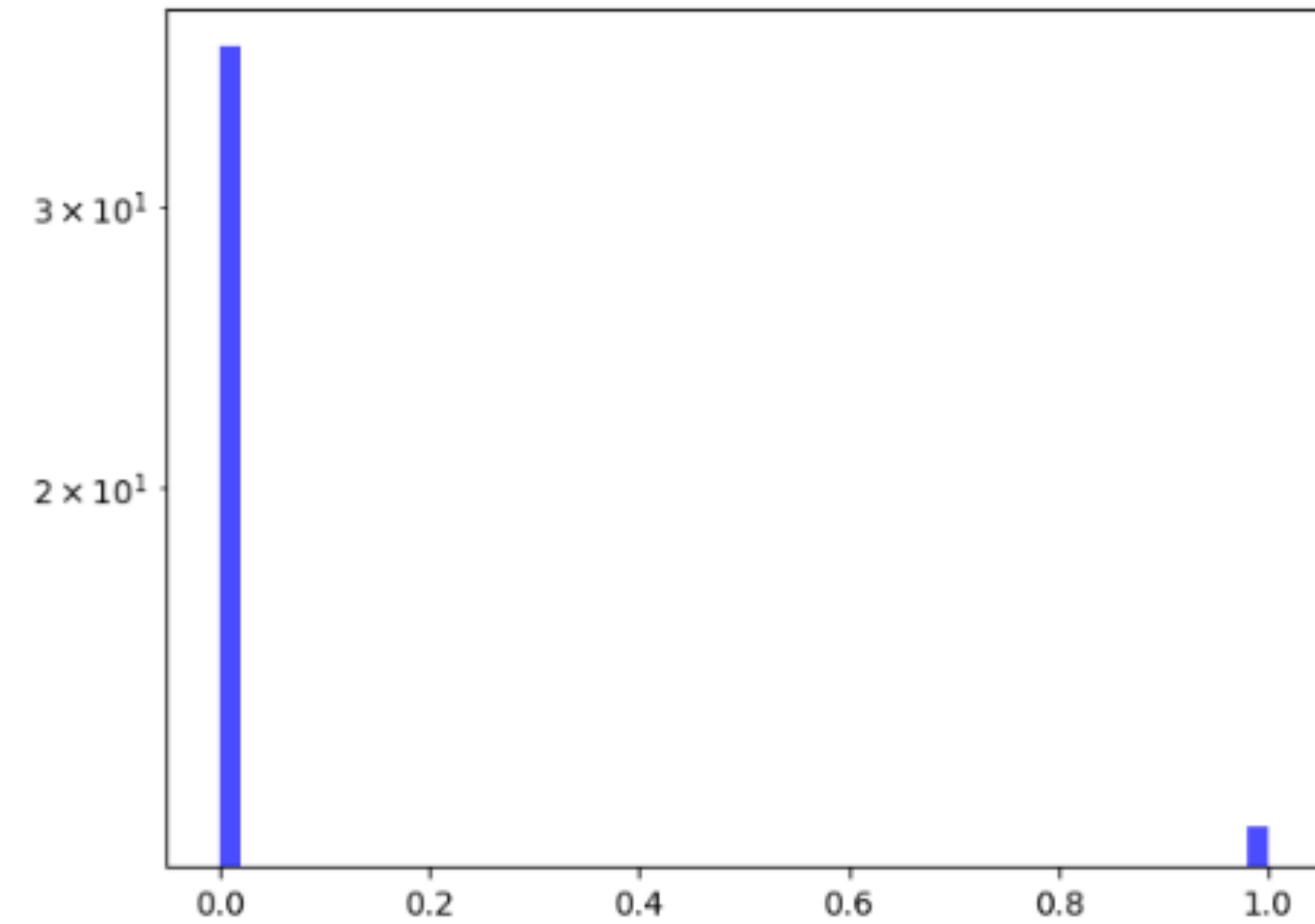
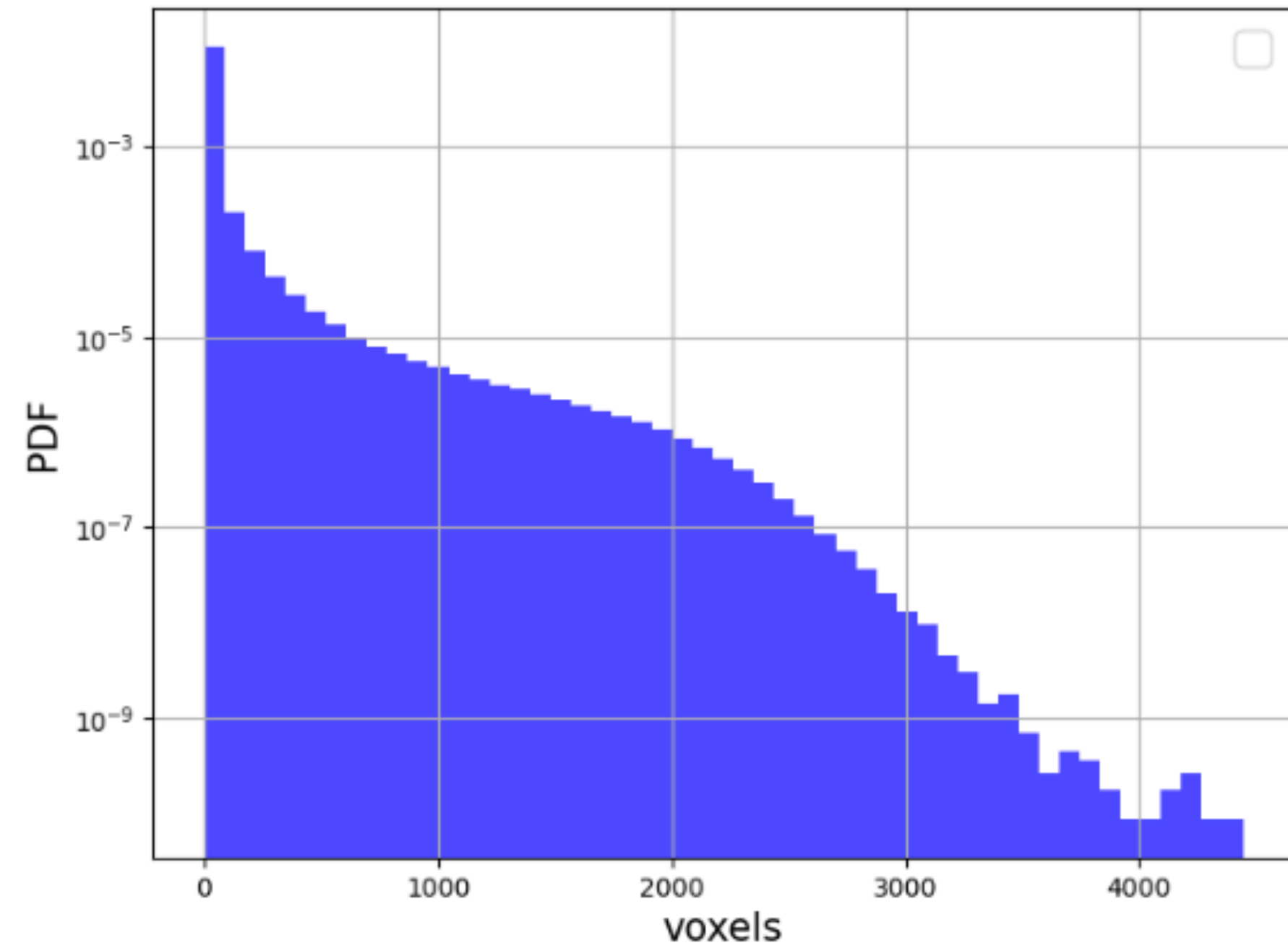


# QVAE w/ Pegasus & Zephyr

Jun 3

# DATA PREPROCESSING

$\{ \{ v_i^{(\alpha)} \}_{i=1}^{6480} \}_{\alpha=1}^{100,000}$  : Dataset (where  $i$  tags the voxel and  $\alpha$  tags the datapoint)



