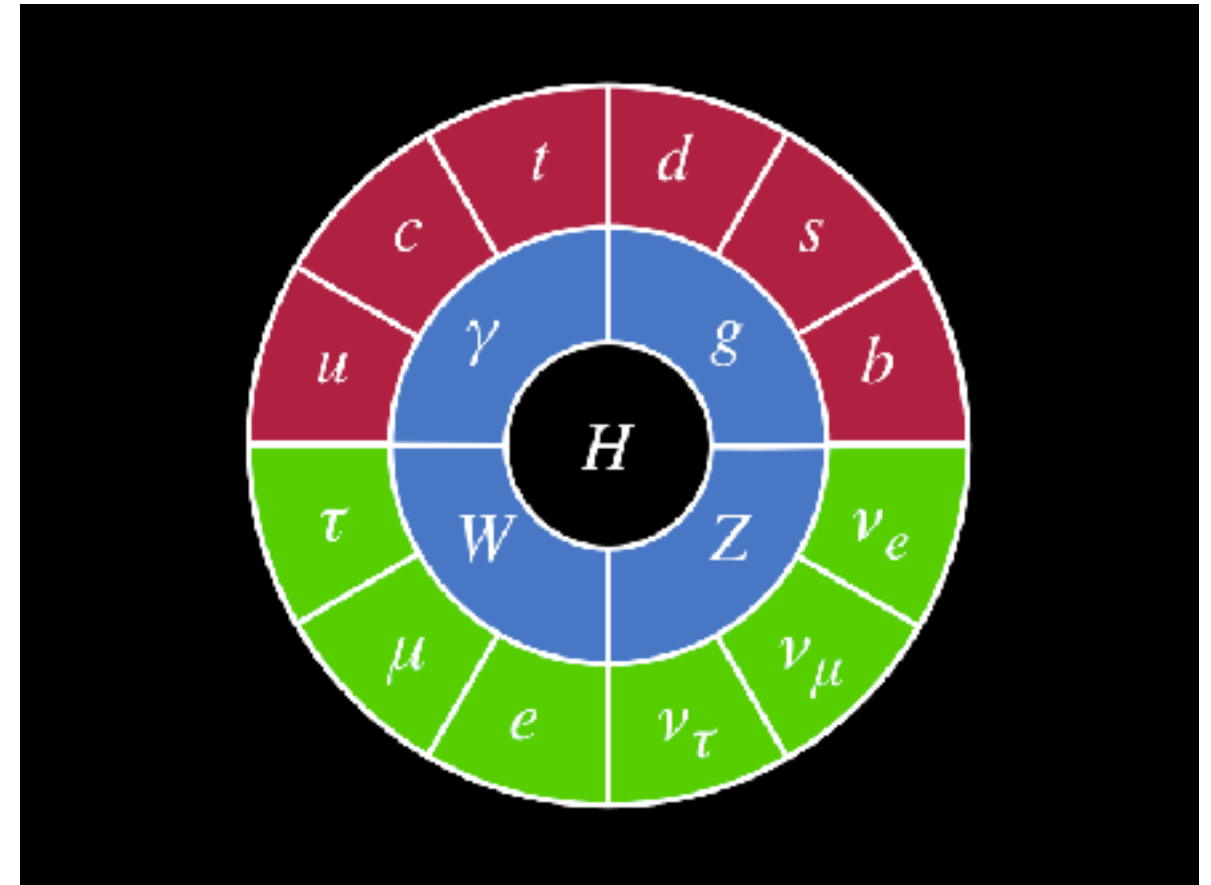


# Particle Physics with Table-Top Experiments

Asimina Arvanitaki  
Perimeter Institute

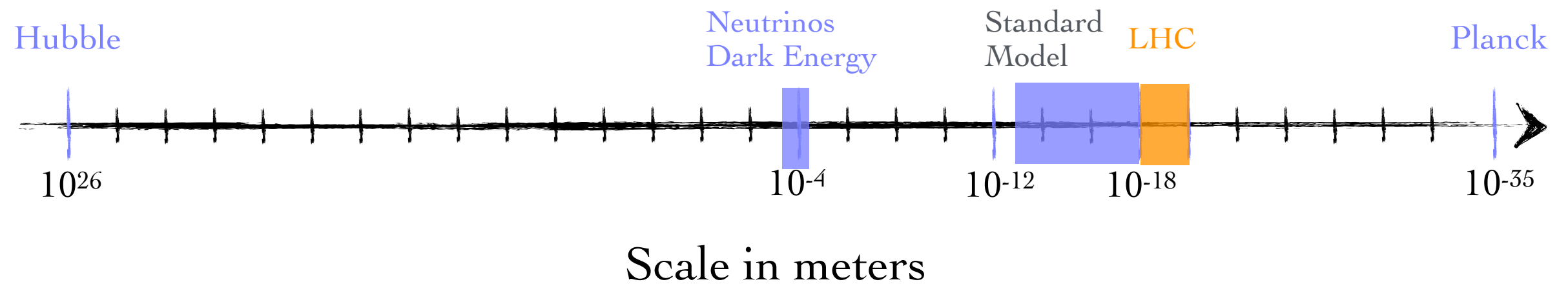
# The Standard Model

$$\begin{aligned} \mathcal{L}_{SM} = & -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} \\ & + i\bar{\psi} \not{D} \psi \\ & + \bar{\psi}_i y_{ij} \psi_j \phi \\ & + |D_{\mu}\phi|^2 - V(\phi) \\ & + M_{pl}^2 \mathcal{R} - \rho_{vacuum} \end{aligned}$$



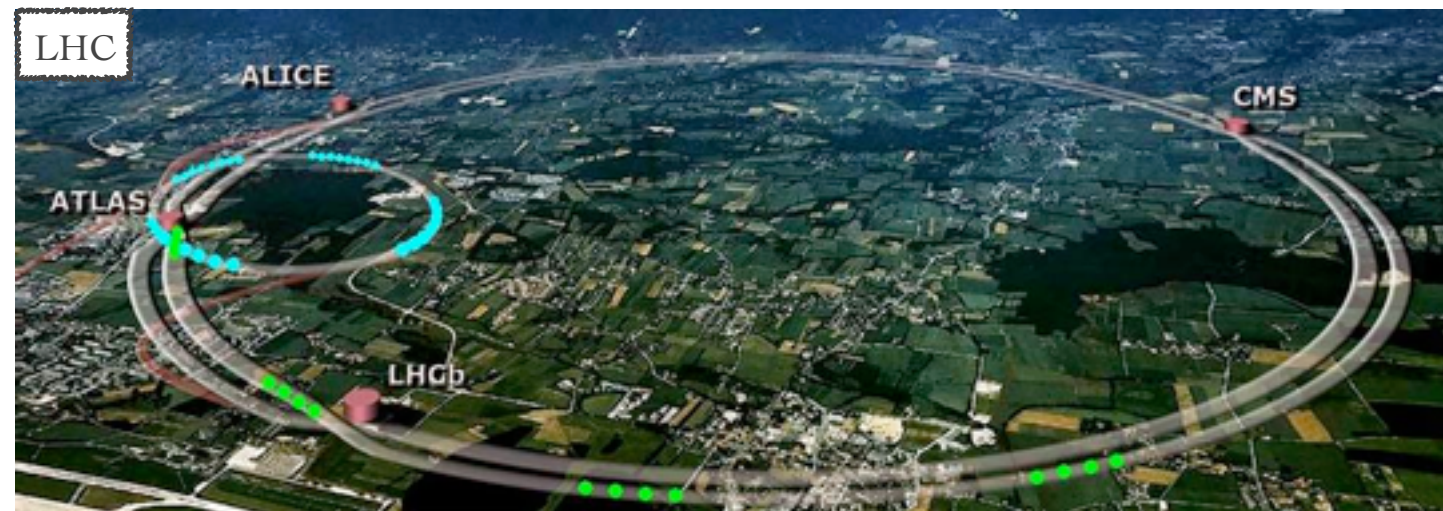
Contains ~20 particles and ~20 parameters

# The Length Scales in the Universe



80% of the energy scale left to explore

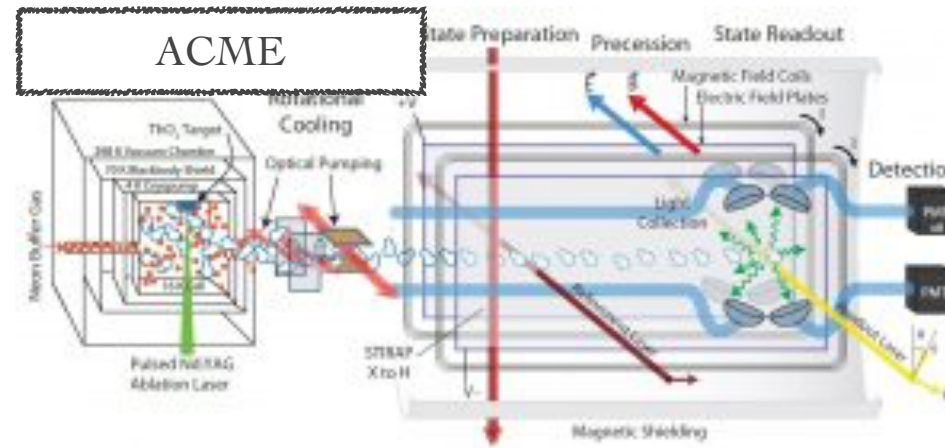
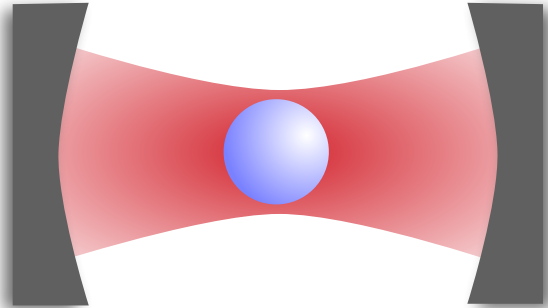
# The High Energy Frontier





# Opportunities at the Precision Frontier

Optically Levitated Objects



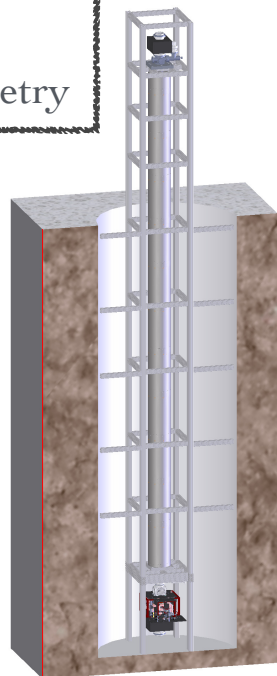
NMR



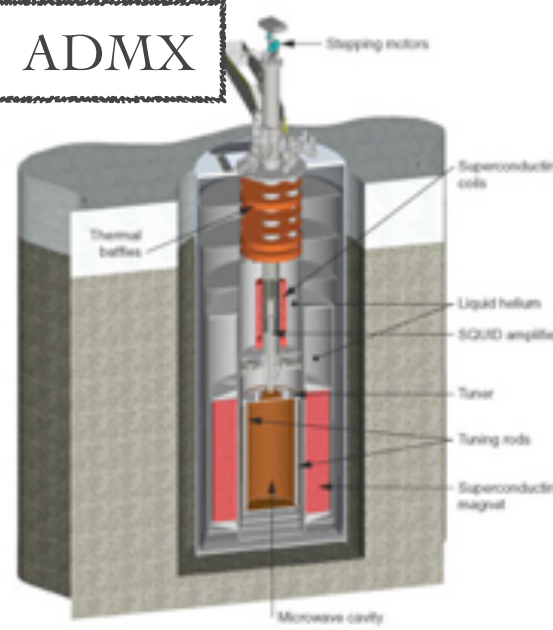
LIGO



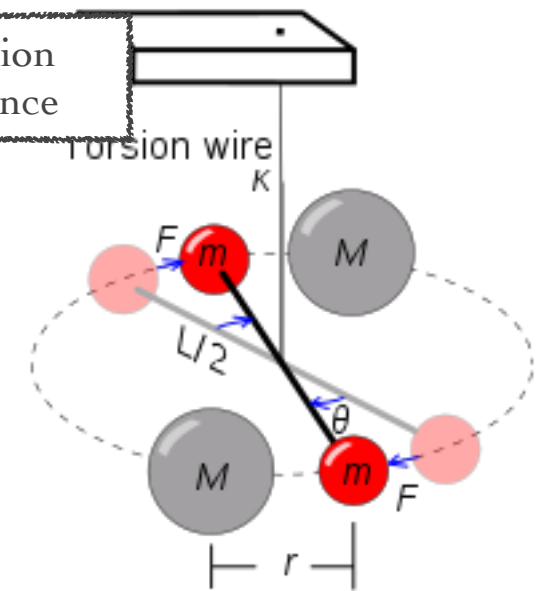
Atom Interferometry



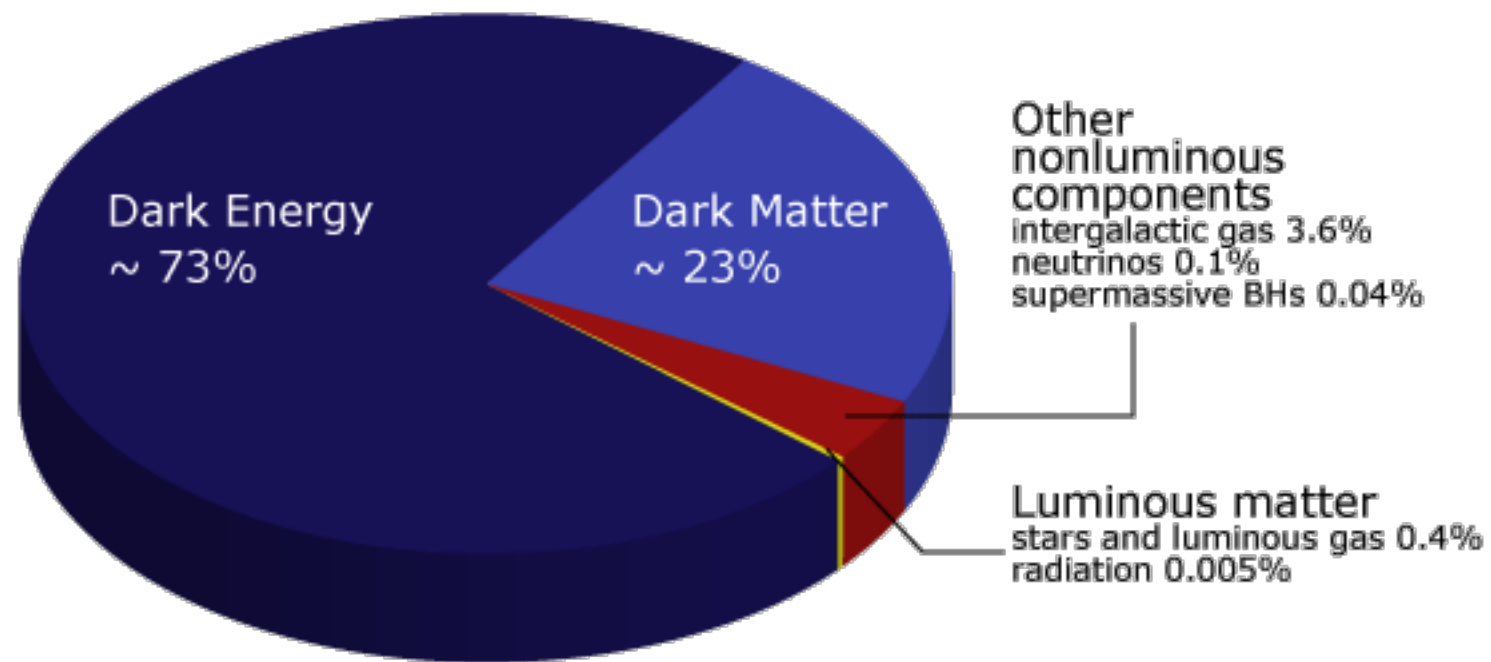
ADMX



Torsion Balance



# The Mystery of Dark Matter



# Models of Dark Matter

- What is it made out of?

Anything from  $10^{-22}$  eV to  $10^{70}$  eV in mass

- How is it produced?

- Does it have interactions other than gravitational?

