asymmetry  $\Rightarrow$  baryon asymmetry by SM  
sphalerons (violate  $B+L$ ,  
conserve  $B-L$ )

However: hard to directly test &  
high reheat temperature  
problematic

# Resonant Leptogenesis

Light ( $\sim$  GeV) sterile  
neutrino oscillations

$$N_i \leftrightarrow N_j$$

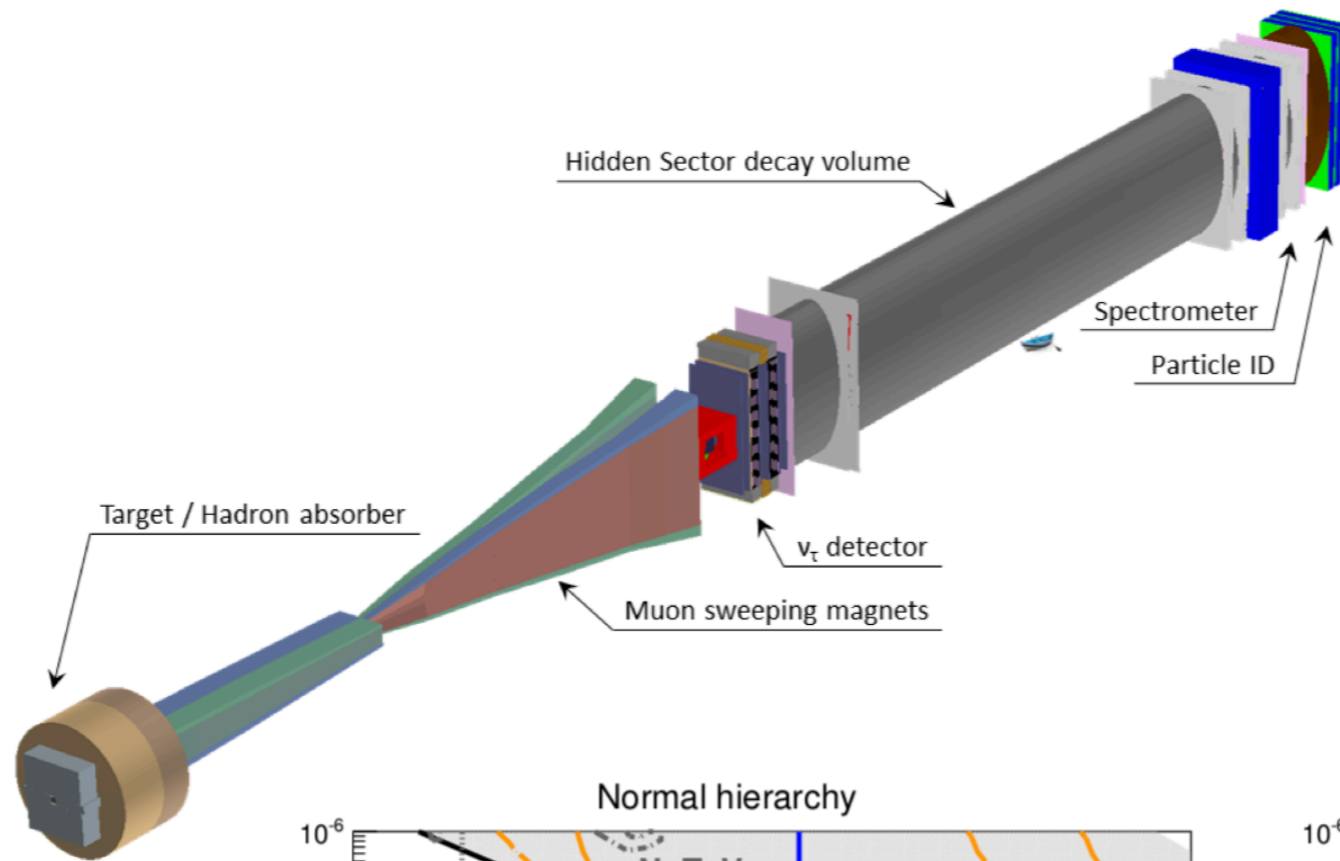
Small couplings so lepton number approximately conserved but individual lepton numbers not

$$\sum (n_i - \bar{n}_i) = 0, \quad n_j - \bar{n}_j \neq 0$$

One flavor in equilibrium, one not  $\Rightarrow$  SM sphalerons transfer that into baryon asymmetry

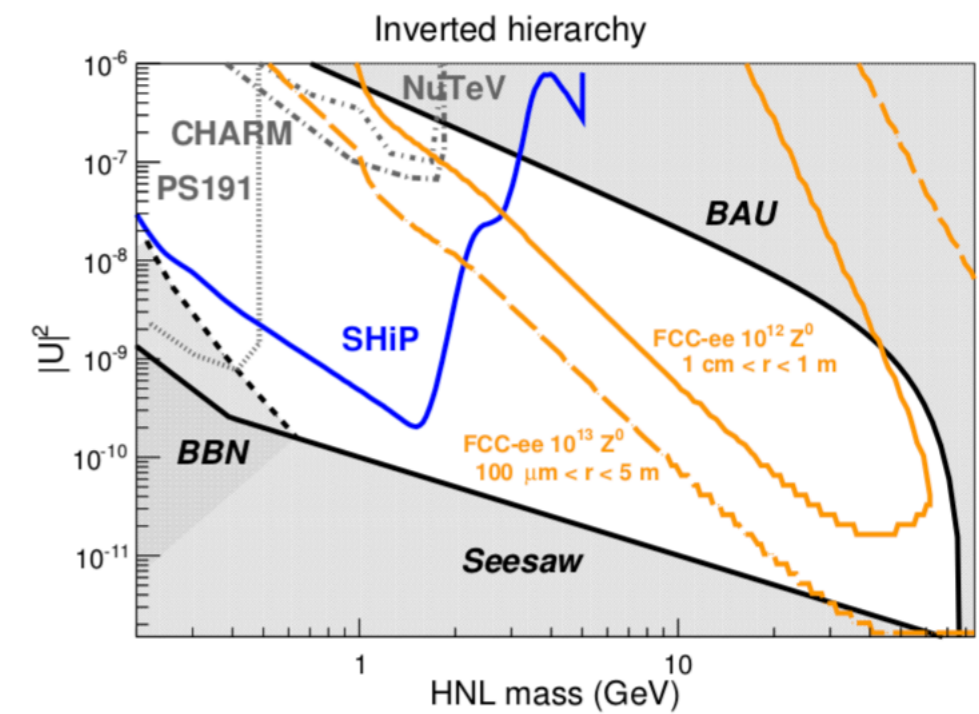
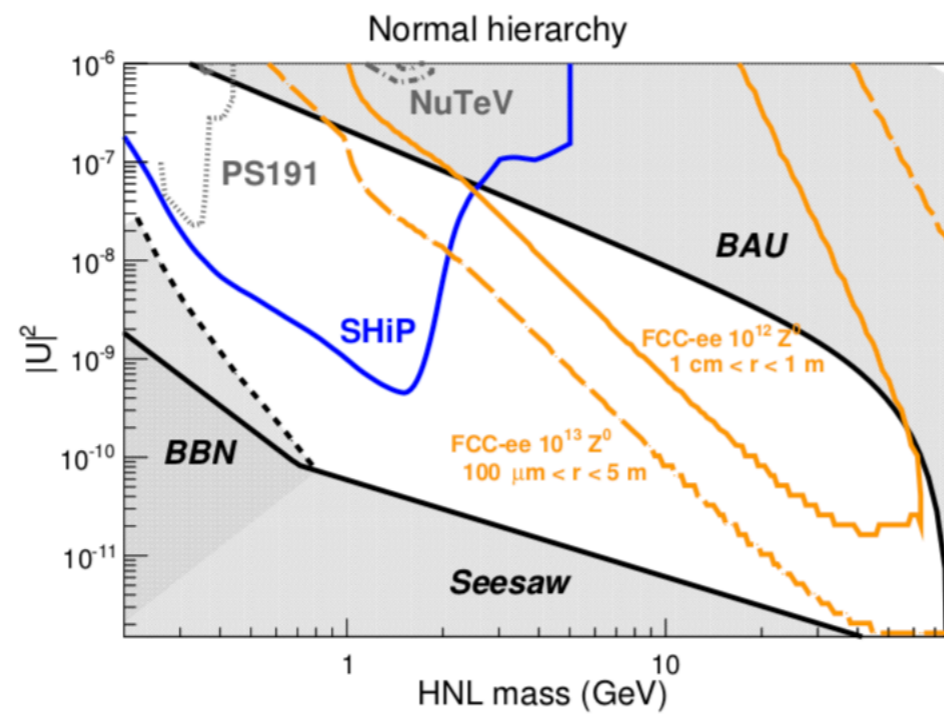
Out-of-equilibrium sterile neutrino decays after sphalerons turn off, does not cancel baryon asymmetry

# Resonant Leptogenesis Tests



SHiP Experiment

400 GeV protons



Any other  
mechanisms?

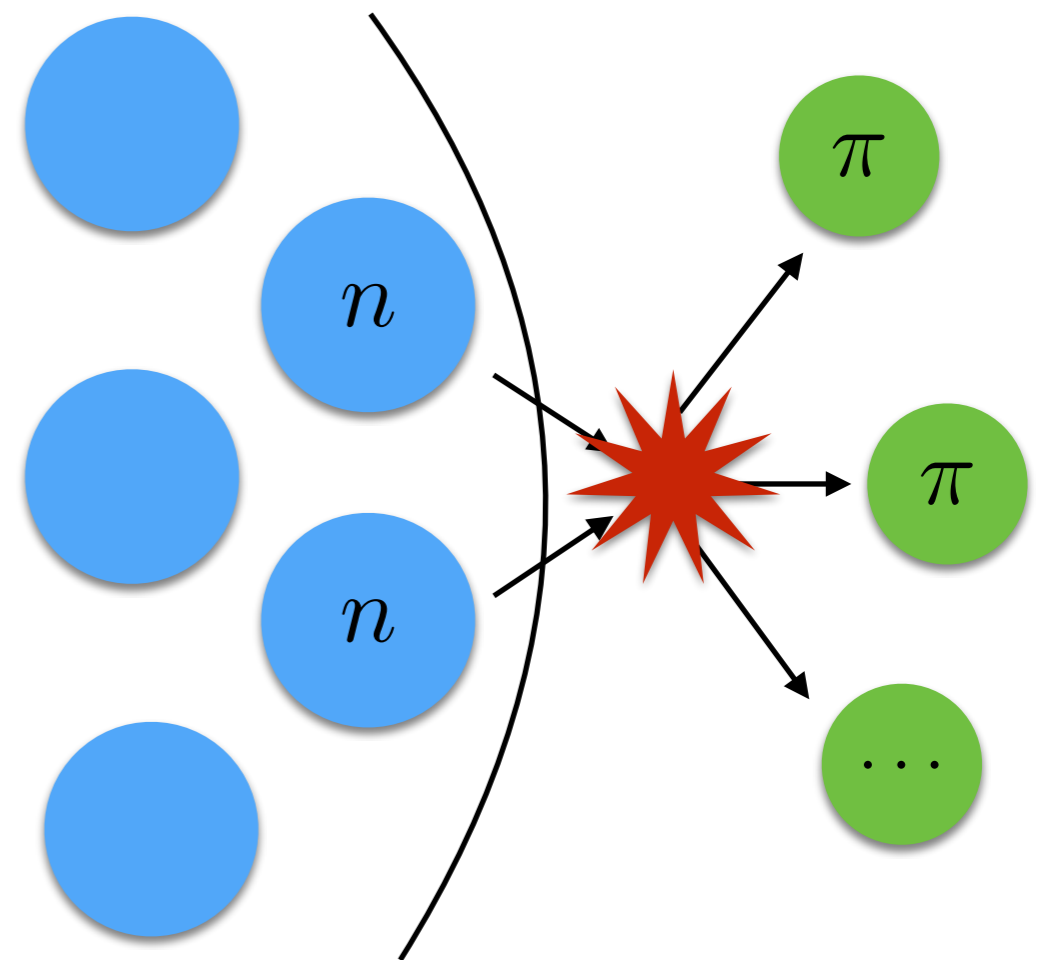
# Baryon-antibaryon oscillations

Proton decay is very constraining on  $\Delta B=1$  models.  
What if  $\Delta B=2$  instead?

Present best limit comes  
from Super-K limit on lifetime  
of  $^{16}\text{O}$ :  $\tau_{^{16}\text{O}} > 1.9 \times 10^{32}$  yr

(translates to  $\tau_{n \rightarrow \bar{n}} > 3.5 \times 10^8$  s  
or  $\left| M_{12} - \frac{i}{2} \Gamma_{12} \right| < 1.9 \times 10^{-33}$  GeV)

$$\left[ \mathcal{L}_{\text{eff}} \supset \frac{(udd)^2}{\Lambda^5} \Rightarrow M_{12}, \Gamma_{12} \propto \frac{1}{\Lambda^5}, \Lambda \gtrsim 100 \text{ TeV} \right]$$