# DATA PREPROCESSING      HOW WE DO IT:

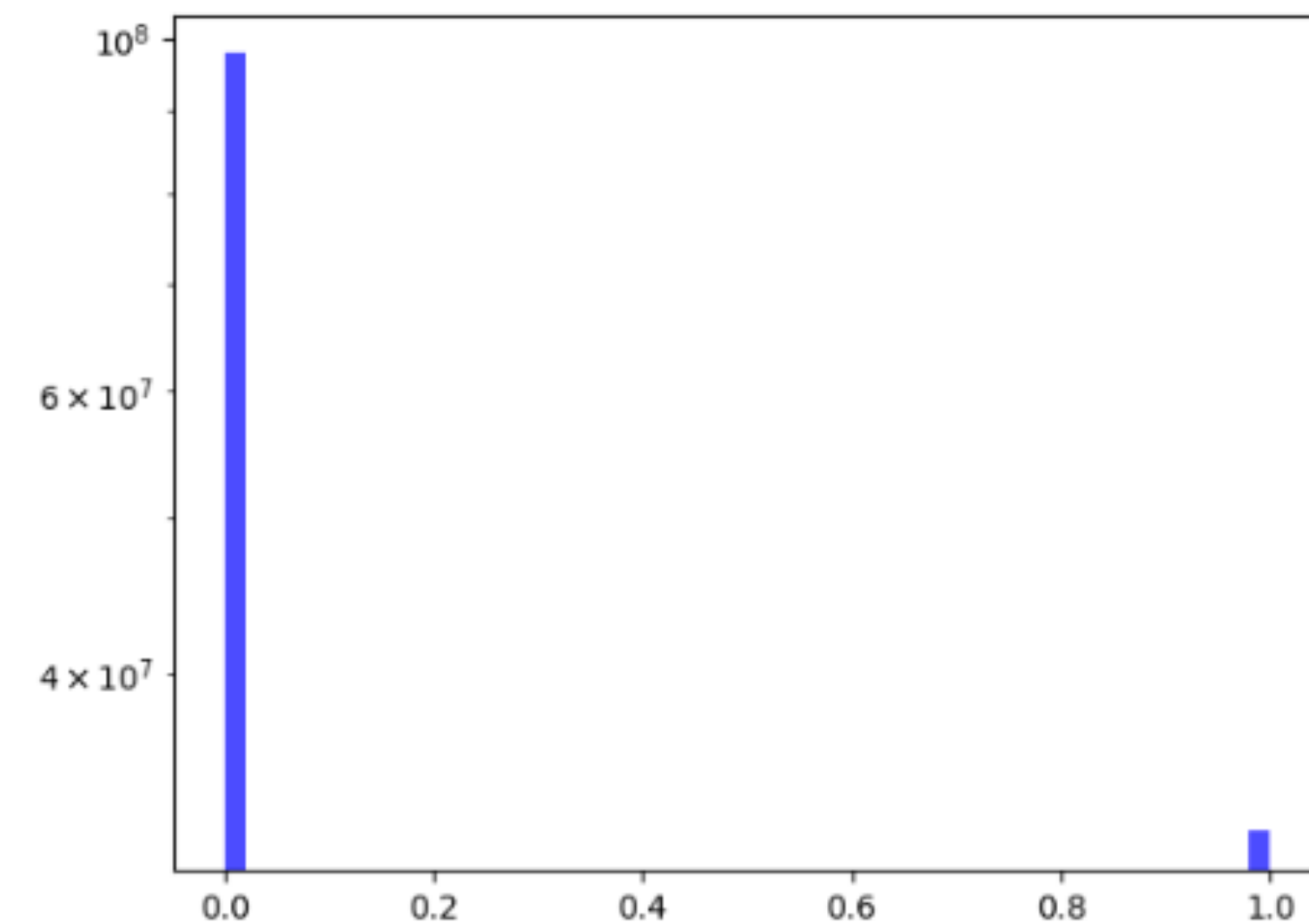
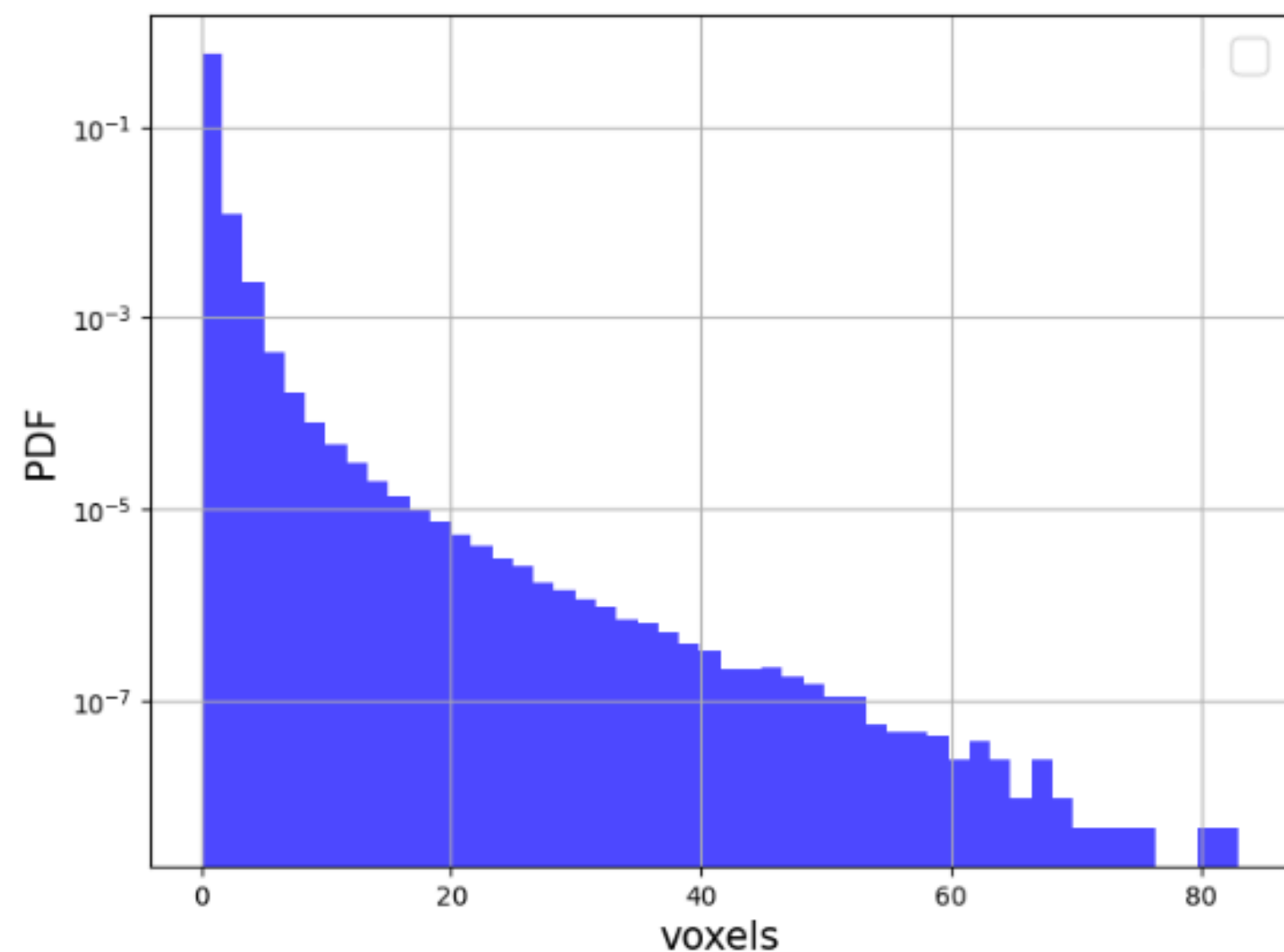
$\{ \{ v_i^{(\alpha)} \}_{i=1}^{6480} \}^{100,000}$  : Dataset (where  $i$  tags the voxel and  $\alpha$  tags the datapoint)

STEPS:

- STANDARDIZE THE DATASET BUT REMOVING THE ZERO VALUES.
- RESCALE BY SHIFTING TOWARDS POSITIVE VALUES EXCEPT THOSE ZERO VALUES VOXELS

$$\nu_i = \frac{v_i - \mathbb{E}_\alpha [v_i^{(\alpha)}]}{\mathbb{E}_\alpha \left[ \left( v_i^{(\alpha)} - \mathbb{E}_\beta [v_i^{(\beta)}] \right)^2 \right]}$$