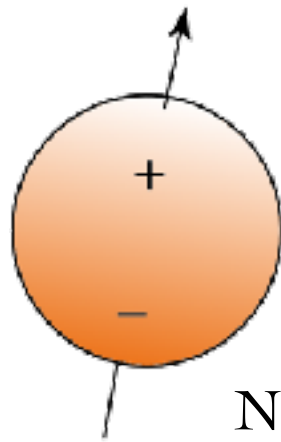
# Outline

## Light Bosonic Dark Matter

- Light Bosonic Dark Matter
- Atomic Clocks
- Molecules
- Black Holes

# Why is the Electric Dipole Moment of the Neutron Small?

The Strong CP Problem and the QCD axion



Neutron  
EDM

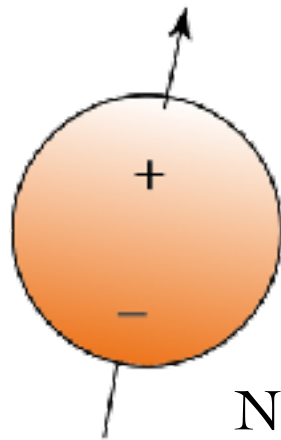
$$\frac{g_s^2}{32\pi^2} \theta_s \vec{E}_s \cdot \vec{B}_s$$

$$\text{EDM} \sim e \text{ fm } \theta_s$$

Experimental bound:  $\theta_s < 10^{-10}$

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Solution:

$\theta_s \sim a(x,t)$  is a dynamical field, an axion

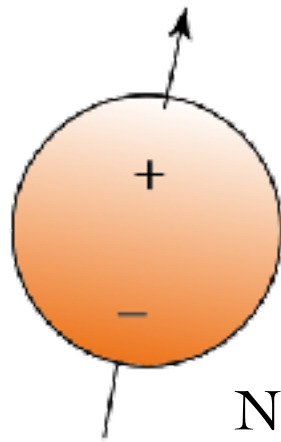
Axion mass from QCD:

$$\mu_a \sim 6 \times 10^{-11} \text{ eV} \frac{10^{17} \text{ GeV}}{f_a} \sim (3 \text{ km})^{-1} \frac{10^{17} \text{ GeV}}{f_a}$$

$f_a$  : axion decay constant

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$f_a$  : axion decay constant

Mediates new forces and can be the dark matter

# Elements of String Theory

- Extra dimensions



# Elements of String Theory

- Extra dimensions

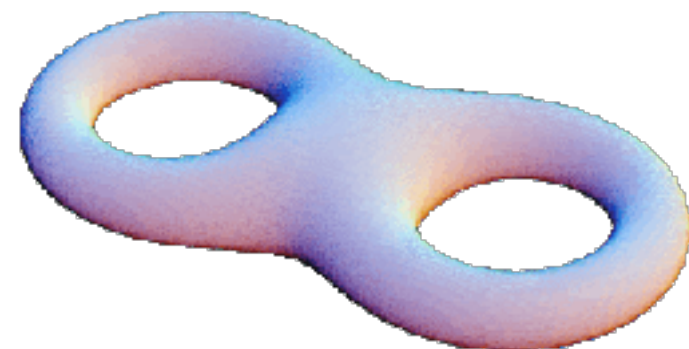
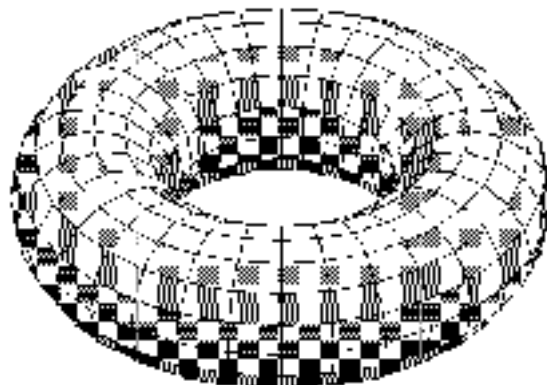
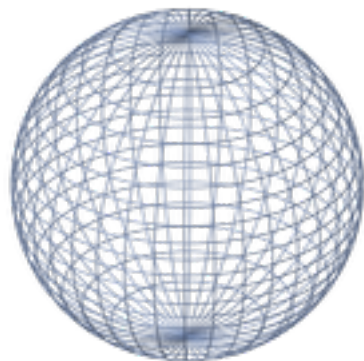
- Gauge fields

# Elements of String Theory

- Extra dimensions

- Gauge fields

- Topology

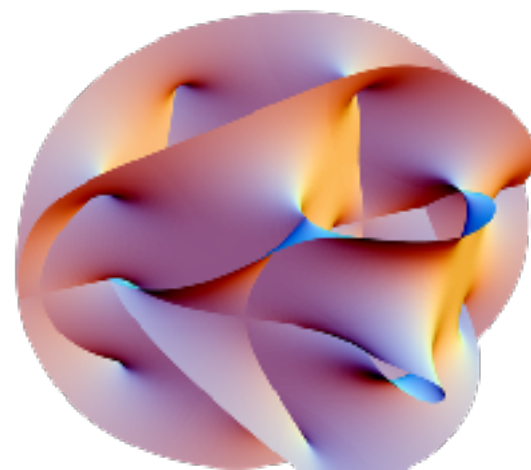


# Elements of String Theory

- Extra dimensions

- Gauge fields

- Topology



# Elements of String Theory

- Extra dimensions

- Gauge fields

- Topology



Give rise to a plenitude of Universes

# Elements of String Theory

- Extra dimensions

- Gauge fields

- Topology



Give rise to a plenitude of massless particles in our Universe

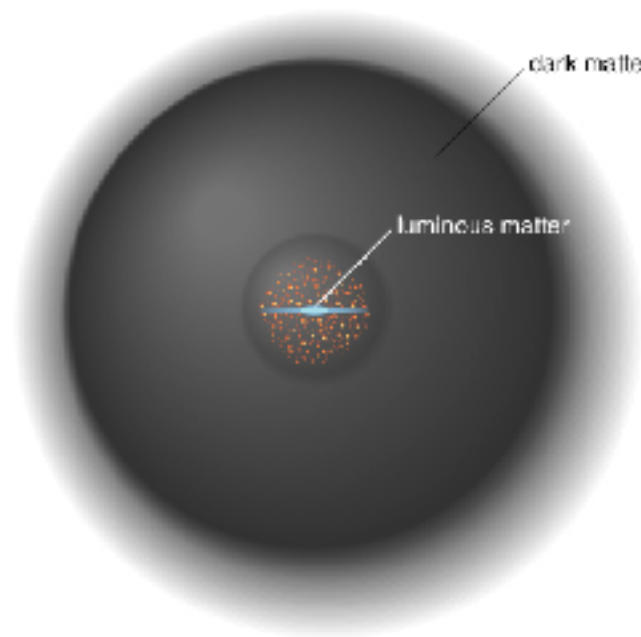


# A Plenitude of Massless Particles

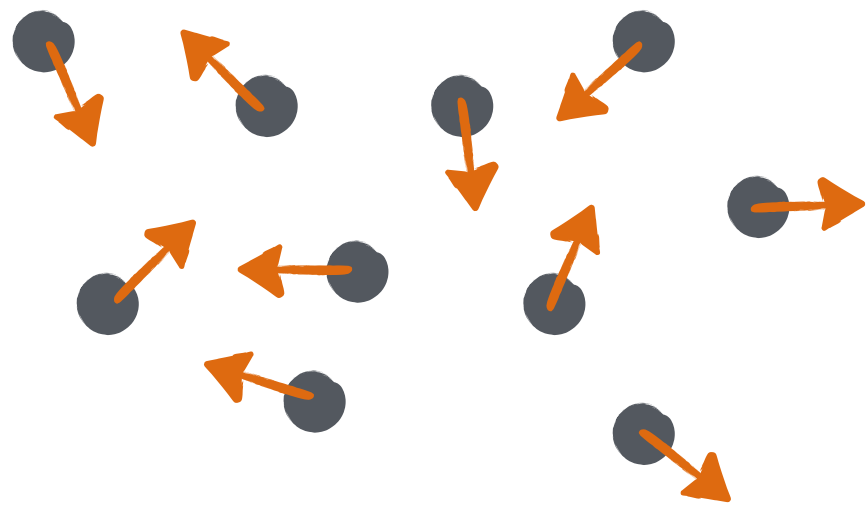
- Spin-0 non-trivial gauge field configurations: **String Axiverse**
- Spin-1 non-trivial gauge field configurations: **String Photiverse**
- Fields that determine the shape and size of extra dimensions as well as values of fundamental constants: **Dilatons, Moduli, Radion**

# What If DM Is a Boson and Very Light?

## Dark Matter Particles in the Galaxy



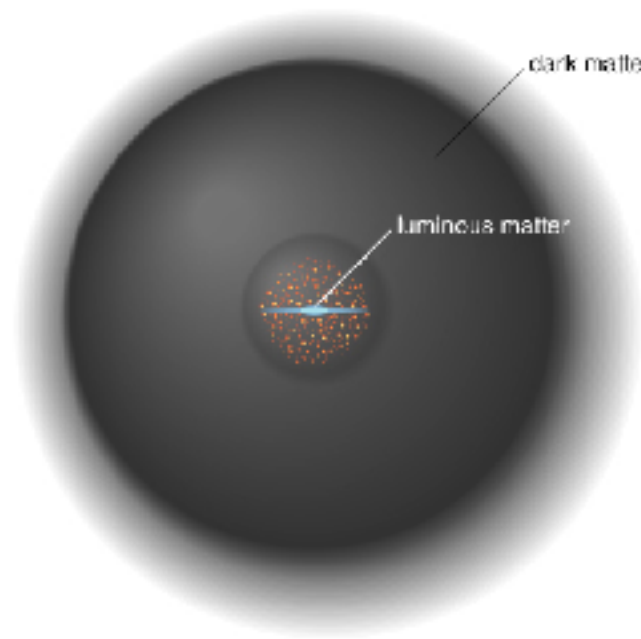
Usually we think of ...



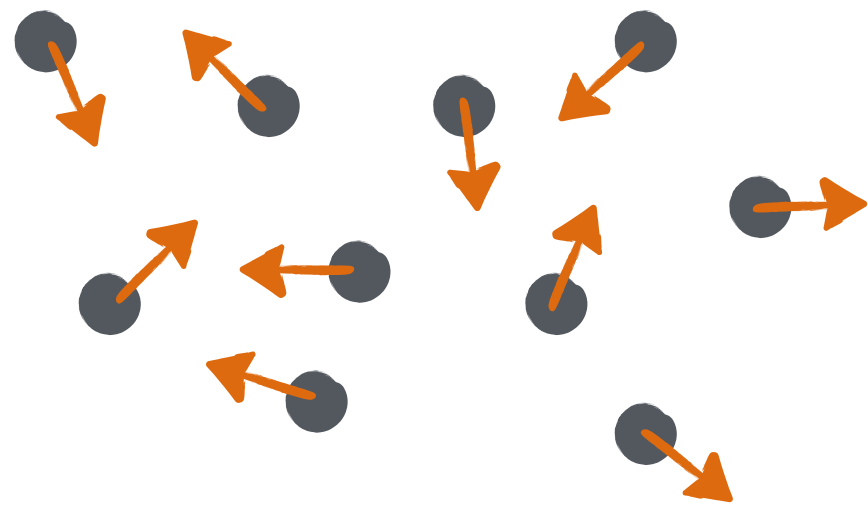
like a WIMP

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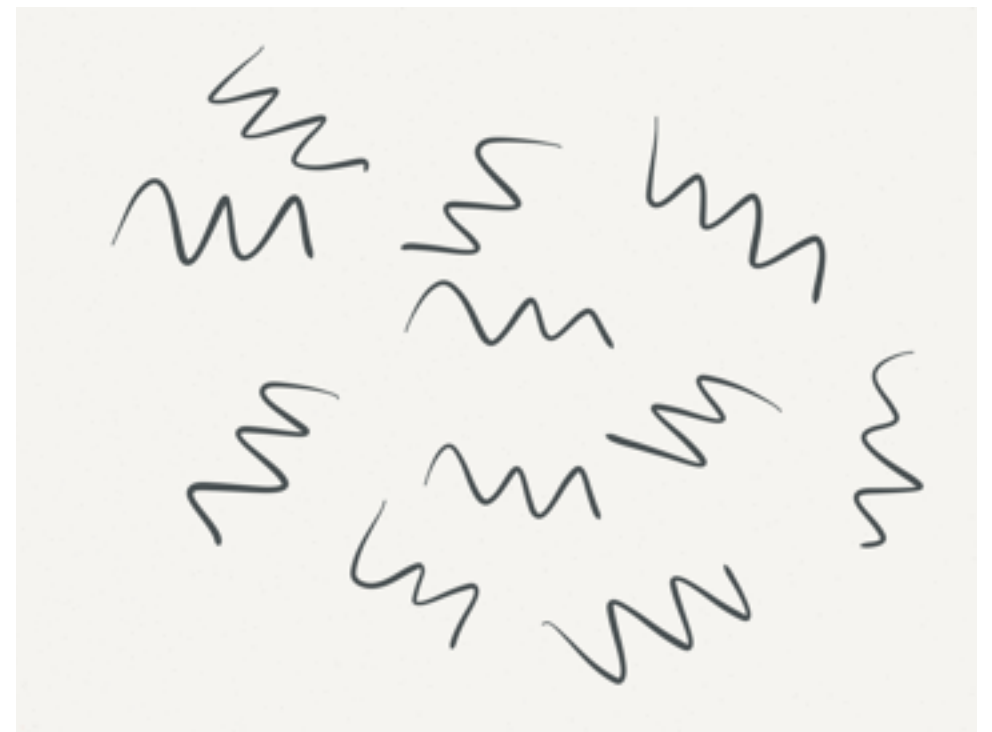


Usually we think of ...



like a WIMP

instead of...

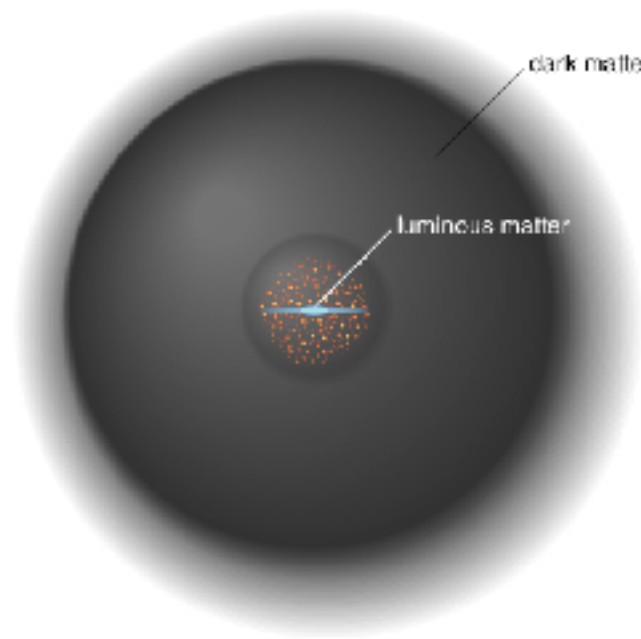


$$\lambda_{DM} = \frac{\hbar}{m_{DM}v}$$



# What If DM Is a Boson and Very Light?

## Dark Matter Particles in the Galaxy



Decreasing DM Mass

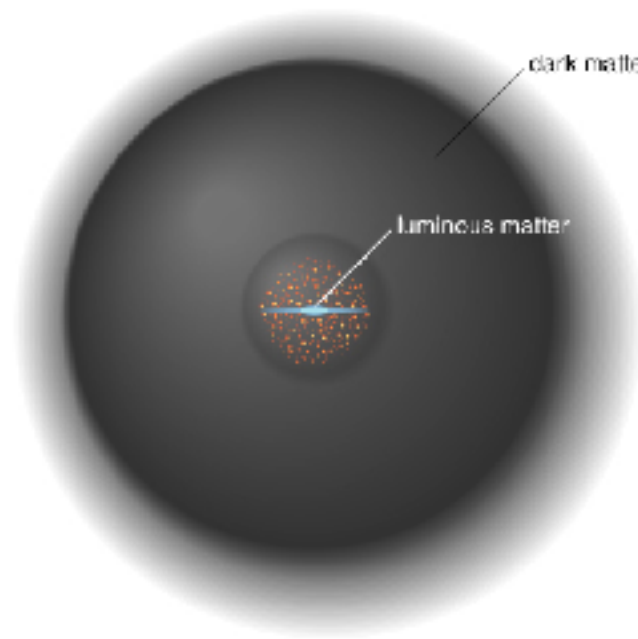


$$\lambda_{DM} = \frac{\hbar}{m_{DM}v}$$



# What If DM Is a Boson and Very Light?

## Dark Matter Particles in the Galaxy



Decreasing DM Mass



$$\lambda_{DM} = \frac{\hbar}{m_{DM}v}$$



Equivalent to a Scalar wave

# Going from DM particles to a DM “wave”



$$\text{When } n_{DM} > \frac{1}{\lambda_{DM}^3}$$

In our galaxy this happens when  $m_{DM} < 1 \text{ eV}/c^2$

we can talk about DM  $\phi(x,t)$  and locally

$$\phi(t) \approx \phi_0 \cos \omega_{DM} t$$

with amplitude

$$\phi_0 \propto \frac{\sqrt{\text{DM density}}}{\text{DM mass}}$$

with frequency

$$\omega_{DM} \approx \frac{m_{DM} c^2}{\hbar}$$

and finite coherence

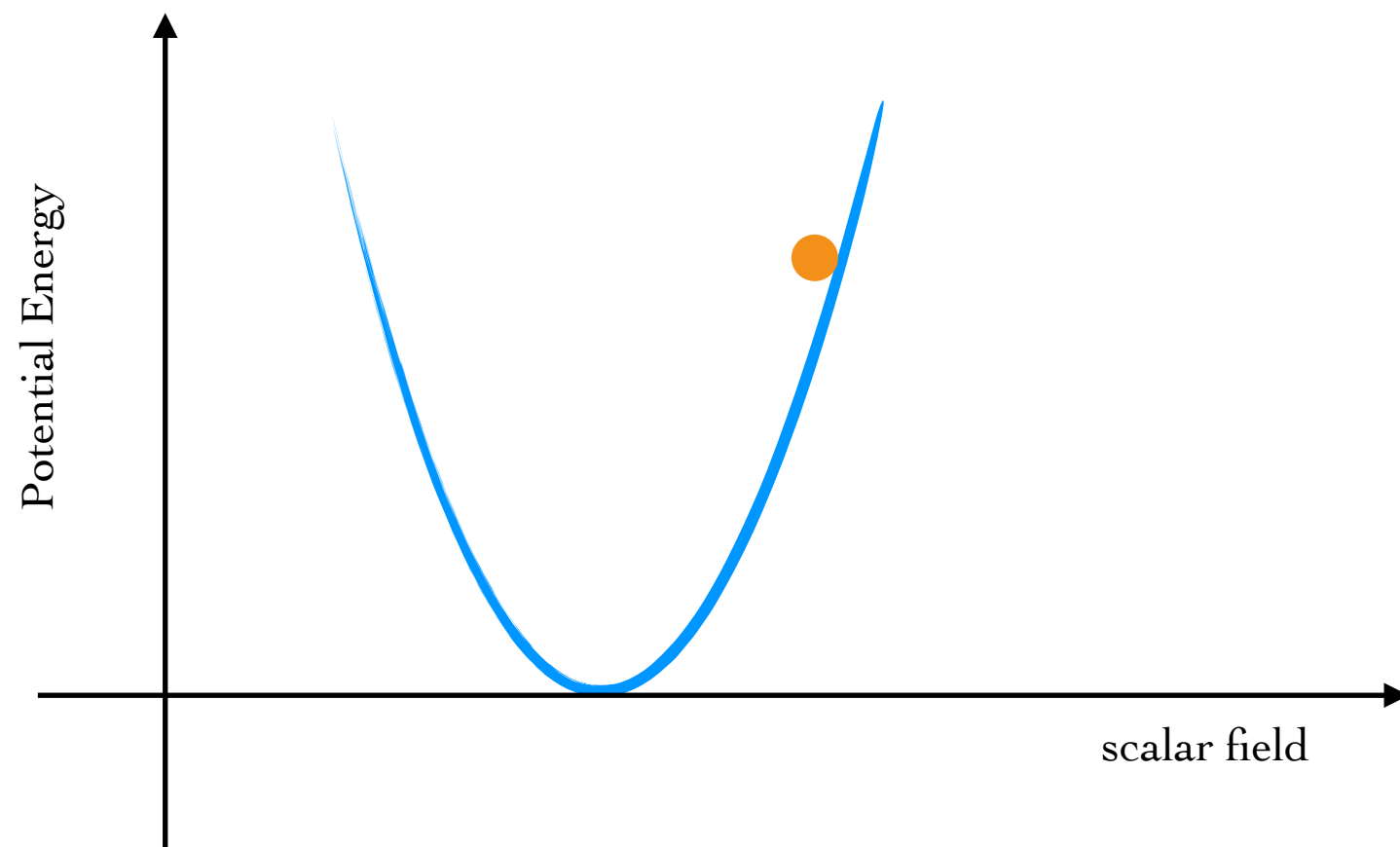
$$\delta\omega_{DM} \approx \frac{m_{DM} v^2}{\hbar} = 10^{-6} \omega_{DM}$$