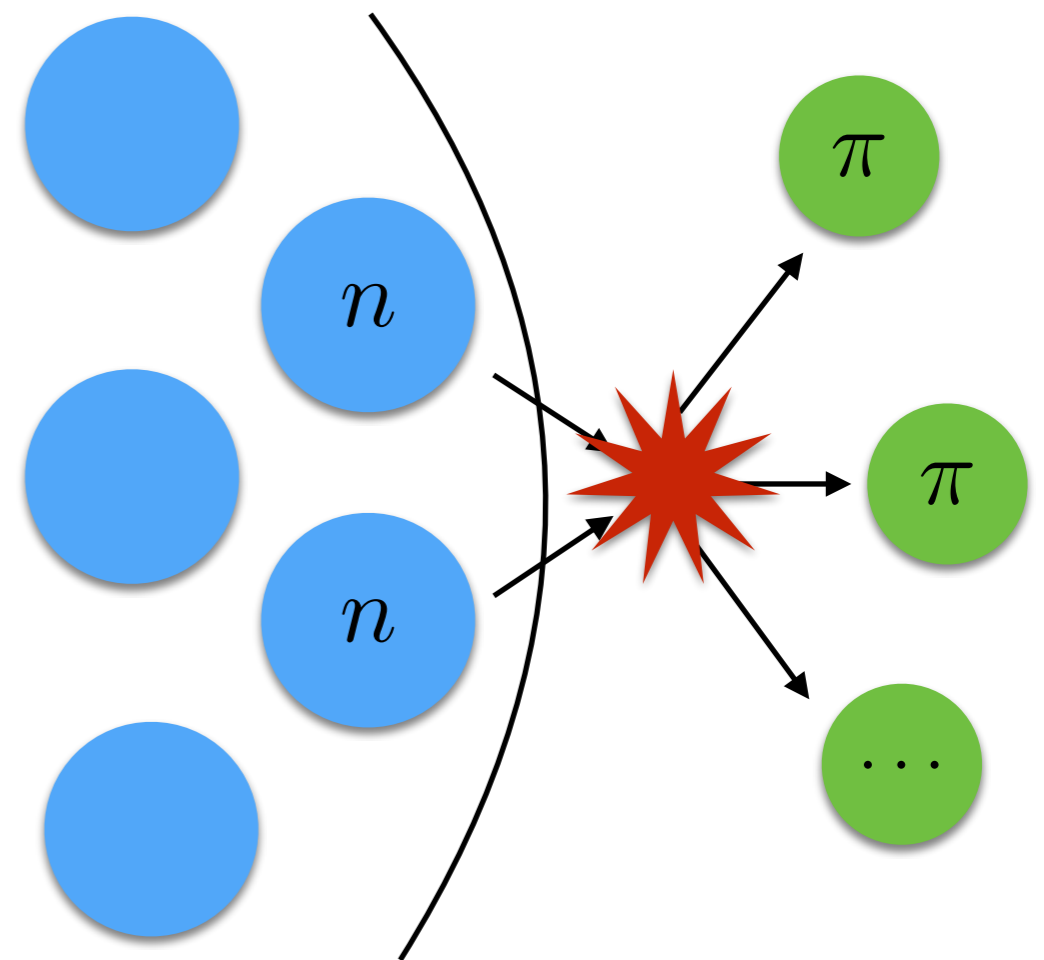
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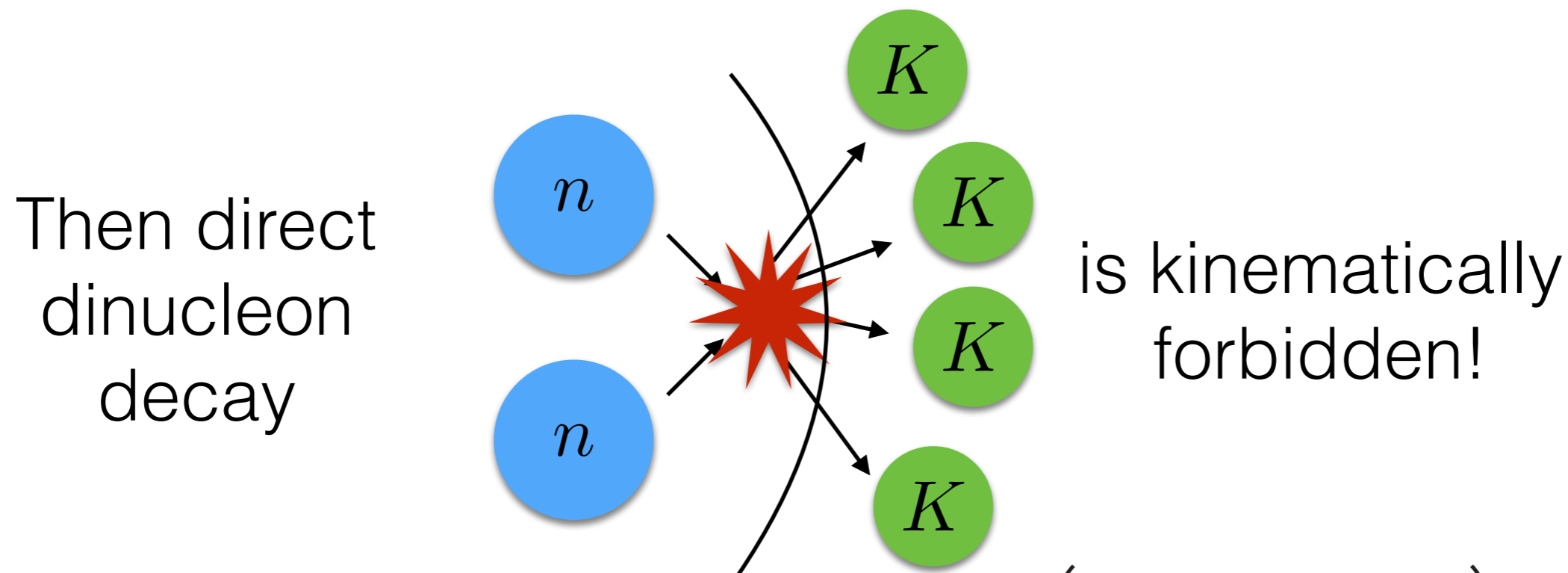
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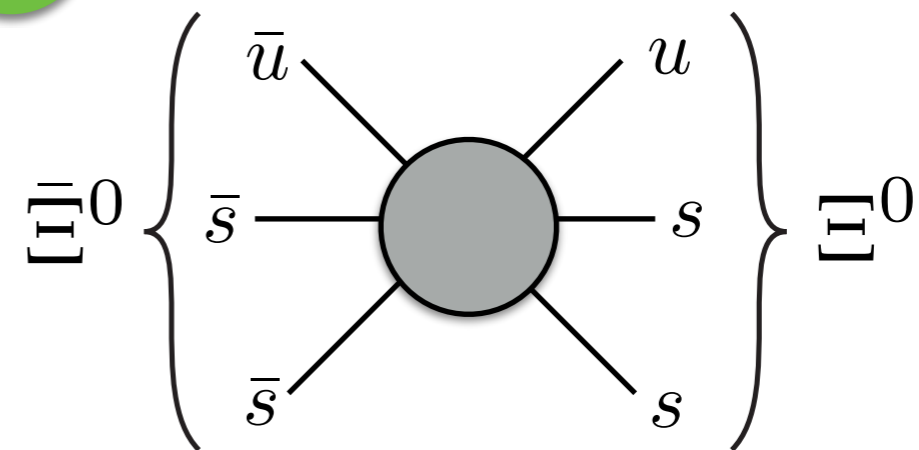
But...

# Baryon-antibaryon oscillations

What if  $\Delta B=2$  operators had, e.g.,  $\Delta S=4$ ?  $\mathcal{L}_{\text{eff}} \supset \frac{(uss)^2}{\Lambda^5}$



Leads to oscillation of cascade baryons



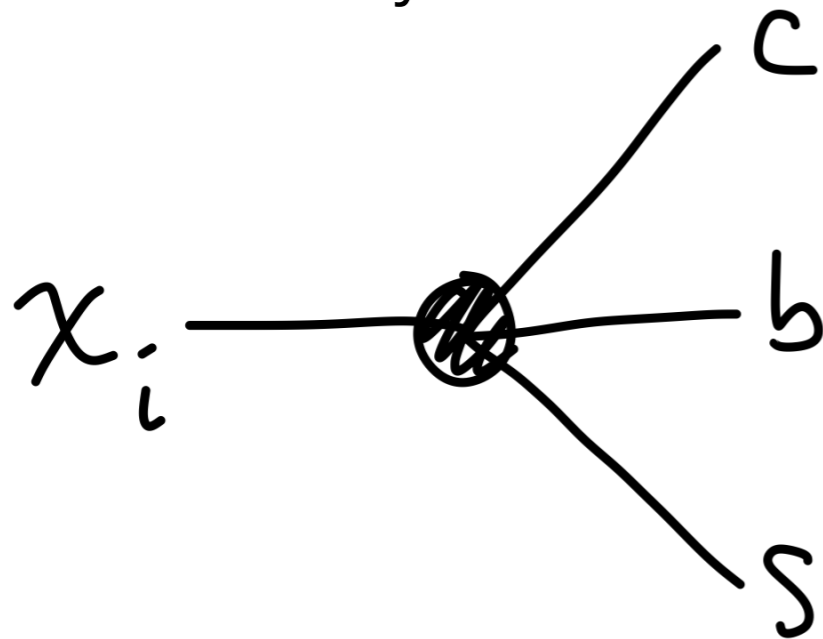
Dominant constraints could be from colliders

$\Gamma_{12}$ ,  $M_{12}$  could be much, much larger [Kuzmin \('94\)](#)

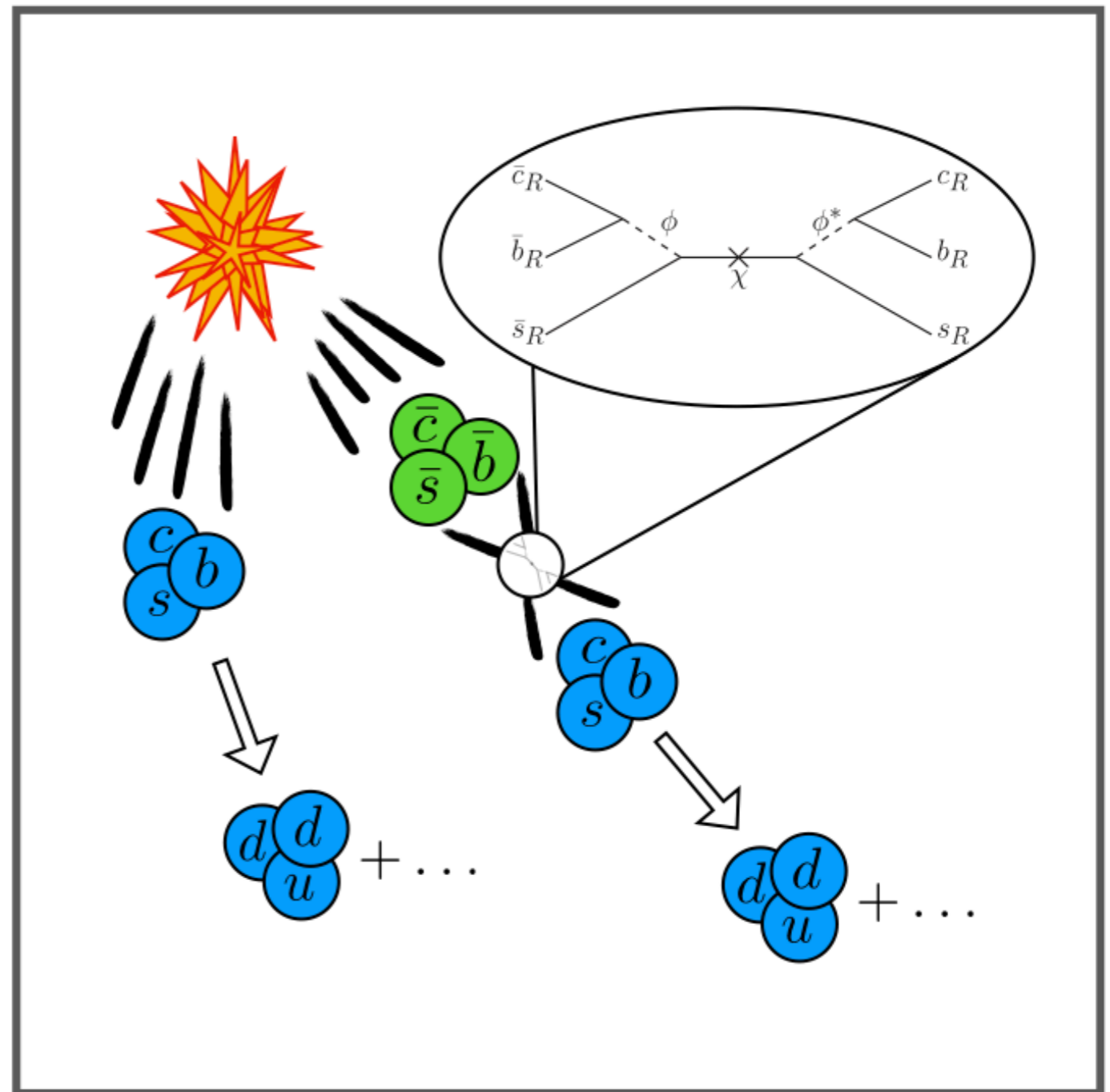


# Baryon-antibaryon oscillations

Introduce Majorana fermions that couple to baryons

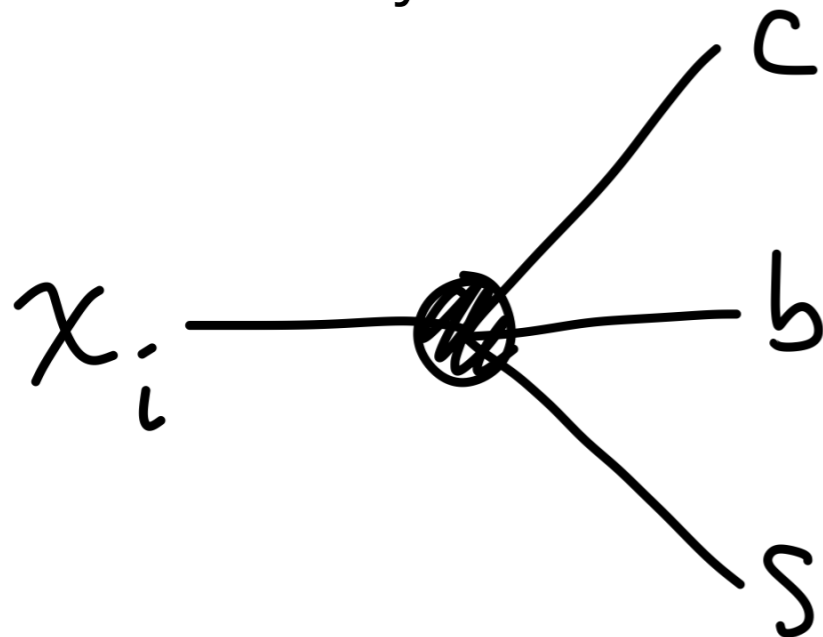


They mediate baryon-antibaryon oscillation & produce baryons out-of-equilibrium

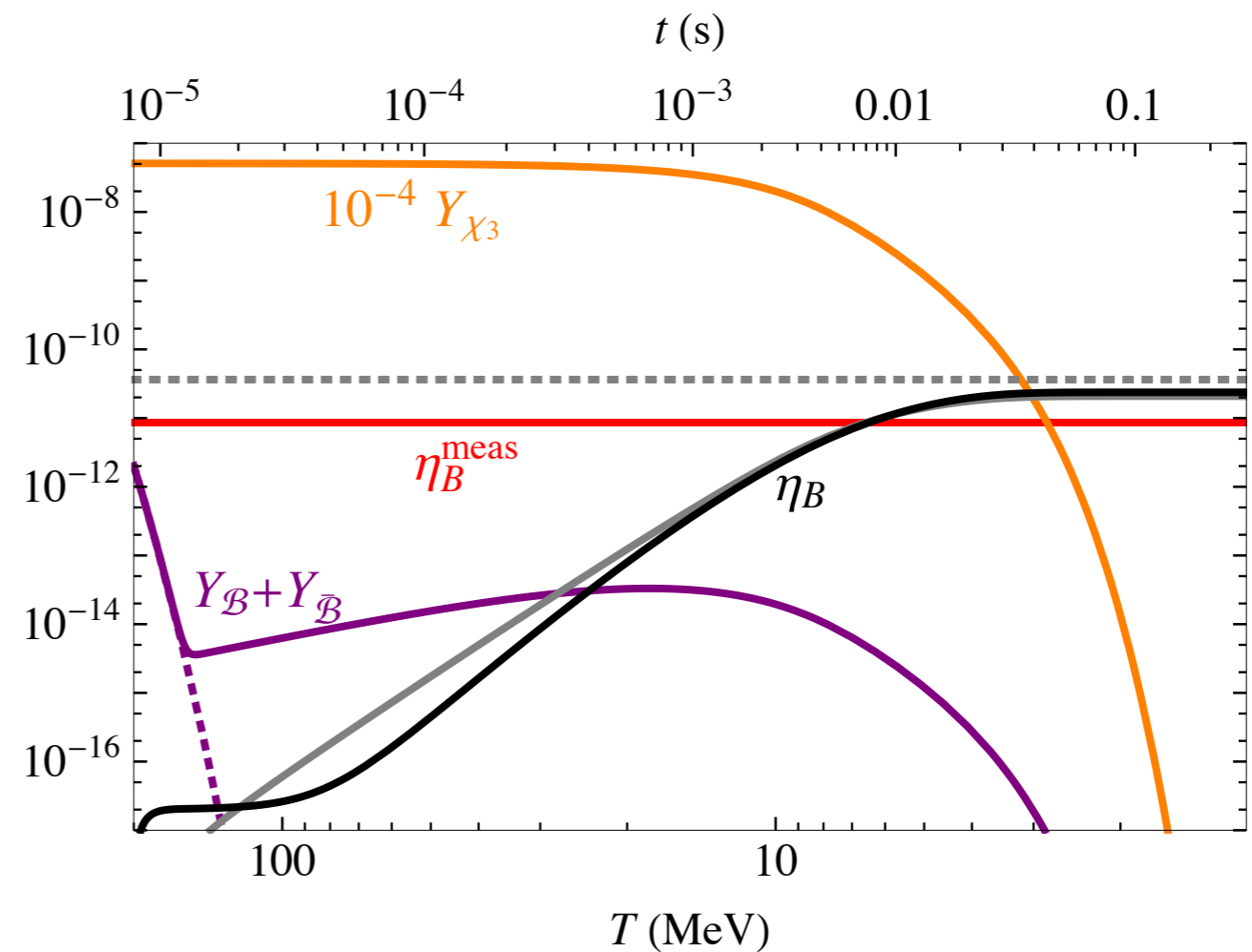


# Baryon-antibaryon oscillations

Introduce Majorana fermions that couple to baryons



They mediate baryon-antibaryon oscillation & produce baryons out-of-equilibrium



# Testing this scenario

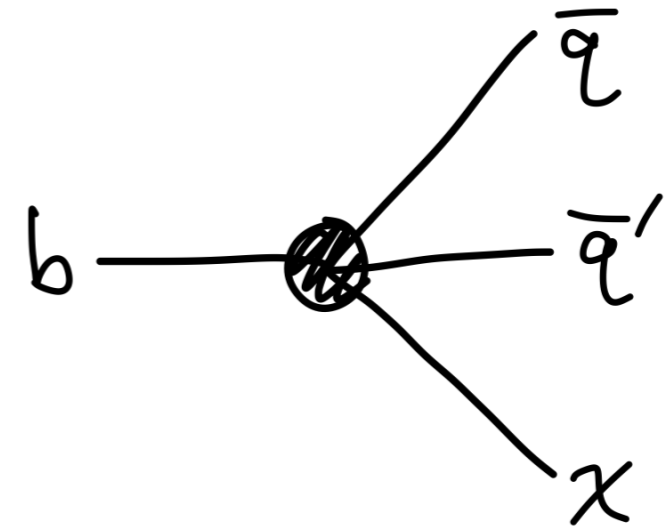
Related operators can mediate heavy quark decay

meson  $\rightarrow$  baryon +  $\chi_i$  [+meson(s)],

baryon  $\rightarrow$  meson(s) +  $\chi_i$ .