$$u_i = \nu_i + \text{abs}(\min_\alpha(\nu_i^{(\alpha)})) + \delta$$



# DATA PREPROCESSING

# HOW CALODIFF DOES IT:

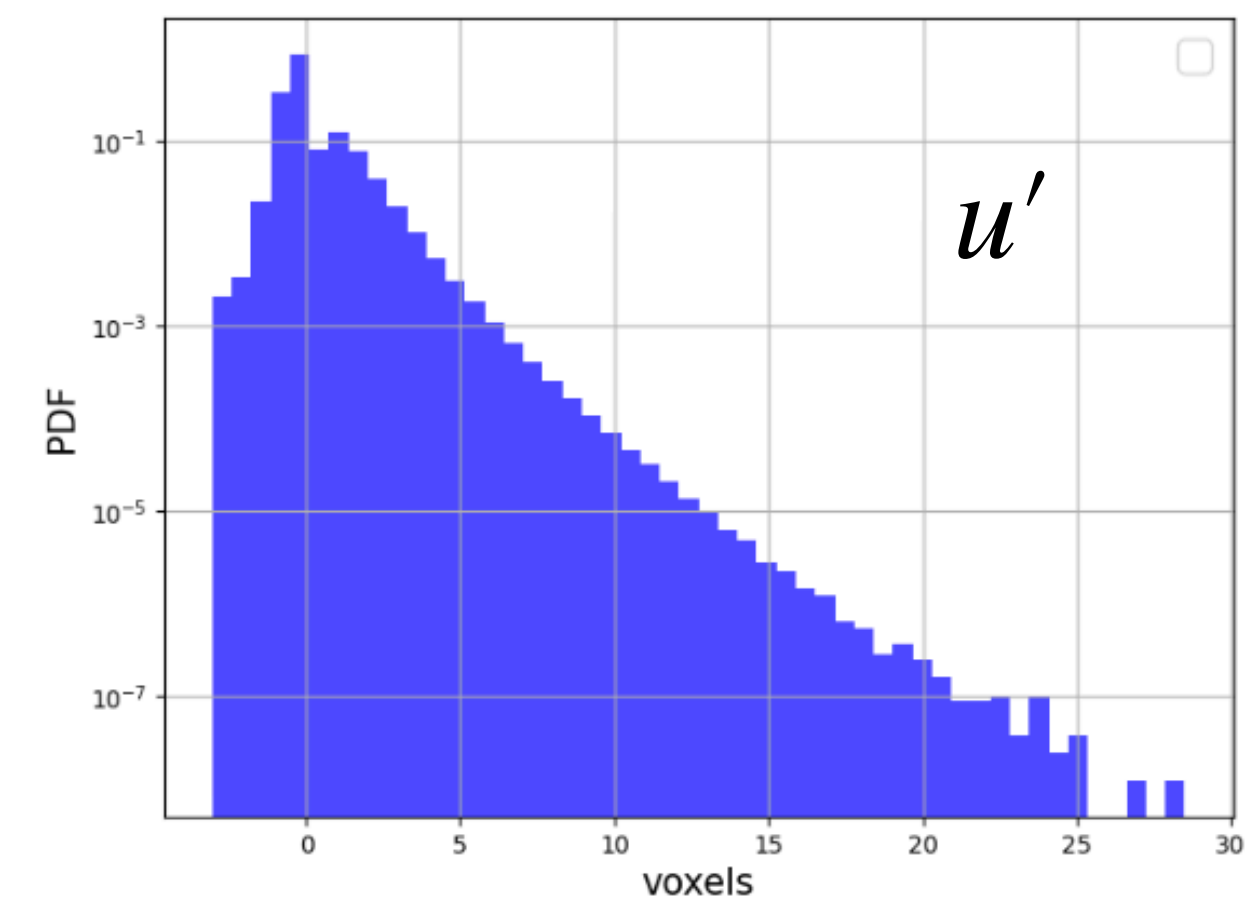
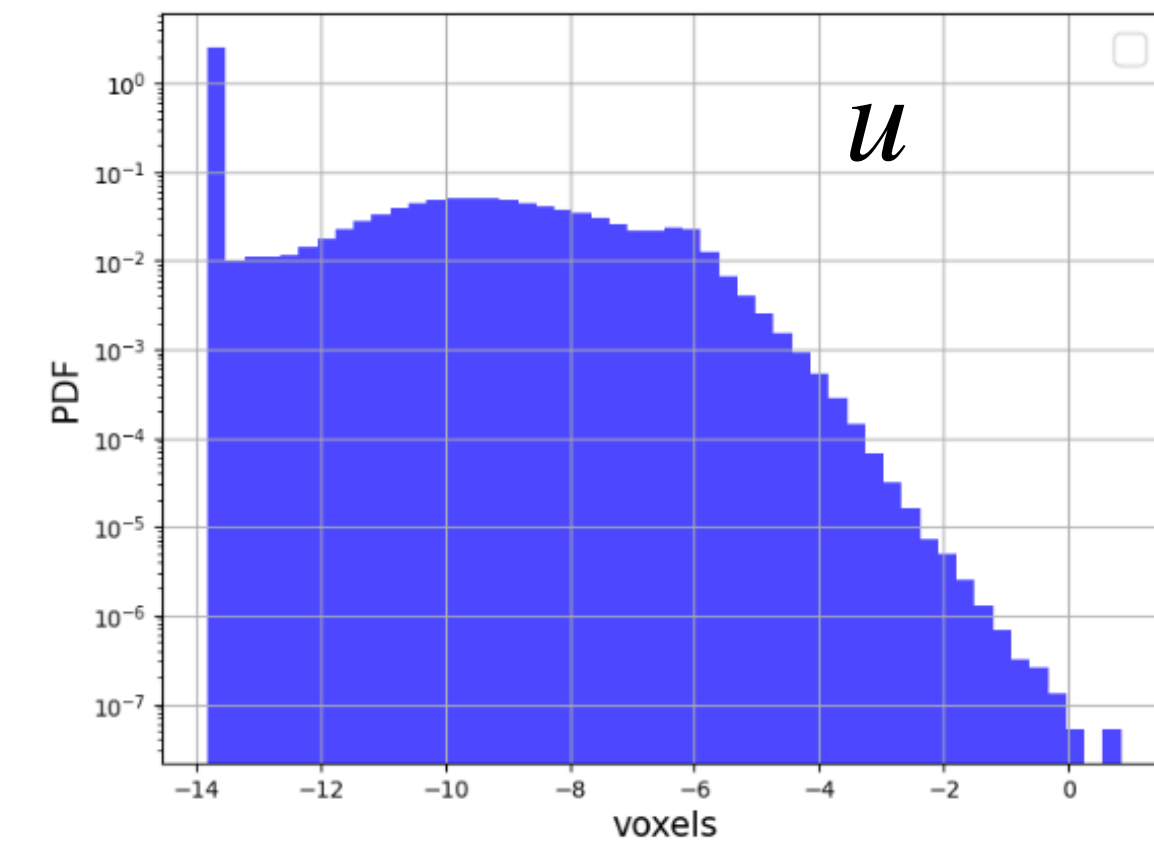
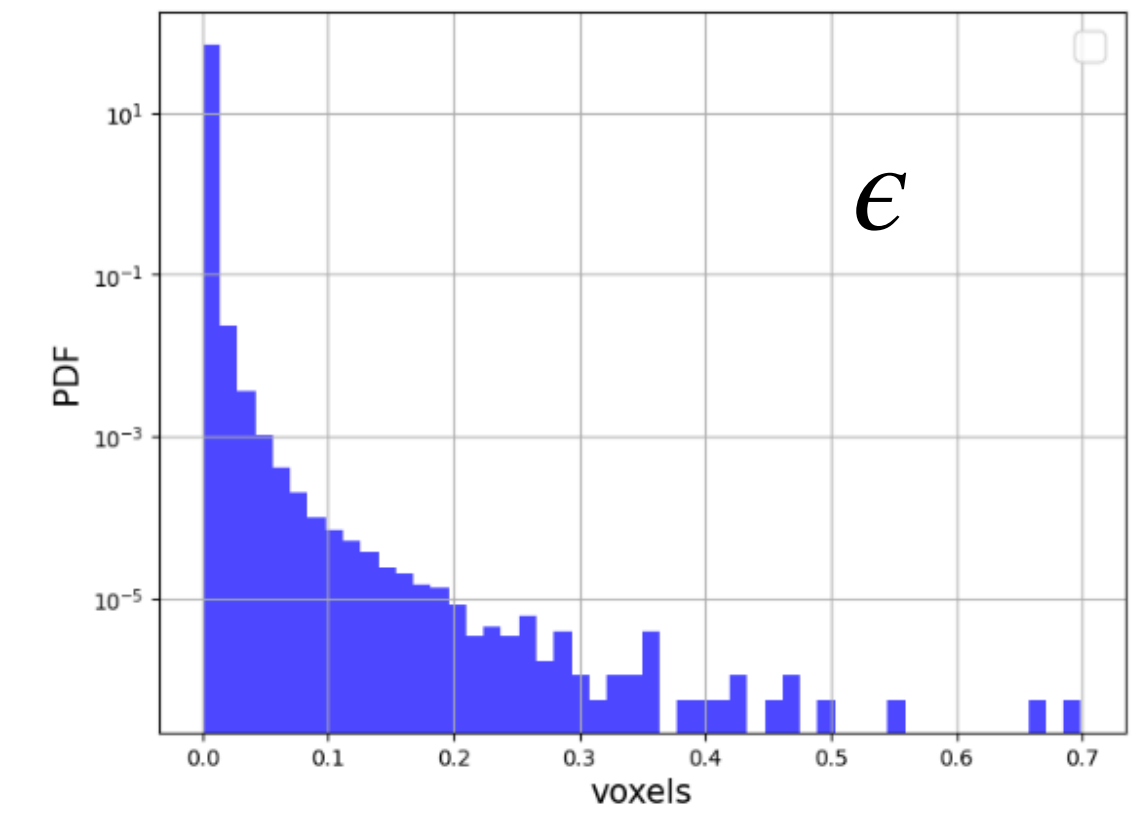
$\{v_i\}_{i=1}^{6480}$  : shower