# Light Scalar Dark Matter

- Just like a harmonic oscillator

$$\ddot{\phi} + 3 H \dot{\phi} + m_{\phi}^2 \phi = 0$$

$$\ddot{x} + \gamma \dot{x} + \omega^2 x = 0$$



Frozen when:  
Hubble  $>$   $m_{\phi}$

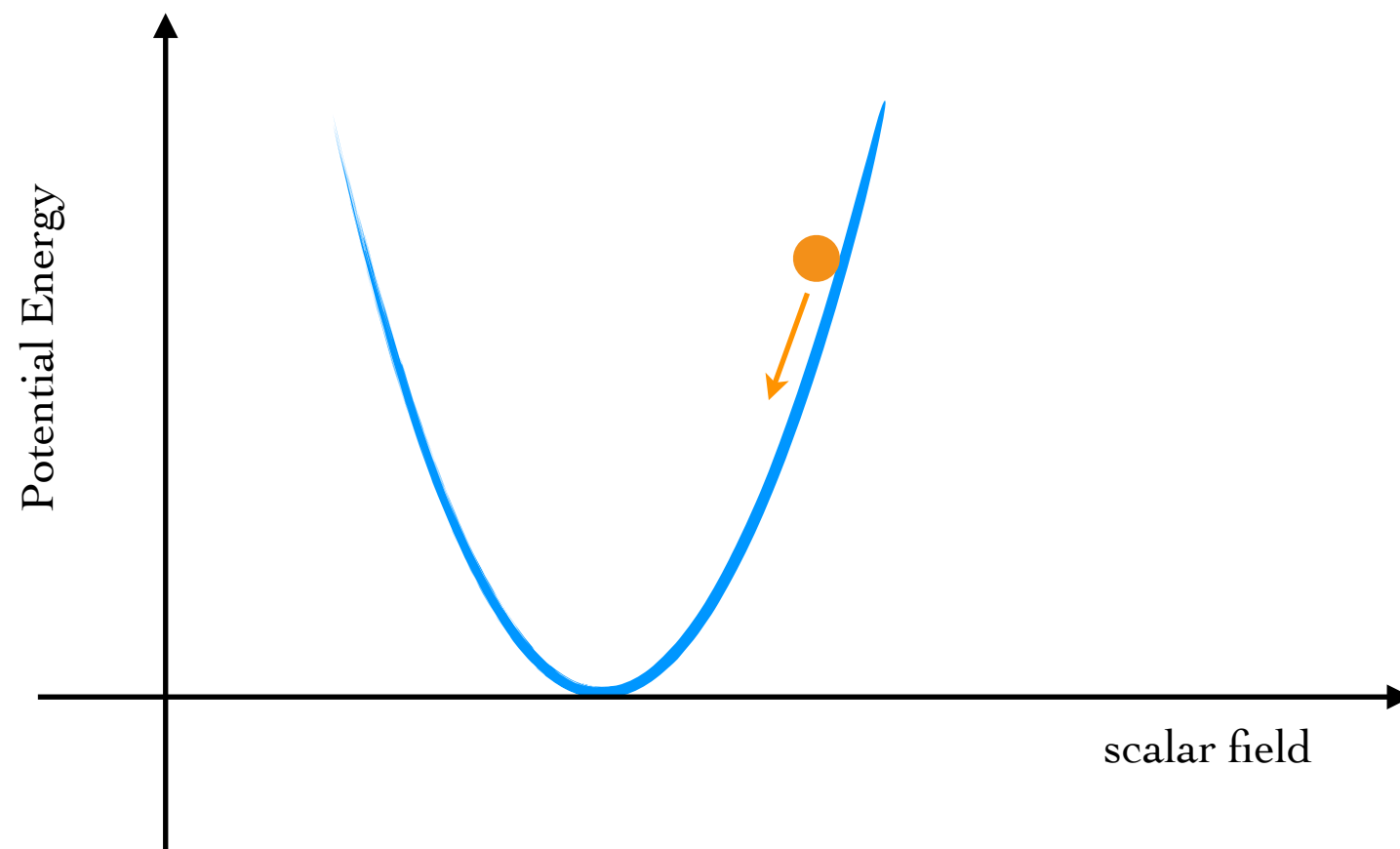
Initial conditions set by inflation

# Light Scalar Dark Matter

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Frozen when:  
Hubble  $>$   $m_{\phi}$

Oscillates when:  
Hubble  $<$   $m_{\phi}$

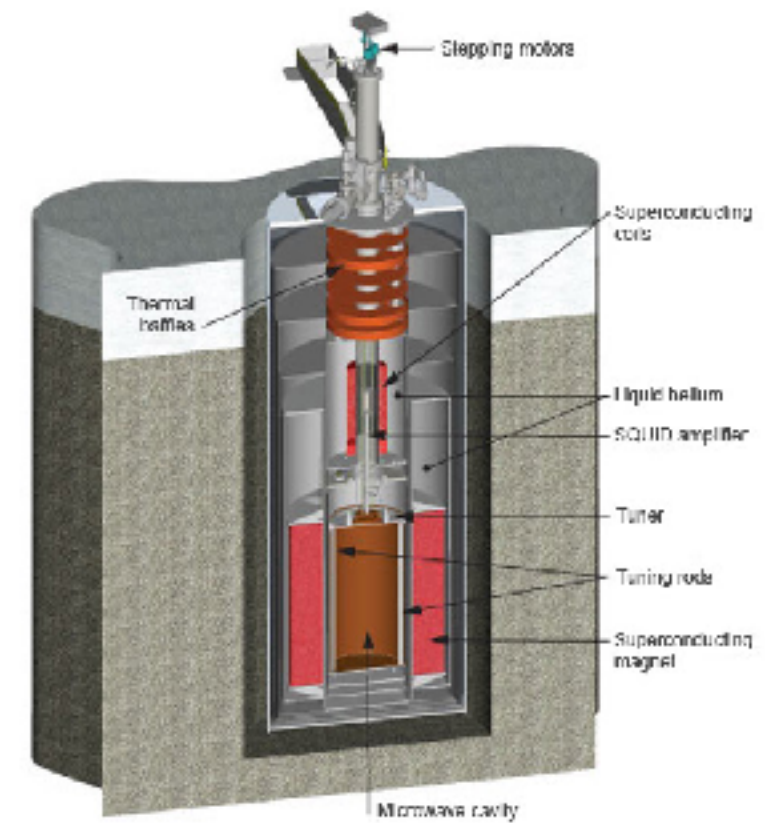
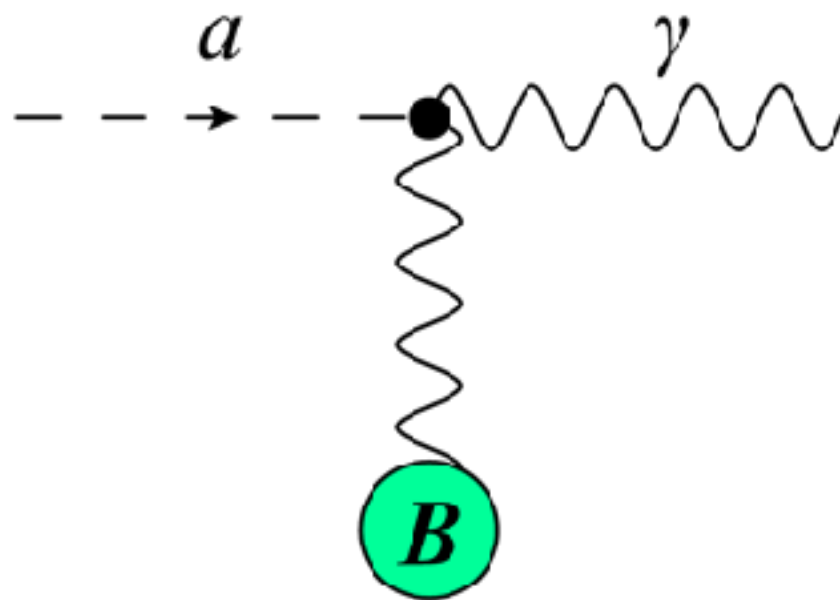
$\rho_{\phi}$  scales as  $a^{-3}$   
just like **Dark Matter**

Initial conditions set by inflation

# Axion Dark Matter

Some examples

- Axion-to-photon conversion (ex. ADMX)

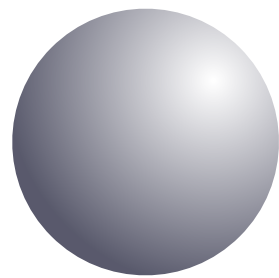


Cavity size = Axion size

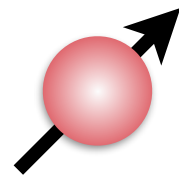
# Axion Dark Matter

Some examples

Monopole-Dipole Interaction

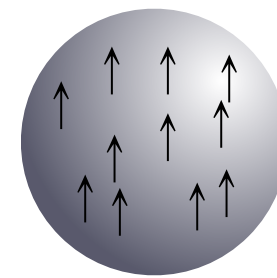


Mass with N nucleons

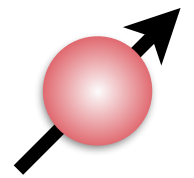


Spin

Dipole-Dipole Interaction

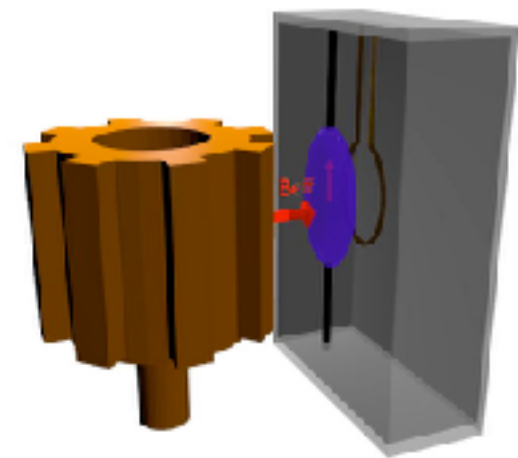


N spins



Spin

- Axion Force experiments and DM experiments

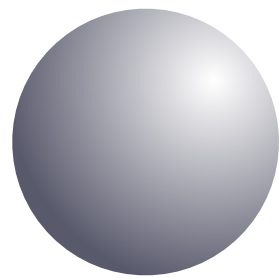


ARIADNE experiment

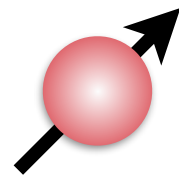
# Axion Dark Matter

Some examples

Monopole-Dipole Interaction

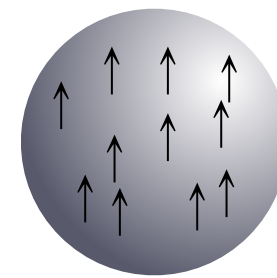


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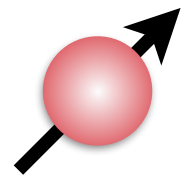


Spin

Dipole-Dipole Interaction

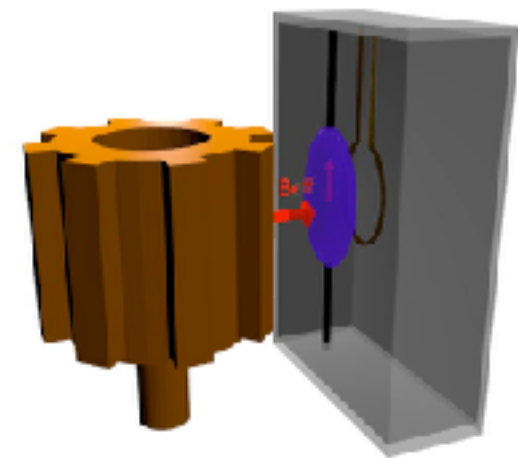


N spins



Spin

- Axion Force experiments and DM experiments



ARIADNE experiment



# Dark Photon Dark Matter

Some examples

- Detected if kinetically mixed with the photon

$$\mathcal{L} \supset \epsilon F_{EM} F_{DM}$$

- Detected like a photon (ADMX)

$$\text{DM electric field} \sim \sqrt{\rho_{DM}} \sim 50 \text{ V/cm}$$

# Moduli Dark Matter

- Couple non-derivatively to the Standard Model (as well as axions with CP violation)
- Examples of couplings

$$\mathcal{L} = \mathcal{L}_{SM} + \sqrt{\hbar c} \frac{\phi}{\Lambda} \mathcal{O}_{SM}$$

$$\mathcal{O}_{SM} \equiv m_e e \bar{e}, m_q q \bar{q}, G_s^2, F_{EM}^2, \dots$$

Fundamental constants are not really constants

# Keeping the DM time with Atomic Clocks

with Junwu Huang  
and Ken Van Tilburg (2014)

# Oscillating Atomic and Nuclear Energy Splittings due to Dark Matter

- Optical Splittings

$$\Delta E_{\text{optical}} \propto \alpha_{EM}^2 m_e \sim \text{eV}$$

- Hyperfine Splittings

$$\Delta E_{\text{hyperfine}} \propto \Delta E_{\text{optical}} \alpha_{EM}^2 \left( \frac{m_e}{m_p} \right) \sim 10^{-6} \text{ eV}$$

- Nuclear Splittings

$$\Delta E (m_p, \alpha_s, \alpha_{EM}) \sim 1 \text{ MeV}$$

DM appears as a signature in atomic (or nuclear) clocks

# Atomic Clocks

- Kept tuned to an atomic energy level splitting

**Current definition of a second:**

the duration of **9192631770** periods of the radiation corresponding to the transition between the two hyperfine levels of the ground state of the **caesium 133** atom

- Have shown stability of 1 part in  $10^{18}$

Compared to 1 part in  $10^{13}$  expected by DM

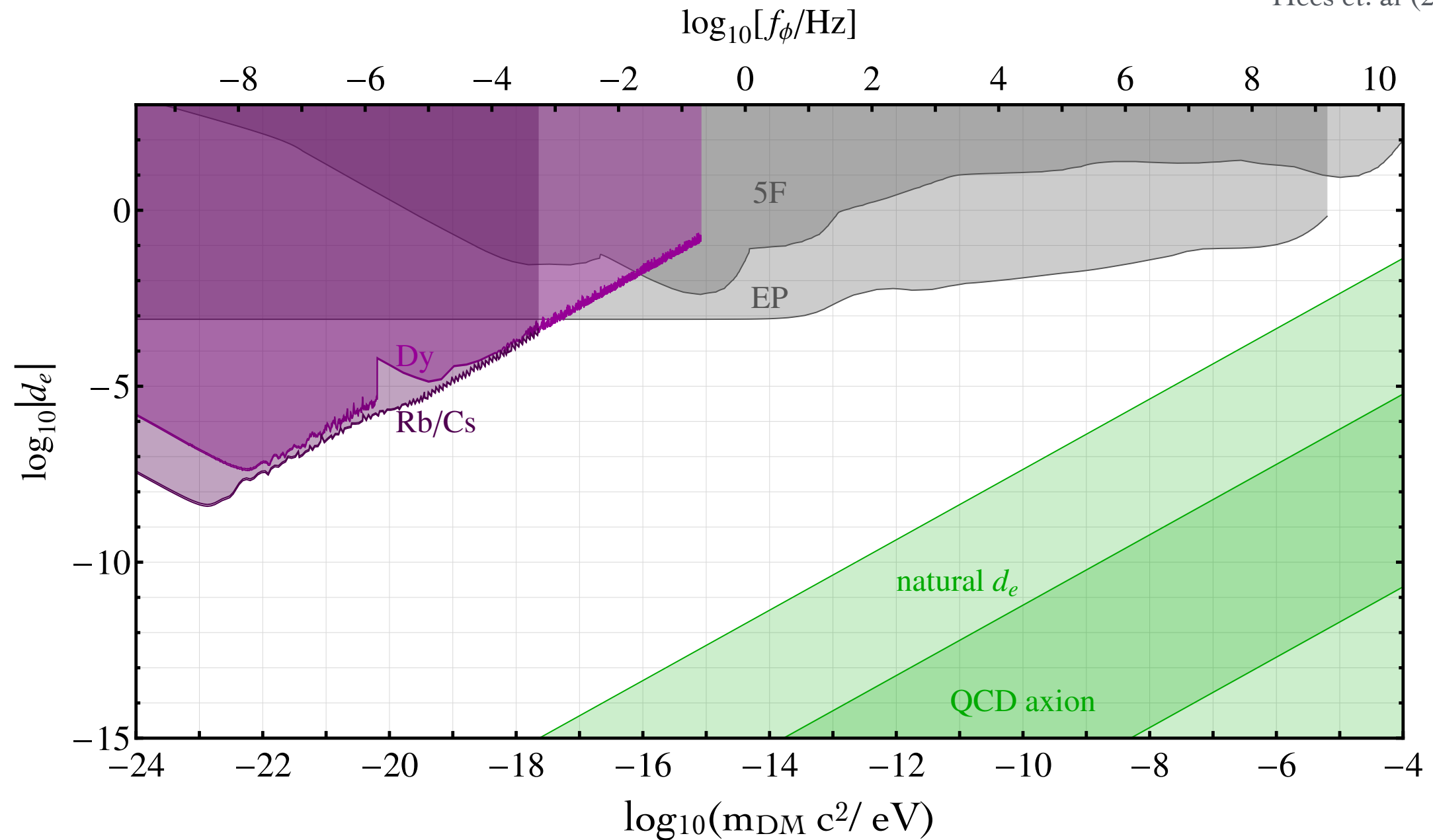
- Have won several Nobel prizes in the past 20 years