$$\Gamma_{b \rightarrow \chi_1 \bar{u} \bar{d}} \sim \frac{m_b \Delta m^4}{60 (2\pi)^3} \left( \frac{g_{ub} y_{1d}}{m_\phi^2} \right)^2 + \mathcal{O} \left( \frac{\Delta m^5}{m_b^5} \right)$$

$$\simeq 2 \times 10^{-15} \text{ GeV} \left( \frac{\Delta m}{2 \text{ GeV}} \right)^4 \left( \frac{1.2 \text{ TeV}}{m_\phi / \sqrt{g_{ub} y_{1d}}} \right)^4$$



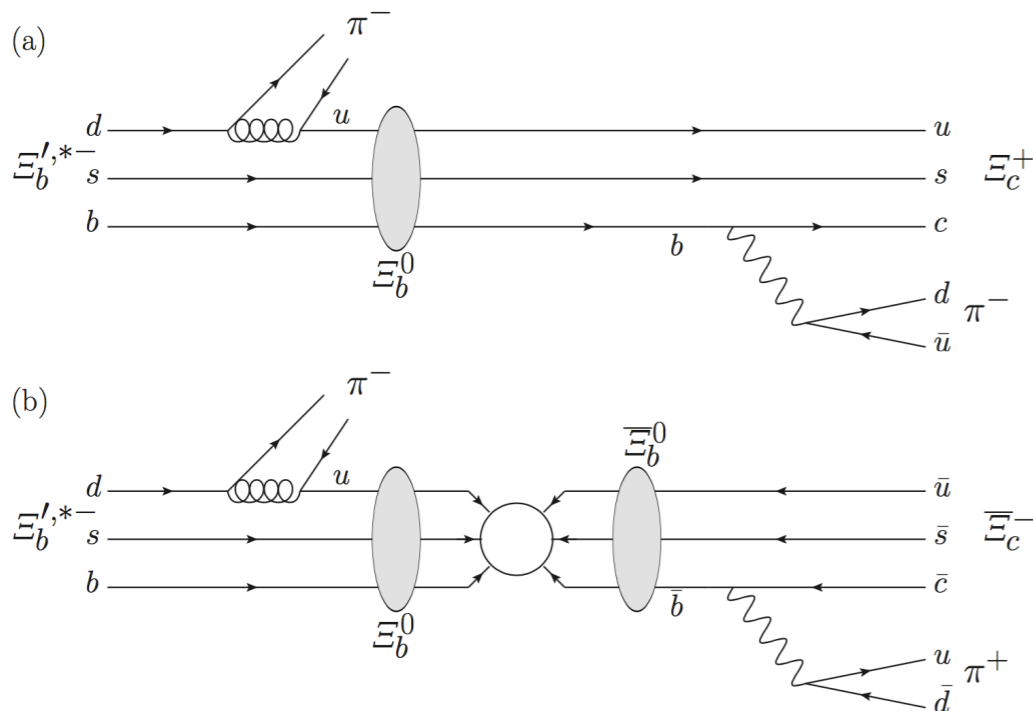
typically long-lived

branchings can be  $\sim 10^{-3}$

Also look for baryon oscillations:

Search for baryon-number-violating  $\Xi_b^0$  oscillations

LHCb collaboration [1708.05808]



$$P_{\mathcal{B} \rightarrow \bar{\mathcal{B}}} \sim \frac{|M_{12}|^2}{\Gamma_{\mathcal{B}}^2} \sim 10^{-5}$$

+displaced vertices...

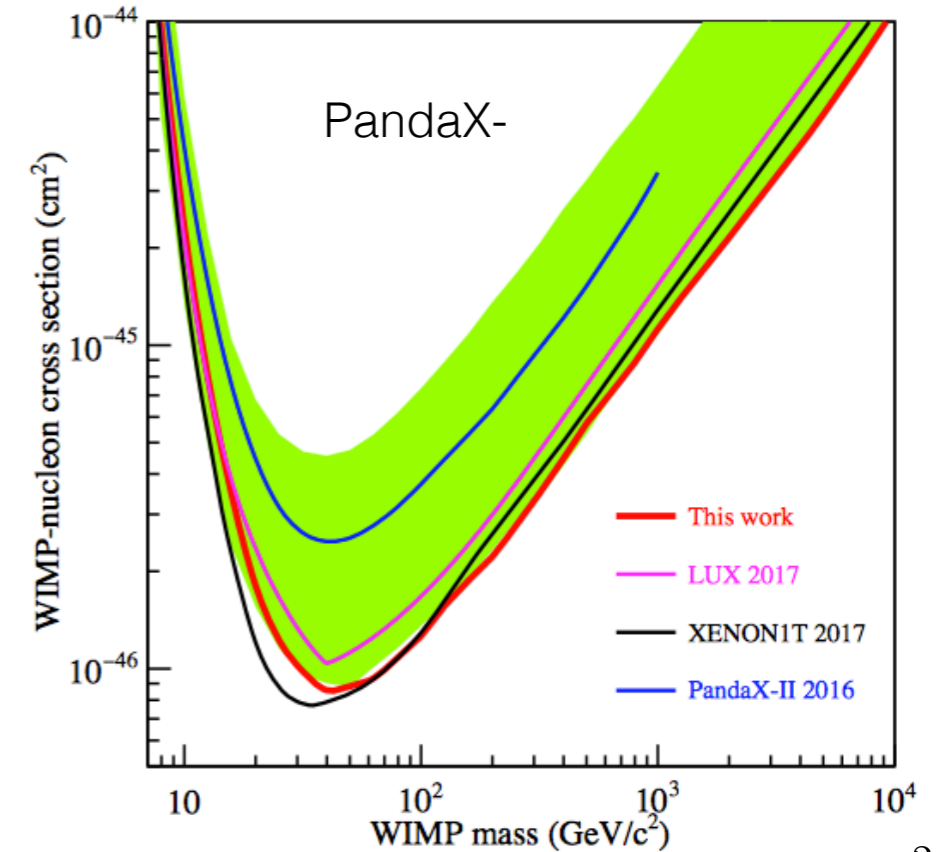
How about dark  
matter?

# DM could interact via electroweak

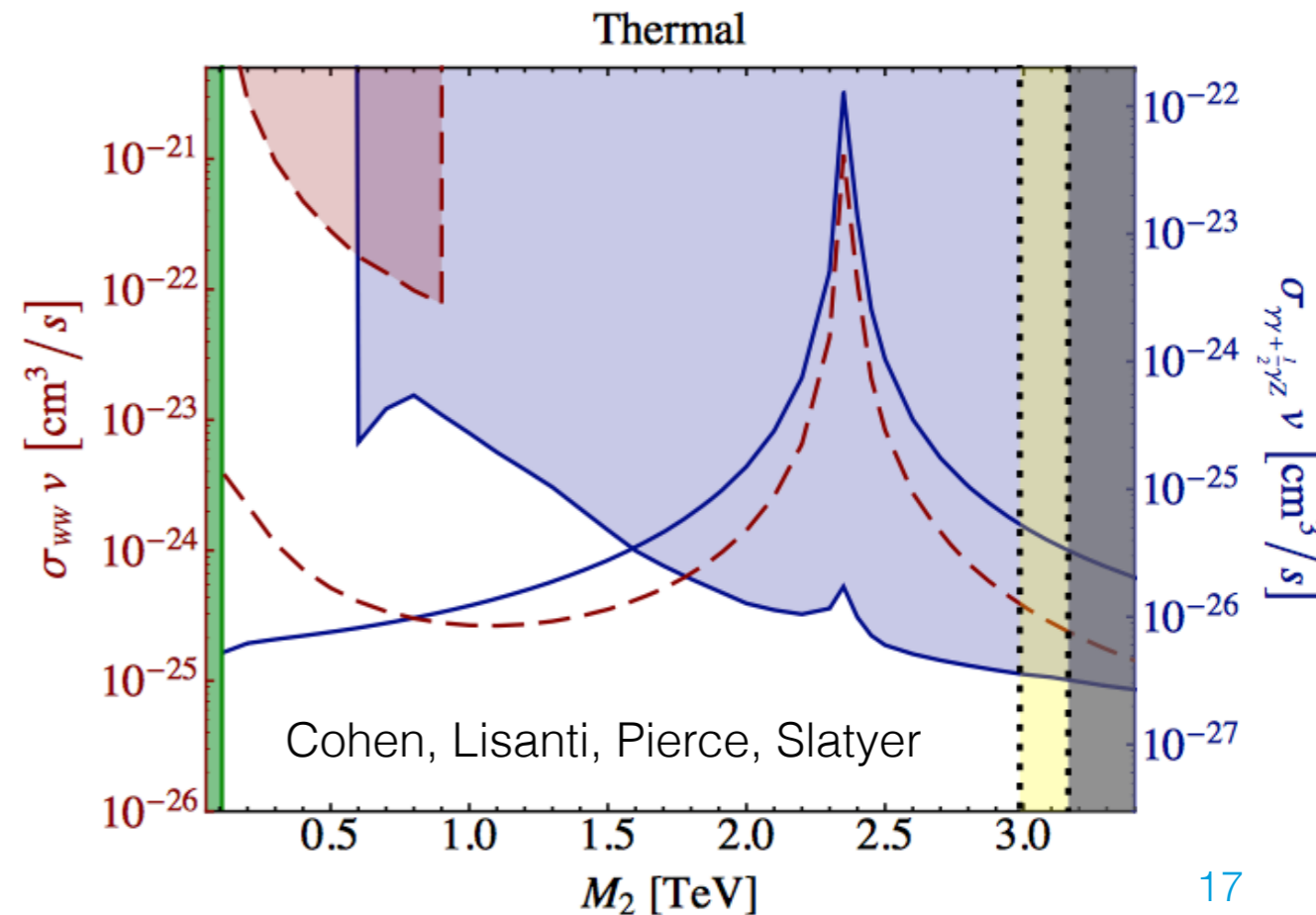
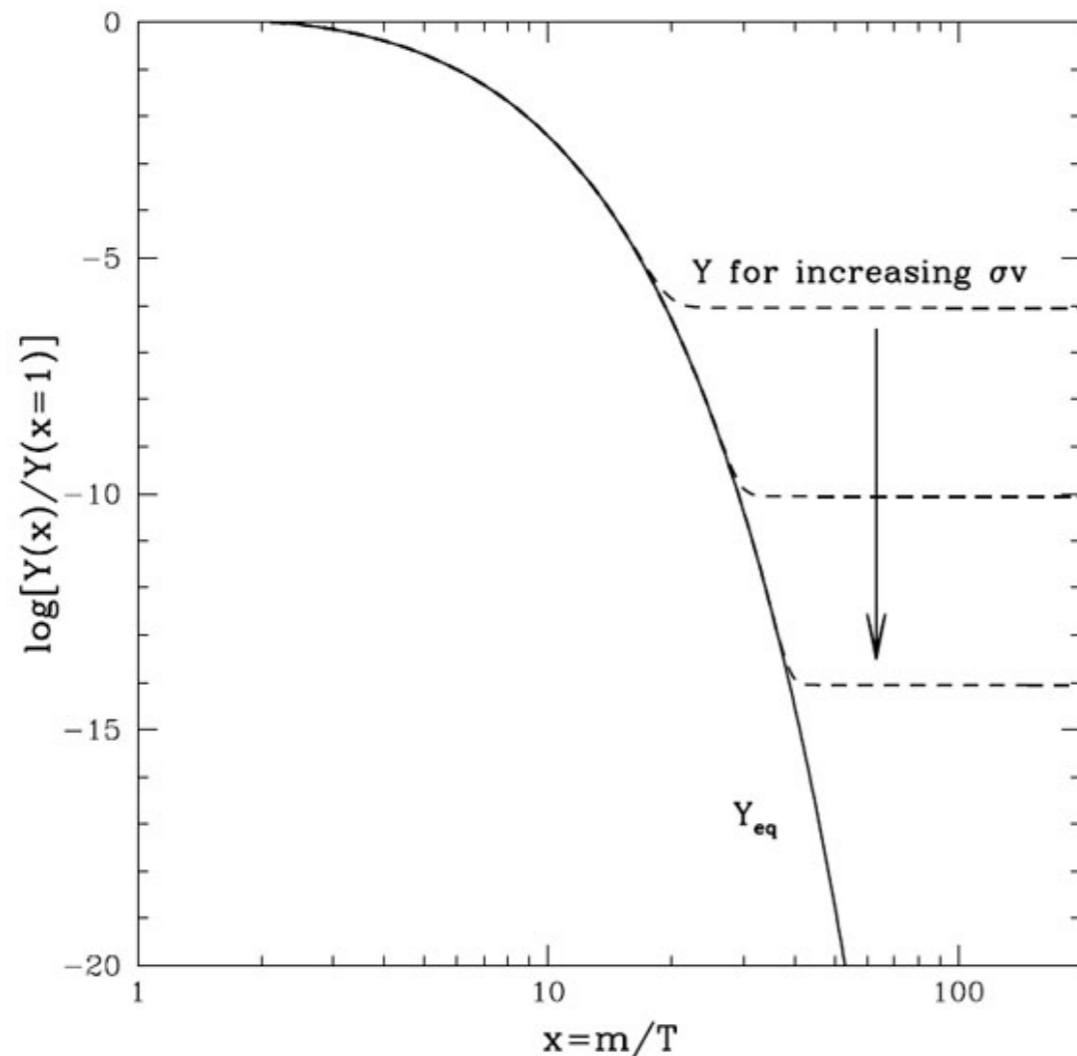
$$\Omega_{\text{DM}} \sim \frac{1}{\langle \sigma v \rangle} \sim \frac{m^2}{g^2}$$

$$\sim 0.25 \left( \frac{m}{m_{\text{ew}}} \right)^2 \left( \frac{g_{\text{ew}}}{g} \right)^4$$

but...