$\epsilon_i = \frac{v_i}{E_{inc}}$  : reduced deposited energy in voxel  $i$ th

$$x_i = \delta + (1 - 2\delta)\epsilon_i \quad \delta = 10^{-6}$$

$$u_i = \log \frac{x_i}{1 - x_i}$$

$$u'_i = \frac{u_i - \langle u_i \rangle}{\sigma_{u_i}}$$



# DATA PREPROCESSING

# HOW CALODIFF DOES IT:

$\{v_i\}_{i=1}^{6480}$  : shower

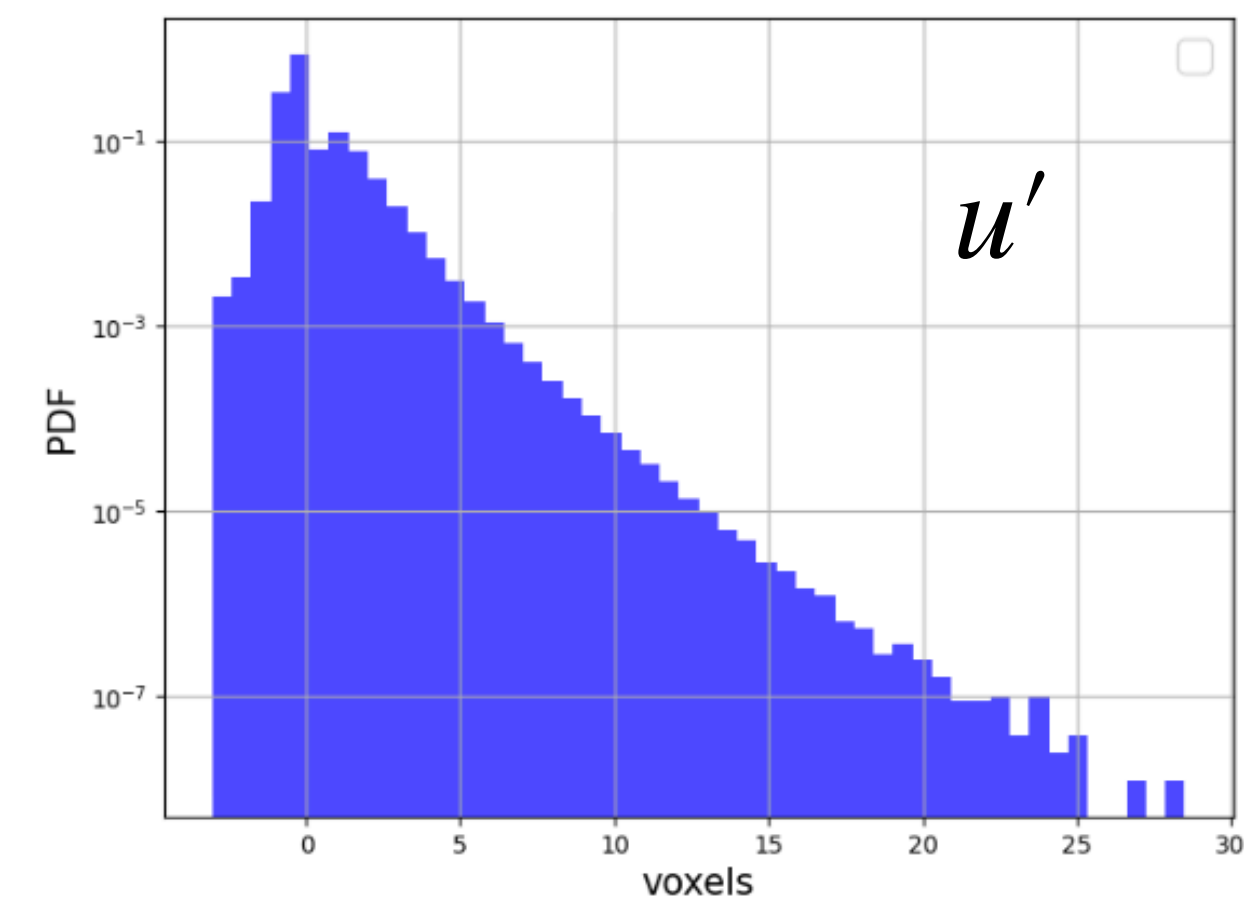
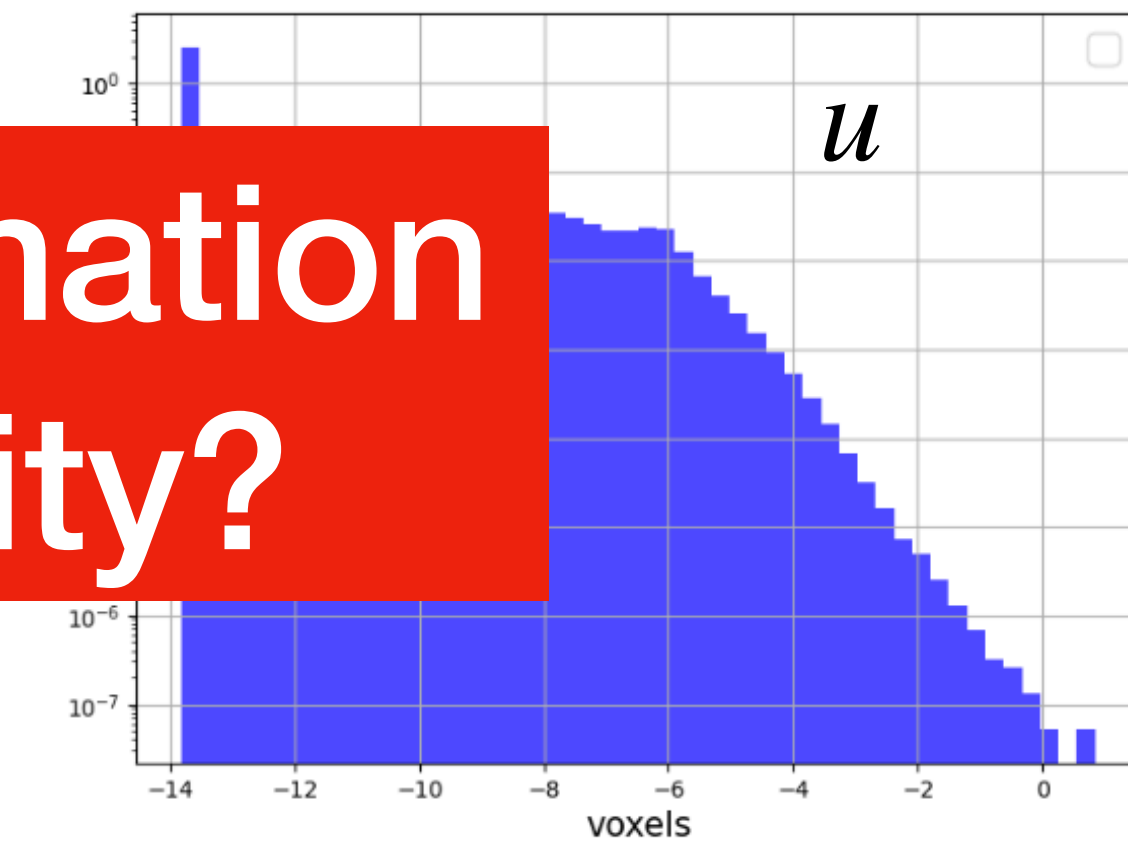
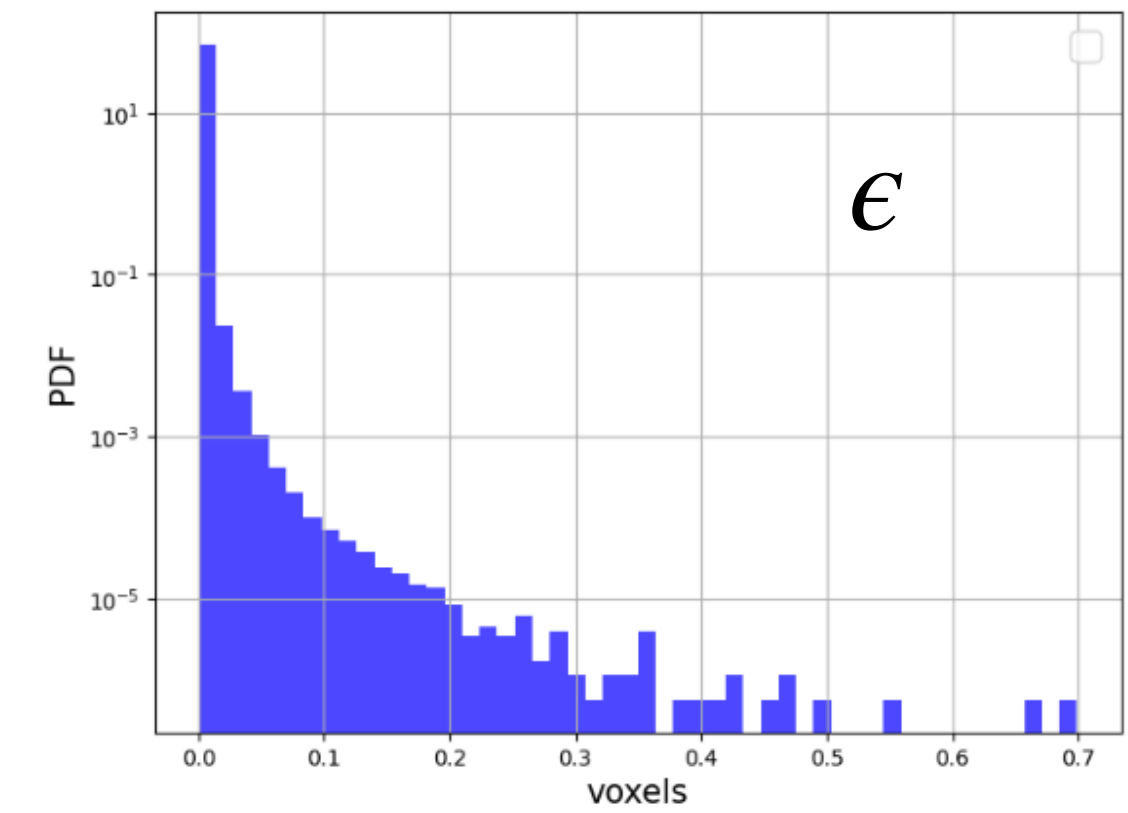
$\epsilon_i = \frac{v_i}{E_{inc}}$  : reduced deposited energy in voxel  $i$ th

$x_i = \delta + (1 - 2\delta)$

$u_i = \log \frac{x_i}{1 - x_i}$

$u'_i = \frac{u_i - \langle u_i \rangle}{\sigma_{u_i}}$

Can we use this transformation and preserve the sparsity?