# The Dy isotope and Rb/Cs Clock Comparison

Ken Van Tilburg  
and the Budker group (2015)

sensitivity to  $\alpha_{EM}$  variations

Hees et. al (2016)



Analysis performed with existing data

# The Sound of Dark Matter

with Ken Van Tilburg  
and Savas Dimopoulos (2015)

# Oscillating interatomic distances

- The Bohr radius changes with DM

- $r_B \sim (\alpha m_e)^{-1}$

$$\frac{\delta r_B}{r_B} = - \left( \frac{\delta \alpha_{EM}}{\alpha_{EM}} + \frac{\delta m_e}{m_e} \right)$$

- The size of solids changes with DM

- $L \sim N (\alpha m_e)^{-1}$

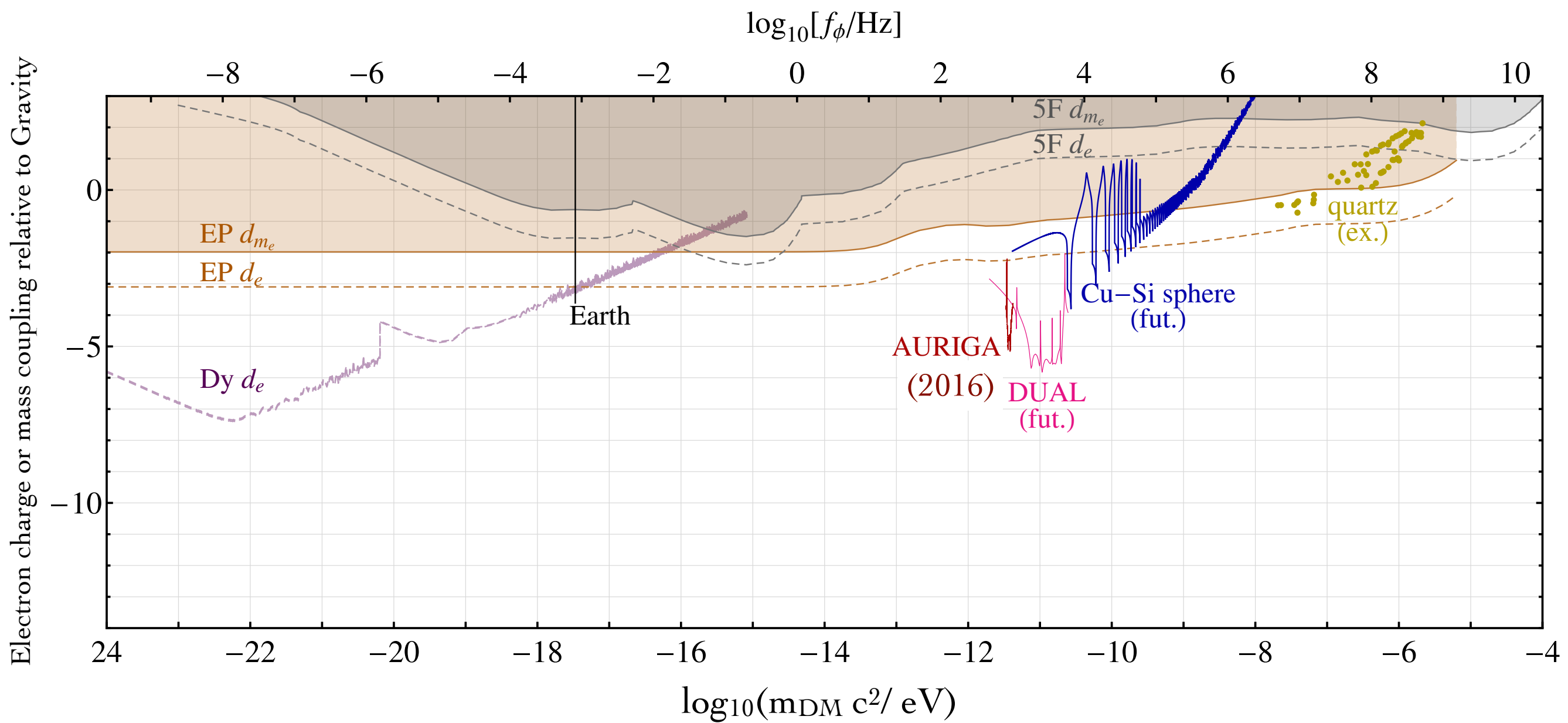
$$\frac{\delta L}{L} = - \left( \frac{\delta \alpha_{EM}}{\alpha_{EM}} + \frac{\delta m_e}{m_e} \right)$$

For a single atom  $\delta r_B \sim 10^{-30}$  m

Need macroscopic objects to get a detectable signal



# What can be done in the future?



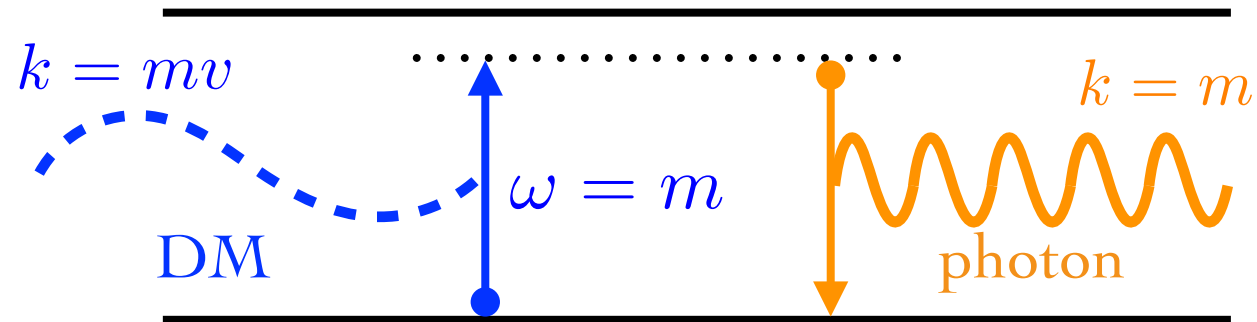
# Resonant Absorption of Dark Matter

with Savas Dimopoulos and Ken Van Tilburg (2017)

# Resonant Absorption of Dark Matter in Molecules



# Resonant Absorption of Dark Matter in Molecules



$$\Gamma_{\text{abs}} = N \Omega^2 \tau$$

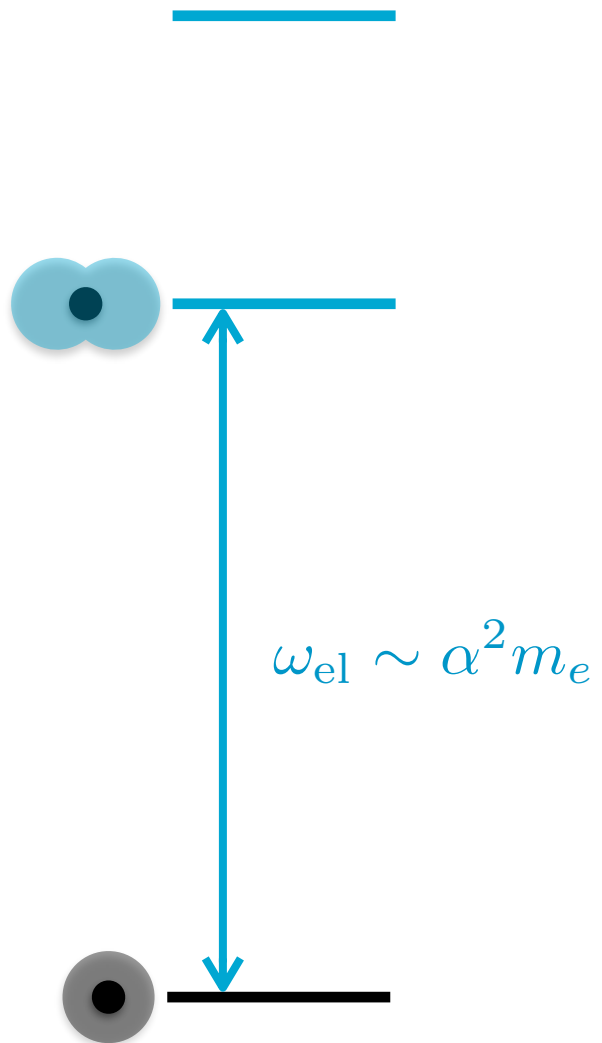
$N$ : number of molecules

$\Omega$ : Interaction energy between DM and molecule (ie Rabi frequency)

$\tau$ : Smallest of excitation lifetime, inter-molecule collisions, DM coherence time...

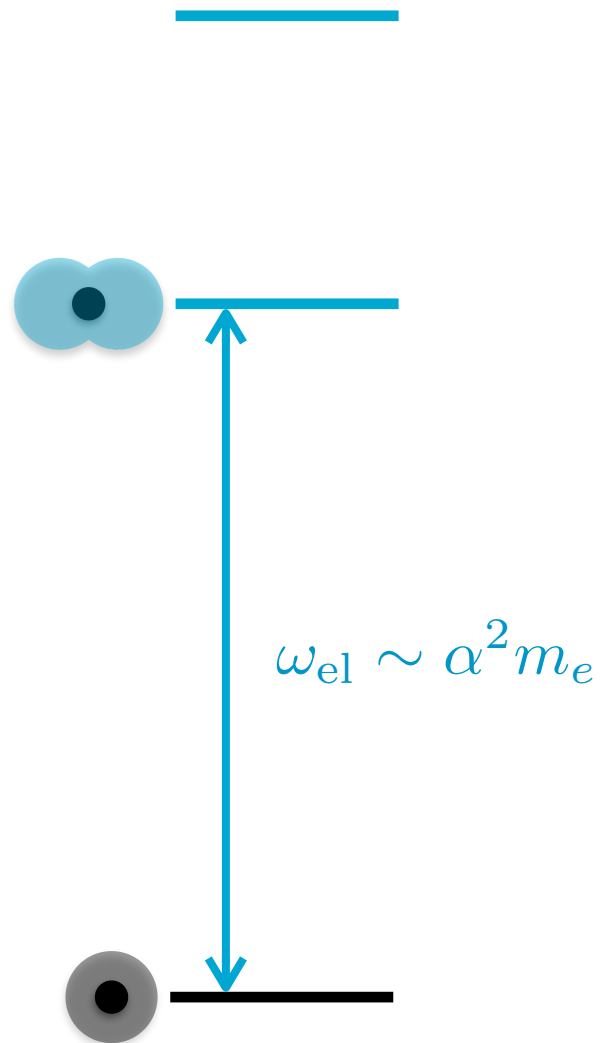
# Why Molecules?

atom

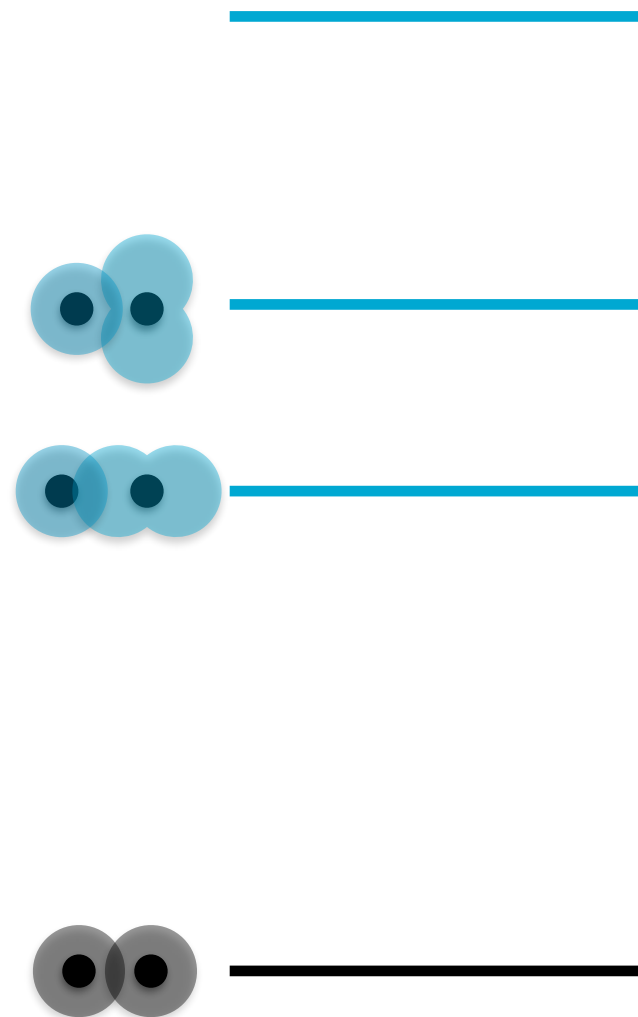


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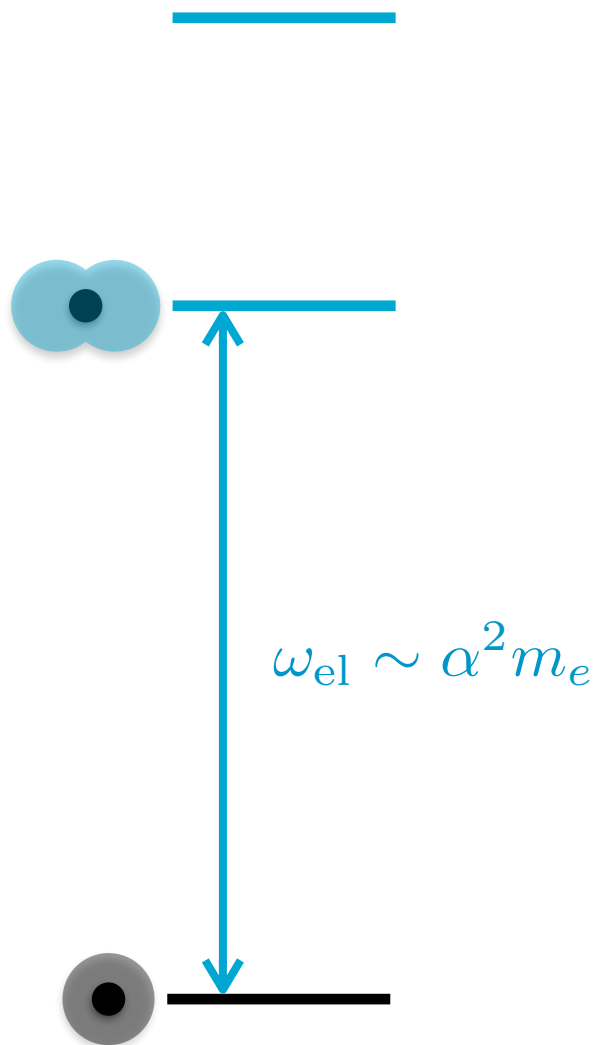