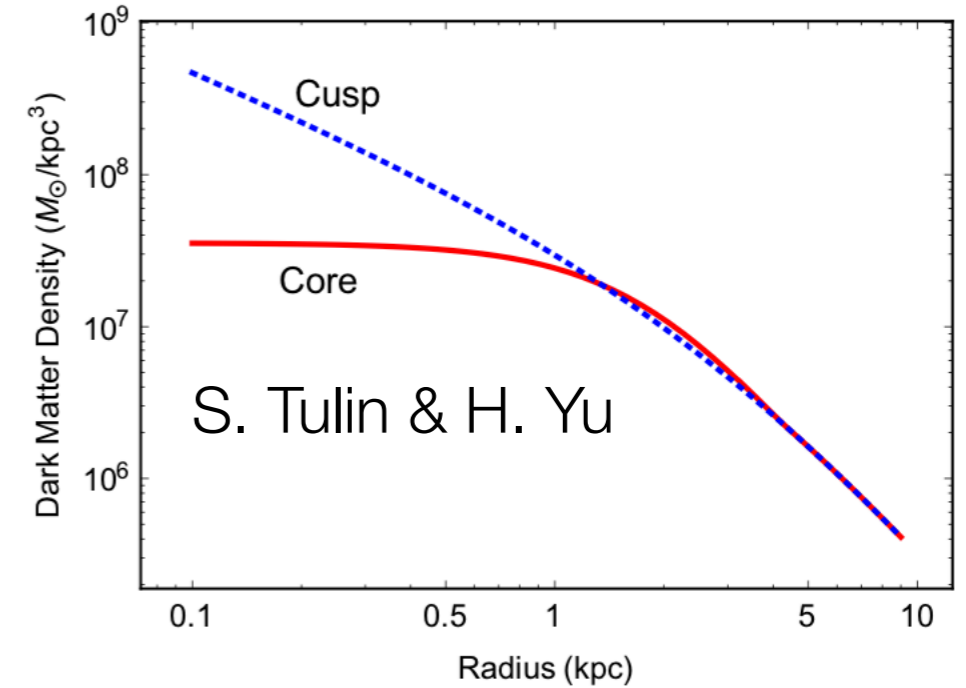
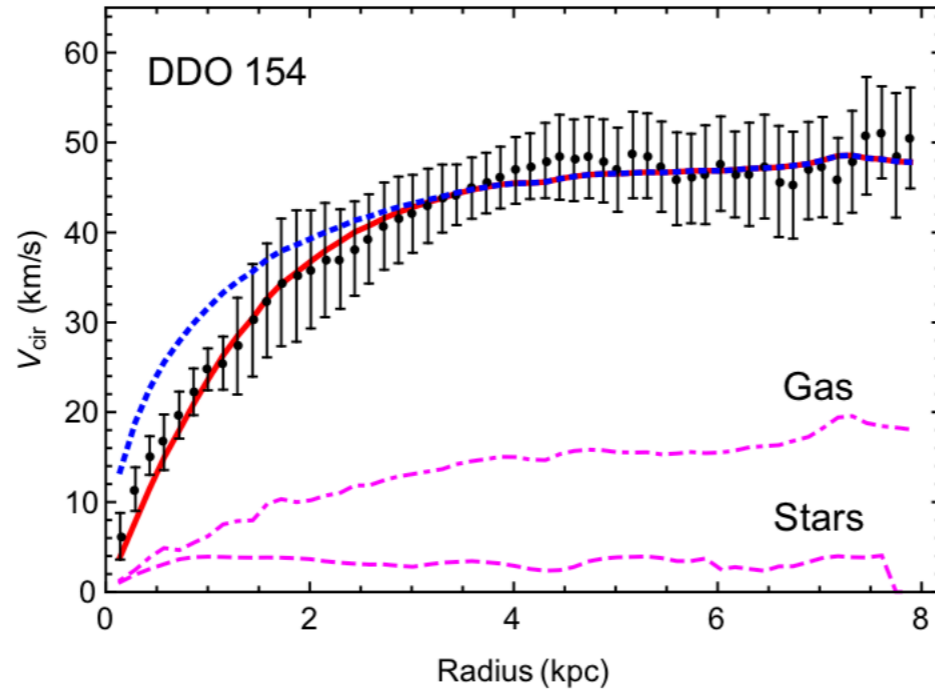


$$\sigma_{\text{DD}} \sim \frac{G_F^2 \mu^2}{\pi} Y^2 \sim 10^{-39} \text{ cm}^2 \left( \frac{Y}{1/2} \right)^2$$

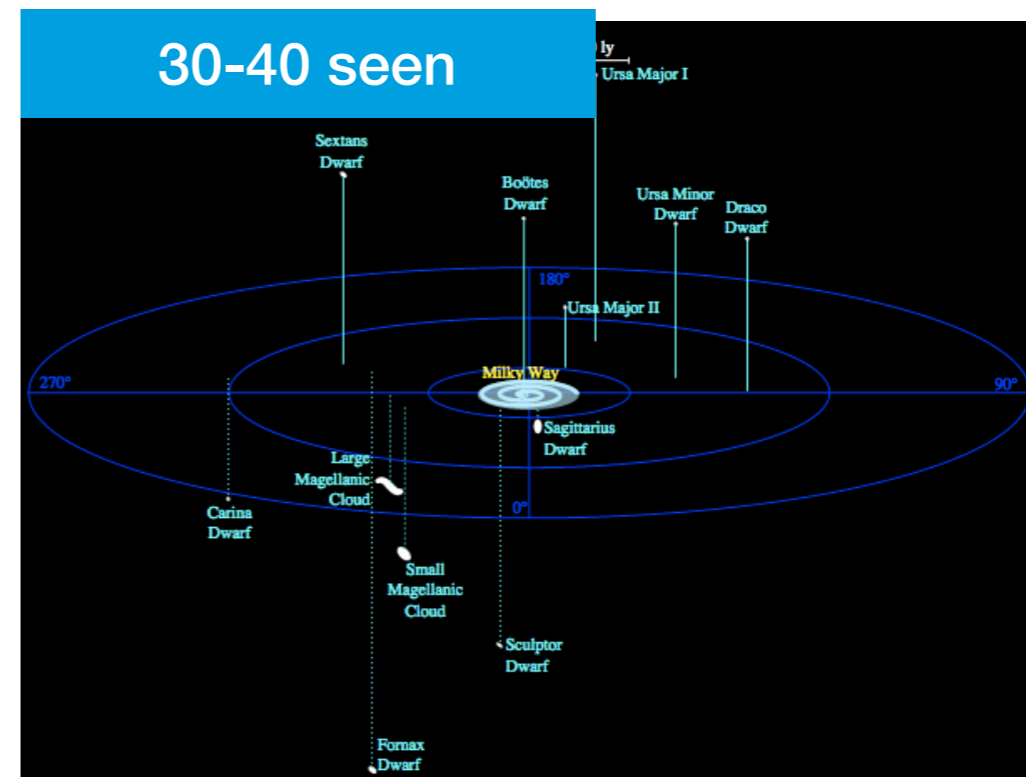
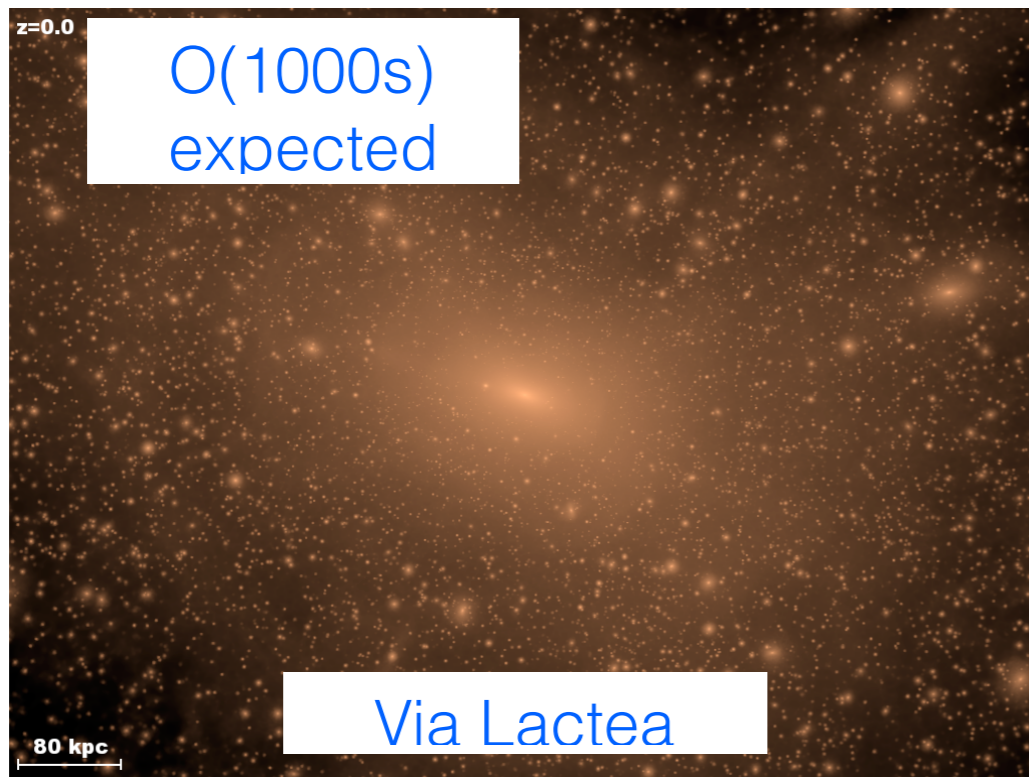


And...

# “Core vs. Cusp”

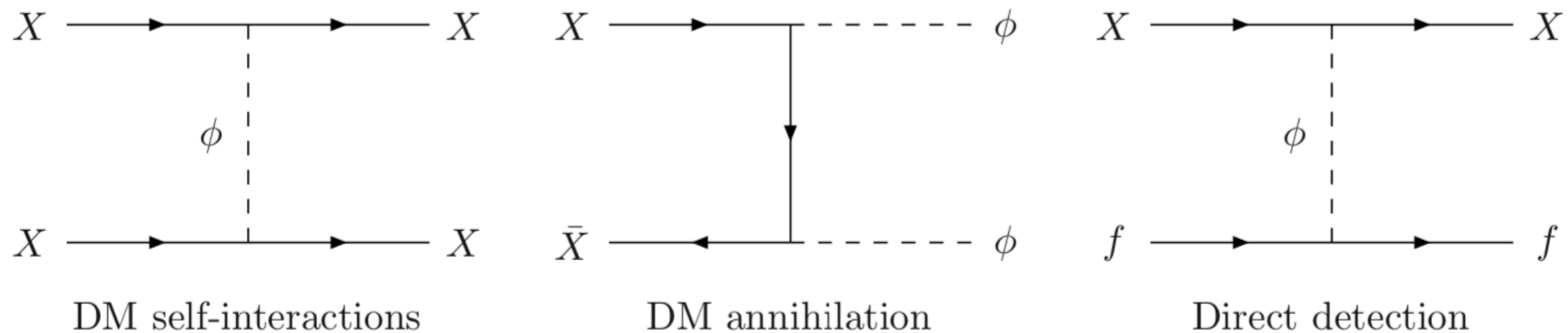


# “Missing Satellites”

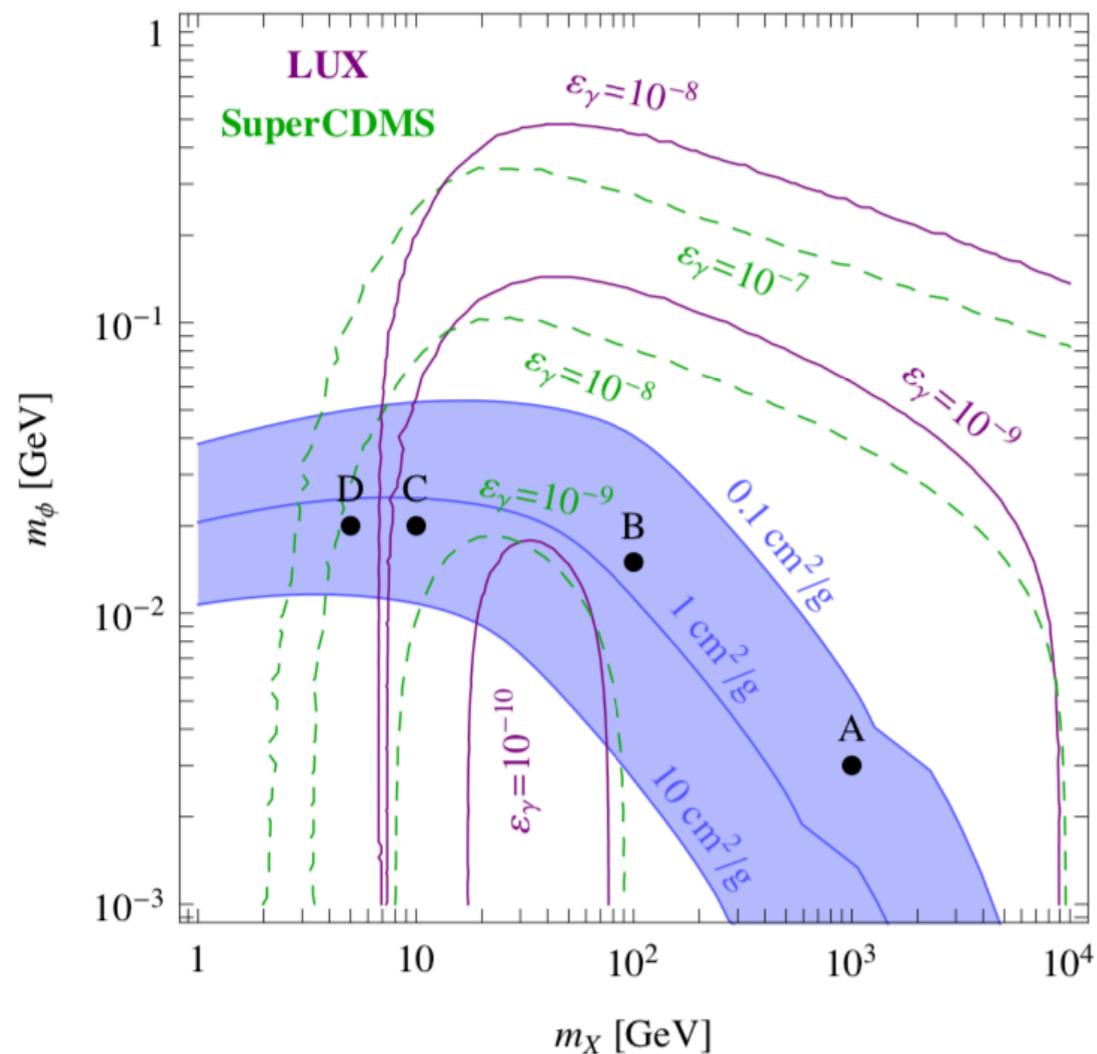


Cracks in “Cosmological Standard Model”?

# Self-interacting DM



S. Tulin & H. Yu

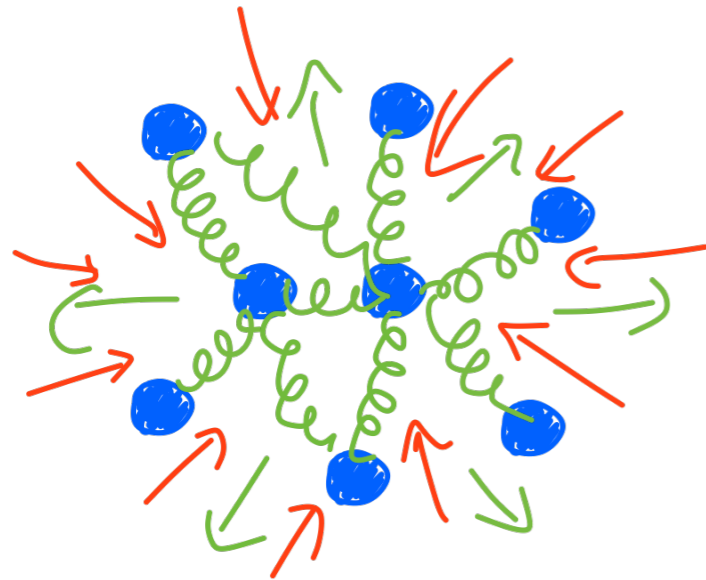


SIDM solutions to core-cusp often have light mediators, coupled to SM through “portals”

See talk by Brian Shuve next!