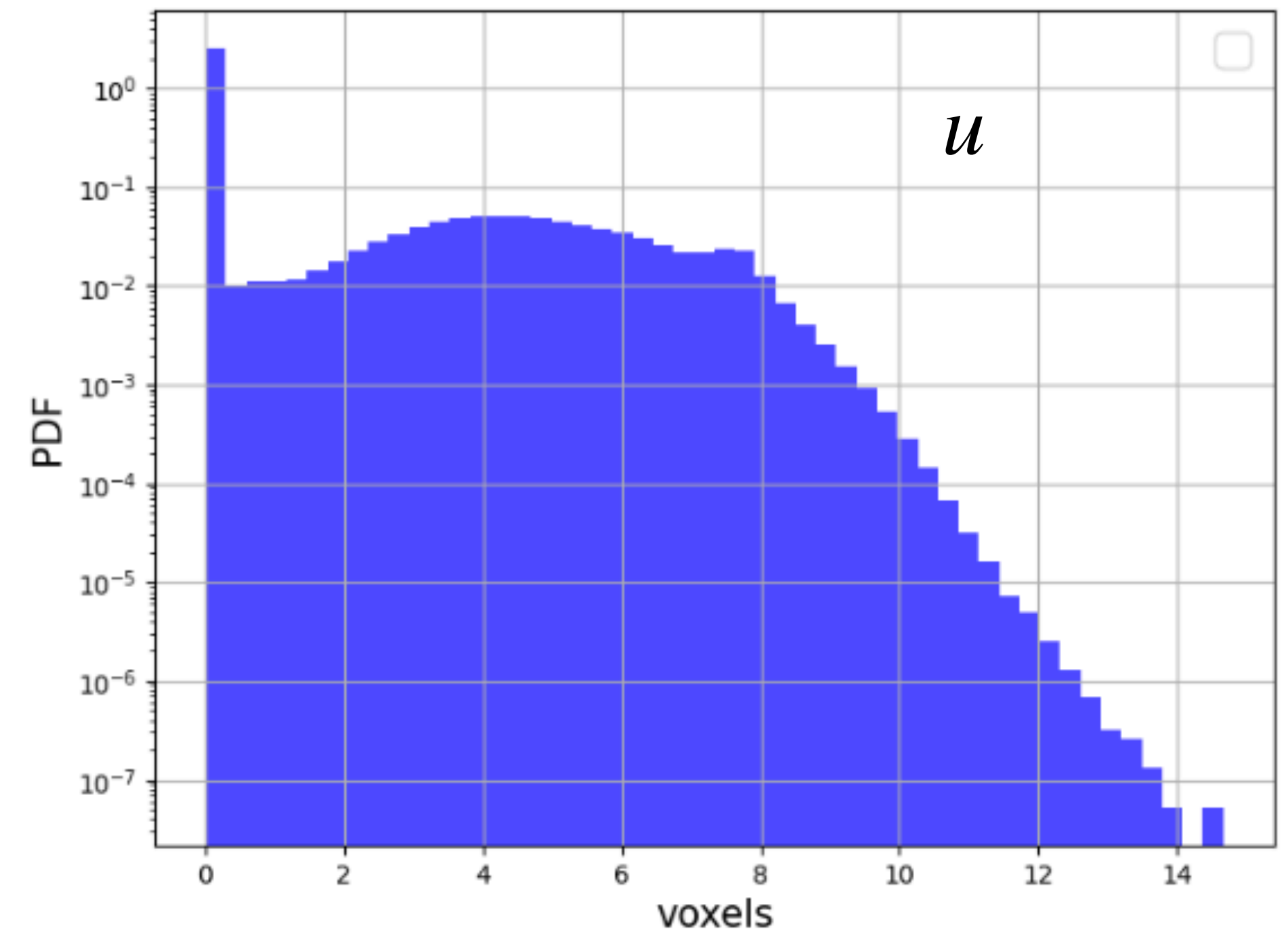
# DATA PREPROCESSING

$\{v_i\}_{i=1}^{6480}$  : shower

$\epsilon_i = \frac{v_i}{E_{inc}}$  : reduced deposited energy in voxel  $i$ th

$$x_i = \delta + (1 - 2\delta)\epsilon_i \quad \delta = 10^{-6}$$

$$u_i = \log \frac{x_i}{1 - x_i} - \log(\delta/(1 - \delta))$$



# DATA PREPROCESSING

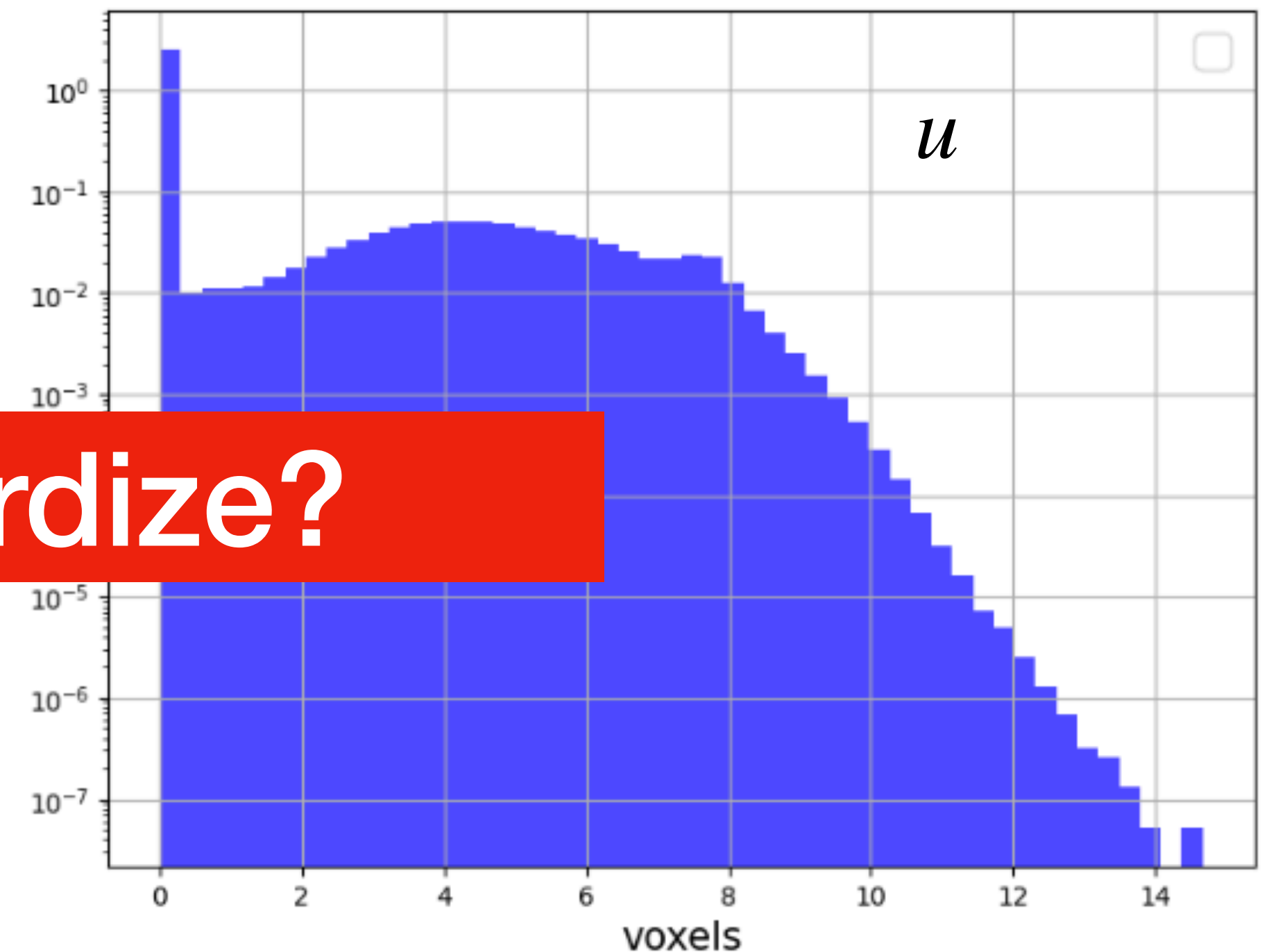
$\{v_i\}_{i=1}^{6480}$  : shower