diatomic molecule

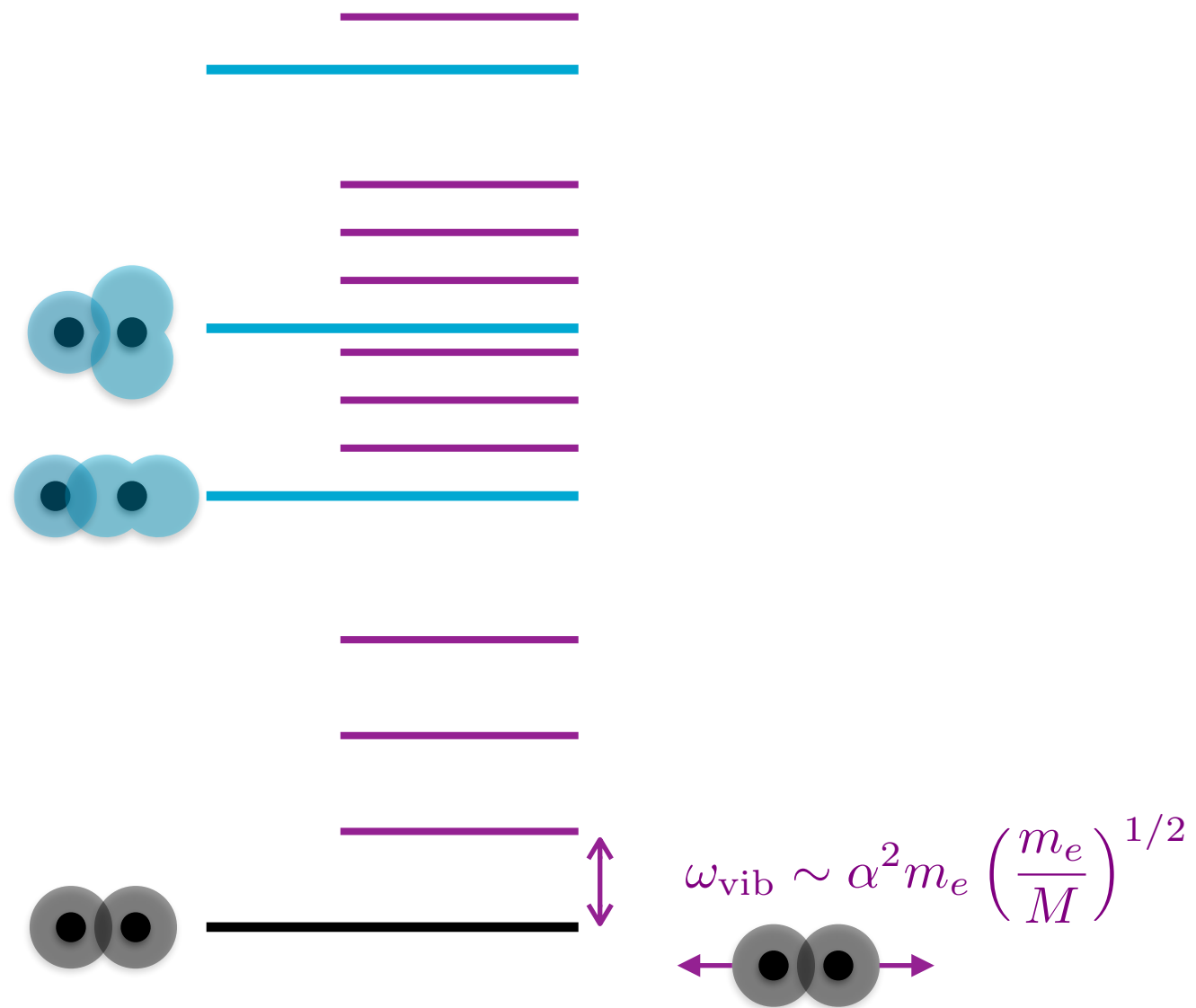


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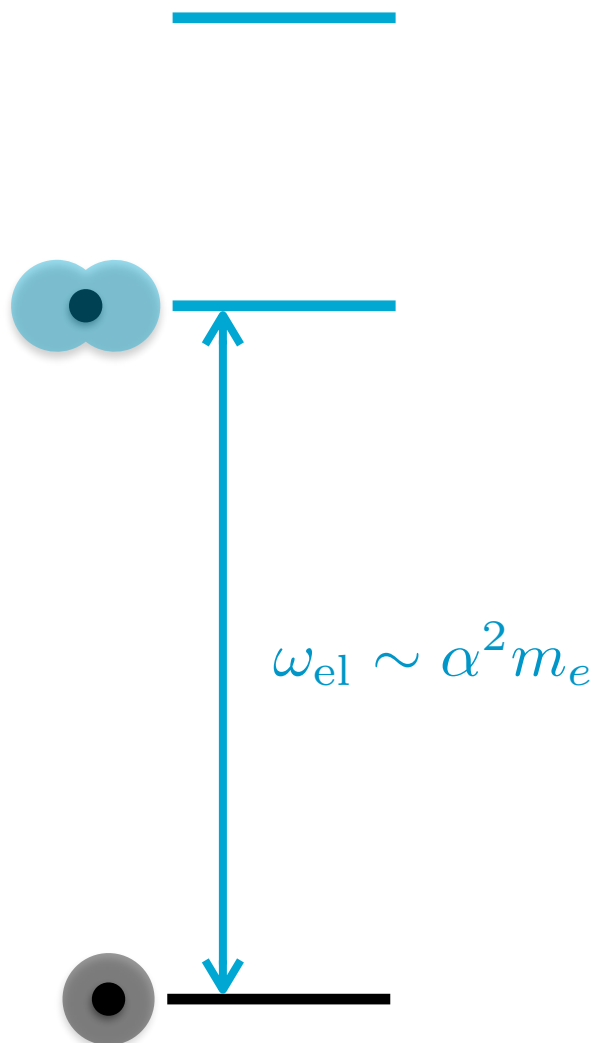


diatomic molecule

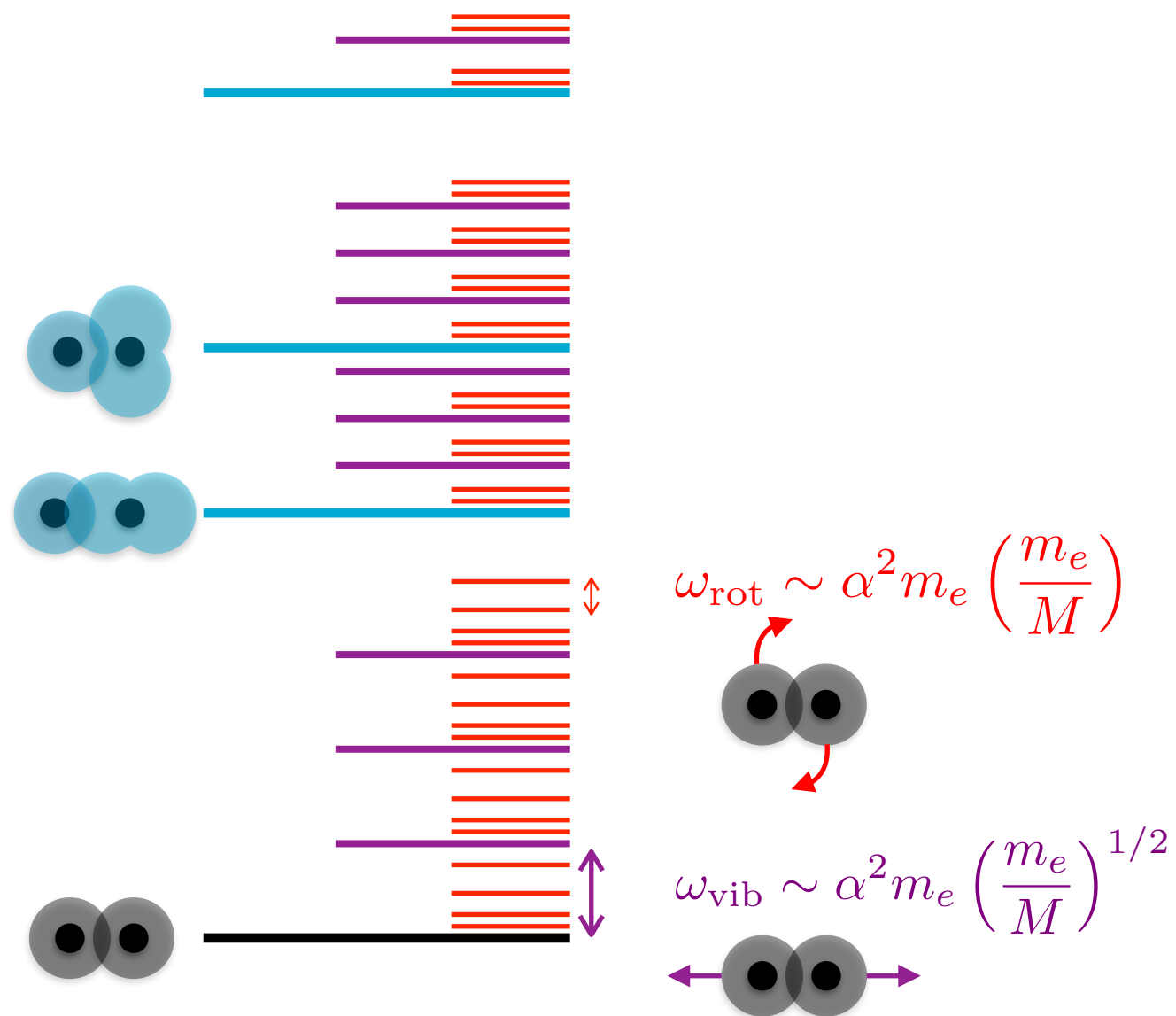


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atom

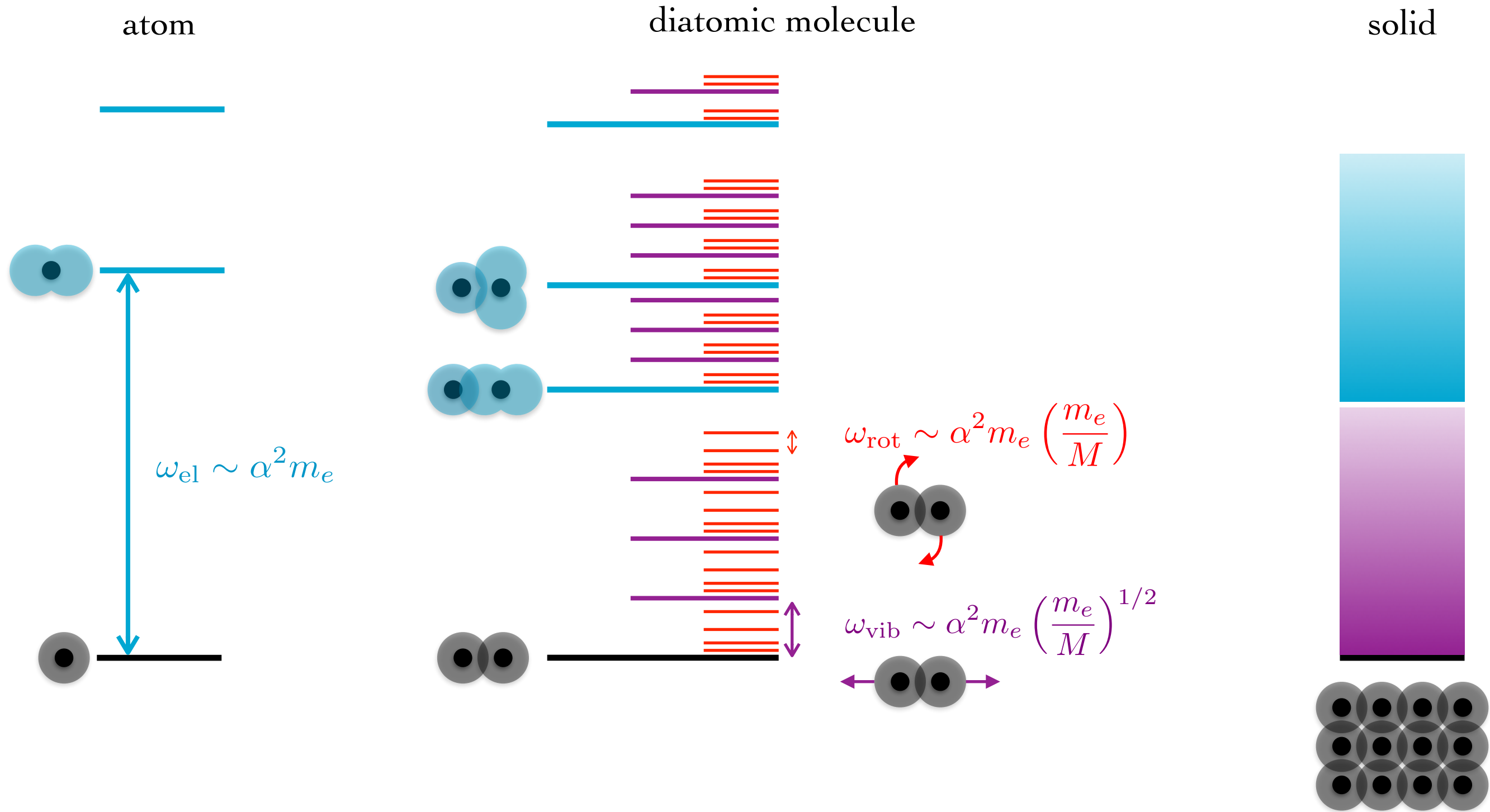


diatomic molecule



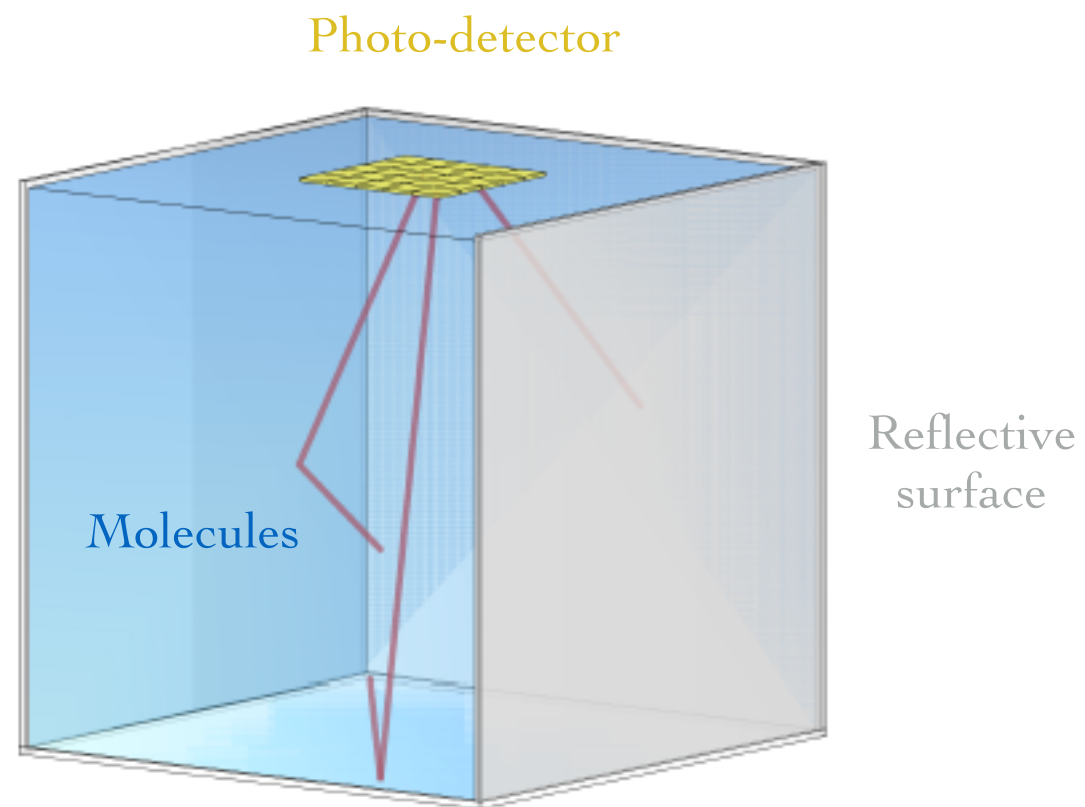


# Why Molecules?



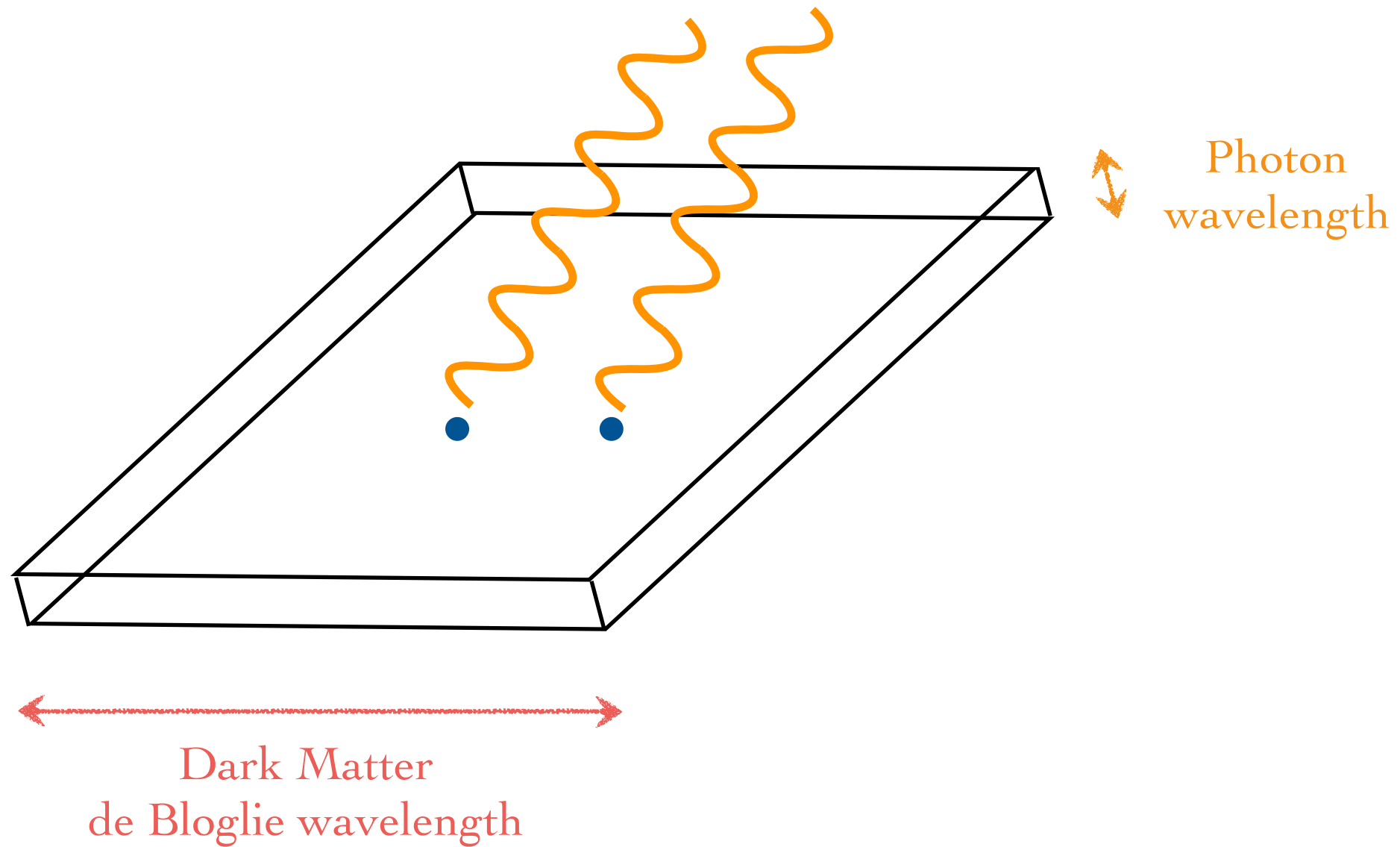
Molecules are a multi-mode resonator with well-understood spectrum