# Structure formation

Basic physics that sets the scales of structure formation



Gravity vs. Pressure

Consider massive particles coupled to a light force (not gravity) carrier, i.e. radiation

e.g. baryon collapse resisted by photons

structure starts to form when no pressure (i.e. particles decouple from force carrier)

structures smaller than horizon size at decoupling are suppressed



# A model for $\nu$ -DM interactions

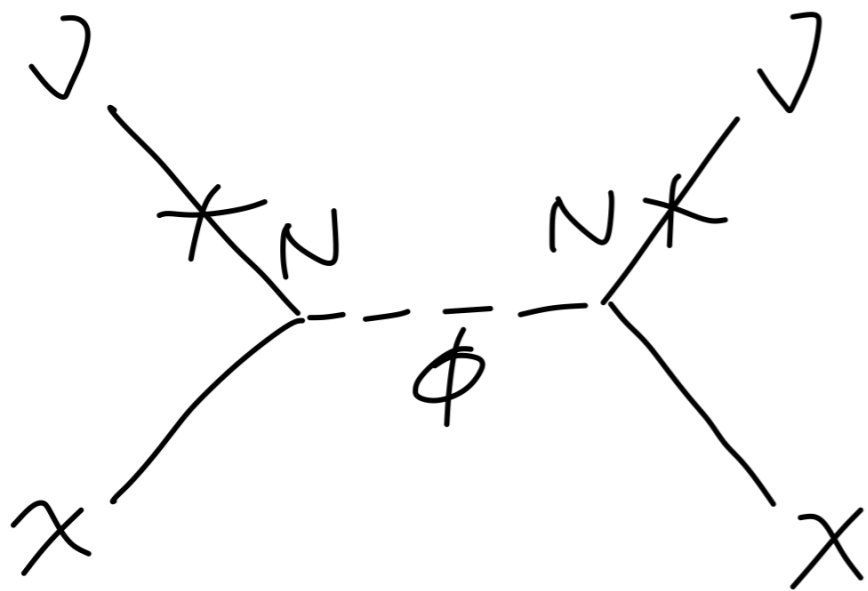
$$\mathcal{L} \supset -\lambda \bar{L} H N - y \bar{N} \chi \phi + \text{h.c.} \rightarrow -\lambda \nu \bar{\nu} N - y \bar{N} \chi \phi + \text{h.c.}$$

dark sector  $\nearrow$

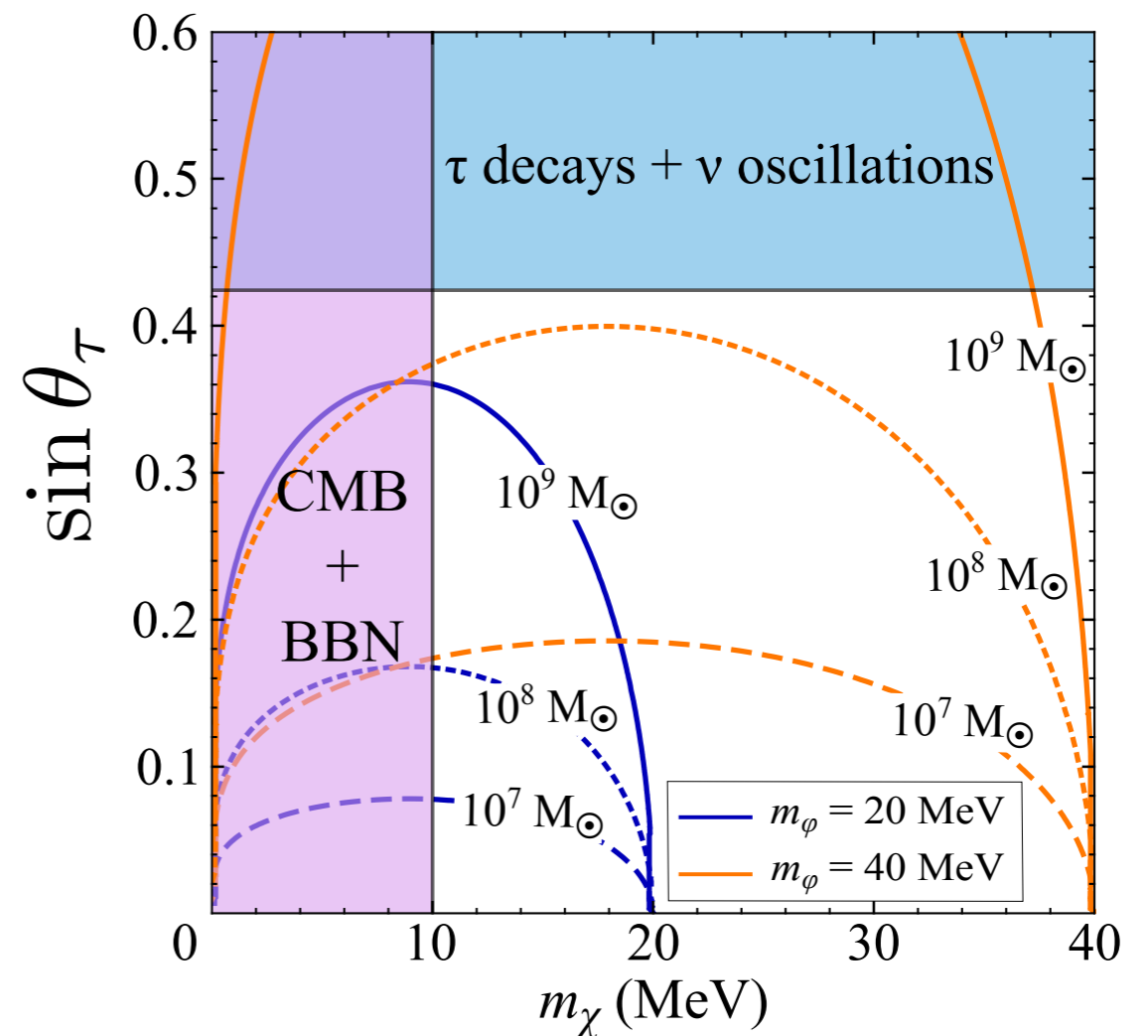
$$\nu_h = -U \nu + \sqrt{1 - U^2} N$$

$$\nu_l = \sqrt{1 - U^2} \nu + U N$$

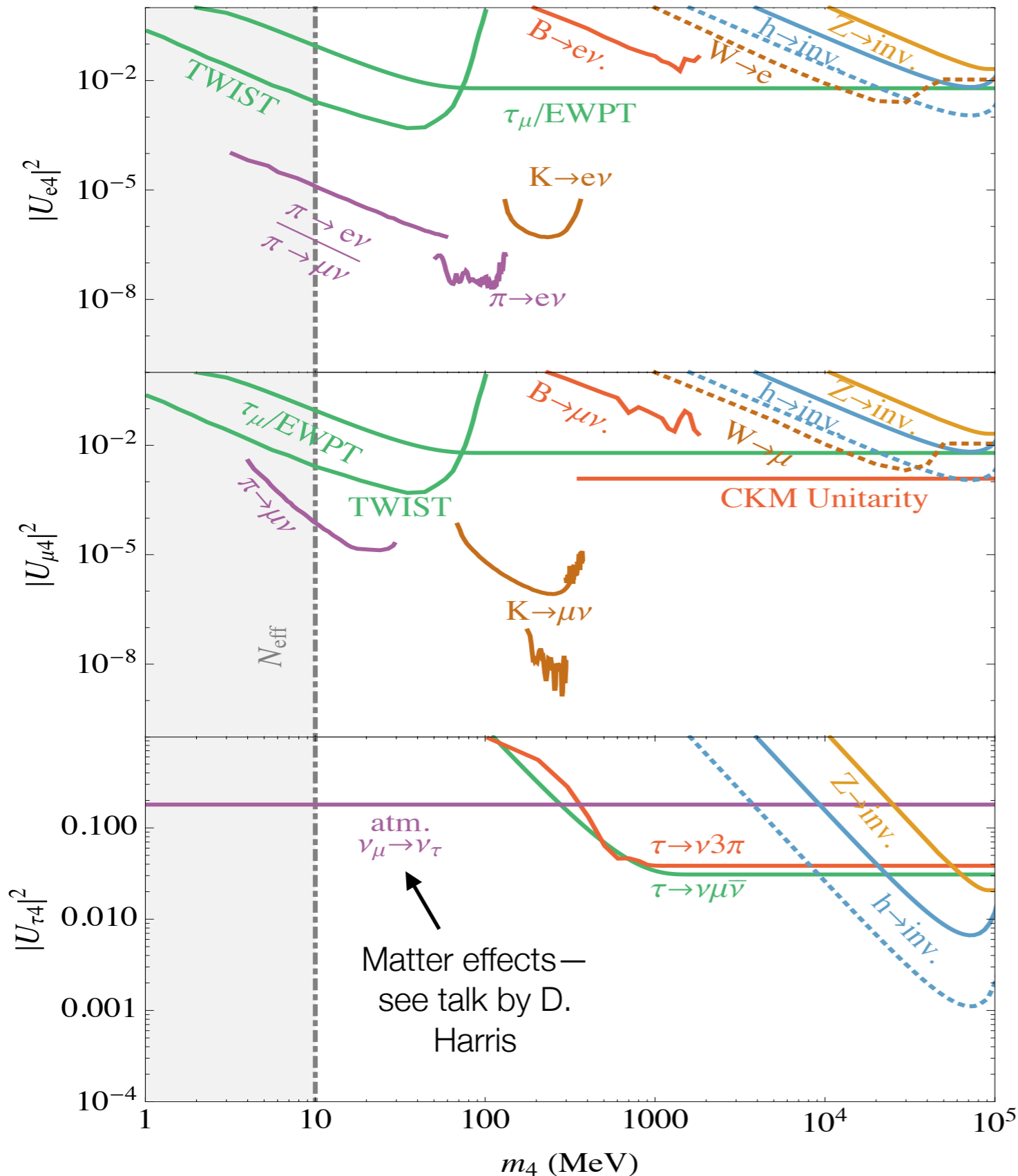
DM can scatter on light (mostly active) neutrinos



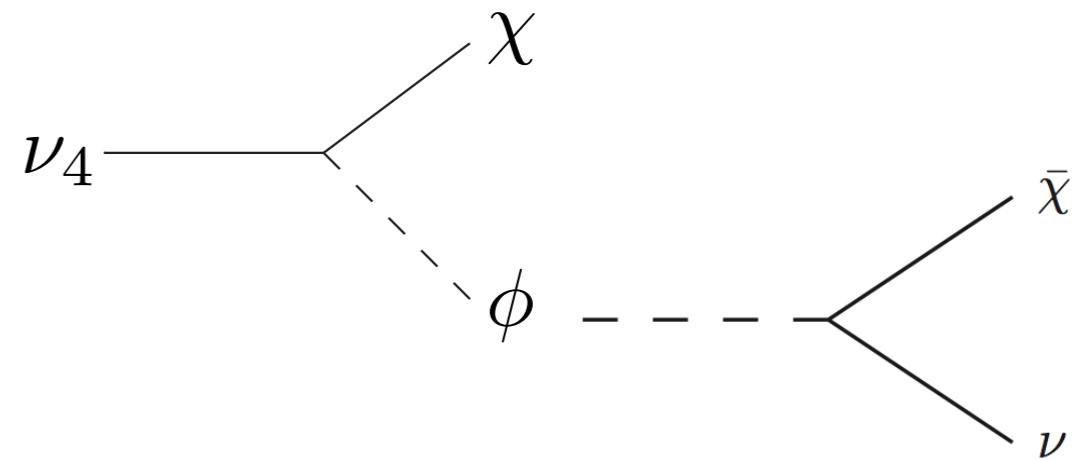
Bertoni, Ipek, DM, & Nelson



# Mixing angle constraints



Heavy neutrinos decay (invisibly) through dark sector



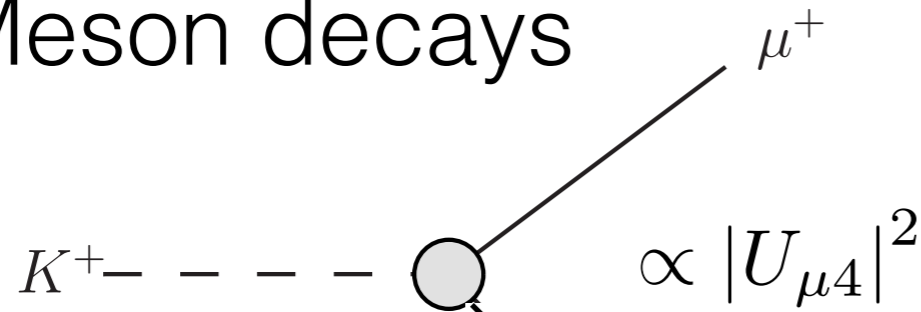
Fewer constraints than in visible decay case

$\tau$  sector less well probed

Bertoni, Ipek, DM, & Nelson 1412.3113  
 Batell, Han, DM, & Shams Es Haghi 1709.07001  
 De Gouvea & Kelly, ...