$\epsilon_i = \frac{v_i}{E_{inc}}$  : reduced deposited energy in voxel  $i$ th

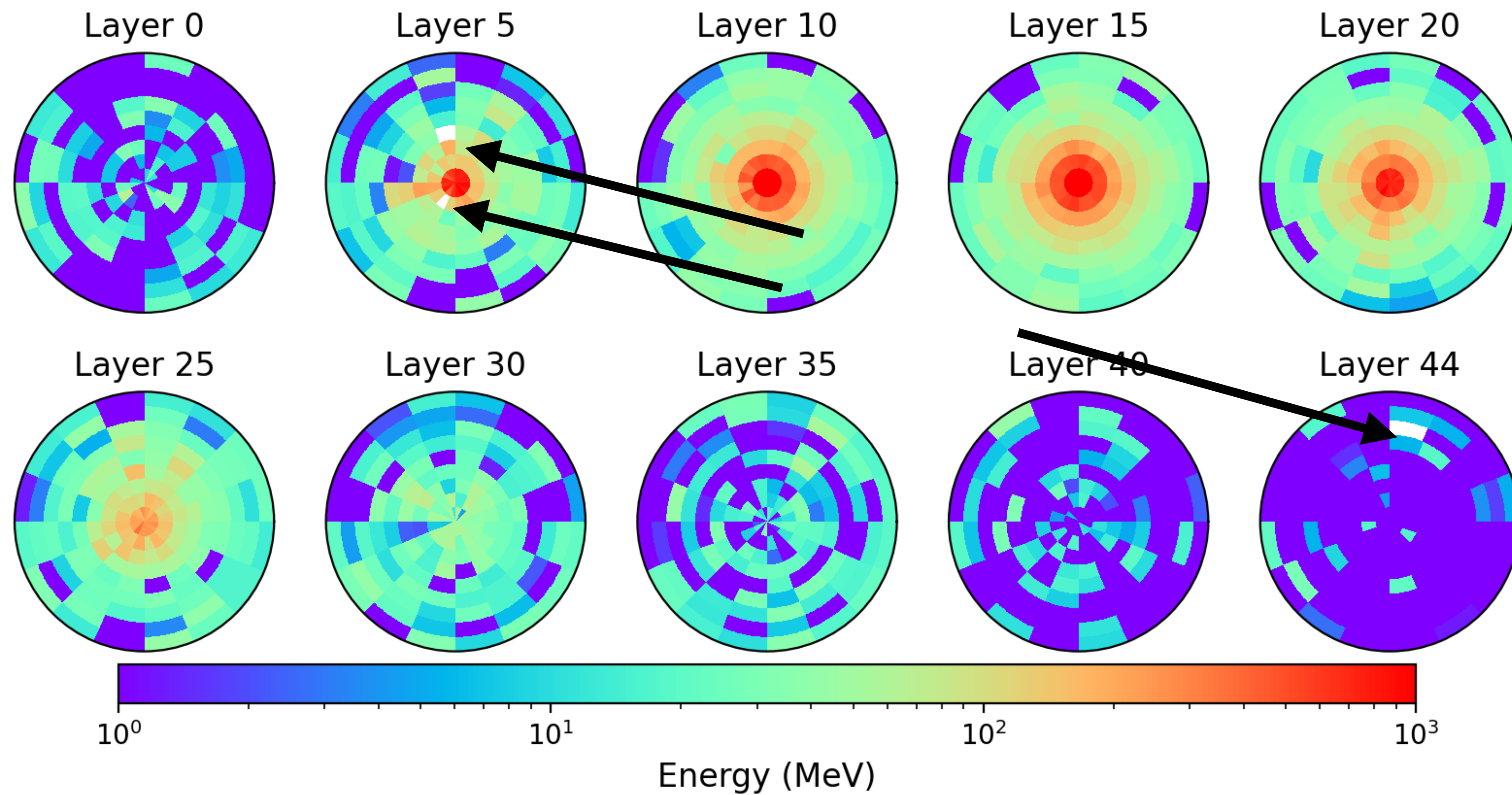
$x_i = \delta + (1 - 2\delta)$

**Should we standardize?**

$u_i = \log \frac{x_i}{1 - x_i} - \log(\delta/(1 - \delta))$



# DATA PREPROCESSING

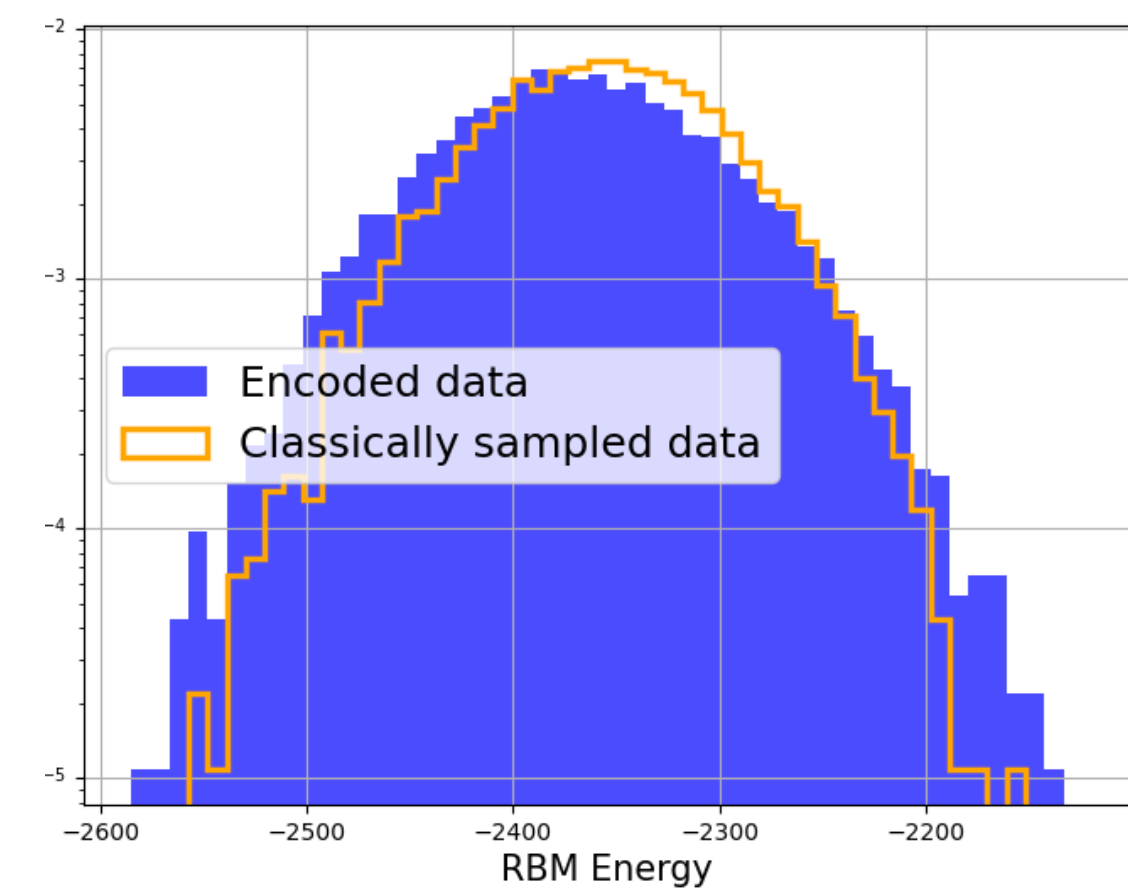
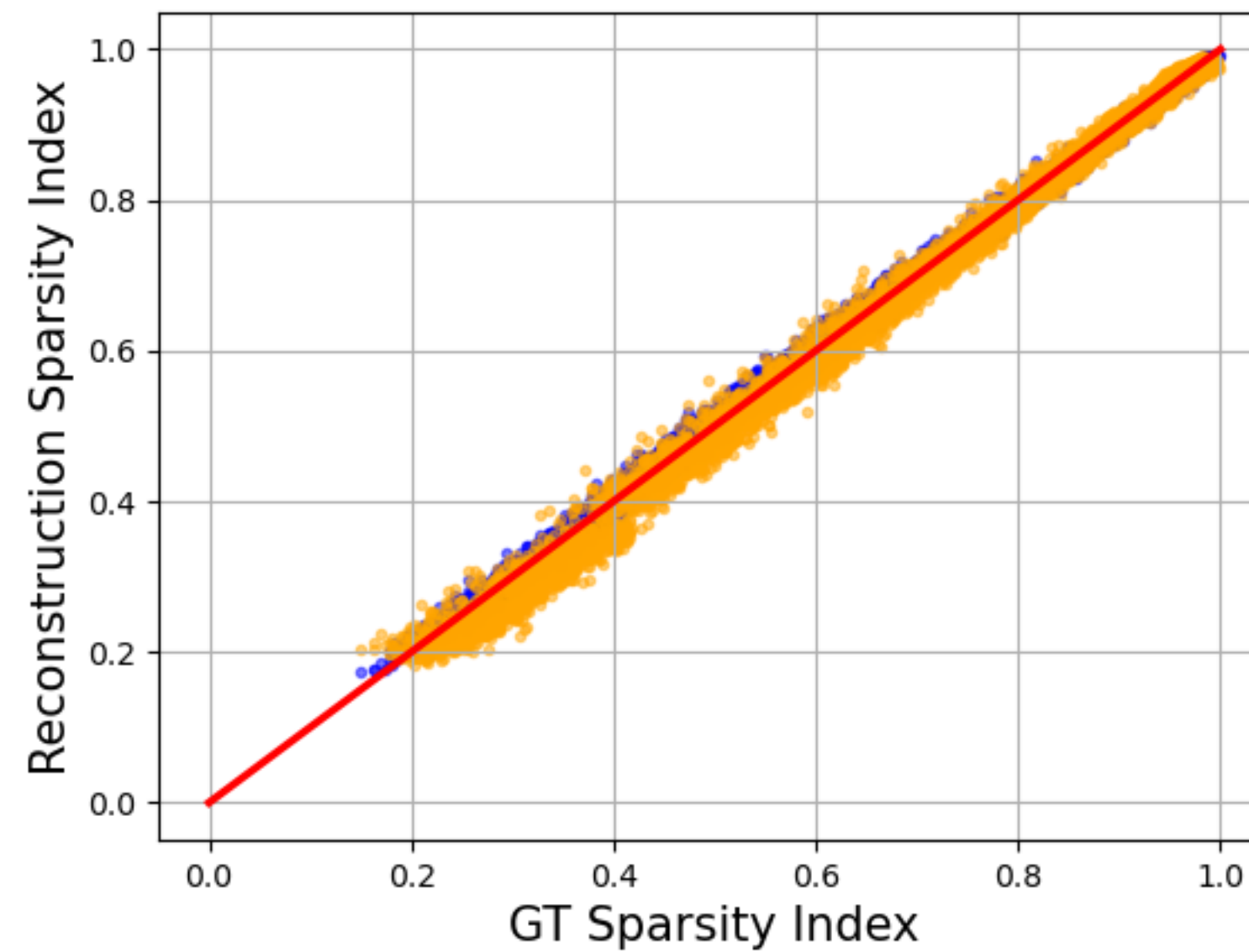
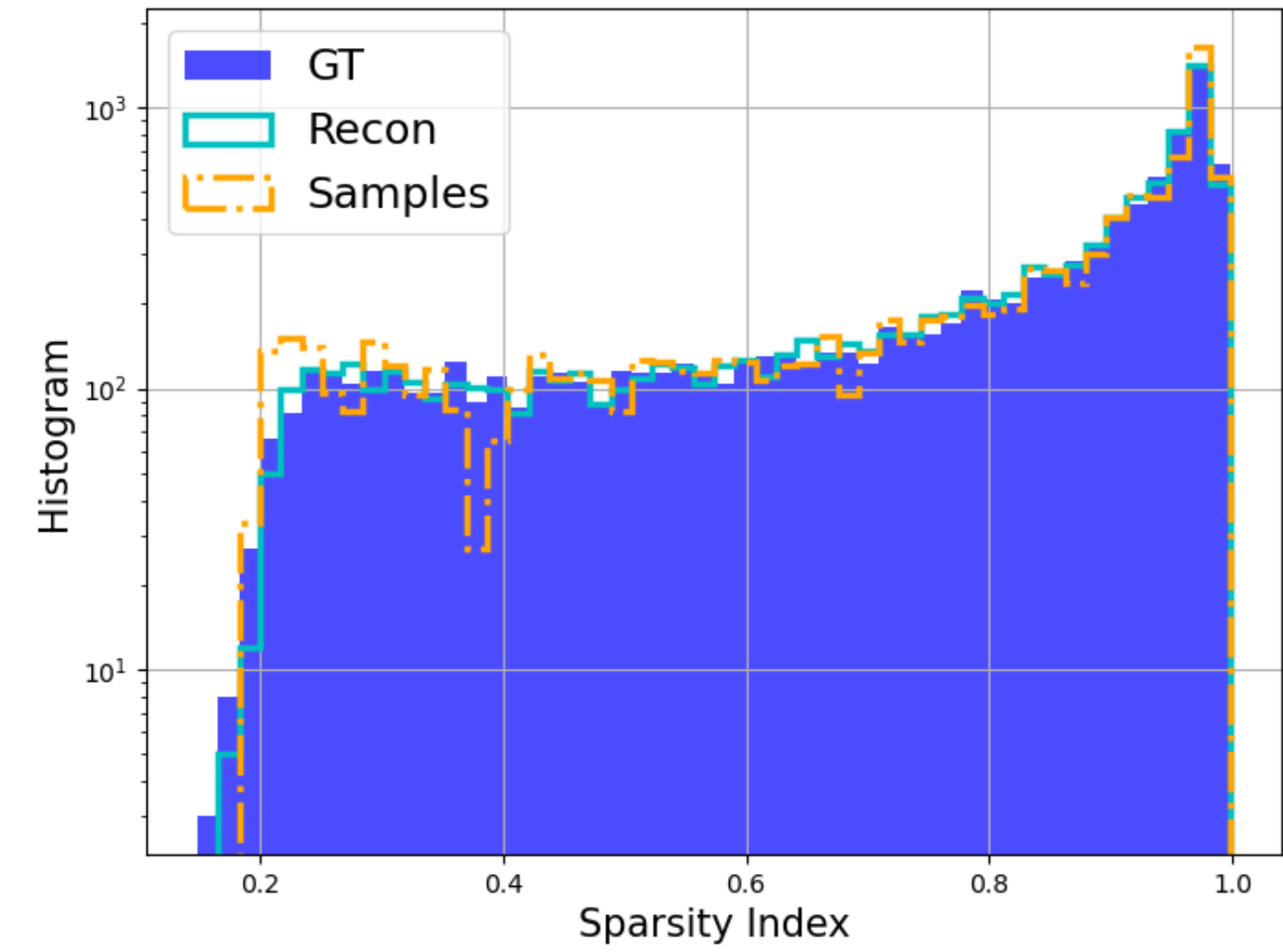
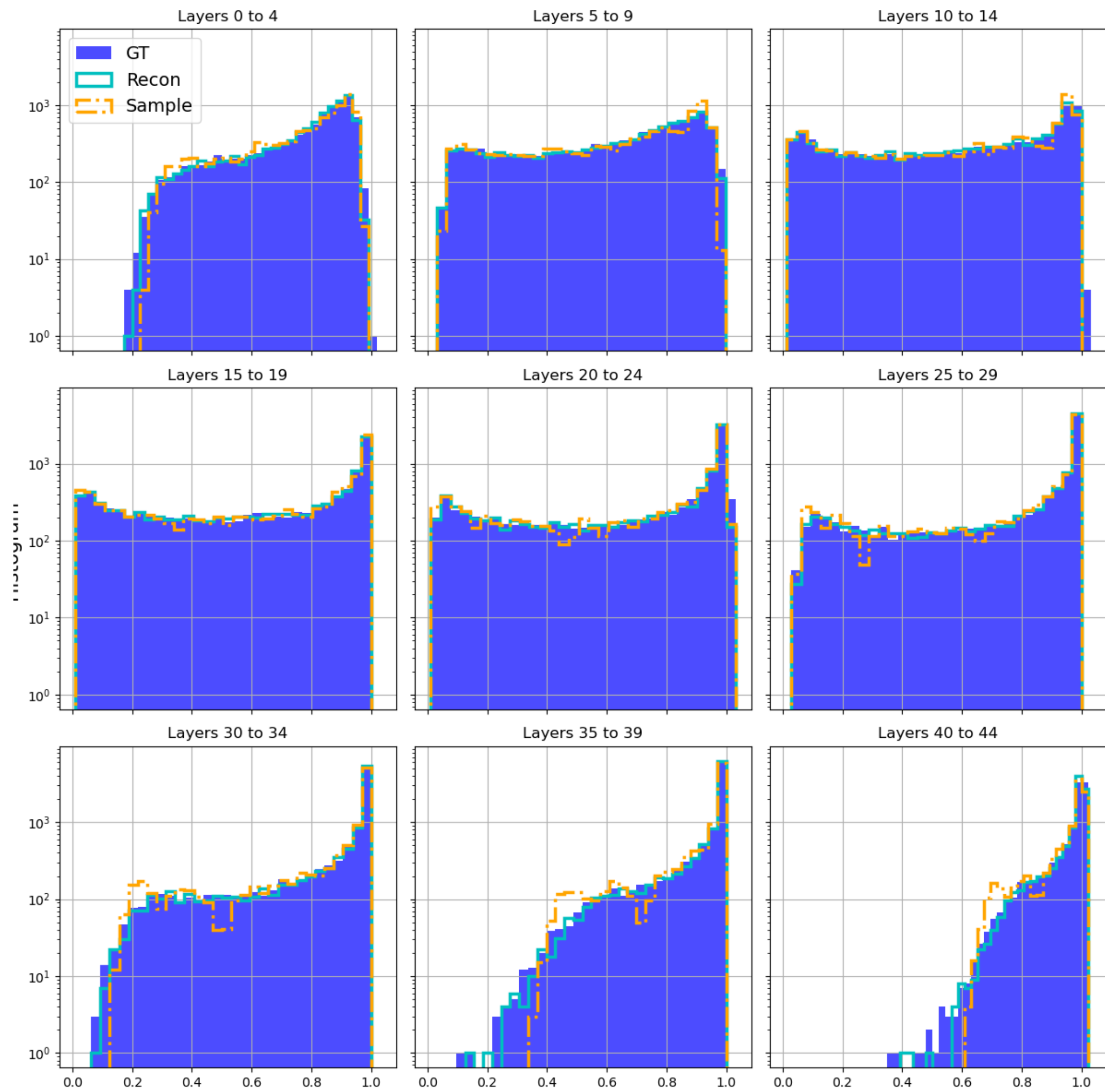