# Proposed Set-ups



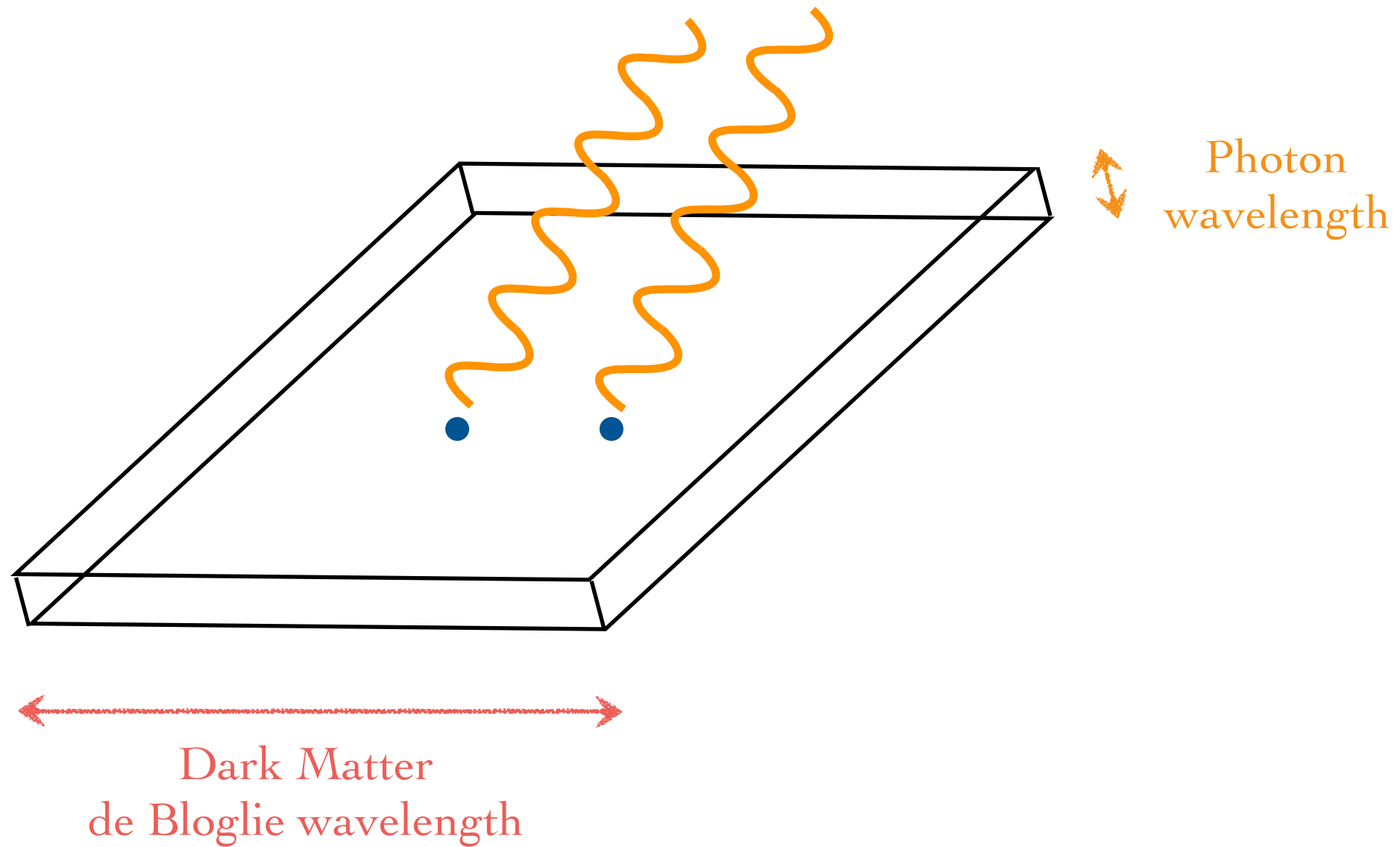
Bulk detector

# Cooperative emission effects



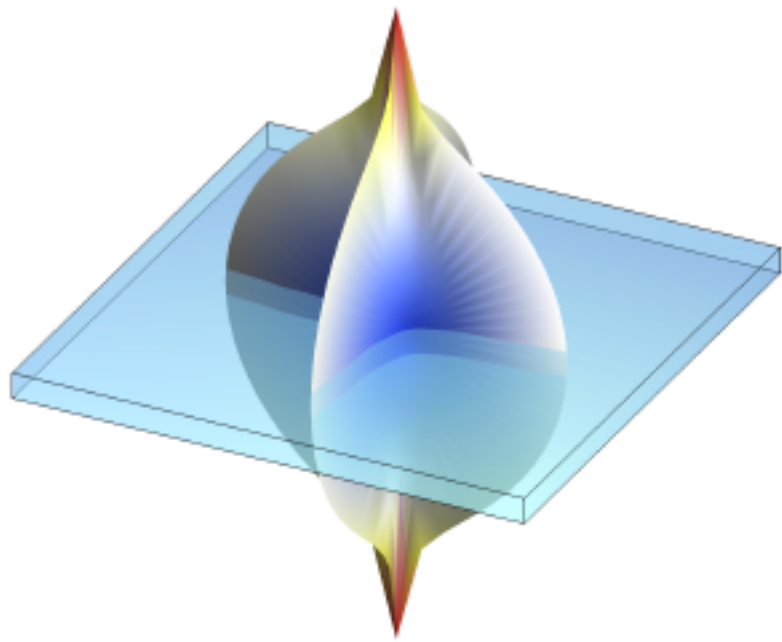
Fluorescent photon interference produces interesting emission patterns

# Cooperative emission effects

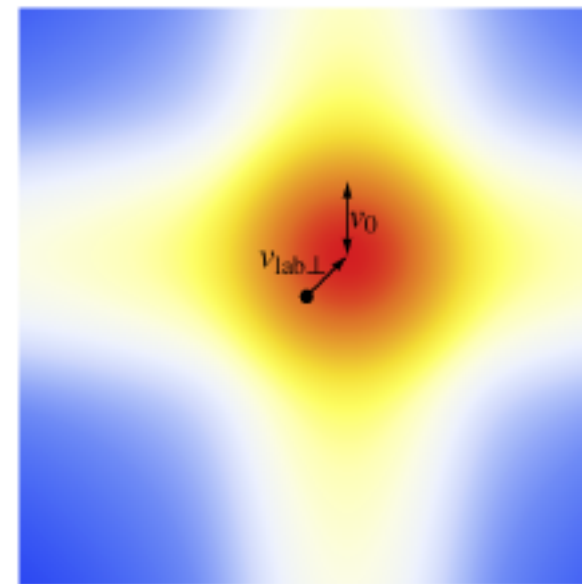


Fluorecent photon interference produces interesting emission patterns

# Cooperative emission effects

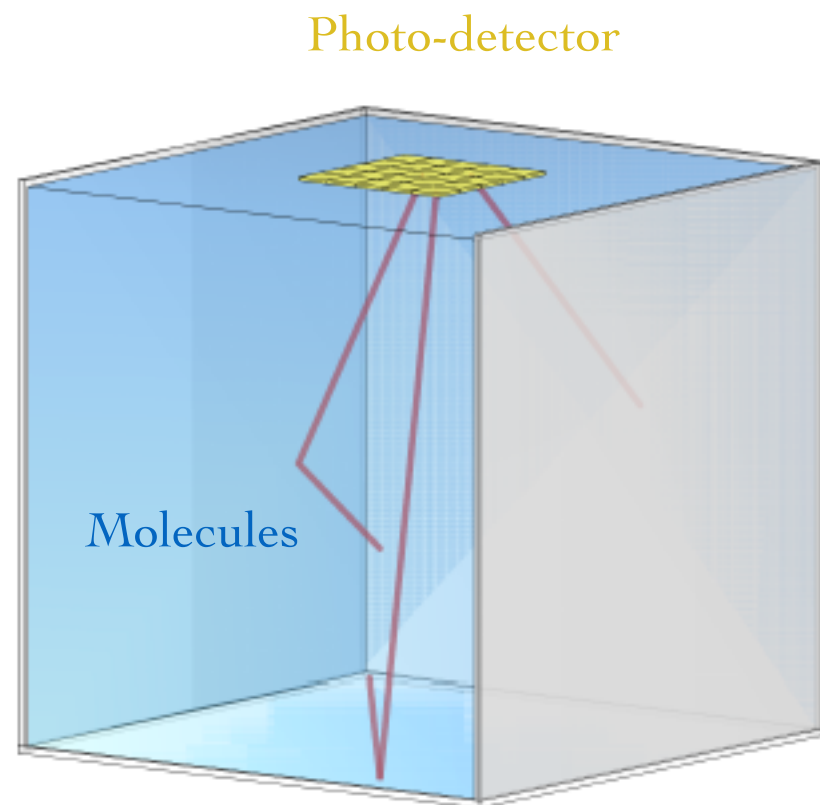


Fluorescent power emitted from a slab



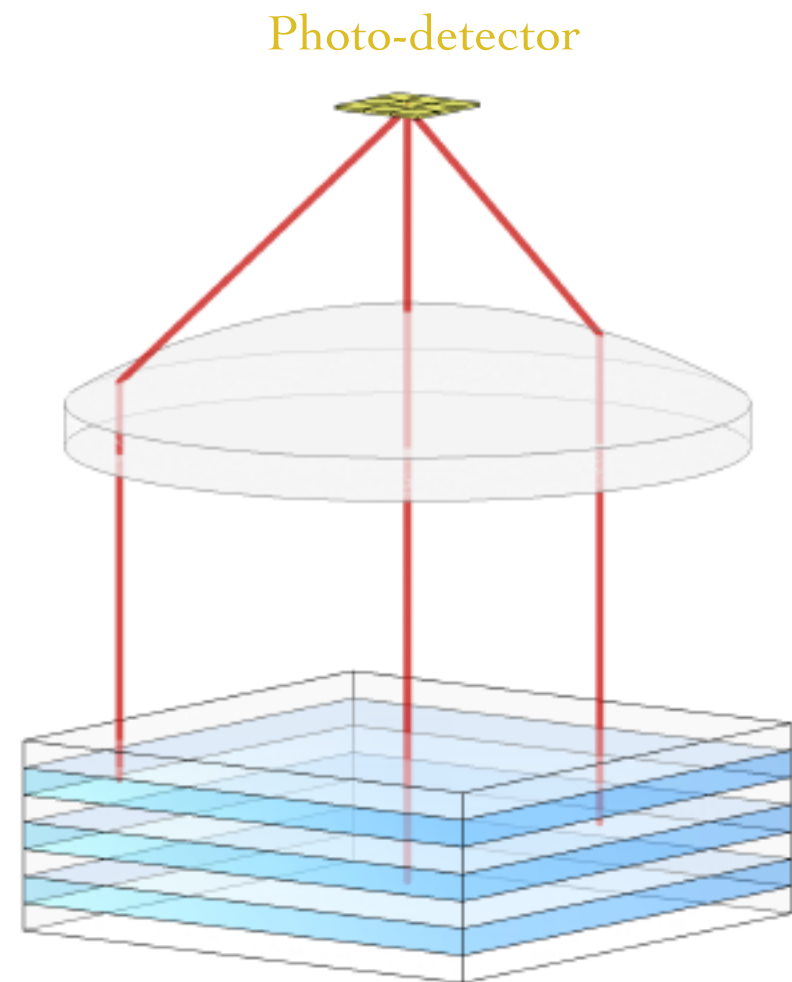
Angular distribution of power  
close to the slab center

# Proposed Set-ups



Bulk detector

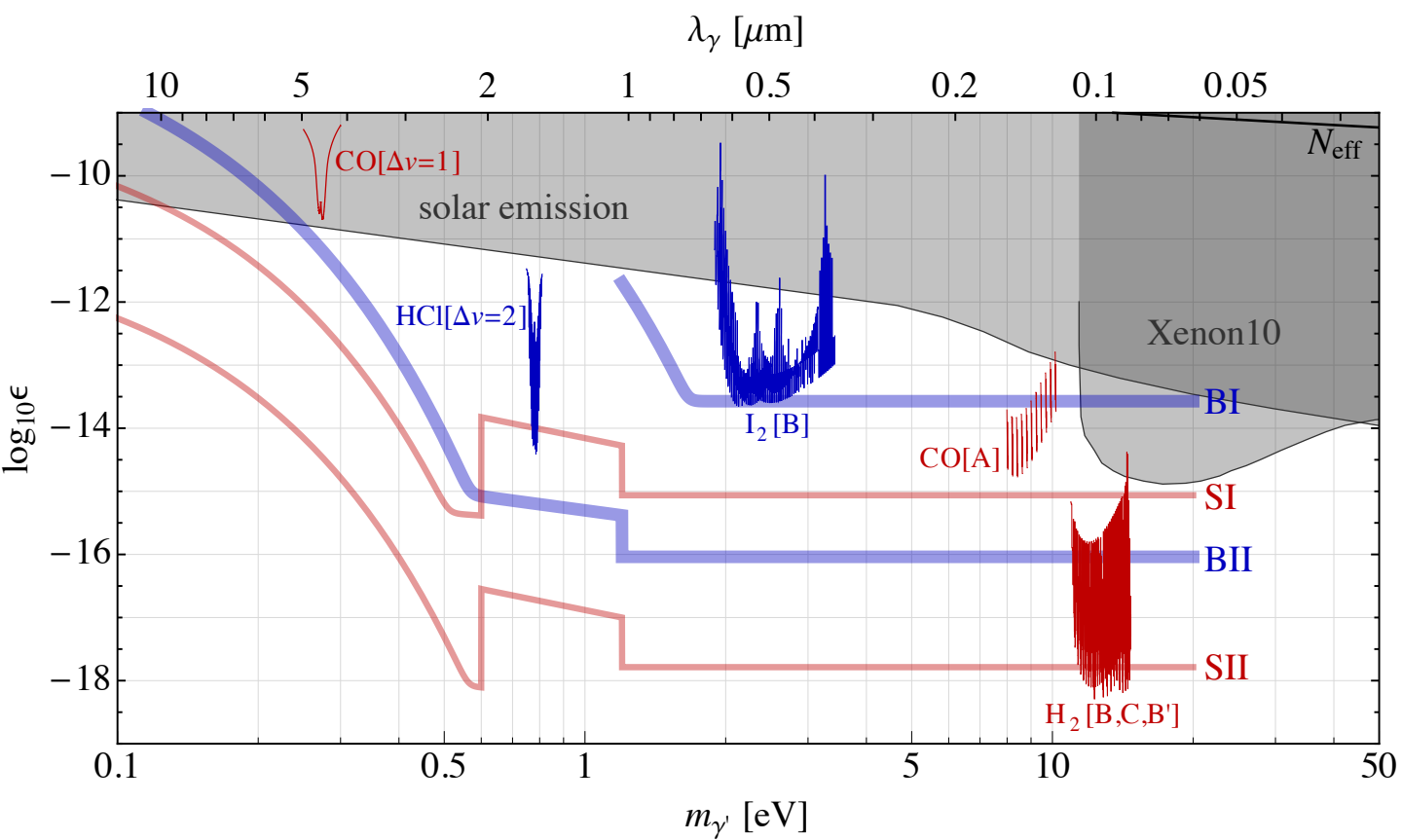
Reflective  
surface



Shell detector

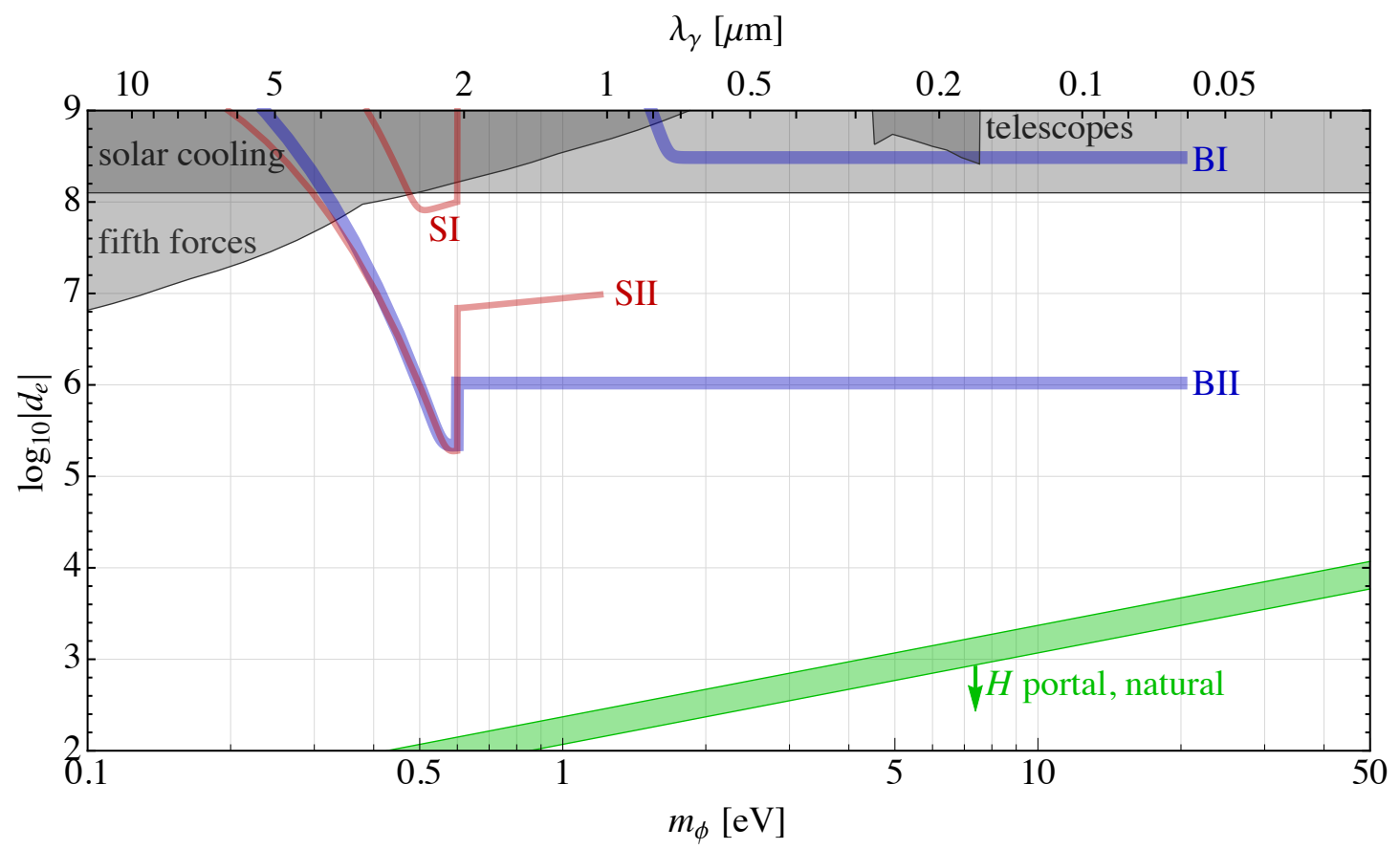
Alternating shells of gas filled and  
empty containers of photon wavelength width