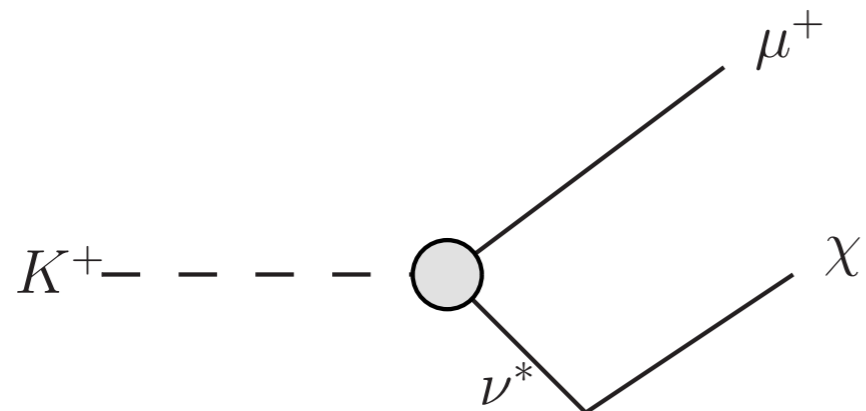
# Probing with kinematics

Meson decays

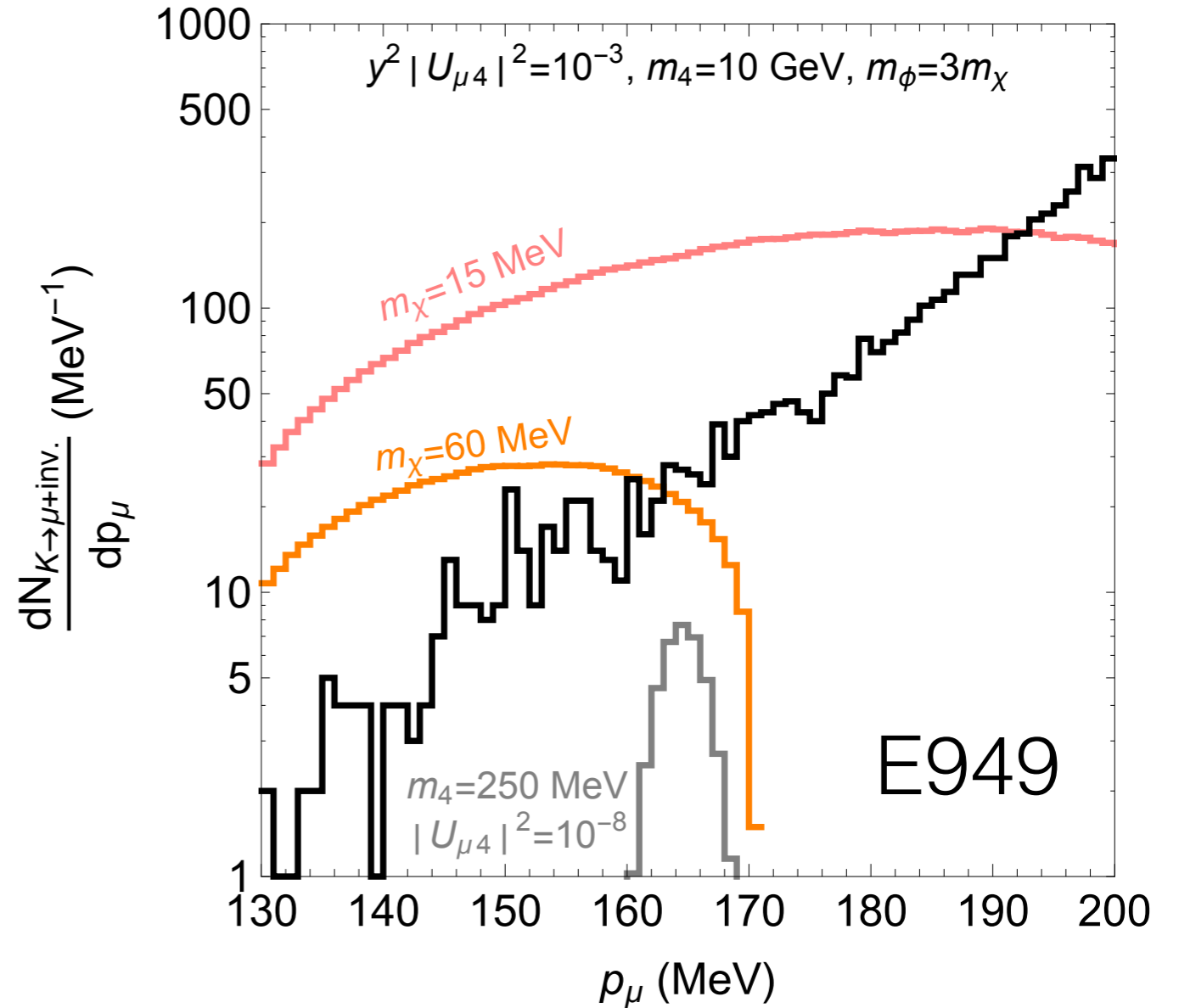
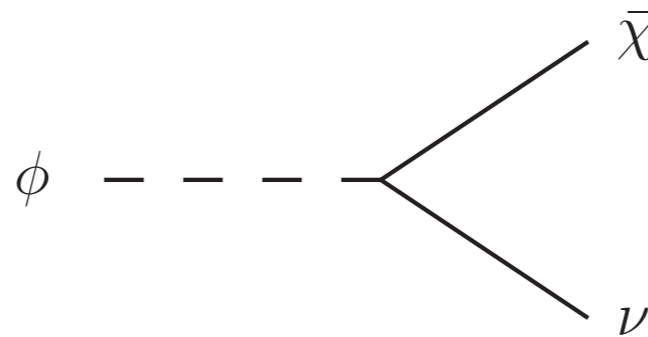


$$E_\mu = \frac{m_K^2 + m_\mu^2 - m_4^2}{2m_K}$$

Also decays into DM:



( $\mu$  energy smeared)

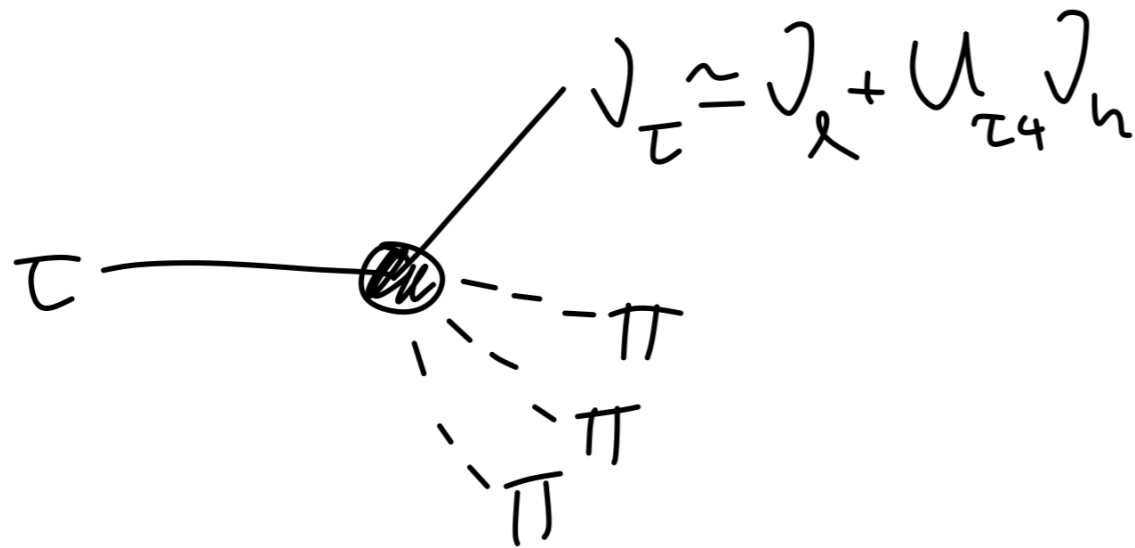


E949:  $10^{12}$  kaons  
 NA62 increase by  
 ~order of mag.

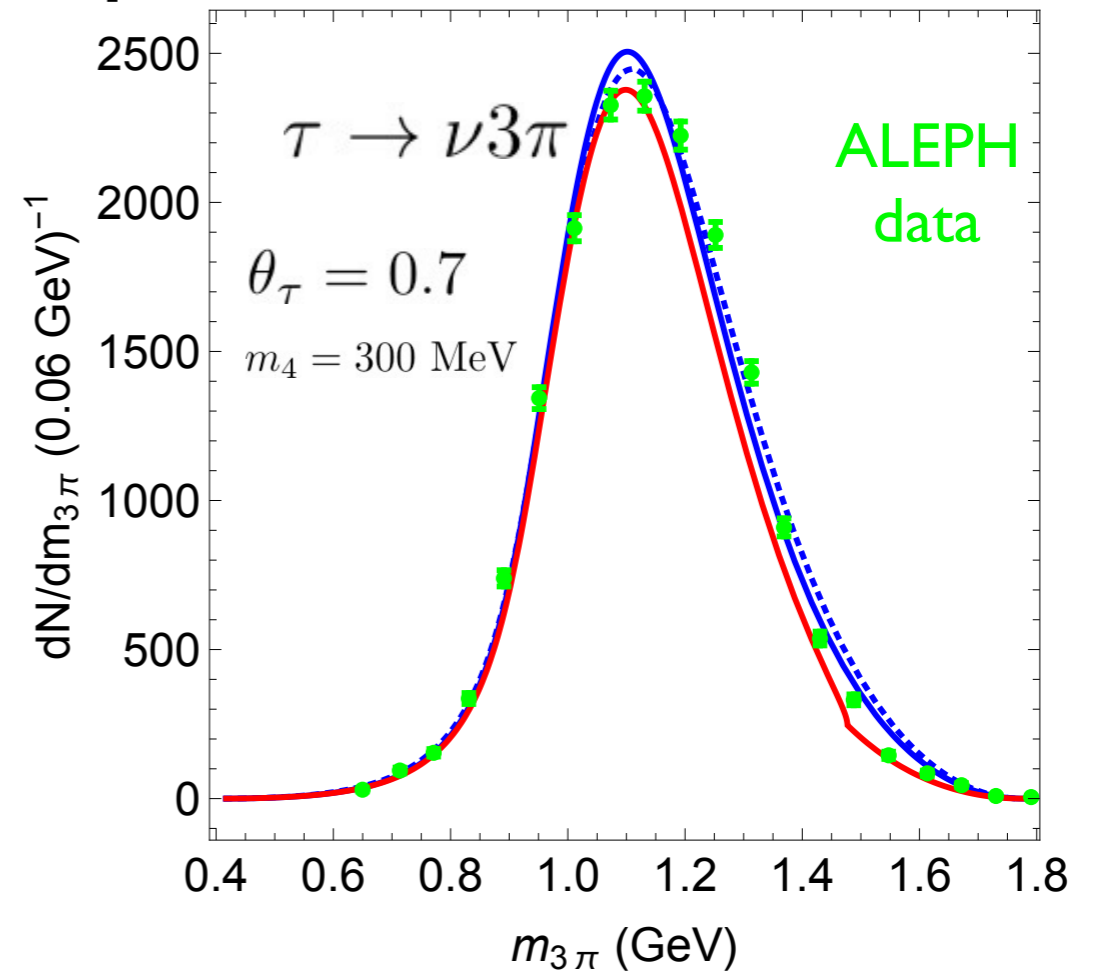
(See M. Zamkovsky's talk)

# Taus are a good place to look

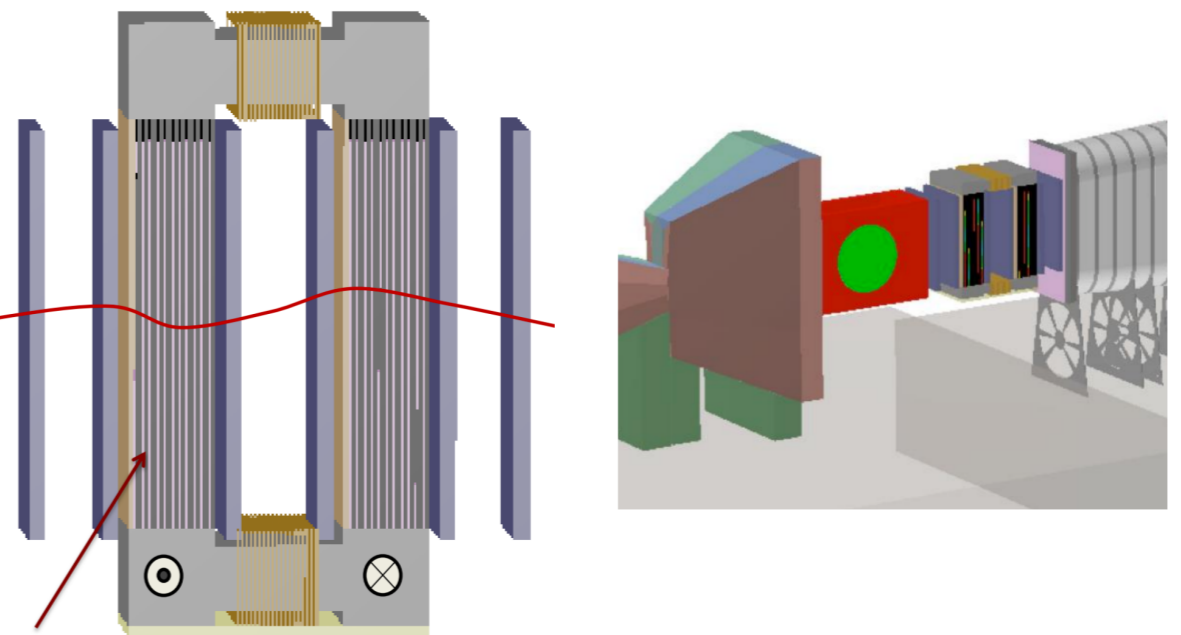
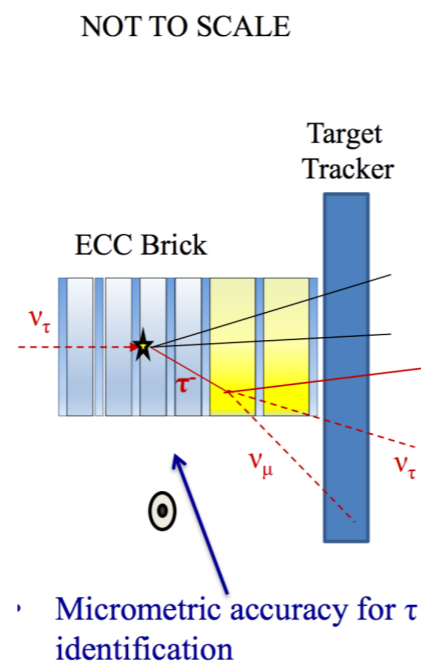
$\tau$  decays



Belle II:  $0.8 \times 10^9 \tau^+ \tau^- / \text{ab}^{-1}$



What about  $O(3-4k) \nu_{\tau}$  sample at SHiP?



# Conclusions

Only had time to show a (biased) sample of topics where cosmological observables have large interplay with those in “low energy” particle physics

There are a wealth of other examples

Flavour physics facilities have a lot to say about the baryon asymmetry of the Universe

Low energy particle physics experiments allow us to test non- $\Lambda$ CDM scenarios in arenas where the systematics are completely orthogonal

This is not the end of the story!

Backup

# Baryon Candidates

Dinucleon decay  
constraints  
“unavoidable”

Collider constraints  
“model dependent”

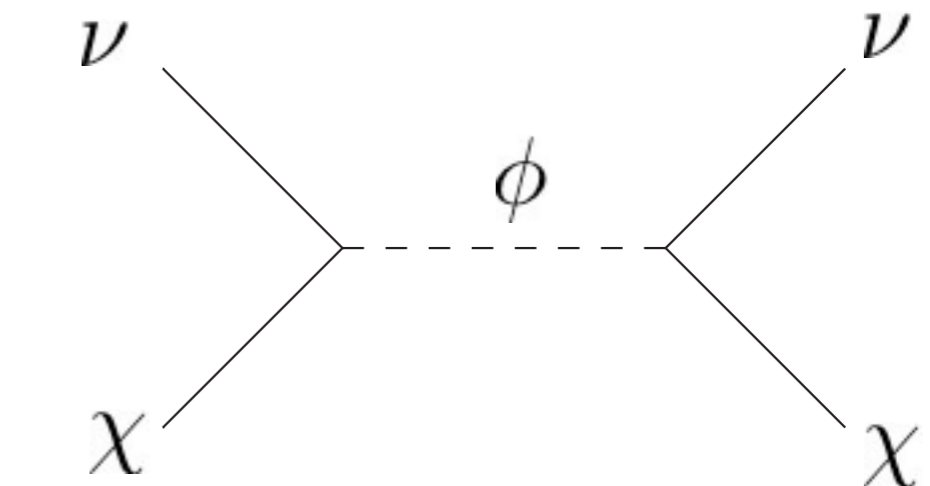
Operator	$\mathcal{B}$	Weak Insertions Required	Measured $\Gamma$ (GeV) [19]	Limits on $\delta_{\mathcal{B}\mathcal{B}} = M_{12}$ (GeV)	
				Dinucleon decay	Collider
$(udd)^2$	$n$	None	$(7.477 \pm 0.009) \times 10^{-28}$	$10^{-33}$	$10^{-17}$
$(uds)^2$	$\Lambda$	None	$(2.501 \pm 0.019) \times 10^{-15}$	$10^{-30}$	$10^{-17}$
$(uds)^2$	$\Sigma^0$	None	$(8.9 \pm 0.8) \times 10^{-6}$	$10^{-30}$	$10^{-17}$
$(uss)^2$	$\Xi^0$	One	$(2.27 \pm 0.07) \times 10^{-15}$	$10^{-22}$	$10^{-17}$
$(ddc)^2$	$\Sigma_c^0$	Two	$(1.83^{+0.11}_{-0.19}) \times 10^{-3}$	$10^{-17}$	$10^{-16}$
$(dsc)^2$	$\Xi_c^0$	Two	$(5.87^{+0.58}_{-0.61}) \times 10^{-12}$	$10^{-16}$	$10^{-15}$
$(ssc)^2$	$\Omega_c^0$	Two	$(9.5 \pm 1.2) \times 10^{-12}$	$10^{-14}$	$10^{-15}$
$(udb)^2$	$\Lambda_b^0$	Two	$(4.490 \pm 0.031) \times 10^{-13}$	$10^{-13}$	$10^{-17}$
$(udb)^2$	$\Sigma_b^{0*}$	Two	$\sim 10^{-3*}$	$10^{-13}$	$10^{-17}$
$(usb)^2$	$\Xi_b^0$	Two	$(4.496 \pm 0.095) \times 10^{-13}$	$10^{-10}$	$10^{-17}$
$(dcb)^2$	$\Xi_{cb}^{0\dagger}$	Two	$\sim 10^{-12\dagger}$	$10^{-17}$	$10^{-15}$
$(scb)^2$	$\Omega_{cb}^{0\dagger}$	Two	$\sim 10^{-12\dagger}$	$10^{-14}$	$10^{-15}$
$(ubb)^2$	$\Xi_{bb}^{0\dagger}$	Four	$\sim 10^{-13\dagger}$	$>1$	$10^{-17}$
$(cbb)^2$	$\Omega_{cbb}^{0\dagger}$	Four	$\sim 10^{-12\dagger}$	$>1$	$10^{-15}$