$$\nu_i = \frac{\nu_i - \mathbb{E}_\alpha [\nu_i^{(\alpha)}]}{\mathbb{E}_\alpha \left[ \left( \nu_i^{(\alpha)} - \mathbb{E}_\beta [\nu_i^{(\beta)}] \right)^2 \right]}$$

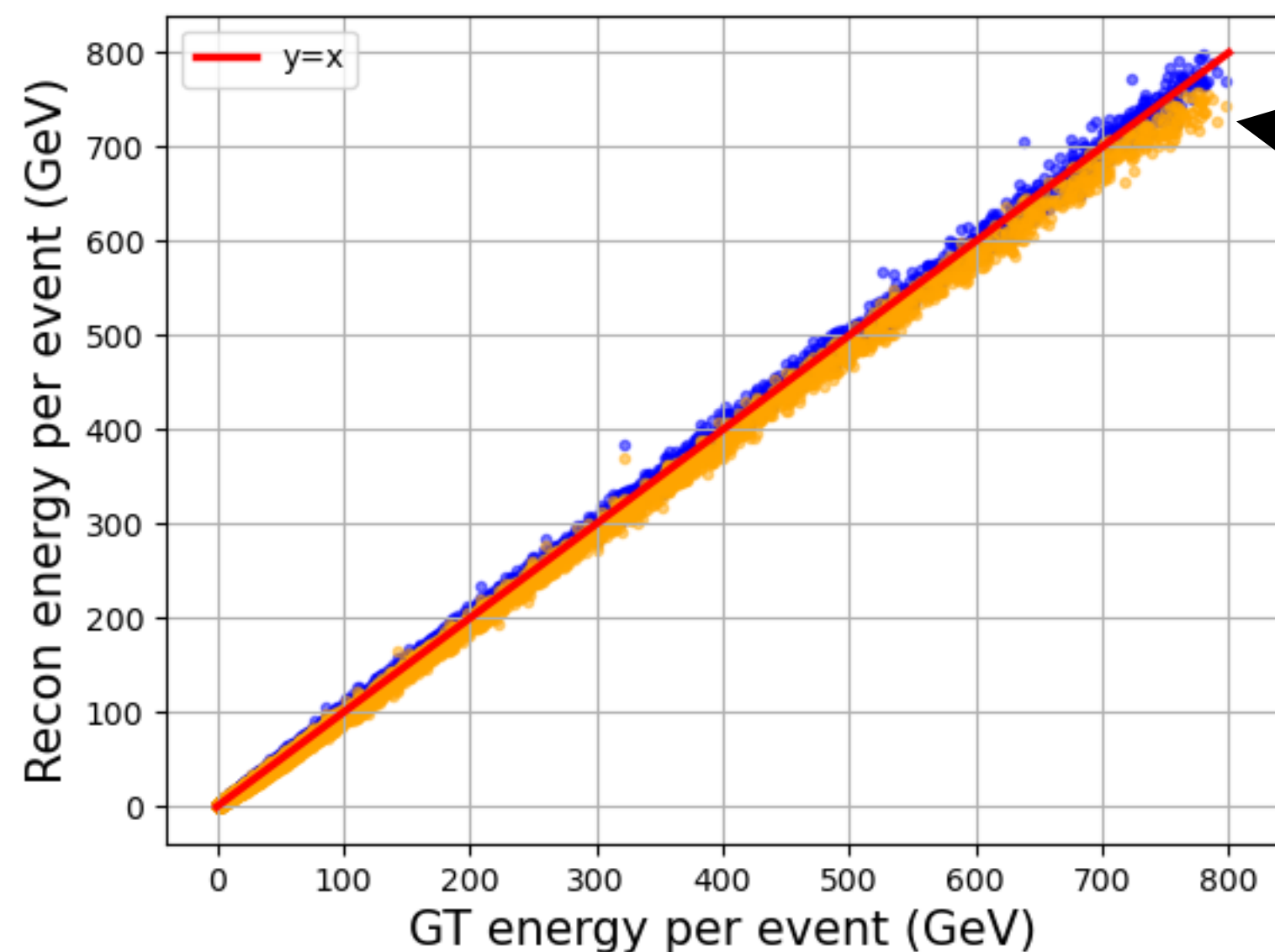
$$u_i = \nu_i + \text{abs}(\min_\alpha(\nu_i^{(\alpha)})) + \delta$$