# Sensitivity Plots Some examples



Dark Photon Dark Matter

Electron charge modulus Dark Matter

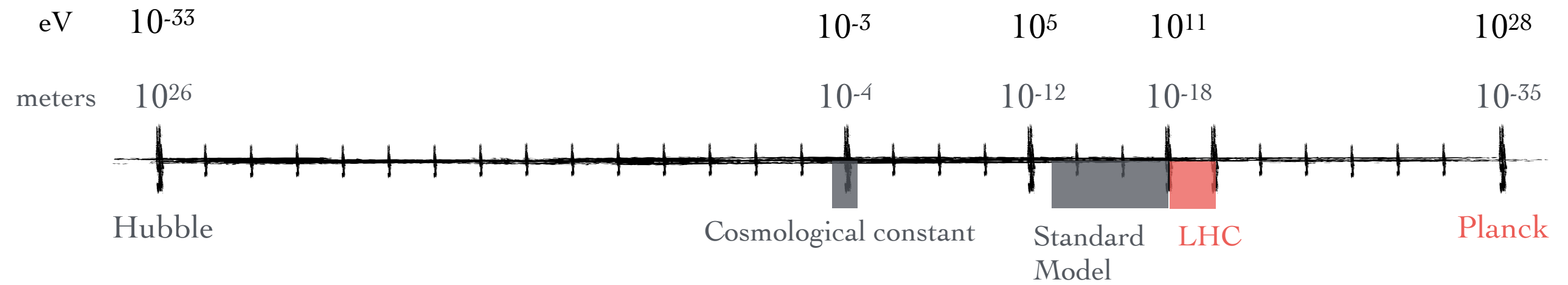


# Advantages of Molecule based detector

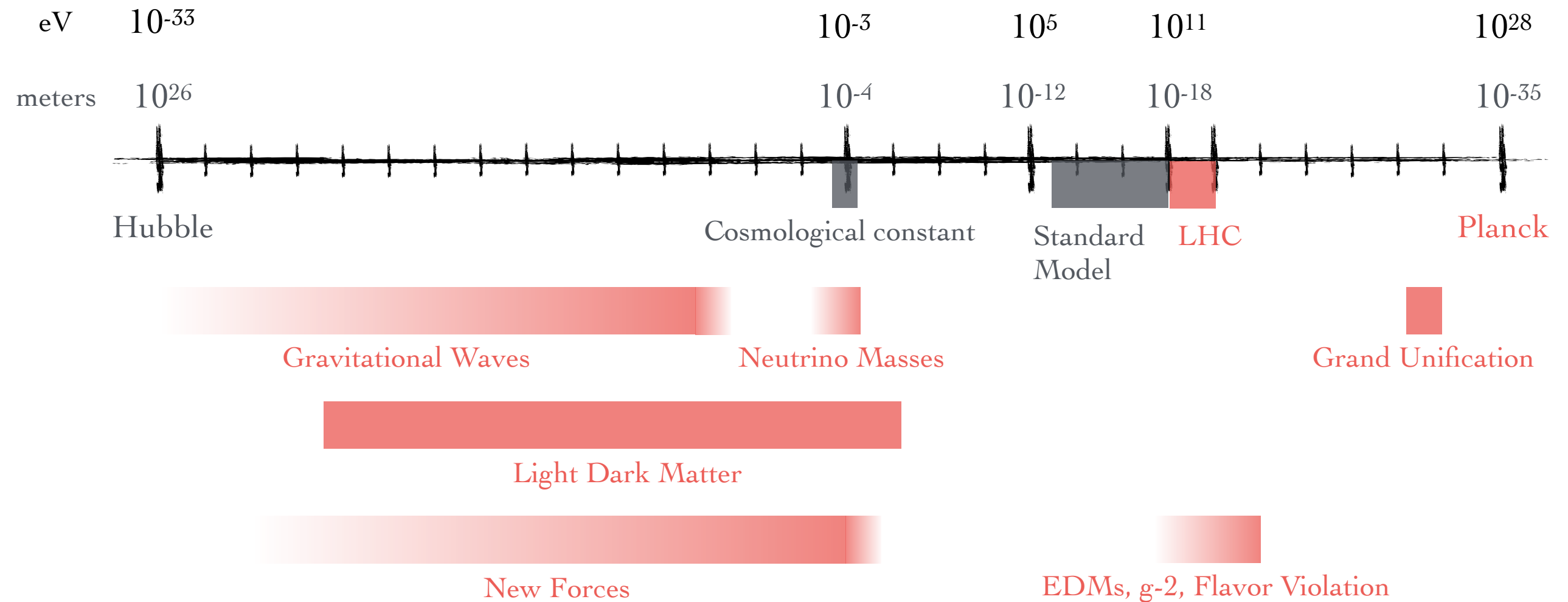
- Sensitivity to many Dark Matter candidates
- Excellent Energy Resolution
- Tunable
- Background rejection
- Directional information for Dark Matter



# The Scales in Our Universe

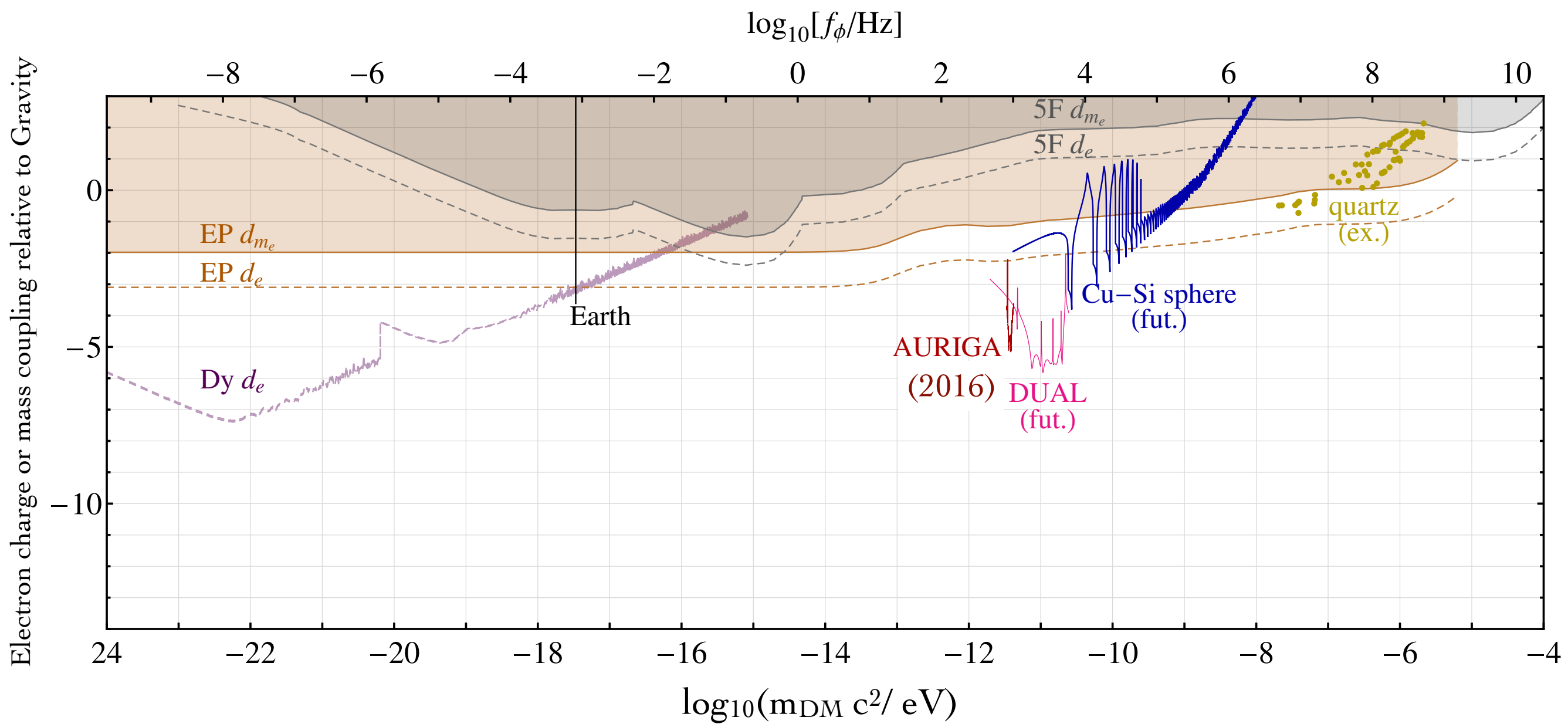


# The Scales in Our Universe



*There are more things in heaven and earth, Horatio,  
Than are dreamt of in your philosophy.*  
- Hamlet

# What can be done in the future?



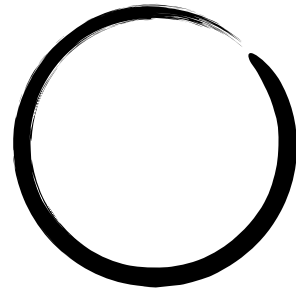
# Black Holes as Nature's Detectors



1 km - 10 billion km

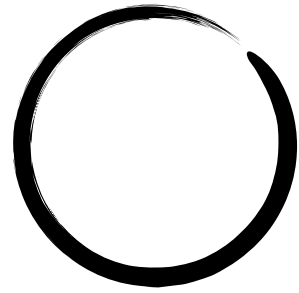
They can detect bosons of similar in size

# Super-Radiance Cartoon



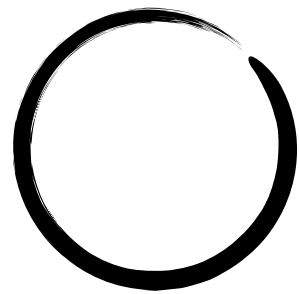
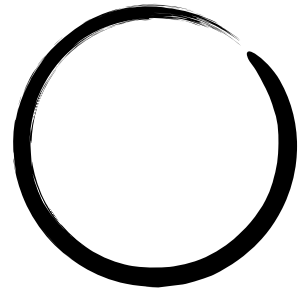
Super-radiant scattering of a massive object

# Super-Radiance Cartoon



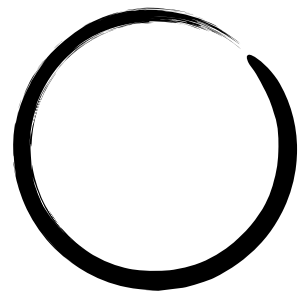
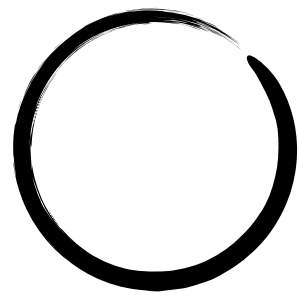
Super-radiant scattering of a massive object