# Other Probes?

Supernova neutrinos

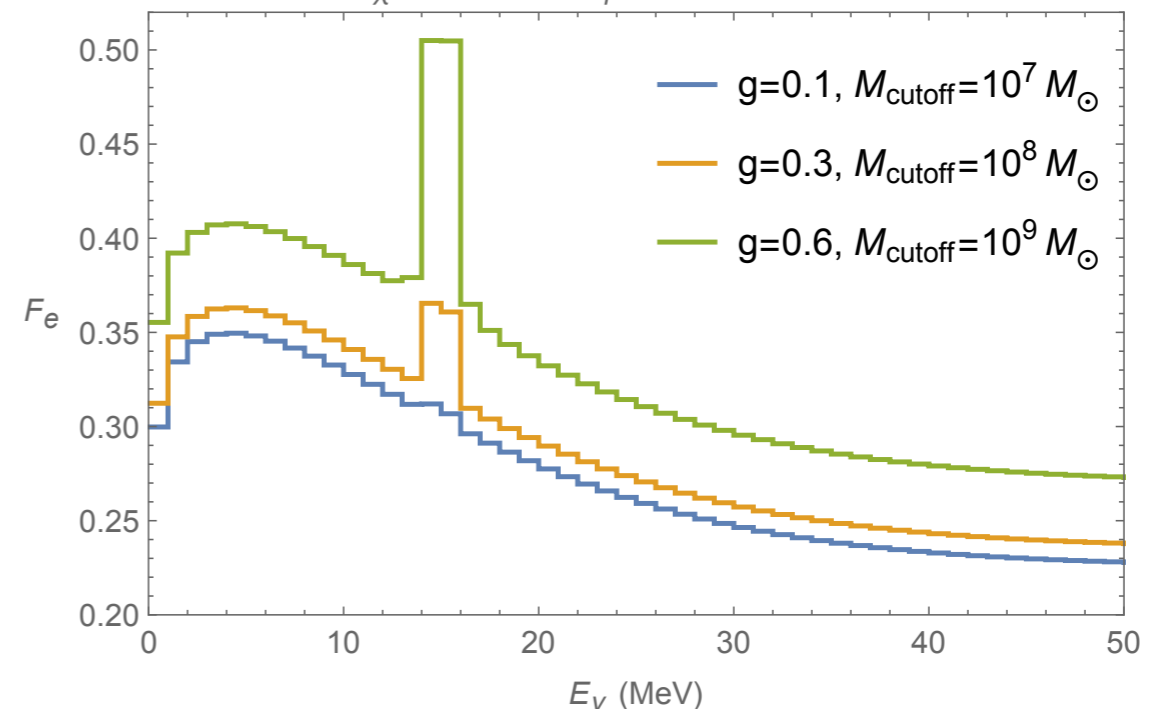
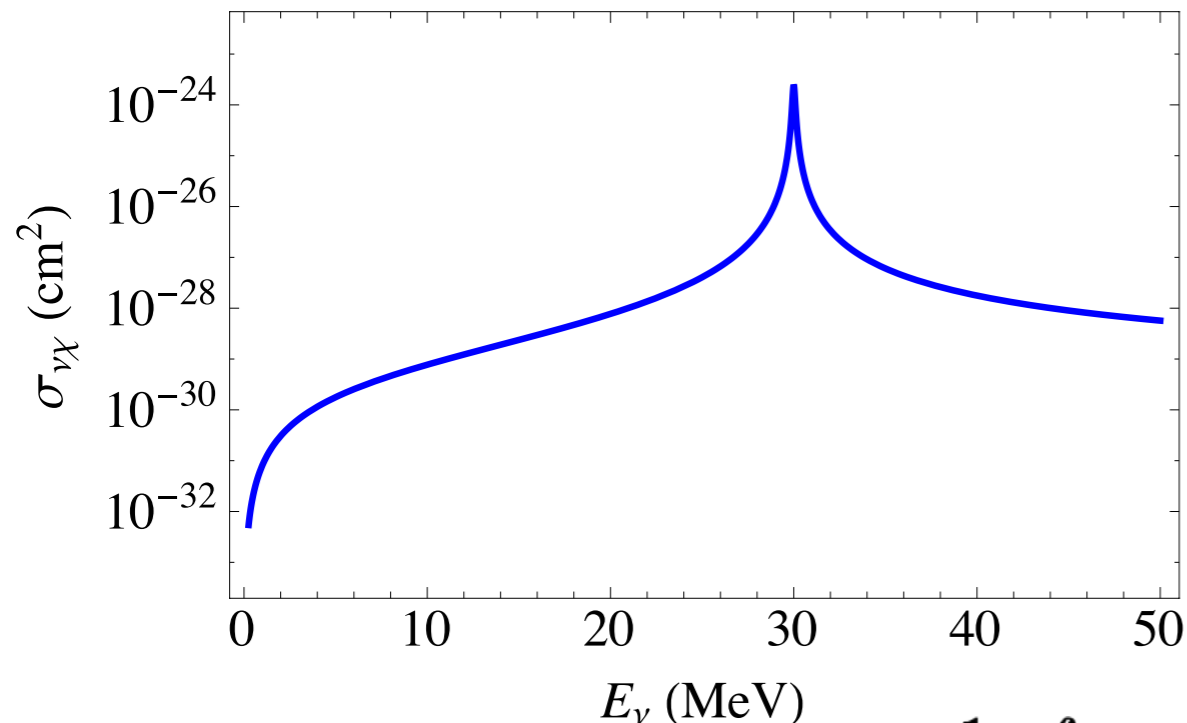
MeV energy neutrinos  
from SN scatter on DM

Resonance at  $E_\nu = \frac{m_\phi^2 - m_\chi^2}{2m_\chi}$



can be in the right range

Electron neutrino fraction (SN1987A)  
 $m_\chi=10$  MeV,  $m_\phi=20$  MeV,  $l=51$  Kpc



$$\text{Flux}_i \propto e^{-\Gamma_i d} \quad \Gamma = \sigma_{\nu\chi} \times \frac{1}{d} \int dx n_\chi$$

(Study of effect on SNe complicated,  
ongoing with Nirmal Raj)

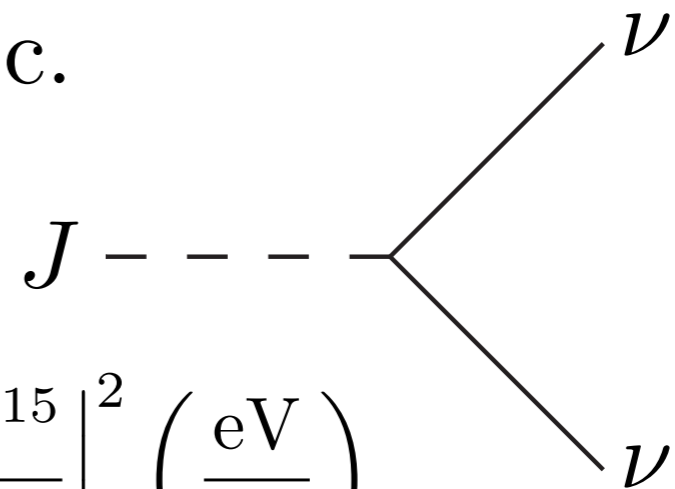


# A very simple model

(Some of the) Dark Matter weakly coupled to neutrinos, similar to majoron

$$\mathcal{L}_{\text{int}} = -\frac{g}{2} J \nu \nu + \text{h.c.}$$

This state decays to (only) neutrinos



$$\tau_J = \frac{32\pi}{|g|^2 m_J} = 2.10 \times 10^9 \text{ yr} \left| \frac{10^{-15}}{g} \right|^2 \left( \frac{\text{eV}}{m_J} \right)$$

Neutrinos redshift until today

$$E_\nu \simeq \frac{m_J}{2} \frac{a_{\text{decay}}}{a_{\text{today}}}$$

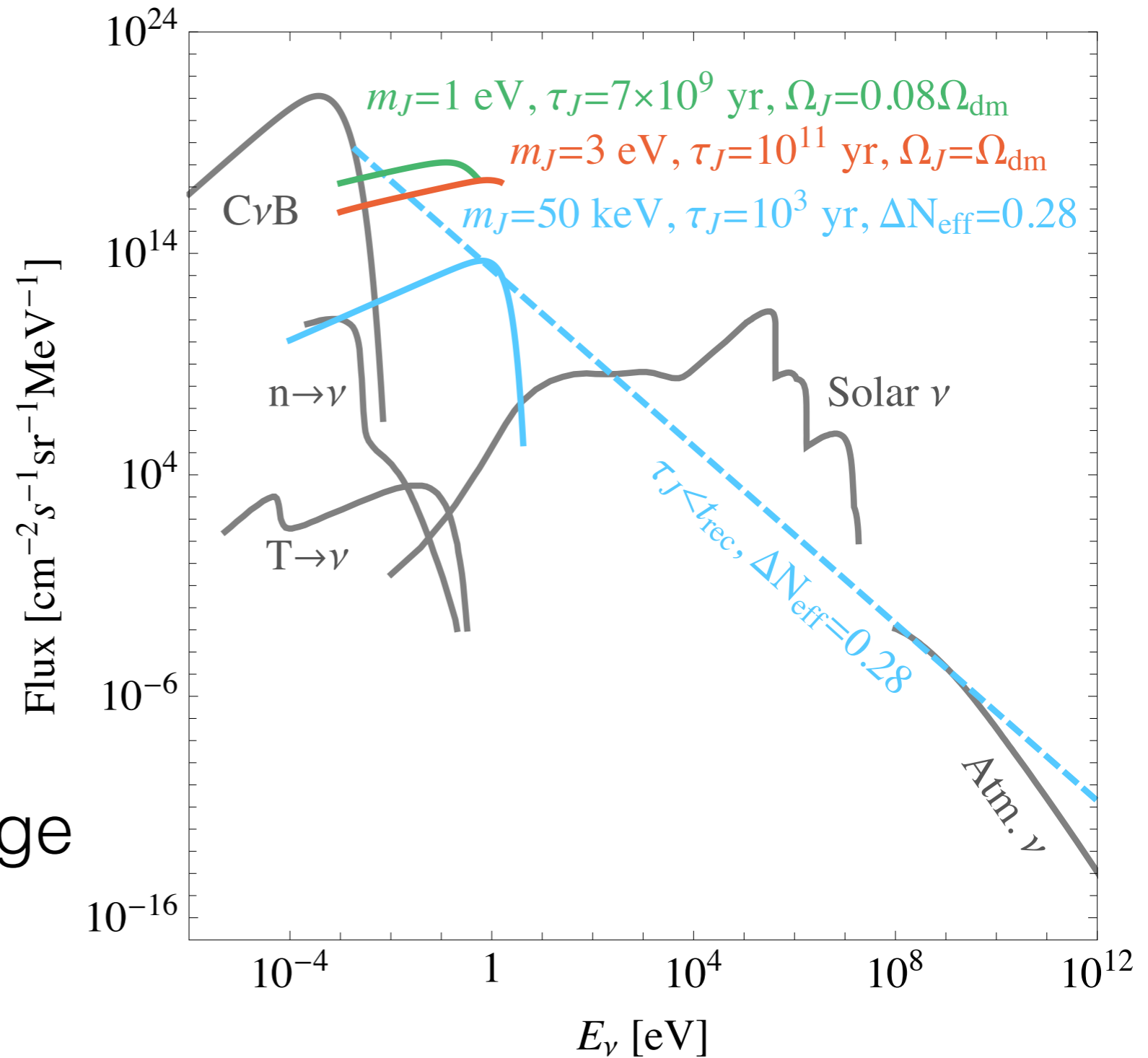
What sort of flux can we imagine?

# Potential Fluxes

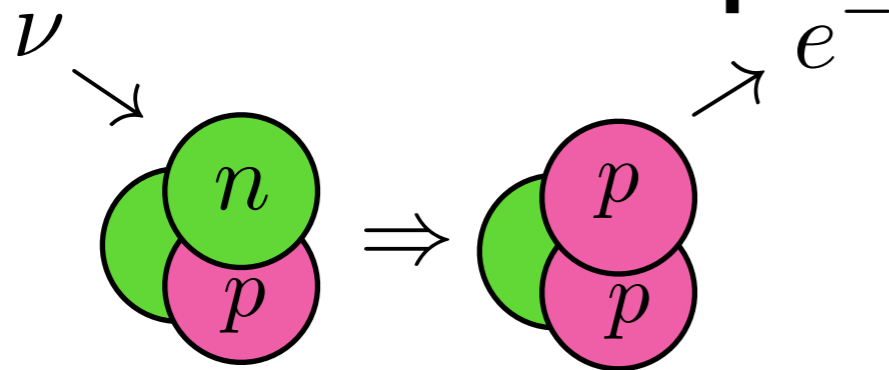
Flux is given by

$$\begin{aligned}\tilde{\Phi}_\nu &= \frac{d(a^3 \tilde{n}_\nu)}{dE_\nu} \Big|_{a=2E_\nu/m_J} \\ &= \frac{2\Omega_J}{E_\nu} \frac{\rho_{\text{cr},0}}{m_J} \frac{e^{-t/\tau_J}}{H\tau_J}\end{aligned}$$