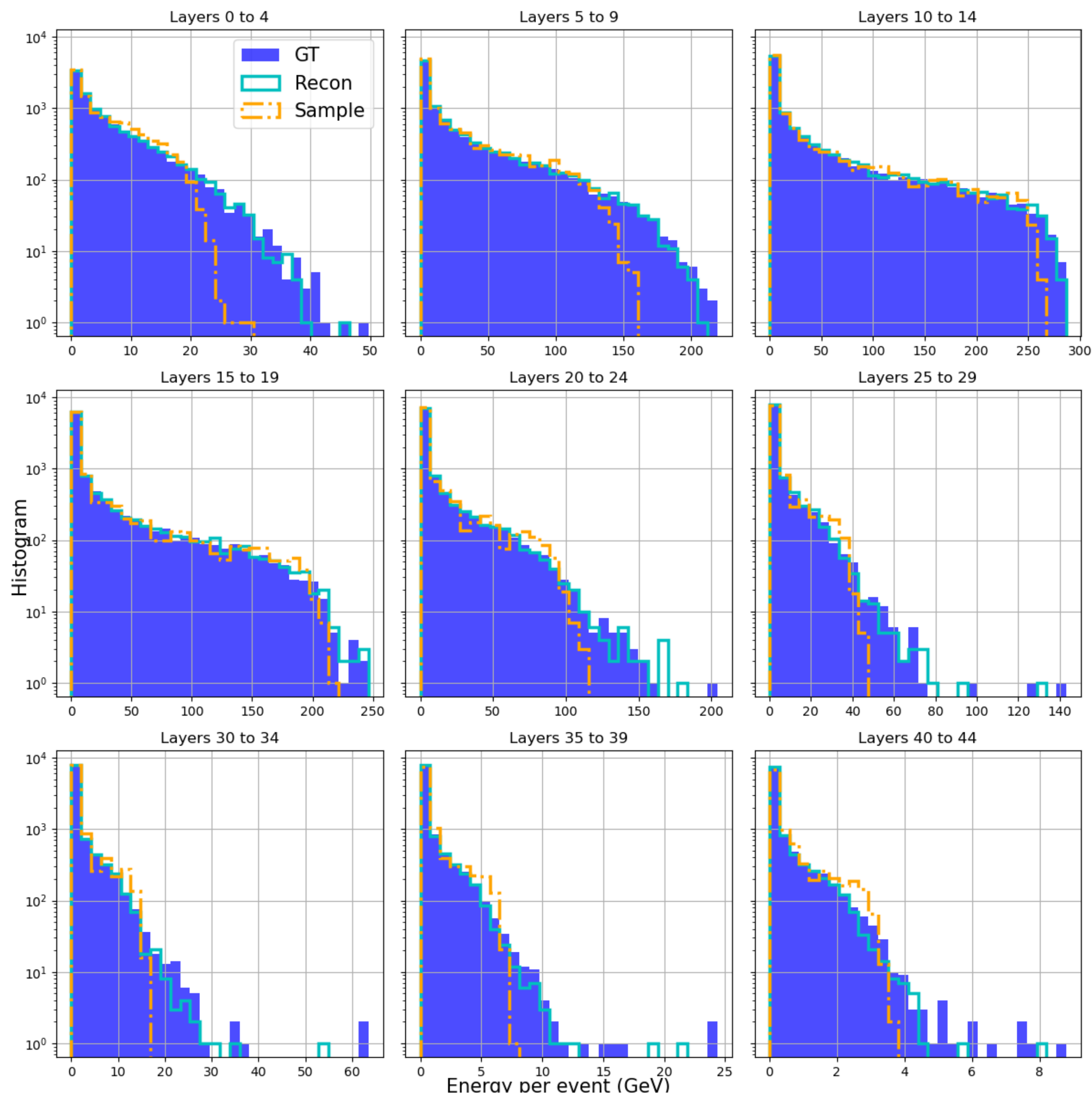
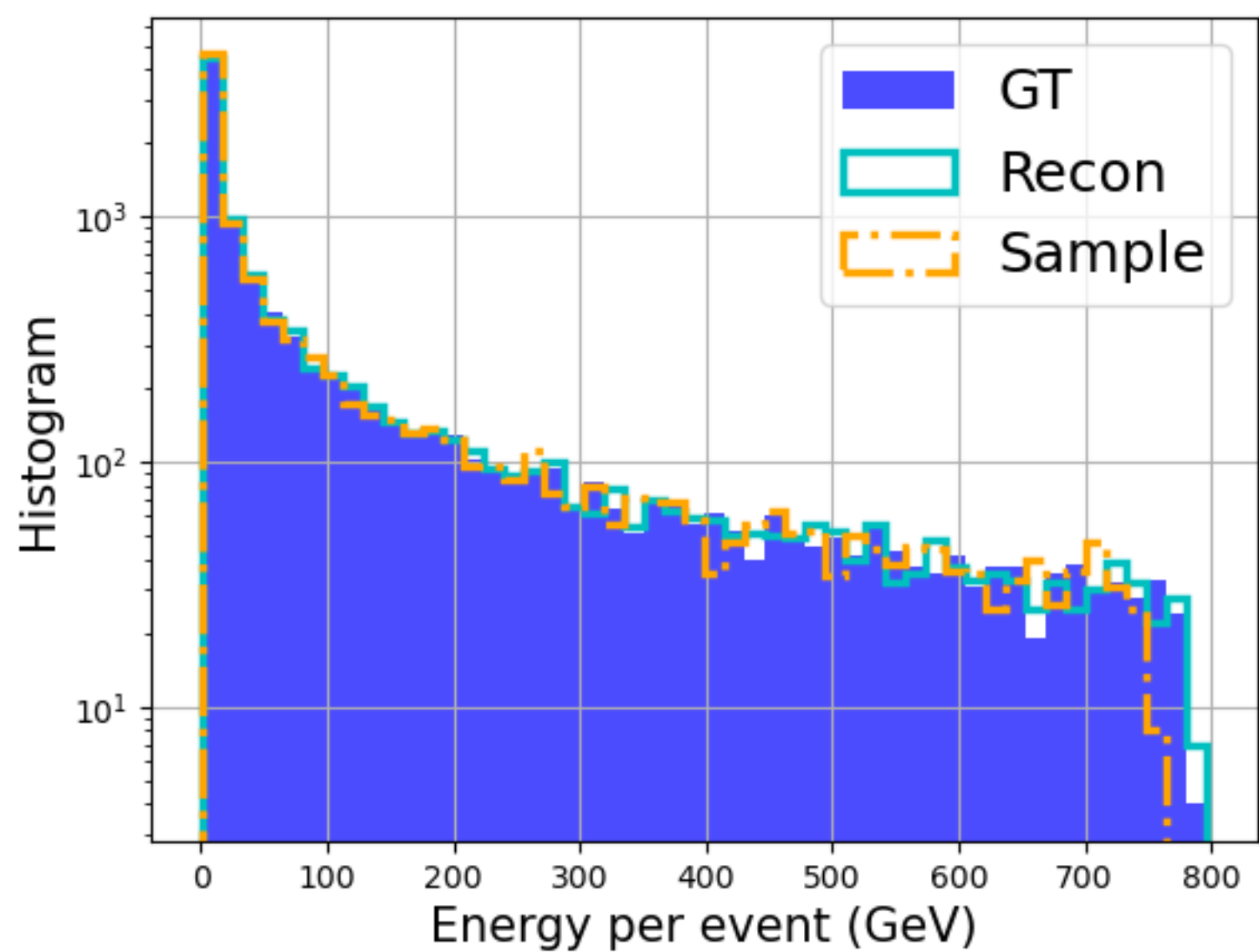
# RESULTS AFTER 30 EPOCHS



# RESULTS AFTER 30 EPOCHS



HPARAM TUNING



# RESULTS AFTER 30 EPOCHS