# Super-Radiance Cartoon



Super-radiant scattering of a wave

# Super-Radiance Cartoon

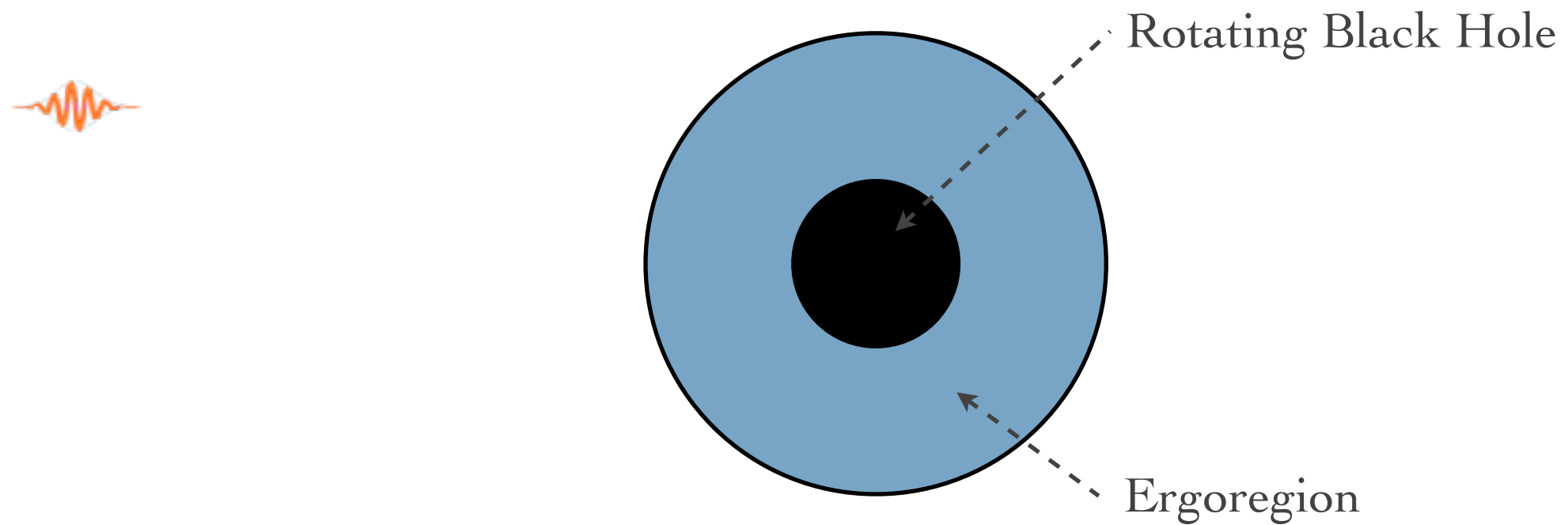


Super-radiant scattering of a wave



# Black Hole Superradiance

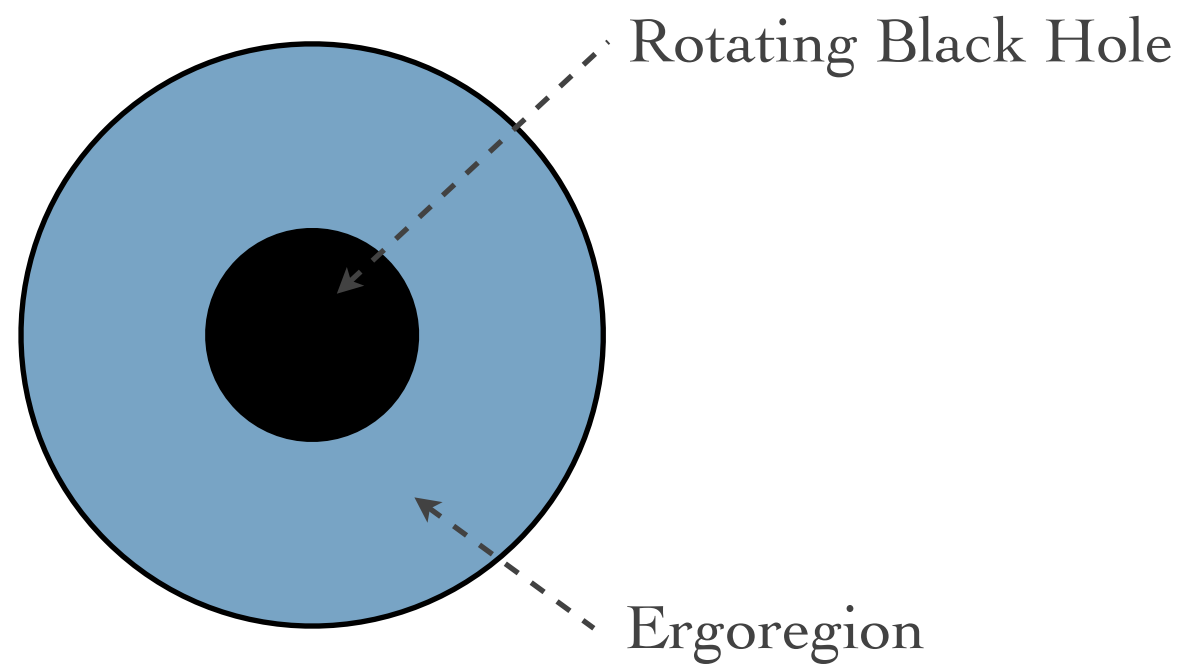
## Penrose Process



Ergoregion: Region where even light has to be rotating

# Black Hole Superradiance

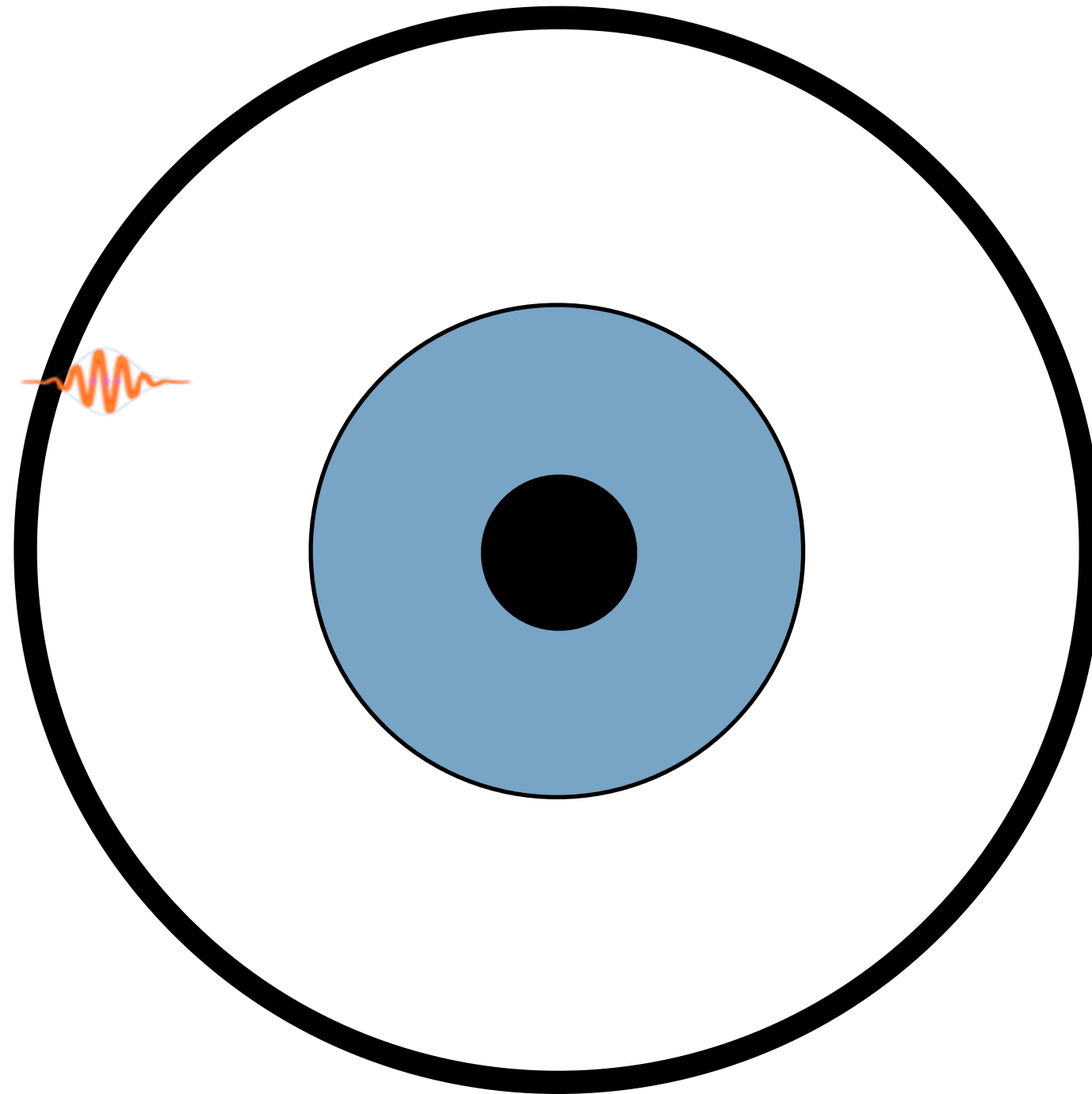
## Penrose Process



Extracts angular momentum and mass from a spinning black hole

# Black Hole Bomb

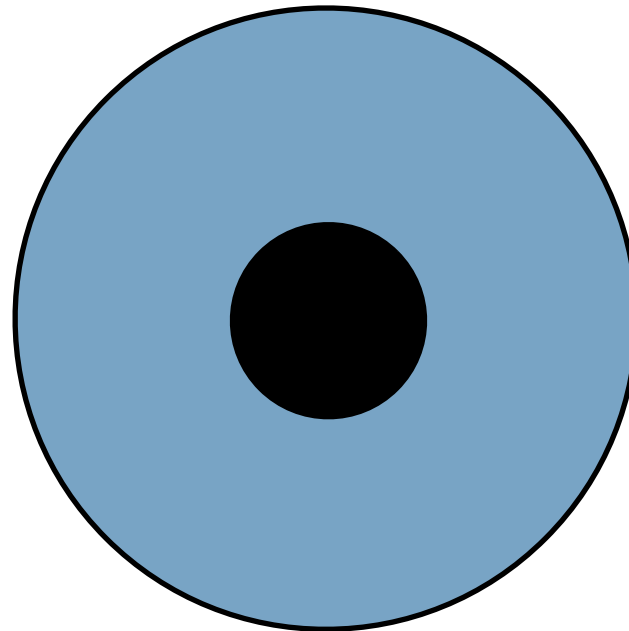
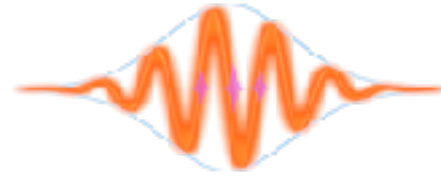
Press & Teukolsky 1972



Photons reflected back and forth from the black hole  
and through the ergoregion

# Black Hole Bomb

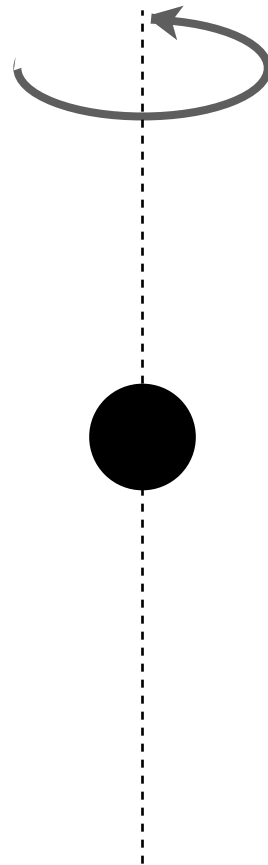
Press & Teukolsky 1972



Photons reflected back and forth from the black hole  
and through the ergoregion

# Superradiance for a massive boson

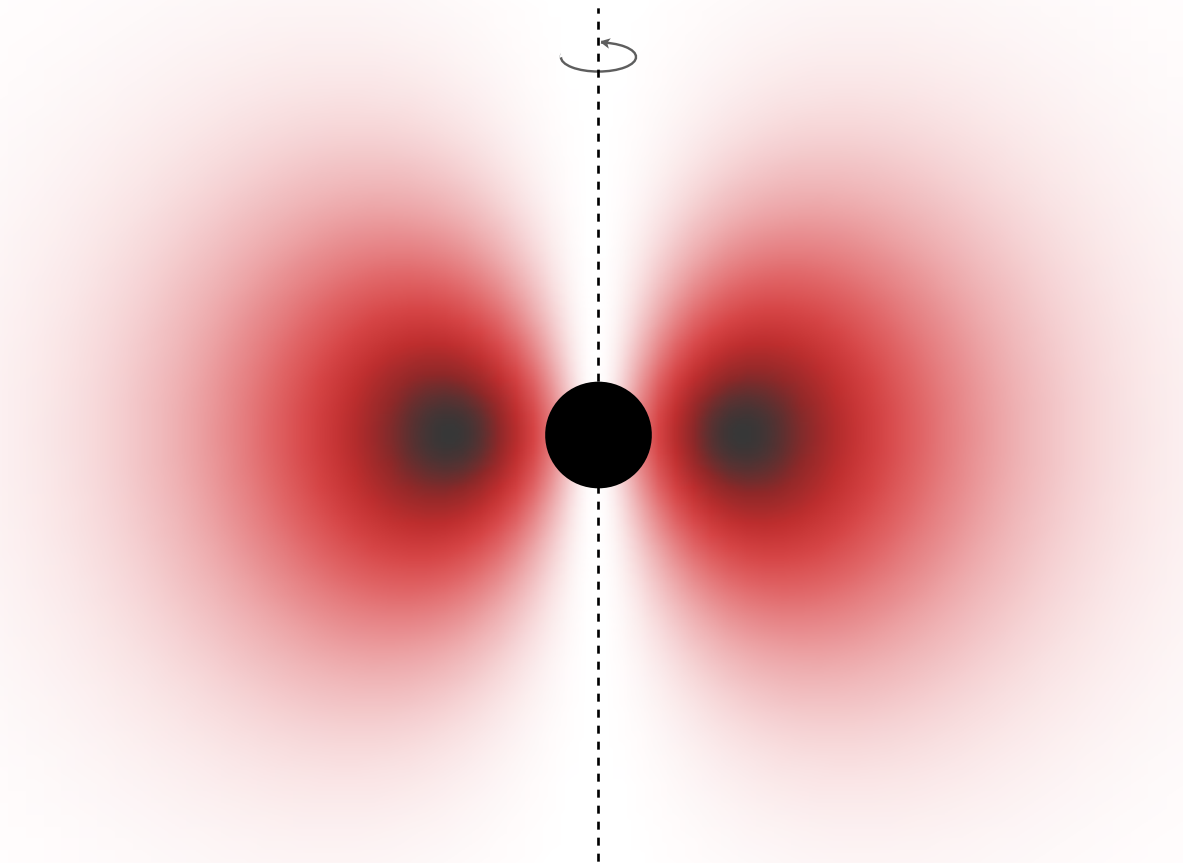
Damour et al; Zouros & Eardley;  
Detweiler; Gaina (1970s)



Particle Compton Wavelength comparable to the size of the Black Hole

# Superradiance for a massive boson

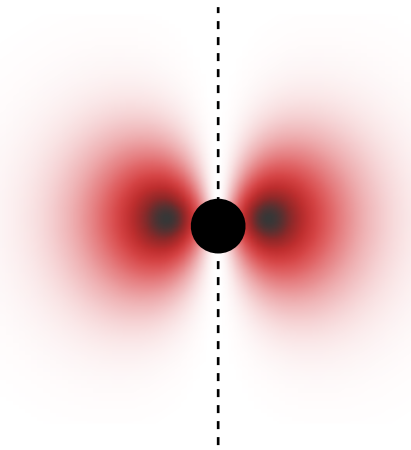
Damour et al; Zouros & Eardley;  
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Particle Compton Wavelength comparable to the size of the Black Hole

# Gravitational Atom in the Sky

## The gravitational Hydrogen Atom



Fine-structure constant:

$$\alpha = G_{\text{N}} M_{\text{BH}} \mu_a = R_g \mu_a$$

Principal (n), orbital (l), and magnetic (m) quantum number for each level

$$E_{\text{binding}} = -\frac{\alpha^2 \mu_a}{2n^2}$$

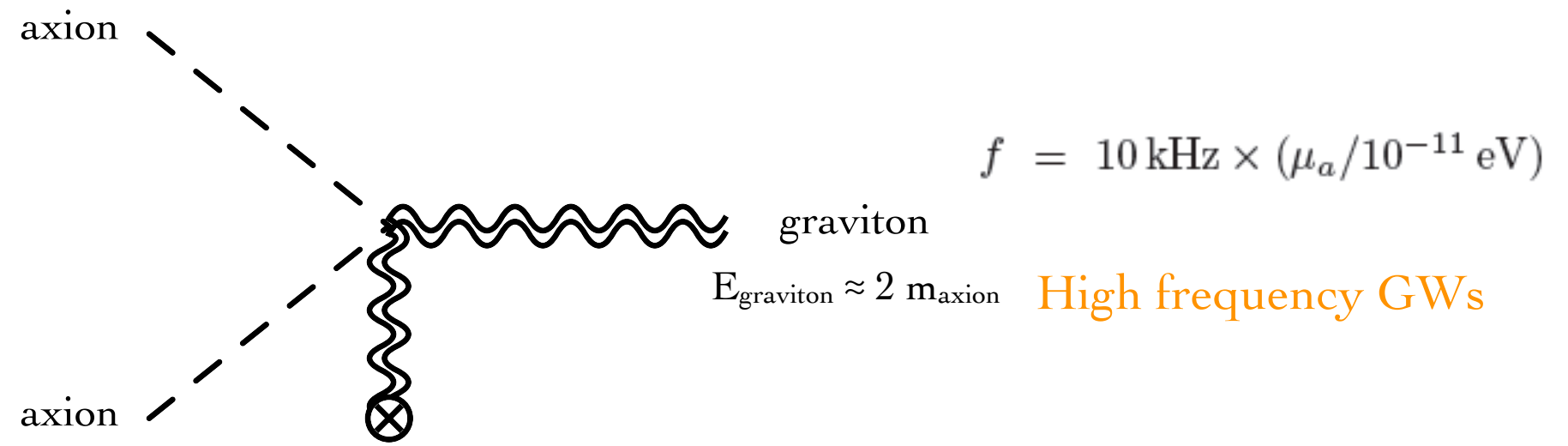
Main differences from hydrogen atom:

Levels occupied by bosons - occupation number  $> 10^{77}$

In-going Boundary Condition at Horizon

# Super-Radiance Signatures

GW annihilations



- Signal enhanced by the square of the occupation number of the state

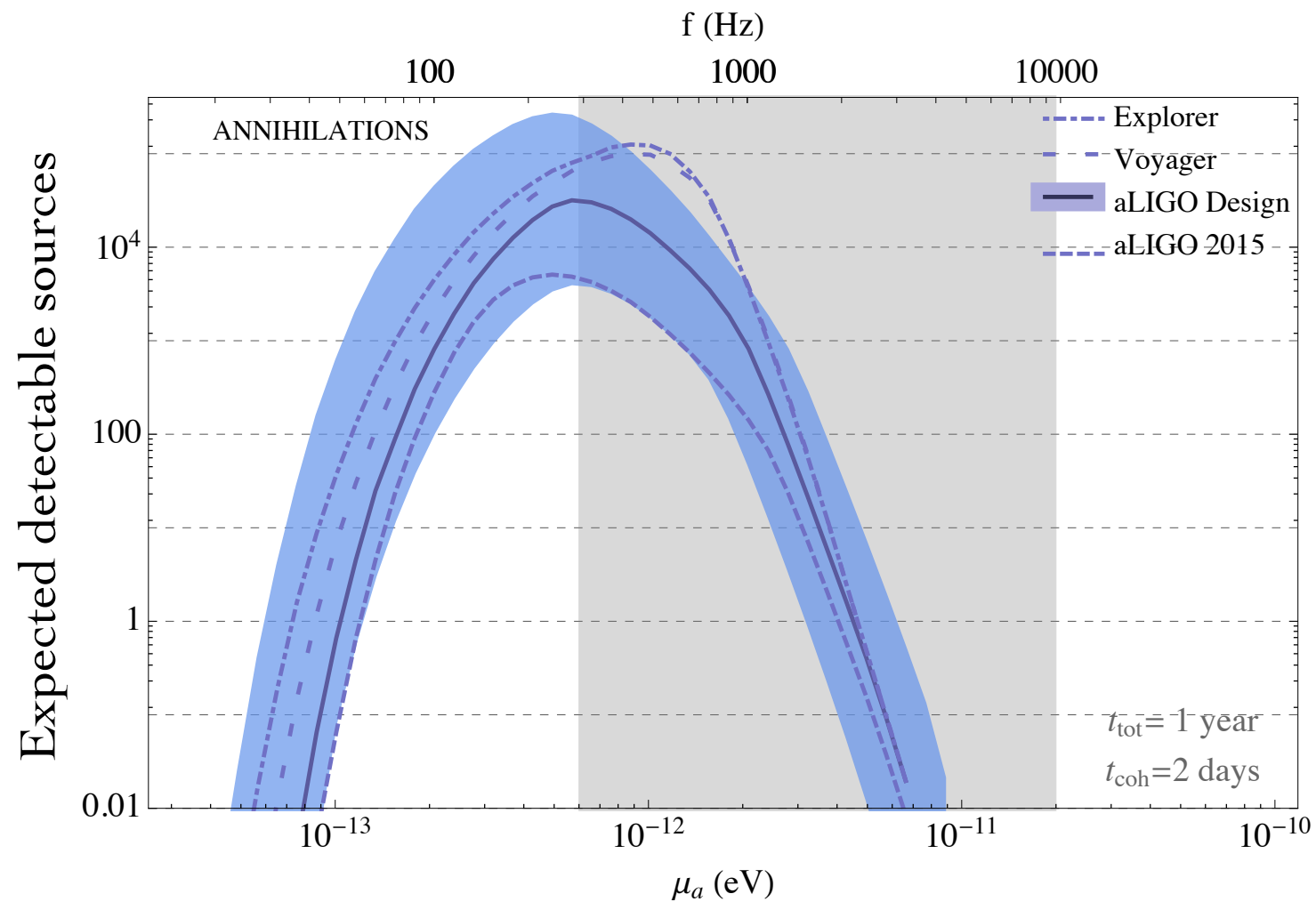
$$h_{\text{peak}} \simeq 10^{-22} \left( \frac{1 \text{ kpc}}{r} \right) \left( \frac{\alpha/\ell}{0.5} \right)^{\frac{p}{2}} \frac{\alpha^{-\frac{1}{2}}}{\ell} \left( \frac{M}{10M_{\odot}} \right)$$

- Signal **duration** determined by the annihilation rate (can last thousands of years)



# Expected Events from Annihilations

- Large uncertainties coming from tails of BH mass distribution



Pessimistic: flat spin distribution and 0.1 BH/century

Realistic: 30% above spin of 0.8 and 0.4 BH/century

Optimistic: 90% above spin of 0.9 and 0.9 BH/century