Width determined by range of redshifts for decay



# C $\nu$ B capture on Tritium



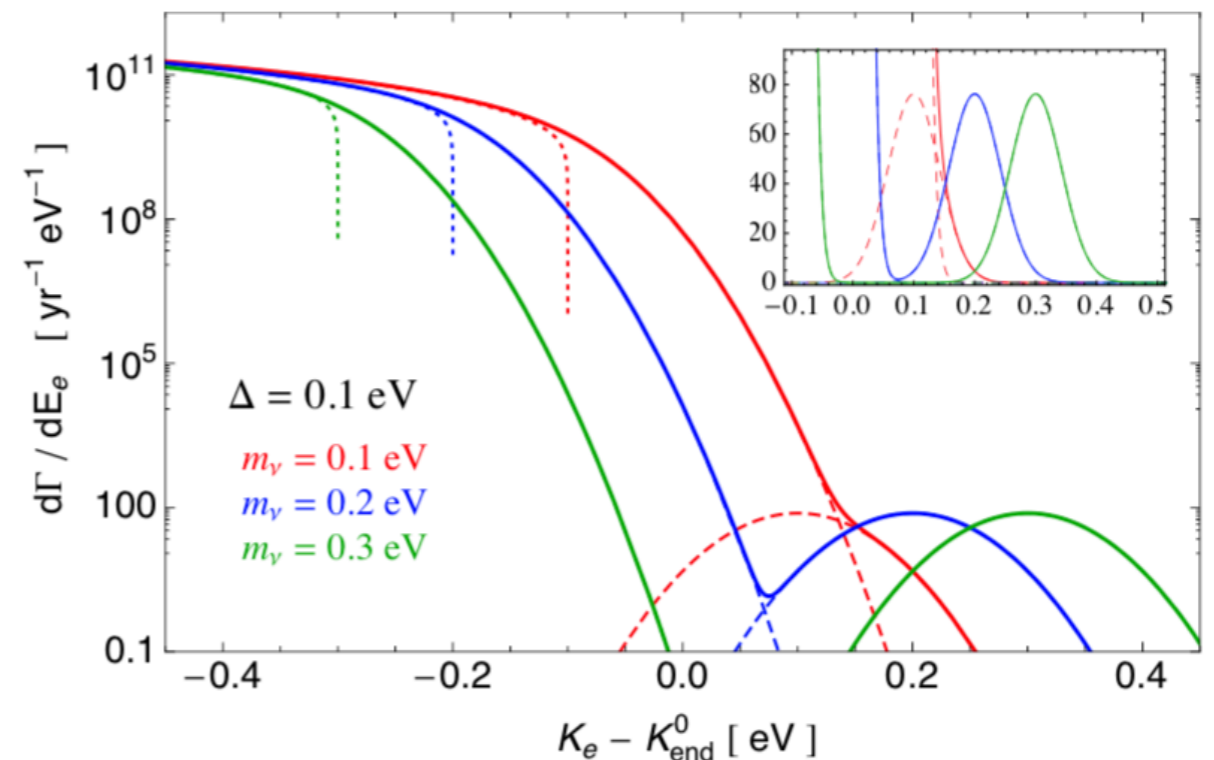
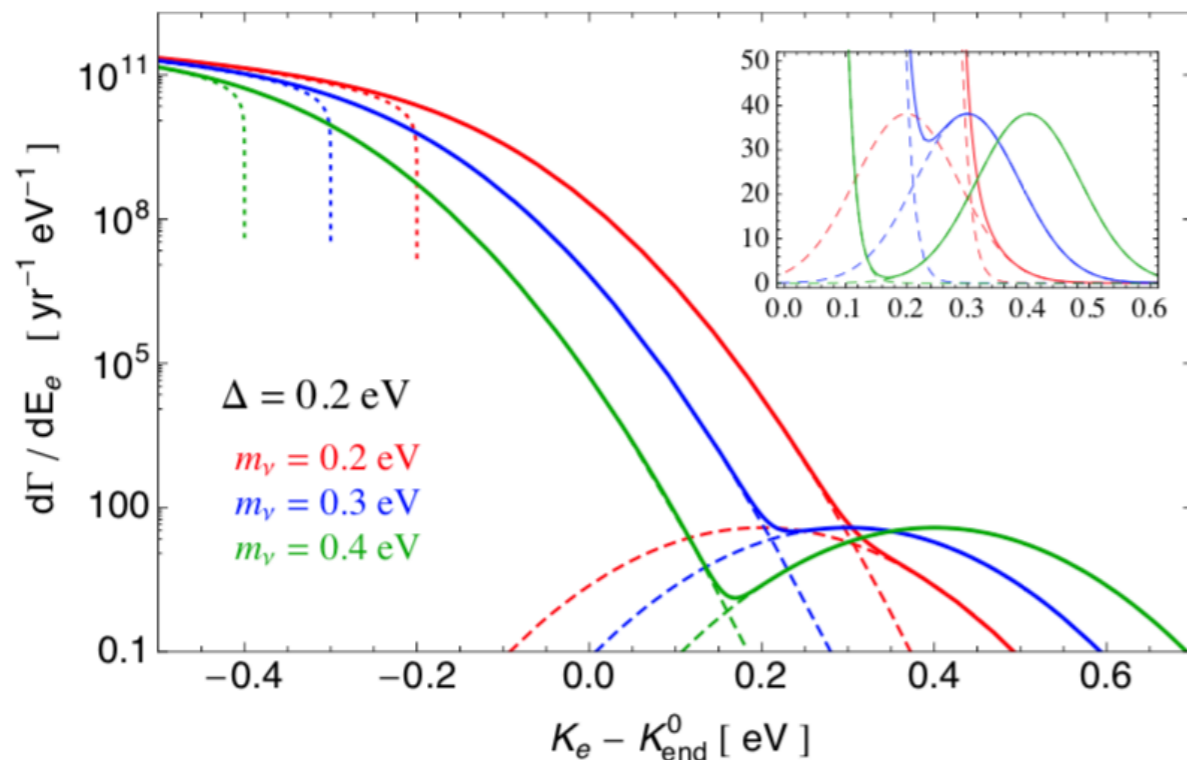
$\beta$ -decays with long lifetime

$$t_{1/2} \simeq 12 \text{ yr}$$

$$\sigma = 3.8 \times 10^{-45} \text{ cm}^2 \quad \Rightarrow \quad \Gamma_{\text{Dir.}} = \frac{1}{2} \Gamma_{\text{Maj.}} = \frac{4}{\text{yr}} \left( \frac{M_T}{100 \text{ g}} \right) \left( \frac{n_\nu}{56 \text{ cm}^{-3}} \right)$$

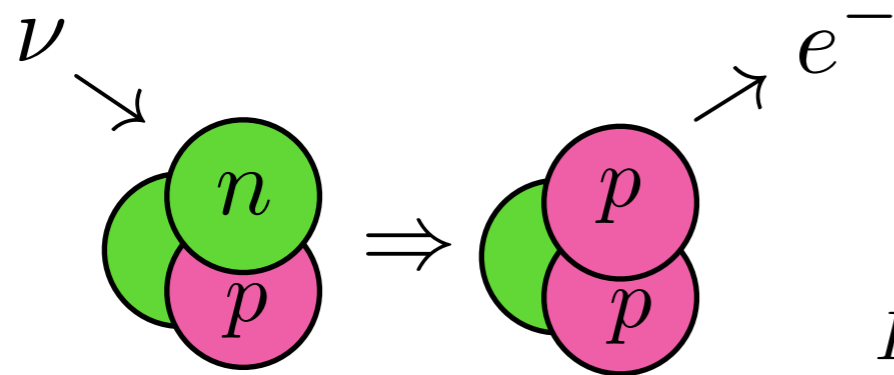
PTOLEMY Experiment (100 g T)

Long, Lunardini, Sabancilar



Tiny rates but a crucial target

# $\nu$ from DM decay on Tritium

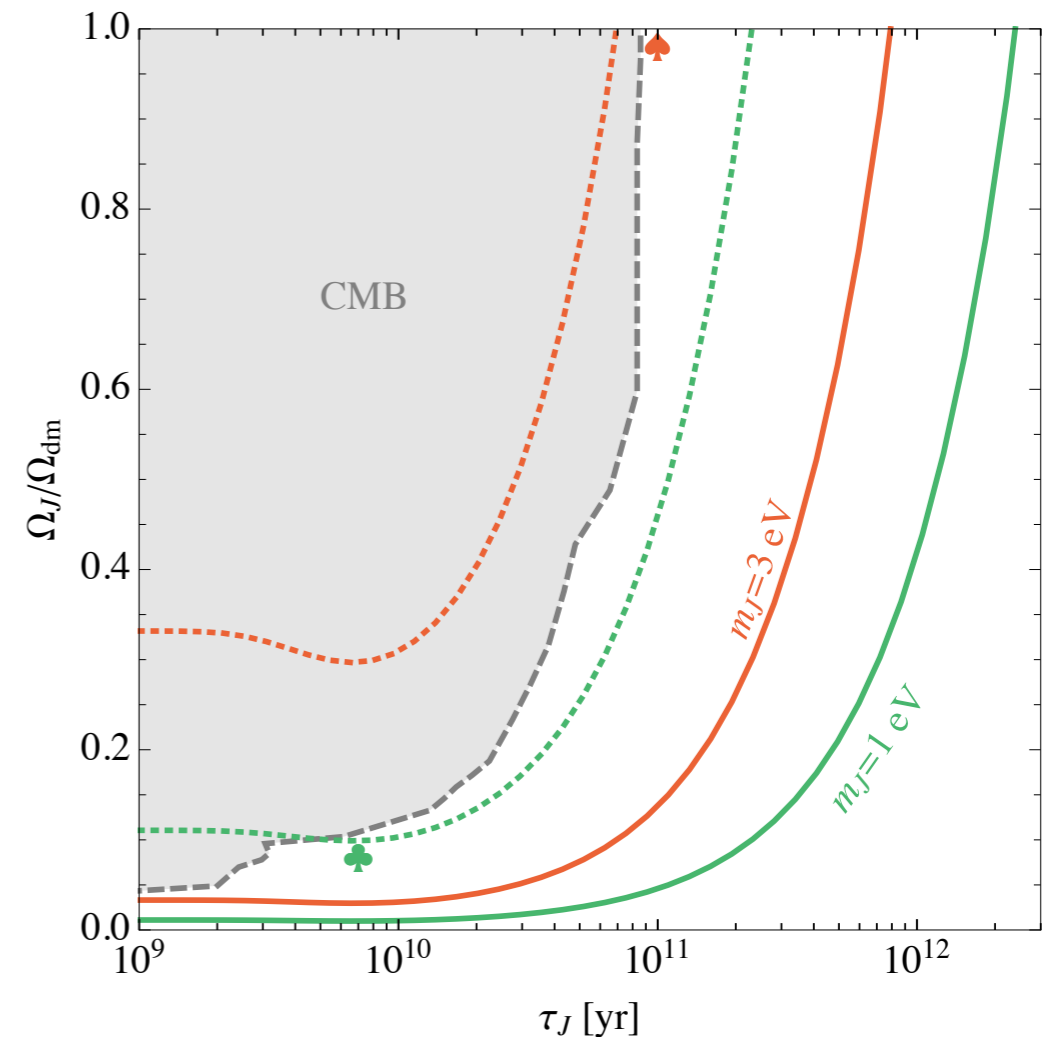
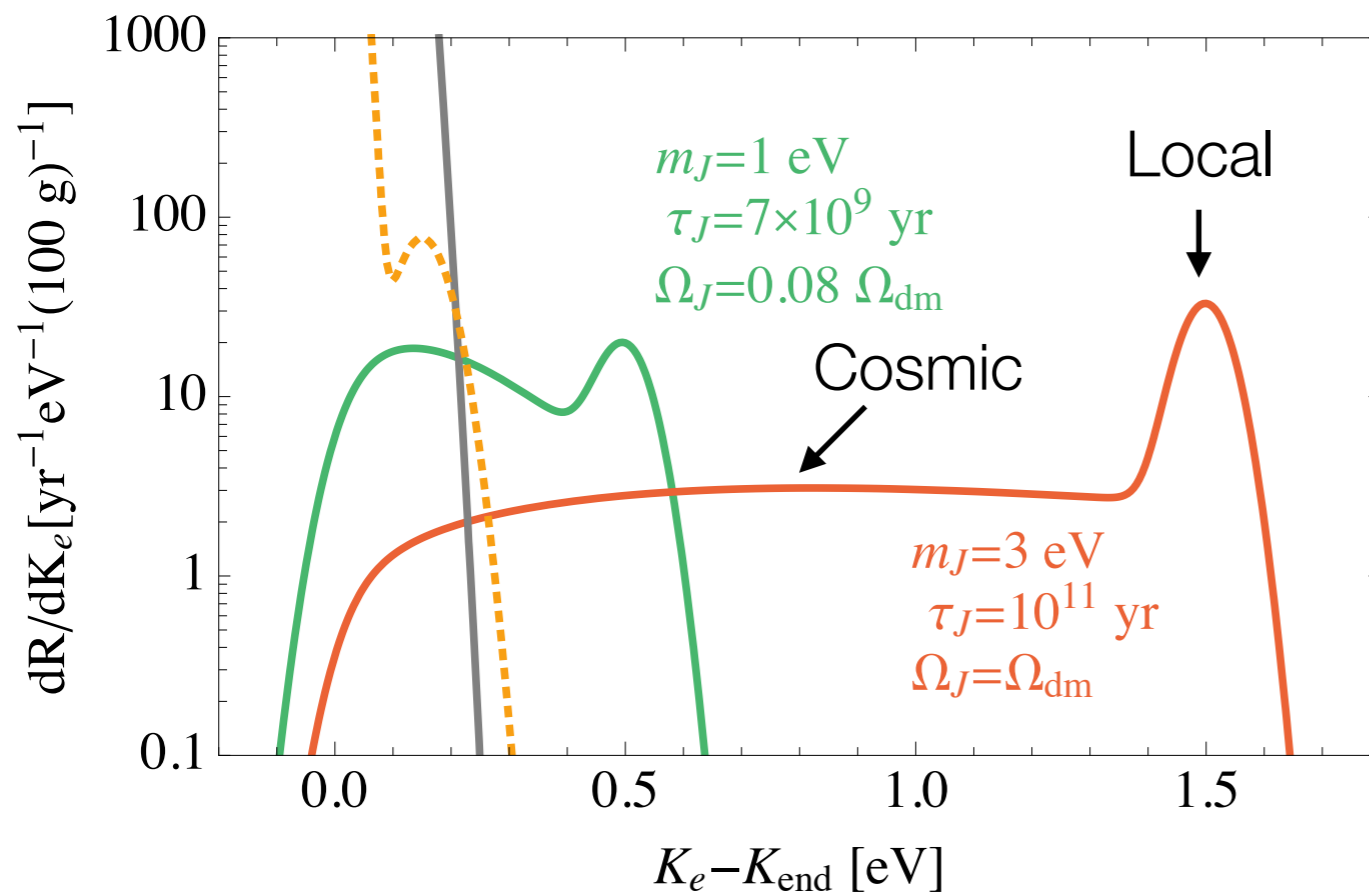


The electron energy gap can be larger in this case

$$E_{e^-} = E_{\text{end}} + m_\nu + E_\nu \simeq E_{\text{end}} + m_\nu + \frac{m_J}{2} \frac{a_{\text{decay}}}{a_{\text{today}}}$$

$$R = \frac{2.42}{\text{yr}} \left( \frac{M_T}{100 \text{ g}} \right) \left( \frac{f_{\nu e}}{1/3} \right) \left( \frac{\tilde{n}_\nu}{100 \text{ cm}^3} \right)$$

$$\tilde{n}_\nu \sim \frac{10}{\text{cm}^3} \left( \frac{10 \text{ eV}}{m_J} \right) \quad \tau_J > t_{\text{rec}}$$



# Baryogenesis via flavon decays

Chen, Ipek, & Ratz 1903.06211

Froggatt-Nielsen model

$$\mathcal{L} \supset y_0^{fg} \left( \frac{v_S + S}{\Lambda} \right)^{n_{fg}} \bar{e}_R^g \cdot \phi^* \cdot \ell_L^f + \text{h.c.}$$

(Arise in a “theory of flavor”)

$$S \rightarrow \bar{\ell}_L + \phi + e_R$$

Flavon/antiflavon decay:

$$S^* \rightarrow \ell_L + \phi^* + \bar{e}_R$$

Flavon-antiflavon asymmetry  $\Rightarrow$  Left-handed lepton asymmetry  $\Rightarrow$  Turned into baryon asymmetry via sphalerons

1-10 TeV scale  
flavors required:

